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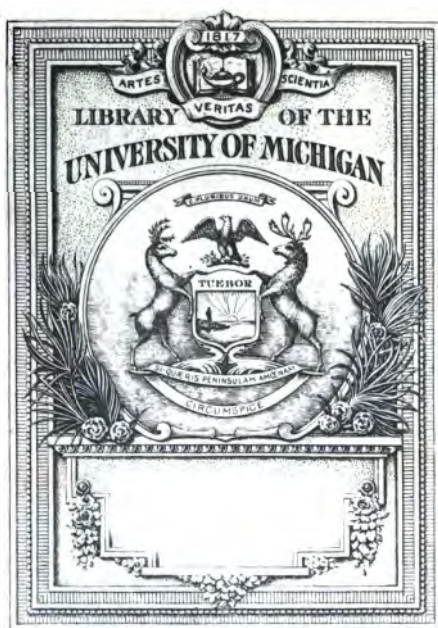
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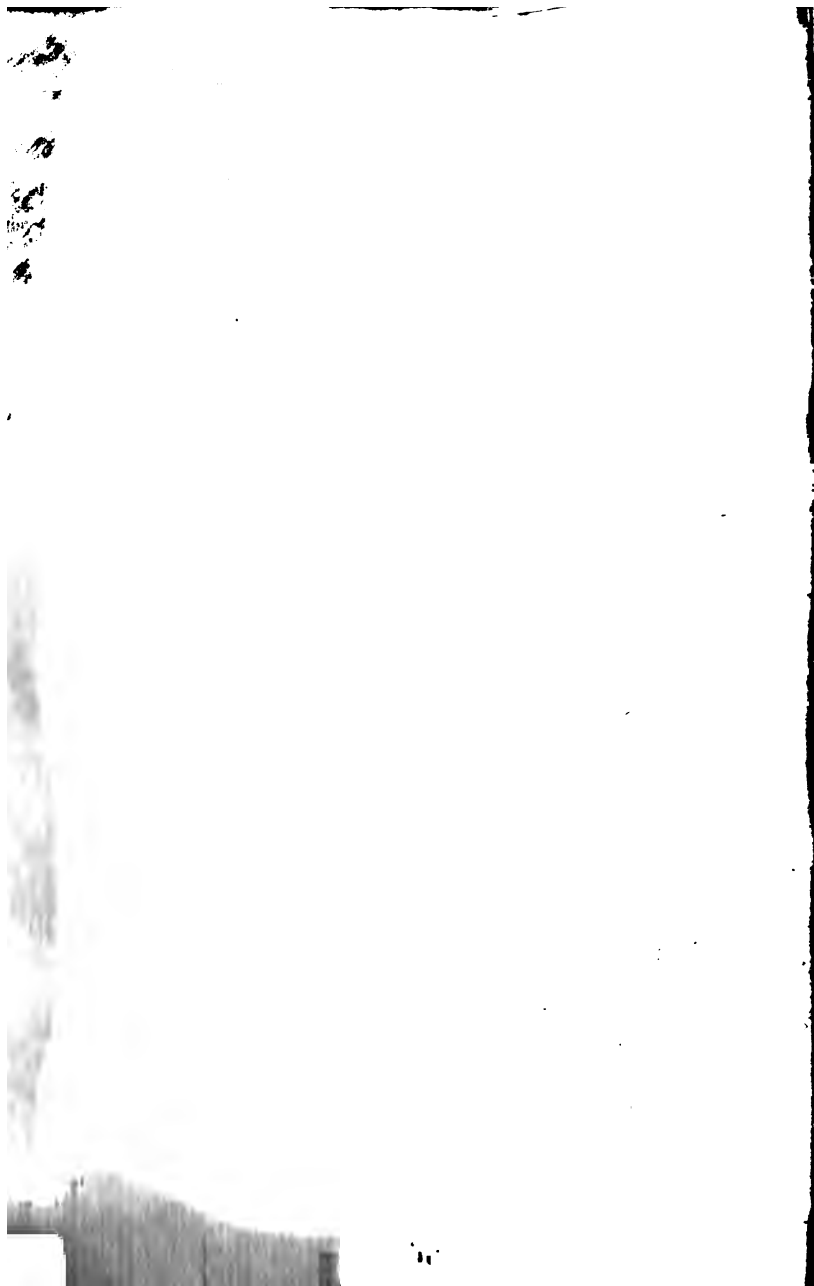
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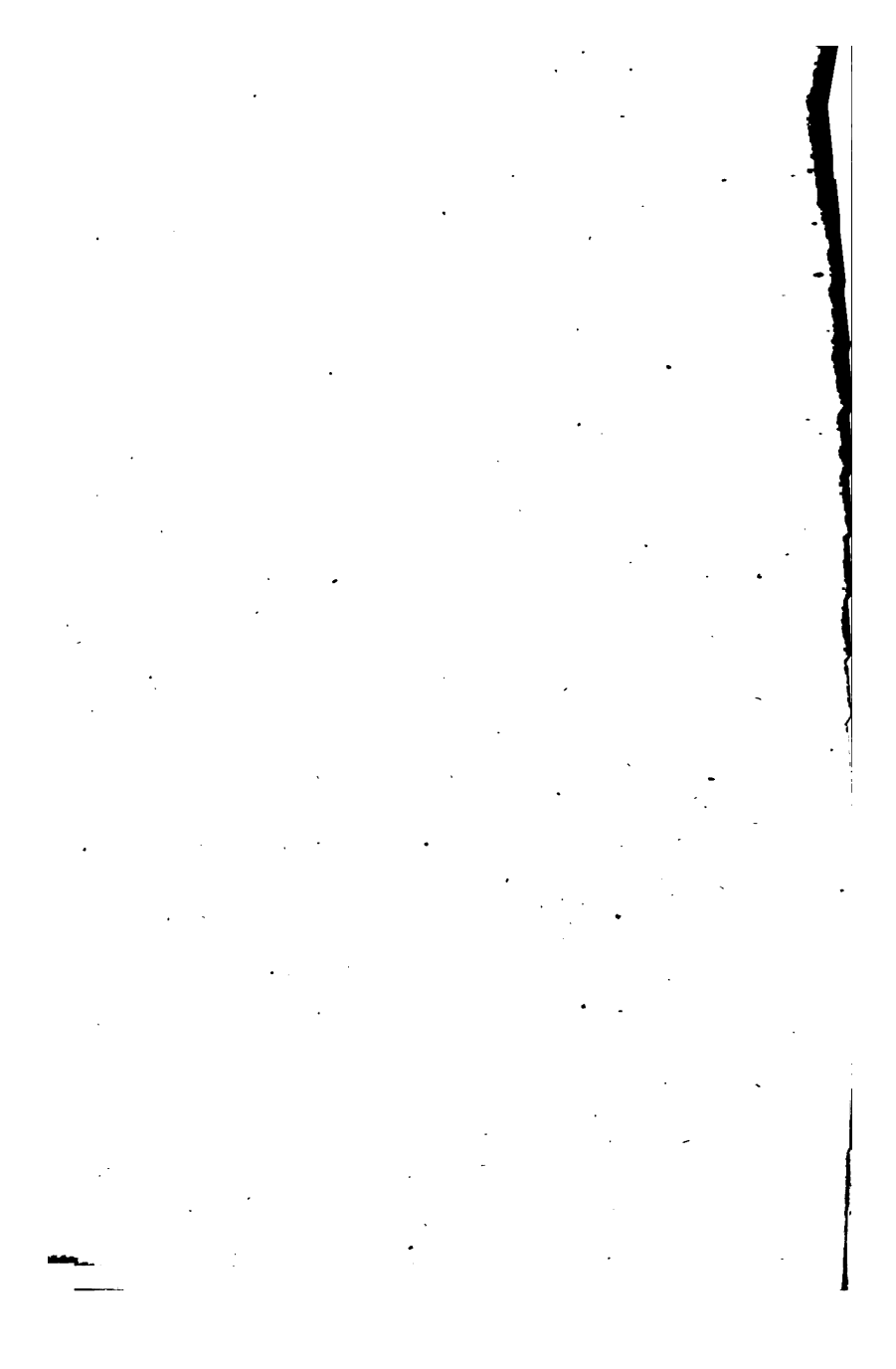
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THE
PALLADIUM *Enlarged,*

(PRICE 2s.)

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Adapted for the USE of SEAMEN.

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M. de la Riv. et del.

J. L. Muller Sc.

WOLVES shall succeed for Teachers, grievous Wolves,
Who all the SACRED MYSTERIES of Heav'n
To their own vile Advantages shall turn
Of *Lucre* and *Ambition*, and the Truth
With *Superstition* and *Tradition* taint. —

MILTON, *Par. lost*, B. 12. L. 508.

L O N D O N :

Printed for JOHN FULLER, in *Blow-Bladder Street*.
M.DCC.LXIV.

P R E F A C E.

To the READER.

To Worth, there is a Tribute justly due;
We cannot think but we must speak it too.

Hist. Jaci.
Brinda
9-11-31
24597

BUT for the Aid of a noble-minded Person, whose *HEROIC ACTIONS* and high *Merit* have greatly aided this Nation, the *PALLADIUM* for 1764 had never existed. By whose bountiful and life-giving Hand, dejected Widows, helpless Orphans, poor Prisoners, and Others, *pining in Distress*, have received such timely Relief, that they owe their *Preservation* to his Goodness of Disposition, and Greatness of Mind. Who are all bound to pray for him and bless him (*for the Blessings they have received*) to their latest Breath!

To be *TRULY BRAVE* is *essential* to *GLORY* in the high Post of Honour; but when other *amiable Qualities* of *Prudence*, *Conduct*, *Benevolence*, *Humanity*, *Generosity*, and *Justice*, are joined to complete the *HERO*, he is, at once, the *DARLING* of his Country, and the Delight of Mankind!

But, as great and worthy Men are *more delighted to do good Actions* than to bear of them, we shall avoid giving Offence to *Modesty*, by forbearing to mention Names; while we offer a *living Character* as an Example worthy of Imitation.

Sorry we are to say, that we hardly find any among the *modern great Men*, who are Encouragers of *true and useful Science* — Who, in general, are too much devoted to *fashionable Amusements* to apply themselves to *scientific Improvements*. Who think it a Reflection on *modern Taste* and *Politeness* to court the Sciences. — Though we may observe, that Men of the first Rank and Genius, among the *antient Greeks and Romans*, equally cultivated *Arts and Arms*; and thought it no Diminution of Character to excel in both: When the Sciences were considered as *Helps*, instead of Hindrances, to *Skill and Acquirements in Arms*.

To the CONTRIBUTORS.

SINCE we find Science have so very few *Patrons* and *Encouragers*, and the Impression of the *Palladium* to cost more for Printing and Paper than it repays the *Bookseller*, who is willing to propagate it without *Loss to himself*, we therefore advertise the Contributors, that *we are under a Necessity* to raise the Price of each single *Palladium* to 2s. in Order to repay the Expence of printing it; with what *private Subscription and Encouragement* we have received this Year.

But if the Contributors are desirous of having it *farther carried on*, at the same, or a *lower Price*, there will be no Means of effecting it, but by a *general Subscription and Encouragement*;

agement; whereby they may reduce or raise the Price as they please. To which End, each Contributor must subscribe for as many *Palladiums* as they can dispose of, at Bookseller's Price; the least Number to be subscribed for to be *half a Dozen*, and those who send many Productions to be inserted not less than a *Dozen Palladiums*, and as many more as they please. Those who give the greatest Encouragement to be most obliged in having their fit Productions inserted.

Every Subscriber to the *Palladium* for 1765 to deposit his Money, for the Number of *Palladiums* subscribed for, with Mr. Cole, Mathematical Instrument Maker, next the Globe Tavern, Fleetstreet, London, before the End of May, 1764, where he will have a Receipt under the Author's own Hand for the same; obliging himself to return the Money at Michaelmas, or deliver the New *Palladiums* subscribed for, as soon as published. The Author also requires, that each Contributor fails not to send all his Productions to the same Place by the same Time, at farthest, franked, or Post paid, in Order that he may know what he has to depend on, and have Time sufficient allowed him to compose and adjust a new and useful *Palladium*.

N. B. Mathematical Masters and Others may be supplied with every mathematical Instrument at the said Mr. Cole's, made in the best Manner, and at the lowest Prices.

COPY of the RECEIPTS left at Mr. Cole's, Fleetstreet, London, to be delivered to Subscribers to the *Palladium* for 1765, on the Payment of their Money for carrying on that future Work.

RECEIVED of Mr. _____ the Sum of _____ being his Subscription for _____ *New Palladiums* for the Year 1765. Which *Palladiums* the Author promises shall be delivered to each Subscriber, at Bookseller's Price, as soon as published; he applying to Mr. Fuller, in Blowbladder-street, for the same — or his Money to be returned on the Delivery of his Receipt given, at Michaelmas next, without Fail; and applying to the said Mr. Cole, in Case a sufficient Subscription for carrying on the said *Palladium* is not raised, of which Notice shall be given to each Subscriber, giving the Place of his Abode.

Witness

The AUTHOR's Name and Hand,

✍ The Subscribers in their Letters to the Author are desired to fix the Price they would have each *Palladium* sold at, with their Reasons for the same; whether at 1s. 6d. or more, to be determined by the Majority. Who are to be allowed one fourth of the Price, for subscribing, according to the Number they subscribe for. — They are also desired to subscribe early, or by Midsummer next at farthest; that the Author may be sure to know what Encouragement is given him for carrying on, and likewise the Book-

4 **The PALLADIUM ENLARGED, 1764.**

*seller, for fixing the Number to be printed, and for answering the
Expense of the Work, as without such Means there will be no
more Palladiums. The Subscribers therefore are desired to promote
the Sale of this present Palladium as much as possible, to encourage
the Bookseller to continue the WORK.*

N. B. All future PALLADIUMS (besides for the Amuse-
ment of the Ladies and Gentleman at Land) will be particularly
adapted for the Use of NAVIGATORS and GENTLEMEN
at SEA; for which Purpose we have adapted the present Palla-
dium, for 1764, as much as possible; according to our great
ENCOURAGEMENT and HONOUR received from a SEA OFFI-
CER of RANK and EXPERIENCE. — See Pages towards
the End.

NEW ENIGMAS.

I. ENIGMA 136. By Mr. Joseph Scott, of Cawthorn,
Yorkshire.

YE blooming Fair of Race divine,
In whom so many Virtues shine,
To you alone I make Address,
By whom I'm favour'd with Access;
Of all your fine Accomplishments
I'm first acquir'd, with your Consents;
And when at Balls you're bright array'd,
And Mirth and Music are display'd,
You gracefully with me advance,
In sprightly Steps, the fav'rite Dance.
Not to one Place I am confin'd,
My Duty's variously assign'd;
At Church, as Nature's self directs,
I aid you in divine Respects:
The stubborn Quak'ers me despise,
To attend on her would cause Surprise;
Take one Hint more, and then, no Doubt,
Without much Pains you'll find me out;
Whene'er for sitting you prepare,
You sympathize with me, ye Fair.

II. ENIGMA 137. By Mr. Scott.

GAY Son of Fancy, thee all Pow'rs obey,
I'm born beneath thy arbitrary Sway.
Thou reign'st o'er all; some gently feel thy Pow'r,
And some thy raging Tyrannies devour.
Father and Son of every human Life,
Best Spring of Peace, yet frequent Cause of Strife.
Thy Female-Fathers ev'ry where abound,
And thy Male-Mothers are as often found:

Thou

THE PALLADIUM ENLARGED, 1764.

Thou greatest Joy and Anguish of the Mind,
Art gently cruel, and tormenting kind.
Blind Issue of the Eyes, dark Child of Sight,
Day gives thee large Additions of Delight,
But still thy Paradise, thy Heav'n is Night.

III. ENIGMA 138. By Mr. John Swan, at Buxton Free-School, Derbyshire.

HEAR me, fair Ladies, and I'll tell to you
A wond'rous Thing, though not entirely new;
I have two Bodies always join'd together,
Which serves for Use in fair or in foul Weather;
My Fabrick so transparent is and thin,
That all my Entrails may be seen within.
I oftentimes reside among the Poor,
But seldom come within the rich Man's Door;
I'm always quiet, as I'm standing still,
Yet some Times vex my froward Master's Will.
Some Men I please, but others I cannot;
I'm true and false, so various is my Lot;
With you, fair Ladies, seldom I appear,
Yet hope to visit you another Year.

IV. ENIGMA 139. By Mr. John Clark.

YE lovely Fair, ere brilliant ~~Sol~~ was made,
Or the Foundation of this Globe was laid;
Ere the swift Lightning shot from Pole to Pole,
Or raging Billows o'er the Ocean rowl,
I claim my Being as an elder Brother;
For I'm as old perhaps as any other.
I walk'd with Adam in the lonely Bow'r,
Though Scylla and Charybdis own my Pow'r.
I make a Visit to the Paphian Queen,
And oft beyond the Ganges I am seen.
Each Tow'r I visit on the distant Plain,
Soon trip to Egypt and return again.
If you, ye Fair, believe what Poets tell,
I was with Orpheus when he went to Hell.
From thence I've wander'd like the rambling Jew;
There's scarce a Nation but I've wander'd through.
In my Embrace is hid the sacred Truth;
Yet please the Charmer with the lovely Youth.

V. ENIGMA 140. By Mr. Isaac Tarrat, of Epston.

A Worthy Friend, whom I call Juba,
Who merited at conquering Cuba;
Does write me Word he'll bring me o'er
A Creature strange upon that Shore.
" At Morn it has four Legs, four Feet,
" It flies not, runs not, will not eat;
" At Noon, 'tis strange, but really true,
" It swiftly runs, has Legs but two;

" At

The PALLADIUM ENLARGED, 1764.

"At Night it creeps on Legs just three."

What Kind of Creature can this be?

V. *ÆNIGMA 141. By Mr. Tarrat.*

Ingenia Principium Fata Temporum.

LET Others sing in Fiction's Strain

Minerva's springing from *Jove's* Brain;

Of Walls being rais'd by *Amphion's* Lyre,

And *Cretan* Bulls that breath'd out Fire!

I sing a Truth, a Prince most great

As ever rul'd the *British* State,

Religion's Son, in Science skill'd,

In Council wise, brave in the Field;

My Parent he, Invention bright

Inert before, me brought to Light;

I sail with ev'ry *British* Fleet,

Each Ship's without me incomplete;

A busy Spy in *Camp* and *Town*,

A Friend to *Granby*, and the *Crown*;

To gallant *Gegry* on the *Main*,

And *Trotter John* on *Sarum's* Plain.

Should my Religion be requir'd,

Some of all Sects have me admir'd;

By *Berkley* prim, and all his Kin,

That hold their saving Light within;

I'm call'd in Aid by pious *Secker*,

And wicked P—the *Devil's* Vicar.

Dissenters all, a num'rous Tribe,

That from each other differ wide;

"As if Religion was intended

"For Nothing else but to be mended."

One Part of which, I am converted,

A Type of Strength it is asserted.

My Vassals too, say *Bate* and *Lee*,

Are Symbols of the *Trinity*.

And some maintain, that central Heat

Is fix'd my Ruin to complete.

So at the last tremendous Day,

The trembling Poles shall then give Way;

And Thunders, Earthquakes, Seas of Fire,

To make one dreadful Scene will then conspire!

VII. *ÆNIGMA 142. By Mr. William Swift, of Stowe.*

UNTAUGHT, unskill'd, we paint each nobler Sound,

We Kingdoms form, and we Republics found;

Senseless and dead, we Sense and Life impart,

Enrich the Head, and dignify the Heart.

Abject ourselves, we raise the *Heroe's* Name,

And e'en perpetuate the Voice of Fame.

Though a small Troop, we're yet a num'rous Throng,

The mighty *Persian's* Host not half so strong.

By

By Nature dumb, we ev'ry Language speak,
Eternal talk, yet never Silence break.
The Charms of *Prose*, and Extasies of *Verses*,
Virtues and *Vice*, we equally rehearse.
The Sons of Life from an immortal Spring,
As soon as born, the Fates to Ruin bring;
Unless our Aid we kindly interpose,
And the young Mind for long Duration close.

VIII. ÆNIGMA 143. By Mr. Tarrat, of Epson.

A *Monarch* I, *coeval* with the Sun,
When he and *Luna* first their Race began;
Being to Arts and Sciences I give,
By me they rise, advance, mature, and live;
Deep *Secrets* I reveal, and what to Sight
Of Man is hid, I surely bring to Light.
Thrice happy they, beyond the Pow'r of *Thought*,
Who view my *Gifts*, and prize them as they ought.
When fair *Ideas* ev'ry *Fancy* charm,
Inspire their Lives, and ev'ry *Action* warm:
When *Poets* and when *Painters* are no more,
And all the *Seeds* of Government are o'er,
'Tis mine to fix their Merit and their Claim,
I judge their Works to Darknefs or to Fame:
"I cast *Oblivion* o'er proud *Heroes* dead;
"By me their Acts are from Remembrance hid;
"Nor be surpris'd — Hereafter, when you see
"Ev'n *Death* itself pays *Homage* unto me."

IX. ÆNIGMA 144. By Mr. Tarrat.

WE search for *Fables* and *Romances*
To tickle up the Ladies Fancies;
But why delight'st thou, *Muse*, to roam,
When Objects quaint are found at Home;
An *Instance* here I will produce,
Of which pray make the proper Use.

I'm hated, despis'd, and as black as the *Devil*,
Yet lavish of Favours, and always am civil;
Am civil to those, like *Lovers* despis'd,
Pursuing of them by whom I'm chas'tis'd.
With my *Lord* and my *Lady* I am to be found,
If well you inspect, and your *Optics* are sound;
With my *Lady's* Companion, though noted for *Pride*,
Some hundreds of Times I have slept by her Side;
'Mongst the *Servants* at Dinner; but this between Friends,
I'm as busy as *Punch*, at all Fingers Ends.

All this you can pardon, nay too overlook,
But oh! 'tis the *De'il* if I'm caught with the *Cook*.

X. ÆNIGMA 145. By Mr. Thomas Holland, of Norbury.

PALLADIUM *Wits*, who ev'ry Year engage
Your lofty *Genius* to adorn each Page,

Come

THE PALLADIUM ENLARGED, 1764.

Come view a *Slave*, though uncontroll'd my Pow'r,
I know no Bounds, but range the Country o'er.
Like free-born *Potestatus* I'm unconfin'd,
As are the raging, rapid Streams, or Wind;
Let Fortune smile or frown, behold I rise,
And mount myself aloft up to the Skies;
I oft attend, on the unrival'd Fair,
And *Ethiopian's* Colour mostly wear.
In ev'ry stately *Palace* sure to dwell,
Down to the Peasant's Cot, or Hermit's Cell,
In various Shapes and Form I still appear,
When near the Earth or mounted in the Air.
In a dark Cavern *Jonah* made his Tomb,
Till Fate disgorg'd him from the Fish's Womb;
In a dark dismal *Dungeon* too I go,
But neither share Destruction, Grief, or Woe.
Though I a Priester sometimes do appear,
I quit my *Prison* with a vast Career.
Like a *Geometer*, I form with Ease
Curves circular and Spirals when I please,
Yet know not common arithmetic Rules,
Nor am familiar with the Modes of Schools.
Now tell my Name, fair *Ladies*, be so kind,
And me an humble Servant you shall find.

XI. ENIGMA 146. By Mr. Thomas Holland.

VULCAN, 'tis true, in forming me has Part,
My Shape and Figure's owing to his Art;
And *Quadruped*, for they must deal in Leather,
Before they can complete my Parts together.
I'm belted round, fair *Ladies*, you must know,
And *Loops* and *Hoops* around my Body go.
My Mouth is wide, my Body taper grows,
And when I speak, speak through my Tail and Nose.
And Urchin-like, my Mouth lies near my Tail,
And like him too am arm'd with Coat of Mail;
Then with some Pot-Companion take my Way,
Who trudges with me a long Summer's Day,
My Master he is merciless and poor,
Like a bold Beggar goes from Door to Door.
Accompanied by homely *Joan* his Wife,
Though not perhaps without some Rage and Strife,
Too oft the Case: — Then lead a single Life,
But hold, enough — I shall be plain anon,
I am a Servant to our Neighbour *Yahn*.

XII. ENIGMA 147. By Mr. Terrat.

NOT one kind *Bard* as yet, I wist,
Has plac'd me in *Palladium* List;
A Fellow smart and dapper too,
Of piercing Parts, well known to yet;

With

With Spleen or Vapours not distemper'd,
On the Reverse, am sweetly temper'd;
And candid Truth of me has said,
I am a neat and polish'd Blade.
Great *Ferdinand's* immortal Name,
Stands foremost in the List of Fame,
Which in plain Words is Nothing more
Than that he's shed much human Gore.
Then I with him may *Laurels* claim,
Since our Employment's much the same;
And ten to one this *warlike* Son,
I make to bleed ere he has done.

I *Serpent* like do wear a Tongue,
That ne'er declaim'd on Cause of Wrong;
Yet will the World asperse my Name,
By undermining of my Fame;
They call me Robber, Parricide,
Traytor and Tyrant, Regicide,
Revengeful, cruel, bloody, Blade,
As *Shylock* ere by *Shakspear* made.
But had I Time for Canvass nice,
I'd nullify this in a Trice;
Prove Justice in my Cause depending,
To ev'ry *Quid Nunc's* Understanding.
Remark what *David* says of Man,
His Age, comparative, a Span;
Here I fall short; but Truth's the Word,
I'm keener than a two-edg'd Sword.

XIII. AN ENIGMATICAL TALE. By Sir B. C. Ent.

AS *Roger* was ranging near to a Wood's Side,
Close hid in a Thicket he at last me espy'd;
And he to secure me dropt down on one Knee,
Then he haul'd me away from under a Tree;
And Home to his Cottage did eagerly go,
And to his Wife *Margery* did me then shew.
She smiling replied — O *Roger* well done!
Pray make it a Present to *Damon* your Son.
He call'd then for *Damon*, said this I give you,
But see that you take it to *Vulcan* to shoe;
His Orders obey'd — I to *Vulcan* was led,
Who shod me and clapt a strong Cap on my Head.
Thus arm'd like a Warrior, I aiding appear,
And *Damon* I guarded from Danger and Fear;
Who kept me not long; but in Token of Love
He gave me to *Dolly*, who as fickle does prove;
She receiv'd me with Rapture, gave *Damon* a Kiss —
And said this I do — as a Token for this.
How false are some *Fair Ones* — for in a short while
She gave me to *Strepson*, which made him to smile.

He embrac'd me with Kindness, and made this Reply;
For you, my dear *Dul*, I shall languish and die,
If you will not consent with me soon to wed.
— The Maid she said Nothing but nodded her Head:
But *Damon* soon heard, how she'd prov'd so unwill,
In Fury and Rage wish'd us all at the Devil.
So I care not a Fig who shall find out this Riddle,
I am shap'd like a *Cran*, or the neck of a *Bottle*.

••• Whoever sends the best Answer to the following Enigma,
before March 1, 1764, has a *Chaise* by Lot for 4 and 2 Pal-
ladiums, of 2s. each.

PRIZE ENIGMA. By Mr. Thomas Sadler:

DEAR Ladies, perhaps you scarce ever did see
Such a whimsical Kind of a Creature as me;
A greater Deceiver to *England* ne'er came,
As, Ladies; you'll own, when you find out my Name.
Like *Turn-Coat* I vary, and change with the Times;
I'm sometimes a *Poet*, and Dealer in Rhimes;
Like *S. bolar* of *Oxford*, my Learning's profound,
In *Rhet'rick* display'd to my Neighbours around;
And sometimes so full of my Jokes I appear,
Folks burst out with *Laughter* when me they come near,
In *Sophistry* too I oftentimes deal,
Can out-do the Lawyer, with all his mock Skill.
— The Figure I cut, and the Dresses I wear,
Will compel you to smile when my Case you shall hear.
With *Don Pedro* from *Spain*, or *Monsieur* from *France*,
Or gay *British Ladies*, I lead up a Dance.
As backwards and forwards I wave in the Air,
I cause your Surprise in the Form I appear!
If more of my Wonders you'd have me fulfil,
I, like a *Physician*, can both cure and kill.
Sometimes I'm like *Skeleton*, meagre and thin,
And sometimes, like *Betty*, swell'd up to my Chin;
A Changeling more strange you scarce ever did know,
I'm sometimes a *Blackamoor*, now a bristly *Beau*.
My Aspect I vary, and sometimes my Shape,
A Monster I mimic, and sometimes an Ape;
Can crawl on all four, and now dreadful appear
To frighten the Ladies— so subject to Fear.
So, Fair Ones, I leave you my Name to explain,
And bid you adieu till I see you again.

The

The Q U E R I S T.

NEW QUERIES.

I. QUERE 152. *By Mr. William Swift, of Stow, Lincolnshire.*

WHAT was the Value of the *Pearl* which *Cleopatra* dissolved in Vinegar and drank off at a Draught, (estimated *Centes Sestertium*) in our present *English* Coin?

II QUERE 153. *By Mr. P. Anstons.*

FROM whence proceeds the Fall of *Honey*, by some called *Mildews*, in the Summer Season, in *England*?

III. QUERE 154. *By the same Correspondent.*

WHY does it freeze harder in the *Winter*, when the Atmosphere is clear, than when it is thick and hazy?

IV. QUERE 155. *By Mr. John Lyon, of Margate.*

WHAT were the Contents of *Splagon's* molten Sea, 2 *Chron: Chap. iv. and Verse 2*, in Ale Wine Gallons, *British* Measure?

V. QUERE 156. *By the same Correspondent.*

OF all the *Passions* to which the human Mind is Subject, which is the most opposite to, and prevailing over, Reason?

VI. QUERE 157. *By Mr. William Wells, of Spaldington, near Howden.*

WHY is *Hub* in the Old Testament (*Gen. xxiii. 37. &c.*) called *Emmer* in the New Testament?

VI. QUERE 157. *By Mr. John Clarke, of Lincoln.*

WHY a Plaster being applied to a Horse's Forehead, (which is frequently done) shall produce white Hairs in the Place? The Solution of which, perhaps, may help to account for the different coloured Saddle Spots, occasioned by the Pressure of the Saddles on different Horses?

See the Prize-Quere farther on.

NEW PARADOXES, for 1764.

I. Geographical PARADOX. *By Mr. Thomas Walker.*

THERE is a Place under the Meridian of *London*, where, upon a certain Day in the Year, the Sun was observed to be exactly due East at 12 at Noon.

II. PARADOX. *By the Author.*

FOR Want of *Water* we drank *Water*;
If we'd had more *Water* we should have drank *Wine*.

B. A.

HL

III. PARADOX. *Inscribed to Mr. Antrobus.*

By Joan a Nokes.

YOUR *Paradox* has puzzled more,
Than any *Paradox* before :
As past all Skill, no *Necromancer*;
Can yet your *Problem* truly answer.
But I myself will now endeavour
To make one — as perplex'd as ever.
Let us propose — and never mind 'em —
But seek for Answers till we find 'em.
In eighteen Circles' Centers place.
Just eighteen Trees with reg'lar Grace ;
And through those Points I'd have to pass
Thrice seven right Lines — nor more, nor less ;
Through nine Points four, and twelve Points three :
Ye *Wits*, tell how this must be ?

NEW QUESTIONS.

I. QUESTION 268. *By Mr. Isaac Tarrat, of Epsom.*

NOT being quite sure of the Time of my Birth,
And finding myself now inclining to Earth ;
And residing at Distance from where I was born,
I wrote to the *Vicar*, (the good Mr. Horn,)
Requesting the *Register* he would inspect,
And send me my *Age* — which he did not neglect ;
But writing to add,* though his Letter was plain,
I want some Assistance my *Age* to explain.
To some Artists I thought of referring my Case ;
To send to the *Di'y* I thought a Disgrace :
On *Palladium* Record I shall more be content,
There to outlive a *Marble* or *Brass* Monument !
* The Sum of the Date of the Year, Day of the Month, and
Hour past Noon, when Mr. Isaac Tarrat was born, is equal
to 1733.

The Sum of their Squares is equal to 2910913.

Their Product is equal to 214956.

The Number of the Month, from January inclusive, is equal to
once and half the Hour he was born past Noon.

II. QUESTION 269. *By Mr. William Pen, at Chalfont,
St. Peter's, Bucks.*

IF Money is lent, at 3 per Cent.†

To those that please to borrow ;

In what Time shall I be worth a Pound,

If I lend a *Crown* tomorrow,

† At Compound Interest.

III. QUESTION 270. *By Mr. Marshall, of Blenchland.*

WHAT is the *less* Number, which being multiplied by
2753, and divided by 4320, shall leave a Remainder of 3732 ?

IV,

IV. QUESTION 271. By Mr. Thomas Walker.

A *Basin* of Lead, in the Form of a Hemisphere, whose external Diameter is 12 Inches, is placed in a Tub of Rain Water, with its convex Surface downwards: It is proposed to determine the *Thickness* of the Lead, so that the *Basin* shall just support itself from sinking; that is, that the Diameter of the Hemisphere shall remain just level with the Surface of the Water?

V. QUESTION 272. By Mr. William Wells, of Spaldington, near Howden, Yorkshire.

A *Grazier* has a Plot of Ground in the Form of a *Scalene Triangle*, whose Sides are 7, 10, and 14 Chains respectively, out of which he would inclose the greatest *equilateral Triangle* possible: Required from thence the Sides and Area of the said Triangle?

VI. QUESTION 273. By Mr. P. Antrobus.

A Gentleman hath two Gardens, each of which lying in the Form of a *grammatical Square*; and are said to contain an Acre of Ground apiece. The Length of the Side of the *first* Garden is 90½ Yards, but he not knowing the *Perch* thereof, requires what *Perch* the same was measured by? The second Garden he remembers was set out by the *Statute Perch*; who also requires the Length of one Side of that Garden?

VII. QUESTION 274. By Mr. Jos. Scott, of Cawthorne, Yorkshire.

REQUIRED the Dimensions of the *least* Cone that will circumscribe a *Globe*, whose *Axis* in Inches is equal to its Solidity in Feet.

VIII. QUESTION 275. By Mr. Alexander Rowe.

TO find the Dimensions and Solidity of the greatest *inverted* Cone that can be cut out of another Cone, whose *Altitude* is 30, and Diameter at the Base = 24?

IX. QUESTION 276. By Mr. P. Antrobus.

A *Lease Tenement* is held for the *longest* of three Lives in *esse*, the particular Persons Ages being 28, 36, and 44 Years: Now this Estate being clearly rented at 60 *l. per Annum*, what is the real intrinsic Value thereof, after the Rate of 4 *l. per Cent.* Interest, the Longevity of Life being taken for 86 Years; and what *Difference* will be made in this Purchase, if the Extremity of old Age was estimated at 70 Years?

X. QUESTION 277. By Mr. John Lyon, of Margate, Kent.

If a Ship sail from the *Land's End*, in a direct Course, till her *Meridian* Difference of Latitude, and *Distance* run, in one Sum = 5413 Miles, and her Difference of *Longitude* be 4615 Miles: Required from thence her *Distance* run, and also *Difference* of Latitude?

XI. QUESTION. 272. By Mr. Rowland Wetherland, at Great Salkeld, near Penrith, Cumberland.

IF you reckon the Number of *Lunations* completed since that which commenced the 28th of December, 1700, Old Style, to the Beginning of any *Lunation* in Question, multiply that Number by the constant Number 7367, add the constant Number 33890 to the Product, and divide the Sum by the constant Number 43200: If the Remainder, after Division, or the Difference between such Remainder and the Divisor be less than 4060, there may be an Eclipse of the Sun, which will be the greater, as the Remainder, or its Difference from the Divisor, is the smaller.

Secondly, If the Full Moon be the Thing in Question, reckon it in like Manner; the *Lunations* from that which commenced the 28th of December, 1700, to the New Moon immediately preceding the given Full One, multiply their Number by the constant Number 37326, and divide the Sum by the constant Number 43200. If the Remainder, after Division, or the Difference between it and the Divisor, be less than 2800, there must be an Eclipse of the Moon; which will likewise be the greater the smaller the Remainder, or its Difference from the Divisor is found to be.

The Question then will be, how long will this Rule hold without Error from its Epoch of December, 1700; and then to show from what Principles it is derived, whereby to make another Rule for a new Epoch of Eclipses of the Sun and Moon.

XII. QUESTION 273. By the late Mr. Richard Roofs, of Chesterfield, or Chesterfieldensis.

Cases. Equations.

GIVEN $\left\{ \begin{array}{l} 1. ax^2 + b^2 = x^3 \\ 2. ax^2 - b^2 = x^3 \\ 3. ax^3 + b^2 = x^3 \\ 4. ax^3 - b^2 = x^3 \end{array} \right\}$ Here a and b being given whole Numbers, if one Square can be found in the 1st Case, infinite other Squares may also be found in that, but

not in the 2d Case. Required the Demonstrations.

Required also to demonstrate, whether or not the 3d and 4th Cases follow the laws of their corresponding 1st and 2d Cases.

Admitting a , in the 3d Case, to be a whole Number under 216, and hence (for Illustration) required from thence to find 7 whole Cubes (x^3), which being multiplied by 7 whole Values of a , and all under 216, adding thereto a given Cube (b^3) will make 7 other whole Cubes (x^3). And if the 7 whole Values of a , that produced the 7 other whole Cubes aforesaid be put in the 1st Case for a , required, from thence, to find (if possible) 7 whole Squares (a^2), which being multiplied by the 7 whole Values of a , found as before, adding thereto a given Square (b^2) will make a Square (x^2).

Likewise admitting in the 4th Case a to be any whole Number under 153, required thence to find 7 whole Cubes (x^3), which

which being multiplied by 7 whole *Values* of a , and added to 53, subtracting therefrom a given *Cube* (a^3) will leave 7 whole *Cubes* (a^3).

Moreover, if the 7 *Values* of a , found as above, be put in the 2d *Case* for a , required from thence, to find, if possible, 7 whole *Squares* (a^2), which being multiplied by the 7 *Values* of a , aforesaid, subtracting therefrom a given *Square* (a^2) will leave a *Square* (a^2)?

XIII. QUESTION 280. By Mr. John Clark, of Lincoln.

IN two Southern Latitudes under the same Meridian, the one being as far from the *Equinoctial* as the other is from the *Pole*, on July 16, 1762, the Sun was observed to rise in the greater Latitude, 24 Minutes sooner than it rose in the *less*. The Latitudes and Longitudes of both Places are required, with the *Investigation*.

XIV. QUESTION 281. By the same Correspondent.

REQUIRED to determine the *Area* of the greatest Triangle that can possibly be inscribed between the Peripheries of two concentric Circles, whose Radii are respectively equal to 30 and 60?

XV. QUESTION 282. By Mr. Williams, of Hackney.

IN what Year before Christ did the Sun enter *Libra* 4 Minutes before *Noon*, and also 2 Minutes before *Midnight*, the most nearly, according to the *Tables in the Royal Astronomer*, in the Meridian of *Greenwich Observatory*? And in what Year of the vulgar Christian Era, (i. e. according to the present Reckoning) in the Reign of what King of England, and in what Year of that Reign, did the Sun enter *Libra*, the most nearly, one Minute before *Midnight*, in the said Meridian of *Greenwich*?

If Mr. Kennedy's believing Subscribers will compare the Result of his *Rules of Computation* with the true ones, in the Solution of the above Question, they will quickly find that true Astronomy has suffered a total Eclipse from a false Belief in the Subject. — Real Knowledge and Belief being totally different.

XVI. QUESTION 283. By Mr. Edward Johnson, at Hull.

A Ship sails from a Port under the *Equinoctial* and steers W. by S. (supposing no Impediment) until the Port she sailed from bears due North: Required the Distance sailed and Latitude arrived in.

XVII. QUESTION 284. By the same Correspondent.

GIVEN $a^{265} = 1.09$, to find a true to 12 or 14 decimal Places, by a general and easy Method; which may be useful in calculating *Tables of compound Interest*.

XVIII. New and Useful QUESTION 284. By the Same.

REQUIRED a short and practical Method for finding the Content of a conic Frustum, in Ale and Wine Gallons, by the common or Gunter's Sliding Rule, without finding a mean Area, as is commonly practised by Excise-Officers.

XIX. QUESTION 286. *By Mr. William Chapman, of Foxton, Leicestershire.*

A Purchase is made of an Estate of 100 *l.* per Annum, Copyhold upon four Lives, of Ages 15, 17, 25, and 50 Years, on Condition that he and his Heirs take up the Lease continually with Lives of what Ages they think proper, the most to their own Advantage, whenever any one of the Lives becomes vacant, by paying a proposed Fine of 200 *l.* Required from thence, what present Money the Purchaser ought to pay upon entering on such an Estate, allowing the Purchaser 4 per Cent.

* Inserted in the Royal Magazine some Time ago, but never answered.

XX. QUESTION 287. *By the Same.*

A Gentleman proposes to make a Hopper, of a Half Inch Board thick, for his Malt Mill, in the Form of a square Pyramid inverted, so as to hold just 4 Bushels of Malt: He would know the Expence of this Hopper, at 2 *d.* a square Foot for the least Quantity of Board possible, it will require.

XXI. QUESTION 288. *By Mr. Marshall, of Blenchland.*

AT London, the Stars Aldubaran and Rigel were on the same Animum Circle at 10 at Night, 1763, required from thence on what Day of the Month this Phenomenon happened.

XXII. QUESTION 289. *By Mr. Isaac Tarrat.*

AT London, the Stars Betelgeuse and Pollux were observed to have equal Altitudes, in 1763, at 9 at Night; required the Month-day when it happened.

XXIII. QUESTION 290. *By Mr. Thomas Sadler.*

AT a certain City is a Tower, and two Spire Steeples, standing in a triangular Form, their Distance from each other are in geometrical Progression, and the Sum of all their Distances equal to 960 Yards. — Moreover, the Height of the Tower and two Spires are expressed by $\frac{1}{2}$, $\frac{2}{3}$, and $\frac{3}{4}$, of the nearest Distance of any two, viz. of the Tower and one of the Spires. — Required from thence their Distances from each other, and likewise their Altitudes?

XXIV. QUESTION 291. *By the same Correspondent.*

REQUIRED the Age of a remarkable old Man from what follows. If you subtract the Square Root of the Year of his Birth from the Date of the Year of his Death, there will remain 1596.4903; if from the Product of the Year of his Birth and that of his Death, you subtract the Square Root of his Death, the Remainder will be 2424664.5649.

XXV. QUESTION 292. *By the Same.*

A Castle on a Mountain stands; suppose
In Height a Mile — to guard against our Foes;
And from a Tow'r, of Yards one hundred high,
The Castle you at greatest Distance spy;
What will the Space from Tow'r and Castle be,
Allowing Norwood's Miles* in one Degree. *69½.

XXVI. QUESTION 293. *By the Same.*

REQUIRED the greatest *Parallelogram* that can be inscribed in an *Ellipse*, whose Periphery is 80, and Transverse Diameter 34, and likewise its *least* circumscribing Triangle. — With the *Involutions*.

XXVII. QUESTION 294. *By the Same.*

INGENIOUS Artists, tell the World my Age;

To be recorded on *Palladium Page*;

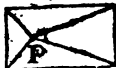
From these Equations which below you view,

I'll strive next Year to do as much for you.

Given $\begin{cases} x-y-z=1708. & z = \text{the Year of my Birth.} \\ x^2-y^2-z^2=2992626. & y = \text{Month.} \\ x^3=x+1645. & x = \text{Day of the Month.} \end{cases}$

XXVIII. QUESTION 295. *By Mr. Edward Johnson, of Hull.*

THERE is an infinite Number of Rectangles, whose Sides are expressed by whole rational Numbers; and have a certain Point *within* them (at unequal Distances from the Angles) from whence, Lines being drawn to the 4 Angles of the Rectangles, those Lines shall be expressed by whole rational Numbers. Required the *least* of those Rectangles, by a general Method, and the Situation of the above-mentioned Point, P. See the Fig.



Whoever truly answers the following Question by the 1st of March next, has a Chance by Lot to win 6 New Palladiums enlarged, of 2s. each, equal in Value to the Number of the old ones.

PRIZE-QUESTIONS. *By the AUTHOR of the Royal Astronomer and Navigator.*

THE *Gnomon* of a horizontal Dial, in Latitude 19° 30' North, is perpendicular to the Plane of the Horizon; required to determine at what Hour in the Fore and Afternoon, on the 23^d of June, 1764, the Shadow of the *Gnomon* will stand still, and how many Degrees it will go forward, the same Way with the Sun's Motion; and how many Degrees back, the contrary Way to the Sun's Motion, for that Day? Which Answer may account for the Sun's standing still and going back, as mentioned in the Scripture; though not taken Notice of, or accounted for, in *Kentdy's* late miraculous chronological Computation.

ANSWERS to the ENIGMAS in the PALLADIUM, 1763.

I. IVY.

II. A FLAIL.

III. Figure of 9, or small g.

IV. A TURTLE.

V. LIGHTNING.

VI. A BRD.

Prize. A GUNTER'S CHAIN.

To the Palladium-Author.

SIR,

Happening to call on 'Squire Guzzle the Day his Tenants came to pay their Rents; the Conversation between him and one of them, before Dinner, was in Substance as follows.

Jacobs de Epsom.

Squire. Well, *Farmer*, how does your *Wife* do,
 And *GEORGE*, and *Dick*, and little *Sue*; 3-
Farmer *IVY* and his young *Wife*, 1.
She's Dutch-built, and will last his *Life*. —
How's NAN PHILLIPS and old *Hunter*, 1 *Reb.*
Young Walton and *Mother Gunter*? *Prime.*

Farmer. *Wife's* pretty well, and so is *Dick* —
 But poor *George* is very sick —
 Little *Sue's* as brisk as *LIGHTNING*, 5:
Ivy's *Wife* and he's been fighting. —
 There's no *Guard*, *Measter*, 'gainst a *FLAIL*, 2.
Young Kittens will play with their *Tail*, —
*Nan Phillips**, she's as chaste as *TURTLE*, 4:
 Fresh as *Rose*, and sweet as *Myrtle*.
 Poor old *Hunter* he is *Bed-ridden*, 6.
 But young *WALTON's* come in his *Stead*, 2 *Reb.*
 And yonder comes *Gammer Gunter*, —

Squire. Odds so! — here comes *Dinner* —
 We'll not spoil't, as I'm a *Sinner*.
 Come, *Gentlemen*, be seated pray —
 You're welcome all — as I may say.
 The *Grace* was short, the *Plates* well pil'd,
 The *Glass* went round — and th' *Squire* smil'd.

* With Respect to *Nan's* *Cheerfulness*, it is thought the *Farmer* belied his own *Knowledge*.

An ANSWER to all the ÆNIGMAS in the Palladium, 1763.

On the Power of Love.

By Mr. J. Knowles, of Epsom.

CANST thou stop descending *Rain*,
 Or bind the *LIGHTNING* in a *CHAIN*; 5. *Prime.*
 Forbid the *IVY's* fond *Embrace*, 1.
 Make *TURTLES* to the *Hawk* give *Chace*; 4.
 Then may'st thou stop, below, above,
 The Progress of all-mighty *Love*.
 At 9 Days old make *Children* speak, 3.
 In *Hebrew*, *Latin*, *French*, or *Greek*;
 Make gloomy *Night* o'er *Day* prevail,
 And useless prove the *Scythes* and *FLAIL*; 2.
 Then may'st thou trace below, above,
 The *Lab'rinth* of all-mighty *Love*.
 — The raging *Sea* forsake her *Bed*, 6.
 Or *Man* the foaming *Surface* tread; Make

Make Fishes skim the wide Expanse,
Or bid past Ages to advance,
Then may'st thou stop all-mighty Love,
Descending from the Realms above.

All the *ÆNIGMAS* answered by Mr. John Clark, of Lincoln.

1. AS late I walk'd along the flow'ry Lawn,
Where gentle Zephyrs fan the cooling Breeze,
And Lambkins sporting with the tender Fawn,
And Wood* Lark singing sweet among the Trees,
* 2. *Flail*.
2. Near to a Fountain, on a mossy Bed, 6.
Where odoriferous Flow'rs scent the Air;
On a reclining Bed, a sleep was laid,
Hebe, the Goddess of the youthful Fair;
3. Her flowing Locks, like curling Ivy, spread, 2.
Down her smooth Shoulders gracefully they hung;
Myriads of Graces danc'd around her Head,
And tuneful **Musicks* to their Lyres then sung.
* *Fig. 9 or 2.*
4. *Venus* descended from the *Cyprian* Grove,
Down to this charming *Lawn* she took her Flight;
In her gilt Car was CHAIN'D two *TURTLE Doves*, Pr. 4.
Her Eyes, like *LIGHTNING*, shot forth radiant Light. 5.
5. *Hebe* arose to meet the beauteous Queen,
And give a Welcome to her royal Guest,
The lovely *Insects* skip along the Green,
And *Bowls* of *Nectar* crown the rural Feast.

ANSWERS to all the *ÆNIGMAS* in the *Palladium*, 1763.

On the Morning.

By Ozwin Sutton, of Epsom.

MY dear *Lucinda* now the Door unbar'd,
And, softly sighing, led me through the Yard;
Then whisper'd thus, "O *Cheopbil* be true,
"Think what this Night hath pass'd, *adieu, adieu*."
"Doubt not, sweet Love," I press'd her Hand and said,
So parting with Regret, stole Home to Bed; 6.
For bright *Aurora* leading in the Morn, 3. alluding to 9 o'Clock,
With rosy Blushes did the East adorn;
Sad *Philomel* gave o'er her plaintive Strains,
With whetting *SCYTHES* resounds the dewy Plains. 2.
Hence FLASHING Stars, that did the Heav'ns adorn, 5.
And the bright Sun excites the crimson Morn;
In yonder misty Lawn, the lowing Ox
Call'd waking Echo from her ivy'd Rocks; 1.
Whose mimic Voice did through the Vallies rove,
Where the smooth *TURTLE* courts her faithful Love, 4.
Nature's gay Scenes, Meads, Streams, inverted Skies,
Detain my Thoughts, and CHAIN my ravished Eyes, *Princ.*

The PALLADIUM ENLARGED, 1764.

The PRIZE-ENIGMA, answered by Ozwin Sutton, of Epsom,
MINERVA once to *Perseus* lent her Shield,
 Secure of Conquest sent him to the Field;
The Grecian asked what she had ordain'd,
 So was his Fame complete, and *Andromede* un-CHAIN'D.

Answer to the same by Alexis. Addressed to Miss E—C—,
 WITH such a Fair who would not taste
 The Sweets of *Hymen's* chaste Repast?
 Open, avow the vestal Flame,
 And gladly hug the silken CHAIN!

Answer to the same, by Mr. J. Knowles of Epsom.
 To a young Lady, on her saying there is Nothing worth living for.
THE Slave, who groans in *Turkish* CHAINS,
 May hold this Maxim true;
 A diff'rent Maxim he maintains
 Who hopes to live with you.

Another Answer by the Same. On Winter.
 AT Length the soft Delight of *Summer's* fled,
 And noxious Vapours now their Influence shed;
 Now *Boreas* in rude chilling Frosts detains
 The captive Streams in solid Chrystal CHAINS.
 Mr. T. Sadler answered the Prize-Enigma also in Verse.

The PRIZE-ENIGMA answered by Rosalinda.

To the Palladium-Author.

WITH Watch in Hand to see the Minutes pass,
 My Contemplation your Enigma was;
 A CHAIN* and *Hymen* did present to View;
 If right, I must refer myself to you.

N. B. We should be glad if this Lady would oblige us with her real
 Name and Place of Abode.

An Answer to the PRIZE-ENIGMA, by Mr. Thomas Walker, of
 Stanton-Bury, near Newport Pagnel, Bucks.

On PEACE.

BE these thy Arts, to bid Contention cease,
 CHAIN* up stern War, and give the Nations Peace;
 O'er Subject-Lands extend thy gentle Sway,
 And teach, with Iron-Rod, the haughty to obey.

• *A Gunter's Scale.* *Quotation from Virgil's Aeneid.*

The same was answered by Mr. John Clarke, of Lincoln. Mr.
 Thomas Sadler, of Newhall, near Wrenbury, Cheshire; also by Mr.
 Thomas Holland, of Northbury.

Mr. George Johnson, of Newark, also answered the Prize; as
 did Mrs. Amy Collet, of Fourteen, and of excellent Talents, who
 mentions not the Place of her Abode.

Mr. Jacas de Epsom claims by Lot 4 Prize Palladiums, and Mr.
 Ozwin Sutton, of 2s. each.

ANSWER

ANSWER to the Enigmatical Epitaph at the City of Bologna, in Italy, by Mr. Ozwin Sutton, of Epfom.

D. M.

Sacred to the *Manes* of
Elia Lælia Crispis,

Who was neither Male, Female, nor Hermaphrodite; neither a Girl, Youth, nor an old Woman; neither chaste, a Whore, nor a modest Woman, but was all these. She died neither by Famine, Sword, nor Poison; but by all three. She lies neither in the Air, nor in the Waters, nor in the Earth, but every where.

Lucius Agatho Priscus,

Who was neither her Husband, nor Gallant, nor Relation, neither weeping, rejoicing, nor mourning, erected this; which is neither a Fabric, a Pyramid, nor a Tomb, but all these. But to whom he knoweth, and yet knoweth not.

Under this *Enigma* were the following Words.

Enigma

Quod peperit Gloria

Antiquitas,

Ne periret Inglorium

Ex antiquato Marmore

Hic in novo reparavit

Achilles Valta Senator.

That this *Enigma*, the Invention of ingenious Antiquity, might not be lost by the Decay of the ancient Marble, on which it was first engraven, it stands here, cut in fresh Characters by Order of *Achilles Valta*, a Senator.

On the four Sides of the same Stone are twelve different Explanations of this Epitaph, with the Names of their sagacious Authors.

Mario Michael Angelo will have it to be RAIN.

Fortunius Licetus, the BEGINNING AND ENDING OF FRIENDSHIP.

John Casper Gavartius interprets it to be LOVE.

Zachary Pontinus says it was designed for the Remains of THREE different Persons.

Johannes-Nicholas Barnaud, that it is an EUNUCH, or the PHILOSOPHER'S STONE.

Agathias Scholasticus (if that was his Name) affirms it to be NIOBE.

Richardus Vitus will have it to be the RATIONAL SOUL, or the Idea Platonis; and *Ovidius Montalbanus*, HEMP.

Count *Malvasia*, in a particular Treatise, entitled *Elia Lælia Crispis non nata resurgens*, interprets it of a Daughter promised to a Person in Marriage, who died pregnant with a Male Child before the Celebration of her Nuptials. Besides these learned Persons, *M. de Cigogne Irgrande* has discovered POPE JOAN in it. The celebrated *Bosborn* says it is a SHADOW; and a ludicrous Hand has taken the Liberty to scratch on the Stone, under the above-mentioned Illustrations, *us Pette*, or a F—T.

Mr. Knowles, of *Epfom*, answered the same.

On *Lucinda, dressed for a Ball.* By *Probus.*

SOME say 'tis hard to look at *Smiles*,
 At *dimpled Cheeks* and *radiant Eyes*;
 That *Beauty* Reason soon beguiles,
 In ev'ry Look there's Danger lies!
 But when, in Charms of Dress, the *Fair*
 Leads, at a *Ball*, the *sprightly Dance*;
 She, in each Grace, divine appear,
 And wins at ev'ry *modest Glance* —
 — A *Fest*, when for the Appetite prepar'd,
 And set before us, — not to taste is hard.

ODE on FRIENDSHIP. By *Amanda.*

I.

TELL me, *Probus*, when I miss you,
 Why I pass the Day in Pain?
 What compels me thus to wish you
 From your Pleasures back again?

II.

'Tis not *Love*, where loose Desire
 Riots with a peaceful Name;
 But a quiet constant Fire,
 Like the holy *vestal Flame*.

III.

O 'tis *Friendship* thus connects us,
 Friendship, Principle divine!
 Where no *Sense*, no *Sex* directs us,
 Souls alone to Souls incline,

IV.

Hence, the Sailor, Tempest-driven,
 Far from *Home*, from *Love*, and *Rest*;
 Often finds this Child of Heaven,
 In the wild *Barbarian's* Breast!

ANSWERS to the QUERIES in the PALLADIUM 1763.

I. QUERE 145, answered by *Mr. Henry Harpswell.*

IT is the *Meanness* and *Infamy* with which Lying is loaded by the World, and the *Mischief* it is capable of, secretly practised and undiscovered, that irritates a Man when he is reproached with the Name of *Liar*, more than when he is reproached with any other odious Vice. If a Person is called *Rebel*, *Traytor*, *Murderer*, *Thief*, *Knave*, *Cheat*, &c. those Names, supposing Anger and Malice, are often a Self-Confutation of the Aspersion. *Plutarch* used to call Lying the Vice of a Slave; a Vice, which only the Scum of the human Race are, for the most Part, guilty of; and therefore the Reproach of a *Liar* makes too odious and unbearable an Impression for human Species (of the better Sort) to endure with Patience. In considering

considering the dangerous Consequences of this Vice, no prudent Man would chuse to be concerned with a *reputed Lyar*; nor keep him Company.

II. QUÆR 146, answered by Mr. John Lyon, of Margate.

IF a Man makes his Addresses to a Woman, who he is sensible to be of a different Religion from his own, and contracts not with her for the Change of her Religion among other Stipulations before his Marriage, she is not guilty of any *Disobedience* to her Husband in not changing her Religion afterwards, if he should desire it. For, her Duty to God is a *prior* Obligation to all others; and she is to satisfy her Conscience as to the Practice of religious *Points and Ceremonies*. The *best Means* therefore for Husbands to bring such Wives to their own Religion and Way of thinking, is by all the tender and affectionate Persuasions that *Love* can inspire and *Eloquence* express.

Mr. Alexander Rowe observes, that Womens Pretensions to *Love* and *Obedience*, before they are married, proceed from what Men frequently put in Practice (*the Elegance of Flattery*) to obtain their desired Objects; which when they have accomplished, have no longer need of that Motive to be actuated by, but return to their former and settled Resolutions. — That Women to bring Men over to marry them, profess great *Love* and *Obedience*, enforcing their Arguments with mighty and reasonable Persuasion, but always regard *Time* and *Place* when they would make their greatest Impressions.

Mr. Henry Harpswell says, that where the Tenets of different Religions are very opposite, one Side may have *Reason*, the other *Prejudice*, to vindicate their Disagreement. — But where there is an easy *Transition* from one Religion to the other, or a near Agreement, (*supposing one to be a Methodist and the other an Anabaptist*) Nothing but *Obstinacy* can hinder the Wife from closing with, or yielding reasonable Obedience to, her Husband. Which must necessarily increase his Esteem, and be a future Foundation of her Happiness.

This Correspondent answers the *bringing over* the Wife, when a wide Difference subsists between them, by Prayers to God to quicken her Spirit in *divine Mystery*, and to infuse into her the *vital Part* of Christianity. So as she may little regard the different Modes of Worship in the Church or Meeting-house, if she takes Hold of the true Religion. — Who hopes that all different Modes of Worship will rot with the *Grave-Dresses* of the Deceased.

Observation by Tom Styles.

If the Husband is a *Catholic* and the Wife a *Protestant*, the best Way to bring her over is to deliver her to the Discipline of his Priest. But if, on the contrary, the Husband be a *Protestant* and the Wife a *Catholic*, his best Way to bring her over is, to let her lie separate till she brings herself over to his Bed, and a Convert in Obedience to his Way of thinking.

Or if the foregoing Methods prove ineffectual, Tom is of Opinion that the Husband and Wife should both agree to live in *Bridewell* or *Bedlam*, under strict Discipline, till they can settle their Opinions.

III. *QUERY 147, answered by Mr. Thomas Marshall, of Blenheim.*

THE different *Appearances* of Stars, some more *fiery* than others, proceed from their different Distances from us, and the Difference of their innate Heat and Light, emanating different Appearances to our Senses; through the optic Organs; and *Medium* of the Atmosphere.

IV. *QUERY 148, answered by Mr. P. Antrobus.*

THE Liquors in the Eye-Ball never freeze, because they are of a *spirituous* Nature; in which all our eminent Anatomists agree. — See Keil, and other Anatomists, on the *Construction of the Eye*.

V. *QUERY 149, answered by Mr. Alexander Rowe, of Reginnis, Cornwall.*

ONE Use of *subterraneous Fires* is to expel the subterraneous saline and sulphureous Particles, which rising in the Air with others attracted by the *Sun-beams*, are productive of those needful Operations in Nature, *Lightning, Thunder*, and other celestial *Phænomena*; by the *Action and Reaction* of which, the Air and Sea are purified and corrected. These *subterraneous Fires* are as necessary to promote and sustain the Operations of this Part of the Universe, as the natural Heat in Mens Bodies is to the Preservation and Support of their Beings. The *subterraneous Fires* are, also, probably of Use to promote the *Circulation of subterraneous Fluids* through the remote Passages of the Earth by *Rarefaction and Expulsion*, so as to assist the Course of the Tides. — The *final Effects* of which *Elers* seem to be a *general Conflagration and Dissolution* of this our whole earthly Globe; in which Opinion the wisest and most learned Men are agreed.

VI. *QUERY 150, answered by the Author.*

TO recover a drowned human Body to Life, when possible; strip off the Cloaths (if any are on); rowl the Body about to force out some of the Water, and excite Motion. Next, suspend the Body by the Ankles to discharge more Water; during which, diligent *Friktion*, or strong *Rubbing* with Hands and Brushes, must be used, to excite Heat and Motion; and Brandy must be applied to the Limbs and Spirits to the Nose. When all the Water is discharged that can be speedily got away, the Body should be wrapt in Blankets, placed before a Fire, or put into a warmed Bed, which ever is first at Hand. Then diligent *Rubbing* must be continued; with Spirits applied as before. A purging Clyster to be given and repeated. But above all these, WISE EXPERIENCE directs some Person to blow with the Spouts of Bellows into the Lungs through a hollow Iron Tube, directed to the Wind-Pipe, (first opening the Mouth by a Purchase, or *Speculum Oris*) by which Means of inflating the Lungs, lately compressed with the Weight of Water about the Heart, and thereby stopping its Motion, *Pulsation, Life, and Motion*, have soon followed, when the Body and Limbs have been *stiff, cold, and dead to Appearance*, for half an Hour or longer. (See the *Newtonian Philosophy* by Tommy Telescope, for a Confirmation of this Experiment. Sold by Mr. Newberry, in St. Paul's Church-yard, Price 1s.)

PRIZE

THE PALLADIUM ENLARGED, 1764.

25

PRIZE-QUERE, answered by Monitor.

Remove but the Cause, and the Effect will cease.

SINCE the Cause of a *Kentish* Ague cannot be removed, those afflicted with that imprecated *Malady* must remove themselves from the Cause, by getting out of the County as fast as they can; or from that Part of it where the Persecution reigns.

N. B. The Ague by the *Hollanders* is termed the *Curse*; and the *Catfir* by the *Germans*.

* * * The above Answer claims the Prize, in Preference to all other Answers given, several of which are good Apothecaries Recipes, (which are needless to insert, since enough of that Faculty are at Hand every where to be consulted;) which Medicines will abate or remit the Evil for the present, but it will return with full Force by its Cause, the blessed Part of that County. Therefore the above Prescription is the only sure Remedy, against all that can happen there.

ANSWERS to the REBUSES in the PALLADIUM, 1763:

I. ANN PHILLIPS. II. WALTON. III. EPSOM.

Mr. William Wells answered the 2d and 3d Rebus; as did Mr. John Egom, P. Antrobus, and Others.

ANSWERS to the REBUSES in the PALLADIUM, 1763.

By Mr. Ozwin Sutton, of Epsom.

LET famous WALTON be the Fisher's Joy, 2.

Where glitt'ring Shoals his sweeping Nets employ;

And fair ANN PHILLIPS' Clark detains, 1.

And I admire the smooth EPSOMIAN Strains; 3.

Where Pan with Flocks, with Fruit *Pomona* crown'd,

And blushing *Flora* paints th' enamell'd Ground.

A general Answer to the REBUSES, by Mr. J. Knowles, of Epsom:

LET WALTON boast its Bridge and purling Streams, 2.

To me more tempting are EPSOMIAN Plains; 3.

Where Hills and Vales so strike the boundless View,

They ev'ry Moment yield some Pleasure new,

Love's Goddess seems determin'd here to reign,

If fair ANN PHILLIPS will compose her Train. 1.

ANSWERS to the PARADOXES for 1763.

I. PARADOX answered by the Proposer.

AS there is always above 24 Hours, or about 24 Hours and $\frac{1}{2}$, between the Moon's next Rising, Setting, and Setting, there must of Necessity be 4 Days in each Month, (as appears by every good Ephemeris, especially by the *Connoissance des Temps*) whereon the Moon can neither rise, south, nor set, respectively. For when she rises a little before 12 at Night, as on the 10th Day of any Month, she will not rise again till the 12th in the Morning; consequently she does not rise on the 11th Day. — And when she *souths* a little before

before 12 at Night, she will not south again till the Day after the next in the Morning. — And when she sets a little before 12 at Night, she will not set again till the Day after the next in the Morning. — So that there are 3 Days in each Month, whereon the Moon can neither *rise*, *south*, nor *set*, to the Inhabitants of any Part of Great Britain; reckoning a Day from 12 to 12 at Night. Or, if you consider the Moon's *Rising*, *Southing*, or *Setting*, a little before 12 at Noon, in 3 Days of each Month, the same Consequence will follow, *viz.* that she can neither *rise*, *south*, or *set*, on the 3 following Days respectively. And this without any *Ambiguity*.

II or TURNSTILE PARADOX, answered by Sydrophele.

PLANT 9 Trees on a *moveable Square Plat* (see the Figure) with one in the Center thereof, which *Plat* of Trees must move on the Center-Tree, by an *Axis* underneath, like a *Windmill*, to a *fixed Tree* placed at a Distance, marked by a Dot. Then, in the different Positions the *Plat* may be placed with the fixed Tree, there will be 8 different *Center Rows* of 4 Trees in each; and 8 different *Side* or *End Rows*, of 4 Trees in each, (*turning End for End*), making 16 Rows, or 1 above 15, and may be turned to any Number of Rows under 16, *viz.* 15, and no more, the Number of Rows required. — This original or stupendous Paradox is said to be inverted by Mr. Wilme, of Lancashire.



By the above Method of planting Trees, there may be *artificial moving Rivers*, &c. to solve *Prodigies* in Nature. — But we should be more obliged to our *ingenious Correspondents* to send us Things consistent with Propriety.

* * * Thus we have, for once, seen solved an impossible Question and Paradox, *viz.* the 1st Question and 2^d Paradox.

To be read forward and backward.

A supernatural GRAMMATICAL CONUNDRUM.

*Signa te signa temere me tangis et angis,
Roma tibi subito motibus ibit amor.*

ANSWERS to the QUESTIONS in the PALLADIUM, 1763.

I. QUESTION 232, answered by the Author of the Royal Astronomer and Navigator.

A general Method to determine all fractional Quantities in possible whole Numbers; by which all Questions relating to Remainders are solved.

LET x be the least Number, which being divided by 50, 28, and 9, then 16, 10, and 1, shall respectively remain; for 16, 9, and 1, cannot (as given in the Question) possibly remain; because, in

the 2^d Condition $\frac{x-9}{28}$ a whole Number, wherein $x = 504 + 16$

is substituted for the 1st Condition, (resulting from $\frac{x-1}{50}$ a whole Number

Number = $a) \frac{50a+7}{28} = a + \frac{22a+7}{28}$ a whole Number, where

the Coefficient 50 or 22 of a , and Divisor 28, are both *even Numbers*, at the same Time the other Member of the Numerator is an odd Number. — Which *even* Coefficient being subtracted from the

even Coefficient of $\frac{28a}{28}$ ever so often, or the *even Multiples* of the

Remainder subtracted therefrom, will still leave an *even Coefficient* of a , with the Fraction in its *lowest Terms*; which therefore cannot be

a whole Number. — Therefore, instead of $\frac{x-16}{50}$, $\frac{x-9}{28}$, $\frac{x-1}{9}$,

being whole Numbers, $\frac{x-16}{50}$, $\frac{x-10}{28}$, $\frac{x-1}{9}$, may be whole Numbers,

Putting, $\frac{x-16}{50} = a$, $x = 50a + 16$, which put in the 2d

possible Condition, then $\frac{50a+6}{28} = a + \frac{22a+6}{28}$ will be a whole

Number, which deducted from $\frac{28a}{28}$ a whole Number, and $\frac{6a-6}{28}$

rem. a whole Number, 5 Times which is $\frac{30a-30}{28}$ a whole Num-

ber, from whence deduct $\frac{28a-28}{28}$ a whole Number, and $\frac{2a-2}{28}$

$= \frac{a-1}{14} = b$, a whole Number, whence $a = 14b + 1$; and be-

ing put for its Value in $x = 50a + 16$ will give $x = 700b + 66$;

which now substitute in the 3d Condition, then $\frac{700b+65}{9} = 77b$

$+ \frac{7b+2}{9} + 7$, or $\frac{7b+2}{9}$ a whole Number, which taken from

$\frac{9b}{9}$ a whole Number, $\frac{2b-2}{9}$ a whole Number remains, 5 Times

which $= \frac{10b-10}{9}$, from which take $\frac{9b-9}{9}$, then $\frac{b-1}{9} = c$, a

whole Number, remains, where $b = 9c + 1$; substituting which

in the 2d Condition, $x = 7006 + 66$, and $x = 6300c + 776$, answering all the Conditions of the Question let c be what it will; suppose $c = 0$, then $x = 776$, the least Number possible answering

the Conditions. But $\frac{x-16}{50}$, $\frac{x-10}{28}$, $\frac{x-1}{9}$, three whole Numbers, being reduced to one Fraction, in lowest Terms $= \frac{1051x - 4966}{6300}$ = their Sum: To find the Value of x ? Six

Times this Fraction $= \frac{6306x - 29796}{6300} = \frac{6306x - 4596}{6300} - 4$,

a whole Number, from which deduct $\frac{6300x}{6300}$, a whole Number,

there remains $\frac{6x - 4596}{6300}$, which divided in the Numerator and De-

nominator by 6, gives $\frac{x-766}{6300} = c$; whence $x = 6300c + 766$ as

before; and $x = 766$ when $c = 0$. After which Manner all Questions of this Nature may be easily and expeditiously solved, under possible Conditions; which must be when, in lowest Terms, the Coefficient of the unknown Quantity in the Numerator is odd, and the Denominator even or odd.

* * Mr. P. Antrobus, proposing a Question in impossible Remainders, has been productive of a general Solution, in all possible Cases: — With the Distinction of what is possible and not. See also P. 161. 2, 3, 4, 5, 6, Royal Astronomer and Navigator, for a general Solution of this useful Proposition; by which all the possible Payments of any Sum may be made in different Gold Pieces.

Mr. William Tuting, of Newmarket, says, that this Question might be easily answered by the Method of converging Fractions, (first communicated by Mr. Cotes) had it not been proposed in impossible Numbers.

II. QUESTION 233, answered by Mr. Haac Tarrat, of Epsom:

LET x and y = the 18 and 21 Shilling Pieces. Then $18x +$

$21y = 2400$ Shillings; whence $x = \frac{2400 - 21y}{18} = 133 - y +$

$\frac{6 - 3y}{18}$, where $\frac{6 - 3y}{18} = \frac{2 - y}{6}$, or $\frac{y - 2}{6}$, a whole Number =

a , whence $y = 6a + 2$, a whole Number, let a be what it will; which when $= 0$; then $y = 2$, and the Number of 18 Shillings and Guineas correspondent as follows.

N. B.

N. B. $21y + 18x = 2400$, $\Rightarrow 7y + 6x = 800$, whence $y = \frac{800 - 6x}{7} = 114 + \frac{2 - 6x}{7}$, where $\frac{2 - 6x}{7}$ or $\frac{6x - 2}{7}$, a wh.

Numb. but $\frac{7x - 7}{7}$, a whole Number, taking the former from the

latter, $\frac{x - 5}{7} = 8$, a whole Number, whence $x = 78 + 5$, a *general Theorem*; where 5 is the least Number of 18 Shilling Pieces, (b being $= 0$).

18s. $\left\{ \begin{array}{l} x = 5, 12, 19, 26, 33, 40, 47, 54, 61, 68, 75, 82, \\ \quad 89, 96, 103, 110, 117, 124, 131. \end{array} \right\} \begin{array}{l} 7 \text{ Dif.} \\ \text{Incr.} \end{array}$
 21s. $\left\{ \begin{array}{l} y = 110, 104, 98, 92, 86, 80, 74, 68, 62, 56, \\ \quad 50, 44, 38, 32, 26, 20, 14, 8, 2. \end{array} \right\} \begin{array}{l} 6 \text{ Dif.} \\ \text{Decr.} \end{array}$
 being 19 different Ways, in all, that 120 *l.* can be paid in 18 Shilling and Guinea Pieces; required.

By the foregoing Method of Deduction, it is quickly determined that 100 *l.* cannot be paid at all in Guineas and Moidores; nor yet in Moidores and Six and Thirties.

Mr. Marshall, of Blencbland, answered the same in all the Circumstances; who observes that 2 Guineas and 131 Eighteen Shilling Pieces, 110 Guineas and 5 Eighteen Shilling Pieces, are the *Extremes* of the Answers; the intermediate Numbers being found by adding 6 to the Guineas, and taking 7 from the 18 Shilling Pieces.

Mr. Tuting, of Newmarket, curiously answered the same by the Method of converging Fractions.

Mr. Edward Johnson, of Hull, answered the same in the foregoing Manner, of 19 different Ways, putting x and y for the 18 s.

and Guinea Pieces, and finding $x = 133 + \frac{2 - 7y}{6}$, and $y = 124$

$+ \frac{2 - 6x}{7}$, where $\frac{7y - 2}{6}$ and $\frac{6x - 2}{7}$ being whole Numbers,

he gets the *least* Value of $y = 2$, and the *least* Value of $x = 5$; but when $x = 5$, then $y = 110$, and when $y = 2$, then $x = 133$; whence all the Values according to Mr. Tarrat's Solution.

Mr. P. Antrobus, Master of the Grammar-School at Great Bridworth, solved it in the same Manner,

Mr. John Clarke's Answer.

PUT $y =$ the Number of Guineas, and $x =$ Number of 18 Shilling Pieces. Then, *per Quest.* $18x + 21y = 2400$ Shillings;

or, by Division, $6x + 7y = 800$. $\therefore x = \frac{800 - 7y}{6} = 133 - y +$

$\frac{2 - y}{6}$

$\frac{2-y}{6}$, whence $\frac{y-2}{6}$, a whole Number, (suppose) = n . Then y

$$= 6n + 2, \text{ and } x = \frac{786 - 43n}{6} = 131 - 7n \therefore x \text{ must be an}$$

Affirmative whole Number. It is evident that n may be any whole Number betwixt 0 and 18 ($= \frac{131}{7}$) inclusive. Consequently the

Question admits of 19 different Solutions. Thus, when $n = 0$, then $x = 131$, and $y = 2$; when $n = 18$, then $x = 5$, and $y = 110$, the two extreme Values thereof, as aforesaid.

Mr. Thomas Wilkin, Writing Master at Hexham, answered it in the same Manner; as did Mr. Thomas Walker, at Stanton-Bury, near Newport Pagnel; Mr. William Wells, of Spaldington, Yorkshire; Mr. James Taylor, of Lowcrompton, near Oldham, Lancashire; Mr. Alexander Rowe, of Reginnis, Cornwall; Mr. Robert Stainton, of Winchester-street, London; Mr. John Lyon, of Margate, in Kent; Mr. William Chapman, of Foxton, Leicestershire; Mr. John Swan; and Mr. Thomas Sadler.

III. QUESTION 234, answered by Mr. Edward Johnson, of Hull.

PUT $a = 16 = \text{Length}$, $b = 9 = \text{Breadth}$, $c = 6 = \text{Depth}$;

then $\frac{abc}{2} = 432 \text{ Inches}$, the solid Content of the Wedge. Now

let $n = 5,275 \text{ oz. Troy}$; and $D = 11,092$, the specific Gravity of fine Silver, according to Mr. Emerson's Tables. — Then $432 D n = 2527,64496 \text{ Ounces}$, the whole Weight of the Wedge; which at 5s. per Ounce comes to 631 l. 18s. 2d. $\frac{1}{2}$. W. W. R.

Mr. Thomas Marshall's Answer.

BY Mensuration, $16l. \times 9B \times 6D = \text{Solidity in Inches}$. Hence, the Weight of $\left\{ \begin{array}{l} \text{Fine Silver} \\ \text{Standard ditto} \end{array} \right\}$ is $\left\{ \begin{array}{l} 2527,21512 \text{ oz. Troy} \\ 2400.524208 \end{array} \right\}$
the Value $\left\{ \begin{array}{l} \text{Fine Silver } 631l. 16s. od. \\ \text{Standard ditto } 600 \quad 2 \quad 7 \end{array} \right\}$ required.

Mr. John Clarke's Answer.

SOLIDITY of the Wedge $= \frac{2}{3} \times 9 \times 16 = 432 \text{ Inches}$. By P. 130, Emerson's *Mechanics*, $10,536 \text{ Standard}$; and of Water $= 0,5275 \text{ oz. Troy}$. $\therefore 10,536 \times 5,278 = 55,5774 \text{ oz. Weight of a cubic Inch of Silver}$. Consequently, $55,5774 \times 432 = 2400,94363 \text{ oz. Weight of the Wedge}$; its Value 600l. 4s. 8d. $\frac{1}{2}$.

Mr. William Staples, Watch-maker, at Winchester, answered the same, from Ward's specific Gravity of Silver, similar to the above Method, making the Lady's Fortune 600l. 2s. 7d. 452, &c.

Mr. P. Antrobus, Master of Great Budworth Grammar-School, makes the Wedge's Solidity $= 432 \text{ Inches}$; which being multiplied by 5556769 oz. the Weight of one Cubic Inch of Silver, gives 2400,524208 oz. the Content, which, at 5s. per oz. comes to 600l. 2s. 7d. 1,808.

Mr.

Mr. James Scott, of Cawthorne, answered it in the same Manner; as did Mr. Lyon, of Margate; Mr. John Smith, of Hexham; Mr. Thomas Walker, Mr. Thomas Stainton, Mr. William Wells, Mr. Alexander Rowe, Mr. Thomas Wilkins, Mr. Thomas Marshall, Mr. William Lakeland, and Mr. Tuting, at Newmarket.

IV. QUESTION, 235, answered by Mr. Thomas Marshall, of Hexham, Northumberland.

ACCORDING to Mr. Emerson's Principles of Navigation, he computes the Distance between the Lizard and Barbadoes to be 3413 Miles, which, at the Rate of 600 per Week, will take up, 5 Weeks, 4 Days, 18.696 Hours to sail over.

Mr. William Wells, answers it in the same Numbers; but Mr. Thomas Wilkins says 3413 Miles, and 5 W. 4 D. 19.64 Hours sailing over.

Mr. Alexander Rowe, (who is said by Mr. Walker to have borrowed this Question) computes the Distance 3462 Miles, and the Time 5 W. 5 D. 9 H. 21 S. 56 Th.

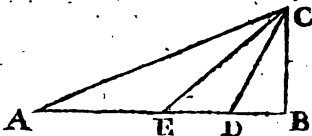
Mr. Thomas Walker, of Stanton-Bury, near Newport-Paguel, Bucks, is pleased to observe, that the above Question was taken from Mr. Emerson's Navigation; being (he says) the very same as Prop. 16. P. 92. of that excellent Book; where there is an elegant Construction of that Case; not to be improved (he says) by Mr. Alexander Rowe, or any polite Author whatsoever.

Mr. John Harwood, at Newmarket, by the Globe, makes the Distance between the Lizard and Barbadoes $= 57^{\circ}$, which (according to Norwood) at $69\frac{1}{2}$ Miles to a Degree, requires 46,217 Days to sail over, at the Rate of 600 Miles in 7 Days.

Mr. John Lyon, of Margate, likewise answered it; Mr. P. Antrobus, Mr. John Smith, of Hexham, and several others.

V. QUESTION 236, answered by Mr. P. Antrobus.

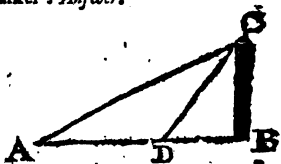
LET BC = the Tower's Altitude, AE = 54 Feet. Then per Quest. the \angle BAC = $24^{\circ} 30'$, CEB = 49° , CDB = $73^{\circ} 30'$. Consequently all the Angles are given, and the Side AE = 54. Whence by Trigonometry, the Altitude BC is found to be = 40.8 Feet; to which adding the Height of the Eye 5 Feet, the whole Height will be 45.8 Feet: W. W. R.



Mr.

Mr. Thomas Walker's Answers

LET A and D represent the Places of the 1st and 2d Observations, (the 3d being superfluous,) and because (per 32. e. 1.) the $\angle ACD = \angle A$, $\therefore CD = AD = 54$ Feet: Whence, (per plane Trig.) Rad. : DC :: S. $\angle CBD$ (given 49°) :



$BC = 40.75$, and $40.75 + 5$ Feet, the Height of the Eye, = 45.75 Feet, the Castle's Height, required.

It was answered in the same Manner, by Mr. Thomas Marshall, of Blencbland, Mr. Thomas Wilkins, and Mr. Joseph Scott, of Cawthorne, Yorkshire.

Mr. Alexander Rowe gave the same Number for the Castle's Height from an elaborate Process and Construction, without distinguishing (as Mr. Walker did) that the 3d Station was superfluous. Mr. William Wells, of Spaldington, near Howdon, Yorkshire, solved the same. Mr. Lyon, of Margate, Mr. John Swan, at Buxton, Derbyshire, Mr. John Smith, of Hexham, and some Others.

VI. QUESTION 237, answered by Mr. Edward Johnson, Mathematical Master, of Hull.

PUT $a = 120$ l. $x =$ Pounds in the Bag left; $y =$ Pounds in the Bag delivered. — Then, per Quest. $x + y = a$, and $x^3 y^2 = x$ Maximum. From the first Equation we have $x = -y$, and from the second $3y^2 x^2 + 2x^3 y = 0$; wherein by writing $-y$ for x ,

and then dividing by $x^2 y$, becomes $2x - 3y = 0$; $\therefore x = \frac{3y}{2}$,

which put for x in the first Equation gives $\frac{3y}{2} + y = a$; whence

$$y = \frac{2a}{5} = 48 \text{ l. and consequently } x = \frac{3y}{2} = 72 \text{ l. W. W. R.}$$

The same answered by Mr. Isaac Tarrat, of Epsom.

LET $x =$ the Pounds remaining in the Farmer's Possession, then

$a - x =$ Pounds delivered to the Highwayman. But $a - x^2 \times x^3 = a$ Maximum. In Fluxions, $3a^2 x^2 - 8ax^3 + 5x^4 = 0$.

Reduced, $x = \frac{3a}{5} = 72$, and $a - x = 48$. W. W. R.

Mr. John Clark, of Lincoln, answered it in the same Manner and Numbers; as did Mr. William Lakeland, of Cawood, near Selby, Yorkshire; (Mr. P. Antrobus by the Method of Trial and Error;) Mr. Alexander Rowe, Mr. William Wells, Mr. Thomas Marshall of Blencbland, Mr. John Swan, Mr. Saunderson, of Harborough, and Mr. Thomas Sadler, near Wrenbury, Cheshire.

Mr.

Mr. Walker puts x = the Pounds in the greater Bag, and y = Pounds in the lesser; then, per Quest. xy^2 is a Maximum. In

Fluxions, $3x^2xy^2 + x^2yy = 0$. Reduced $x = \frac{3}{2}y$. But, per

Data, $x = 120 - y$, $\therefore 120 - y = \frac{3}{2}y$; whence $y = 48$, and

$x = 72$.

Mr. Thomas Walker, of Hexham, says let x = Pounds in the Bag of greater Value, $b = 120$ l. then $b - x$ = Pounds in the Bag of

less Value. Whence, per Quest. $x^2 \times \overline{b - x^2}$, a Maximum. In Fluxions and reduced, $x = 96 \pm 24 = \begin{cases} 72 \text{ l. the greater} \\ 48 \text{ l. the lesser} \end{cases}$ Bag.

VII. QUESTION 238, answered by Mr. Isaac Tarrat.

PUT $a = 2538$, $b = 1286$, $x = x + y$: Then $x^2 + y^2 = a - x$, and $xy = b - x$; multiply this last Equation by 2, and compare it with the first, and we shall have $x^2 = a + 2b - 3x$, conse-

quently $x = \sqrt{a + 2b + 2.5}$: $- 1.5 = 70$, the Father's Age;

then $x + y = 70$, and $x = 70 - y$, by the second $x = \frac{121b}{y}$

$\therefore 121b = 70y - y^2$, solved $y = 35 \pm \sqrt{1225 - 121b} = 32$: Consequently, $x = 70 - 32 = 38$.

Hence the Father was born in 1693 } And the youngest Son in
The eldest Son in 1725 } 1731. W. W. R.

Mr. Thomas Marshall's Answer.

GIVEN $\begin{cases} x^2 + y^2 + x + y = 2538 = b; \\ xy + x + y = 1286 = c; \end{cases}$ Let $a + e = x$; and $a - e = y$; then, by Substitution, we have $2a^2 + 2e^2 + 2a = b$; and $a^2 - e^2 + 2a = c$, from whence is easily found $a = \frac{\sqrt{4b + 8c + 9}}{4} - \frac{1}{2} = 35$; and $e = \frac{\sqrt{b - 2a^2 - 2a}}{2} = 3$.

Hence $\begin{cases} a + e = 38 = x \\ a - e = 32 = y \end{cases}$ the Son's Ages; and $38 + 32 = 70$, the Father's Age, born in 1693.

Mr. William Lakeland answered the same, as did a Correspondent; styling himself York/bire Jack; Mr. P. Antrobus, Mr. William Pen, of Chalfont St. Peter's, Bucks, and some Others.

The same answered by Mr. Edward Johnson of Hull.

GIVEN $\begin{cases} 1 | x^2 + y^2 + x + y = 2538 = a \\ 2 | xy + x + y = 1286 = b \end{cases}$ Req^d x and y
 $s + 2 \times 2 \quad 3 | x^2 + 2xy + y^2 + 3x + y = a + 2b$
3 comp. $\square \quad 4 | \overline{x + y^2} + 3x + y + 2 = a + 2b + 2$

4	10	2	5	$x+y+\frac{1}{2} = \sqrt{a+2b+\frac{1}{4}} = 71\frac{1}{2}$.
5	—	$\frac{1}{2}$	6	$x+y = 70 = s$, the Father's Age.
2	—	6	7	$xy = b - s = 1216 = p$.
7	×	4	8	$4xy = 4p$.
6	—	2	9	$x^2 + 2xy + y^2 = s^2$.
9	—	8	10	$x^2 - 2xy + y^2 = s^2 - 4p$.
10	10	2	11	$x - y = \sqrt{s^2 - 4p} = 6$.
6	+	11	12	$2x = 76 \therefore x = 38$
6	—	11	13	$2y = 64 \therefore y = 32$
Whence the Dates are				1693 } Father born.
				1725 } Eldest Son.
				1731 } Youngest Son.

The same answered by Mr. Thomas Walker, of Stanton-Bury.

GIVEN { $\begin{array}{l} 1 \ x^2 + y^2 + x + y = a \\ 2 \ xy + x + y = b \end{array}$ } Put $x = x + y$, and by Transposition of the 2 Equations,

$\begin{array}{l} 3 \ x^2 + y^2 = a - x \\ 4 \ xy = b - x \end{array}$ } Whence

$$4 \times 2 \quad 5 \quad 2xy = 2b - 2x.$$

$$3 + 5 \quad 6 \quad x^2 + 2xy + y^2 = a + 2b - 3x.$$

$$\sqrt{6} \quad 7 \quad x + y = \sqrt{a + 2b - 3x}; \text{ but } x + y = x, \therefore x =$$

$$7 \text{ squared} \quad 8 \quad x^2 = a + 2b - 3x; \text{ or } x^2 + 3x = a + 2b.$$

$$8 \square \text{ Root extracted} \quad 9 \quad x = \sqrt{a + 2b + \frac{9}{4}} - \frac{3}{2} = 70. \text{ Whence } x = 38, y = 32.$$

Mr. Alexander Rowe solved the same analytically, and found the same Numbers; as did Mr. John Swan, mathematical Master, at Buxton Free-School, in Derbyshire; Mr. Thomas Marshall, Mr. William Wells, Mr. Thomas Wilkins of Hexham, Mr. Joseph Scott of Cawthorne, Derbyshire, Mr. Saynderfon, Mr. Thomas Sadler, and Others.

VIII. QUESTION 239, answered by Mr. Thomas Marshall, of Blenchland.

BY the Principles of Fluxions, (which may do as well as those of

Algebra) $\frac{ax^4 - x^5}{3x + a}$ being a Maximum; $4ax^3x - 5x^4x \times \frac{1}{3x + a}$,

Min. $3x \times ax^4 - a^2 = 0$. Reduced, and the Root extracted,

$$x = \frac{a\sqrt{13} + a}{6}.$$

Mr. Thomas Wilkins solved this Question in the same Manner.

Mr.

Mr. Alexander Rowe, by the Method of *ipse dixit*, says, when $a = 50$, x must be $= 38$; and that the Expression above $\frac{ax^4 - x^5}{3x - a} = 152571$ *ferè*.

IX. QUESTION 240, answered by Mr. Isaac Tarrat.

LET x and y = their respective Shares, - then $x + y = a = 2450$ *l*. Put $b = 379750$; then $x - y = \sqrt{b}$, and $x = \frac{a + \sqrt{b}}{2}$, and $y = \frac{a - \sqrt{b}}{2}$. W. W. R.

Mr. William Lakeland answers it thus.

PUT x = greatest Share, then $x - a$ = the lesser; $a = 2450$, hence $x^2 - x^2 + 2xa - a^2 = b = 37950$. Now, *per* Transp.

$2ax = b + a^2$; and *per* Division $x = \frac{b + a^2}{2a} = 1302,5$ = eldest.

Son's Share, and $1147,5$ = that of the youngest. W. W. R.

A Yorkshire Correspondent puts $\frac{1}{2}$ Sum ($= 1225$) = a , $\frac{1}{2}$ Diff. = x : Then, $a + x$ = greater, and $a - x$ = lesser Shares. *Per*

Quest. $4x^2 = b$ ($= 379750$) where $x = \frac{b^{\frac{1}{2}}}{2} = 308,115$. Conf.

$1533,115$ and $916,885$ are the required Shares.

Mr. P. Antrobus puts $a = 2450$, $e = 379750$, and x and y = Shares of the two Sons. Then $x + y = 2450$, and $xx - yy =$

379750 *per* Quest. and $x - y = \frac{a}{e}$, $2x = \frac{aa + e}{2a}$. Whence $x =$

$\frac{aa + e}{2a} = 1302,5$ the greater Share, and $y = \frac{aa - e}{2a} = 1147,5$ *l*.

the lesser.

Mr. Thomas Walker, of Yorkshire, puts $a = 2450$ *l*. $b = 379750$;

x = the lesser, and $a - x$ = the greater Share. Then $a - x^2 =$

$xx = b$, *per* Quest. that is $a^2 - 2ax + x^2 - x^2 = b$; or $a^2 - b =$

$2ax$, whence $x = \frac{a^2 - b}{2a} = 1147,5$, and $a - x = 1302,5$.

Mr. Alexander Rowe analytically found the very same Numbers; as did Mr. John Swan, Mr. Thomas Marshall of Blencbland, Mr. William Wells, Mr. Robert Stainton of Winchesfer, Mr. James Taylor, at Lowercompton, near Oldham, Lancashire, Mr. Thomas Wilkins of Hexham, Mr. Lyon of Margate, Mr. Joseph Scott, Mr. William Pen, and several other Correspondents.

N. B. Mr. John Smith answered it differently thus. If it is meant that their Shares should each be respectively squared and the

Difference taken, (putting x for the greater and y for the less Share)

$$\begin{aligned} x + y &= 2450 = s & \left. \begin{array}{l} 2d \div \text{by 1st, } x - y = \frac{d}{s} \\ \text{add 1st and last Equations and } \div 2, \text{ then} \end{array} \right\} \\ x^2 - y^2 &= 379750 = d \\ x &= \frac{s}{2} + \frac{d}{2s} = 1302 \text{ l. } 10 \text{ s. and } y = 1147 \text{ l. } 10 \text{ s.} \end{aligned}$$

Mr. James Brown of Newmarket answered it in the same Manner.

But if the Difference of the Shares should be taken, and that Difference squared, then, $x + y = s$, $x^2 - 2xy + y^2 = d$; whence $x = \frac{s + \sqrt{d}}{2} = 1533, 1392$ the greater, and $x = 1,916,8808$ &c. the

less.

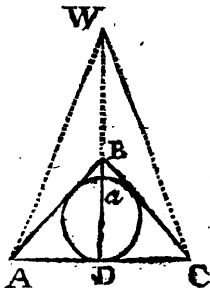
Mr. Thomas Sadler only answered it in the same Manner and Numbers.

Remark by the Author.

Such Difference does ambiguous Words produce;
From such Defect of Language now in Use.

X. QUESTION 241, answered by Mr. Thomas Walker.

LET W represent the Windmill, and ABC the Isosceles triangular Field; then (AW being $= CW$, per Quest. and $\angle BAC = \angle BCA$, per Nature of the Triangle ABC) the $\triangle WAB \equiv \triangle WCB$, and per a known Analogy (for this particular Case) the $\angle AWB \equiv \angle WAB$, and consequently $AB \equiv BW = 27$. Then, in the Isosceles $\triangle ABC$, we have one of the equal Sides, as AB given $= 27$, and the Diameter AD of its inscribed Circle $= 16$, to find its Base AC ? Put $AD = DC = x$; $AW = 51 = a$; $AB = 27 = c$; $AD = 16 = d$, and let $AB = y$. Then, per 47. e. i. $a^2 -$



$$s + y^2 = x^2, (s \text{ being put } = c) =$$

$BW + c$; and by the same Theorem, $c^2 - c + y^2 = x^2$: Whence

$$\begin{aligned} a^2 - s + y^2 &= c^2 - c + y^2; \text{ or } a^2 - s - y^2 = c^2 - c^2 - 2cy + y^2. \text{ Contracted, we get } 21y - 2cy = a^2 - s - c^2 + c^2; \therefore y \\ &= \frac{a^2 - s - c^2 + c^2}{2s - 2c} = 5,166: \text{ Hence } x = 16,76 \text{ Ch. and } 2x = \\ &33,52 \text{ Ch. \&c.} \end{aligned}$$

Mr.

Mr. Alexander Rowe's Solution.

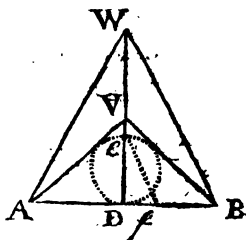
PUT $WV + D = a$, $D = 16$
 $= b$, $Df = 8 = c$, $AW = (BW) =$
 $51 = d$, and $Ve = x$. Now (saith
 Mr. Rowe) the $\Delta s Df$ and DAW
 being similar, (because $fe \parallel AW$), it

will be, $b : c :: a + x : \frac{ca + ex}{b}$

$= AD$. And (per *e.* 47. 1.)

$$\sqrt{dd - \frac{a^2 + 2ax + xx}{b}} = AD =$$

$$\frac{ac + ex}{b}, \text{ which solved, } x = 2,6157$$



Chains. Whence $AB = 45,6$; $AV = (VB) 29,43$ Chains; and
 Area of $\Delta AVB = 42$ A. 1 R. 31 P. W. W. R.

Mr. Thomas Sadler's Answer came too late to be inserted.

XI. QUESTION 242, answered by Mr. Alexander Rowe, of Re-
 ginnis, Cornwall.

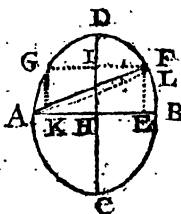
FIRST, $40 \times 30 \times 0,7854 = 942,48 \square$ Chains, the Ellipsis's
 Area. — Now, the Area of the elliptic Sector (formed by the Conju-
 gate, as Radius, and the Fence Line) may be considered as that of a
 circular one $= 157,08 \square$ Chains ($\frac{1}{6}$ of the whole) $\therefore 157,08 \div$
 $30 = 5,236$ Chains, half the Length of the sectoral Arch or

Chord, the Difference being inconsiderable. $\therefore \sqrt{30^2 - 5,236^2}$
 $= 29,539$ Chains, the Fence's Length, nearly true, (if we bis
 the Proposer's Meaning,) and Value of the whole Field 235/ 12s. 5d.
 proxime. W. W. R.

The same answered by Mr. Thomas Sadler.

LET ABCD be the elliptical Field, then
 per Conics, as $DC : AB :: AB : GF$,
 the Latus rectum $= 22,5 = KE$, and

$\sqrt{\square DH - \square AH} = HI = 13,22 = EF$.
 Consequently $AF = 29,3909$, whence the
 Length of the Fence AL may be found $=$
 $32,23$. — Thus, as the Area AFDG $=$
 $286,47 : 314,16 = \frac{1}{2}$ of the Ellipse $\therefore AF$
 $= 29,3909 : AL = 32,23$ nearly, as above.



XII. QUESTION 243, answered only by Mr. Thomas Marshall, of Blenchland.

LET AGHB be the given Cylinder, AC the *horizontal Plane*, (or Plane of the *Section* of the Cylinder when cut and placed *horizontally*); and let $EC \perp AC$; then put $DC=EF=18=b$; $c=AG=60$, $p=7854$. Call $AD=BC=x$: Now, (because $AD : DC ::$

$$DC : DE) \frac{b^2}{x} = DE; \text{ and } c - x - \frac{b^2}{x} = D$$

$$\frac{cx - xx - b^2}{x} = GE. \text{ Hence, } \frac{1}{2}pb^2x = \text{Solidity}$$

$$\text{of the cylindric Frustum ADC; and } \frac{cx - xx - bb}{x}$$

$\times pb^2 = \text{Solidity of Cylinder EGHF.}$ The Weights of the Solids AEC and CEGH, on each Side of the *Perpendicular EC*, must be equal, or the Body will fall. *Therefore*, we have the Solid $ACD = \text{Solid EGHF}$; because $CDE = CEF$; that

$$\text{is } \frac{cx - xx - bb}{x} \times pb = \frac{1}{2}pb^2x. \text{ Reduced } x^2 - \frac{2c}{3}x = -\frac{2bb}{3}.$$

$$\text{Solved, } x = \frac{c \pm \sqrt{c^2 - 6bb}}{3} = 6,435341 \text{ or } 33,564659 \text{ Inches,}$$

the Distance to be cut off from the End of the Cylinder to the Extremity of the Base, on the *contrary Side*, required.

Or, since it is easy to prove, that $EG = \frac{1}{2}AD$, (because the Solid $ACD = \text{Solid EGHF}$), hence this *easier Solution*. Put $x =$

$$AD=BC; b=DC=18. \text{ Then, } c - x - \frac{x}{2} = \frac{2c - 3x}{2} = ED$$

$$= \frac{bb}{x}, \text{ by Property of } \triangle ACE, \text{ right-angled at C. Hence, the}$$

same Equation as before, and the same Value of x .

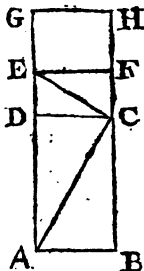
'Tis the above Question, by Mr. Johnson, of Hull, is a curious one, as it is a Pattern for Others to propose Things concerning the Affections of mathematical Quantity.

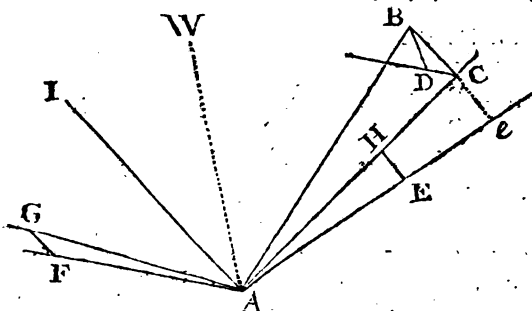
N. B. Being an *ambiguous Question*, it appears, that when 6 Times the Square of the Cylinder's Breadth is more than the Square of its Altitude, it will not admit of an Answer.

XIII. QUESTION 244, answered by Mr. Thomas Walker.

LET A represent the *Station* of the Ship; B the *Part* to which she is to sail, distant from A 64 Leagues; AI the *Current*, and WA the *Point of the Wind*, then we have the following

Construction,





Construction. Make the $\angle WAE = \angle WAF (= 68^\circ)$ the nearest the Ship can lie to the Wind; and make AE to EH and AF to FG in the Ratio of 5 to 2, (i. e. as the Motion of the Ship to the Motion of the Current,) and draw FG and EH \parallel AI, then through GH draw the Lines AG and AH; from B draw BC \parallel AG; and from C draw CD \parallel AF, and from B draw BD \parallel AI.

Then C is the Place of turning to Windward; and the Ship is to steer the Course and Distance Ae, and by the Motion of the Current she will be brought to C.

Then she must steer the Course and Distance CD, and she will then by the Motion of the Current arrive at B, as was required.

Mr. Alexander Rowe says, (if he has a right Idea of the Question) the Force of the Current, in the given Direction, Distance, and Time, is computed by keeping the Ship closer to the Wind than usual, viz. within about $6\frac{1}{2}$ Points; and consequently will not enter the following Computation. Which premised, the Question (he says) is reduced to a parallel one, with the 12th in Atkinson's Navigation, P. 78, to which he refers for the Method of geometrical Projection and trigonometrical Calculation; giving the Distance there on the Larboard Tack $= 64.8$, and on the Starboard $= 36$ Leagues. Whence, the whole Time of the Ship in arriving at her Port on both Tacks $= 3^d 0^h 28^m 48^s$.

Mr. Johnson, of Hull, says, that this Question was proposed to illustrate Mr. Emerson's curious Method of constructing Problems in current Sailing. See his Navigation.

XIV. QUESTION 245, answered by Mr. Edward Johnson, of Hull.

GIVEN $\begin{cases} xx + yy = \square \\ x^3 + y^3 = \square \end{cases}$ to find x and y the least whole non-quadrade Numbers.

Let $y = \frac{3x}{4}$, then $xx + yy$ becomes $= \frac{25x^2}{16}$, a Square; and

$x^3 + y^3 (= x^3 + \frac{27x^3}{64}) = \frac{91x^3}{64}$, which is to be a \square likewise:

And

And it will evidently be such when $x=91$; for then $\frac{91x^3}{62}$ be-

comes $=\frac{x^4}{64}$, which is a Square. Now make $\frac{x^4}{64}=m^2$, and we

get $x=\sqrt{ax}$; whence taking $m=2$, we have $x=4$. But x was before found $=91$. Therefore to answer both the Conditions, the Value of x must be $=91 \times 4 = 364$; consequently $y (=$

$\frac{3x}{4}) = 91 \times 3 = 273$; that is $x=364$, and $y=273$, the least

Numbers required, and will truly answer the Question.

For $364^2 + 273^2 = \square$, whose Root is 455.

And $364^3 + 273^3 = \square$, whose Root is 8281.

*** Infinite Answers to this Question may be found by the same easy Method, notwithstanding some Mathematicians pronounced it impossible to give one Answer only.

N. B. Mr. Edward Jobson, of Hull, has made an Improvement in this Kind of Solutions, by a very artificial Substitution, so as to effect Things with the greatest Ease. which to others would be a Herculean Task, or next to impossible to perform in the common Way. Witness his easy and direct Prize Solution; last Year, to the Prize Question, when others went round and round the Walls of Troy to come at it, inartificially, with the utmost Labour. This Tribute we pay, is justly due to Mr. Jobson's mathematical Merit.

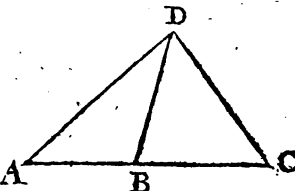
XV. QUESTION 246, answered by the Proposer, Mr. William Chapman, of Foxton, Leicestershire.

CORRECTING the Press Error, put $DC=30$, instead of 36.

Suppose A, B, and C, the three Ports sailed to, and D the Port sailed from. Then, put $AD=x=30$; $DB=b=60$; $DC=c=30$; and AB

$=x$; then $BC=\frac{4x}{3}$, and

$AC=x+\frac{4x}{3}$. By a known



Theorem, $a^2 \times \frac{4x}{3} + c^2 \times x = \frac{3+4 \times x}{3} \times \frac{4x}{3} \times x +$

3+4

$$\frac{3^4 + 4 \times x}{3} \times b^2; \text{ which reduced, } x = \sqrt{\frac{12a^2 + 9c^2}{28} - \frac{3b^2}{4}}$$

= 53,1843 Leagues.

Then, in the Triangle ABD are given all the Sides; whence the Course of A is $49^\circ 57' 20''$ Westerly; of B, $15^\circ 11' 00''$ Westerly; and of C, $43^\circ 37' 45''$ Easterly, — Then, by Case 3d, P. 205 of *Martin's Logarithmologia*, the Latitude of the Place sailed from is $1^\circ 53' 43''$ North. Then, by Case 4. P. 206, of the same Book, the Long. of the Port A is $3^\circ 26' 44''$ West; and the Longitude of the Port B is $0^\circ 47' 9''$ West; and the Longitude of the Port C is $2^\circ 45' 37''$ East. W. W. R.

The same answered by Mr. Thomas Walker, of Stanton-Bury, near Newport Pagnel, Bucks.

THE Proposer sends a Correction of the Press, viz. CD = 20 instead of 30; which corrected, put AD = 90 = a; DB = 60 = b; and DC = c; and let AB = x; then $3 : 4 :: x : \frac{4x}{3} = BC$;

and $x + \frac{4x}{3} = AC$; then, per a known Theorem, $a^2 \times \frac{4x}{3} +$

$$c^2 \times x = \frac{3^4 + 4 \times x}{3} \times \frac{4x}{3} \times x + \frac{3^4 + 4 \times x}{3} \times b^2, \text{ which sol-}$$

$$\text{ved, } x = \sqrt{\frac{12a^2 + 9c^2}{28} - \frac{3b^2}{4}} = 53,1843 \text{ Leagues.}$$

Then, in the Triangle ABD are given all the Sides, whence the Course of the

Ship A } is determined { $49^\circ 57' 20''$ Westerly } And by *Martin's Logarithmologia*, Case 3,
B } = { $15^\circ 11' 00''$ Westerly }
C } = { $43^\circ 37' 45''$ Easterly } P. 205, the Latitude is determined = $1^\circ 53' 43''$ N.

And, by Case 4. P. 206, same Author, the Longitude of the Port A } = { $3^\circ 26' 44''$ West }
B } = { $0^\circ 47' 9''$ West } W. W. R.
C } = { $2^\circ 45' 37''$ East }

¶ *Quer*e, whether the methodized Solution, with the Words of the other Solution inverted (in some Places,) and the Numbers to a Degree, and also the same Circumstances of Reference to the same Cases and Pages of *Martin's Book*, does not infer as if there were a licensed Office for borrowing and lending mathematical Solutions, as well as Questions, objected to by Mr. Thomas Walker against Mr. Rowley, which we in Justice observe, to prevent Extravagance in Censure. We leave the intelligent Reader to judge which of these two Correspondents has borrowed the Other's Solution; we having given them both in the same Words and Form they were sent us.

The same QUESTION answered and improved by Mr. Edward Johnston, in Hull.

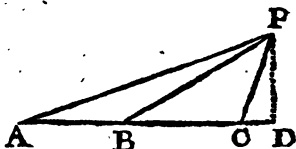
PUT $n=3$, $m=4$, $AP=90=x$, $BP=60=6$, $CP=30=c$,
 $AB=x$, and $p=AB \times BC$: Then, by the Nature of Triangles,

$$p = \frac{m^2 + n^2}{m+n} - b^2 = 1414 \frac{2}{7}, \text{ and per Quest. } \frac{mx}{n} = BC;$$

$$\text{whence } \frac{mx}{n} \times n = p, \therefore x = \sqrt{\frac{np}{m}} = 32,5686 = AB, \text{ and}$$

$$BC = 43,4248; \text{ consequently } AC = 75,9934.$$

And now, by Trigonometry, $\angle APD = 71^\circ 32' 26''$,
 the Course of the Ship A;
 $\angle BPD = 61^\circ 39'$, for B's
 Course; and $\angle CPD = 18^\circ$
 $23'$, = C's Course from the
 South. — $AD = 85,3692$,
 $BD = 52,8006$, and $DC =$
 $9,3758$ their respective Departures; and their common Diff. Lat. is
 $PD = 28,497$ Leagues, or $1^\circ 25'$ South, \therefore Lat. sailed from is
 $0^\circ 25'$ North. W. W. R.



XVI. QUESTION 247, answered by Chronologicus.

SEE *Palladium* 1763, Tab. P. 4. Rule P. 6. and other chronological Rules there.

36452 before Christ.

17 Centuries since Christ.

$$25)53(2 \text{ by } 8 = 16 \text{ Days}$$

50

$$3) 3(1 \quad : \quad 1$$

3

3

17

Sub. 1 because 0 rem. for Years before Christ.

0

Advance of } + 16 } in the Month-days from 1700 since to 3652
 N. D., O. S. } before Christ.
 Fr. O. to N. S. — 29 } in 3652 before Christ.

Lunations — 13 Days retreated from O. to N. S.

Withconty Sig. + 13 *Epaſts*, or Moon's Age advanced from O. to
 { N. S.

Epaſt is the Moon's Age at the Beginning of any Year, according to
 Old or New Style.

The

The PALLADIUM ENLARGED, 1764.

43

The Golden Number for 3652 before *Cbrist*, is (by *P. 150 Royal Astronomer*, taken out as for 3651, 1 being deducted for Years before *Cbrist*) 17. [The same is done also at Sight by *Palladium Tables*, 1762.]

Golden Number 17
Multiply by 11

187 Product.

Epa advanced Days + 13 from O. to N. S.

30)200(6
180

Epa for 3652 before *Cbrist*, N. S. 20. required.
+ 29 Days, Diff. Styles.
— 30

Epa 3652 before *Cbrist*, O. S. 19 required,

Mean N. D. Jan.

Since *Cbr.* d h m s d h m s
By P. 385. *R. Astron.* 1749 7 3 37 32 + 29 12 44 3 =

36 16 21 35
By P. 386. Mot. } 2400 { 15 14 8 47 }
for Jul. Yrs. }
Motion for Jul. Years 3000 { 12 2 29 57 }

Motion for Jul. Years 5400 27 16 38 44 —

Rem. N. D. bef. *Cb.* 3652 Jan. 8 23 42 51 O. S.

By P. 386. Motion for Feb. 28 1 28 6

d h m s
Mean N. D. 3652 bef. *Cb.* Mar. 9 1 10 57 O. S. + 14 18 22 2 =
Full Moon 23 19 32 59 N. S. 29 Days less
[than O. S. by *Pall.* 1763, *Tab.* P. 4.]

Mean New Moon.

Mean Full Moon.

d h m s	d h m s
3652 bef. <i>Cbr.</i> Mar. 9 1 10 57	23 19 32 59 O. S.
Add 1 Luration + 29 12 44 3	+ 29 12 44 3
38 13 55 0	53 8 17 2
— 29 Days.	— 29 Days.

March 9 13 55 0 24 8 17 2 N. S.

By *Tab.* P. 148. *Royal Astronomer*, the Dominical Letter, O. S. to 3652 before *Cbrist*, (taking out as for 1 less for before *Cbrist*, or 3651) is found, at Sight, C, by which, at Sight, (see P. 149, *Royal Astronomer*) the 9th of March, for that Year, is on Tuesday, when the New Moon happened; and the 23d of March, on Tuesday

F 2

also;

also, when the Full Moon happened, O. S. By Tab. P. 149. *Royal Astronomer*, the Dominical Letter, New Style, to 3652 before Christ, (taking out for 3651,) at Sight, is B; by which, at Sight, in the same Page, March the 9th, N. S. when the New Moon happened, was on Wednesday, and the 24th of March, when the Full Moon happened, N. S. was Thursday.

The same may be performed at Sight by Palladium Tables 1762.

Compare the foregoing with Mr. Kennedy's Computation, for a full Conviction of his Incapacity and Error in these Matters. XVII. QUESTION 248, answered by the Proposer, Mr. Marshall, of Blenchland.

FOR the Sun's Cycle, 5 was printed by Mistake instead of 11; For as 15, the greatest Indiction, multiplied into 19, the greatest Golden Number, will make a Period of 285 Years, in which only the Indiction and Golden Number 10, given, can again happen the same. — Therefore, as a Lady's Age is concerned, (within the Limits of 100) there is no Need but to look back in Table, P. 150, *Royal Astronomer*, when the Golden Number was 10, or in Table, P. 68, *Palladium* 1763, when the Indiction was 2, given; to both which answers the Year since Christ 1738; and therefore the Lady's Age in 1763 was 25 Years, required.

Mr. Alexander Rowe made the same Observation, and gave the same Answer.

But to find in what Year of Christ the Golden Number was 10, Cycle of the Sun 5, and Roman Indiction 1, as printed.

See P. 160, *Royal Astronomer*, for a Rule. Where you will find that 4845 multiplied by the Number of the Sun's Cycle, 4200 multiplied by the Number of the Moon's Cycle, or Golden Number, and 6916 by the Number of Indiction, and the Sum of those Products divided by 7980, (the Number of Years in a Julian Period,) the Remainder will be the present Year of the Julian Period: from whence the Year of Christ (according to our present reckoning) may be determined.

Consequently, $4845 \times 5 + 4200 \times 10 + 6916 \times 1 = 7341$, which $\div 7980$, the Quotient is 9, and there remains 1321, the Year of the Julian Period, (when the Golden Number was 10, Sun's Cycle 5, and Roman Indiction 1) taking which from 4714, the Julian Period in the 1st Year since Christ, and there remain 3393 Years before Christ correspondent. W. W. R.

XVIII. QUESTION 249, answered by Mr. Thomas Walker.

LET $a = 30 = BH$; $b = 40$

$= AH$; and $x = HK$: By Co-

sines, $a : b :: a - x : a$

$b^2 a - b^2 x :: a^2 a - a^2 x$

$b^2 a - b^2 x :: a^2 a - a^2 x$

$b^2 a - b^2 x :: a^2 a - a^2 x$

$b^2 a - b^2 x :: a^2 a - a^2 x$

$b^2 a - b^2 x :: a^2 a - a^2 x$

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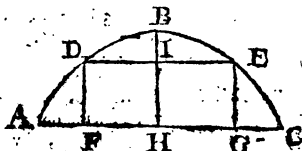
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$b^2 a - b^2 x :: a^2 a - a^2 x$



whence,

whence, $2x \sqrt{\frac{b^2a - b^2x}{a}} = \text{Area of the Parallelogram (per}$

Question) a Maximum, which flux'd and redud'd gives $x = \frac{2}{3}a = 20$. W. W. R.

Mr. Alexander Rowe makes the Parallelogram's Breadth = 20, Length 46,183, and Area 923,76 by much the same Process.

Mr. John Swan answered the same.

XIX. QUESTION 250, answered by Mr. Edward Johnson, of Hull.

PUT $a = 100 \text{ l.}$ $n = 208$, the Weeks in 4 Years, and $r = 1,0009404$, the Amount of 1 l. in 1 Week, at 3 per Cent. per An-

num; then $\frac{a \times r - 1}{r - 1} = 436$, &c. = 84 8d. $\frac{1}{2}$, the Value of each weekly Payment. W. W. R.

XX. QUESTION 251, answered by Mr. Thomas Marshall, of Blechnland, who answered 19 of the Questions.

THE Hour and Minute Hands are conjoined at 12; from whence setting out together, it is evident that the Minute-hand moves over 12 Spaces, while the Hour-hand follows, and moves over but 1 Space; being similar to the mean Motions between the Moon and Sun, setting out together, till they meet again at next New Moon. Now, the Minute-hand having moved over 12 Spaces, and arrived at 12, in its uniform circular Motion, while the Hour-hand is got but one Space or Hour forward, at One, which the Minute-hand is yet to overtake: Say, as the Difference of Motion, or Distance between the swifter and slower Movers, is to the Time spent between them during their Motion, so is one complete Revolution or any Part of a Revolution perform'd between them to the Time spent between them, correspondent.

Thus, as $12 - 1 = 11$, the Difference of Spaces moved over between the Minute and Hour-hand, is to one Hour, or 60 Minutes, in performing it; so is 12 Spaces Distance between the two Movers, (which is when they are together again) or a whole Revolution, to the Time correspondent, viz. $5^h 5^m \frac{5}{11}$ at the next Conjunction.

Again, as 11 Spaces between the two Movers, is to 60 Minutes of Time, so is 6 Spaces to $32^m \frac{8}{11}$, at next Opposition.

Number

Number of Conj. or Opp.	Conjunctions.		Oppositions.		Quarters.	
	h	m	h	m	h	h
1	1	5 $\frac{5}{11}$	12	32 $\frac{2}{11}$	12	16 $\frac{4}{11}$
2	2	10 $\frac{10}{11}$	1	5 $\frac{5}{11}$	12	32 $\frac{8}{11}$
3	3	16 $\frac{4}{11}$	1	38 $\frac{2}{11}$	12	49 $\frac{1}{11}$
4	4	21 $\frac{9}{11}$	2	10 $\frac{10}{11}$	1	5 $\frac{5}{11}$
5	5	27 $\frac{3}{11}$	2	43 $\frac{7}{11}$	1	21 $\frac{9}{11}$
6	6	32 $\frac{8}{11}$	3	16 $\frac{4}{11}$	1	38 $\frac{2}{11}$
7	7	38 $\frac{2}{11}$	3	49 $\frac{1}{11}$	1	54 $\frac{6}{11}$
8	8	43 $\frac{7}{11}$	4	21 $\frac{9}{11}$	2	10 $\frac{10}{11}$
9	9	49 $\frac{1}{11}$	4	54 $\frac{6}{11}$	2	27 $\frac{3}{11}$
10	10	54 $\frac{6}{11}$	5	27 $\frac{3}{11}$	2	43 $\frac{7}{11}$
11	11	12	6		3	

When a Clock or Watch goes exactly 12 Hours too fast, it may then be said to be right.

As the Difference between the Moon and Sun's mean Motion, is to the Time of that Motion, so will 12 Signs Distance asunder, or a Revolution between them, be to the Time of a mean Lunation, or one Conjunction to another of those Luminaries.

Mr. Thomas Wilkins, of Hexham, answered the above Watch-maker's Question analytically; as did Mr. John Smith of Hexham, and Mr. Lyon of Margate; but Mr. William Pen, of Chalfont St. Peter's, Bucks, gave the Solution by common Arithmetic.

XXI. QUESTION 250, answered by Mr. Thomas Walker,

THE natural Sine of the ascensional Difference divided by the natural Tangent of the Sun's Declination (Radius being 1) gives the Latitude sought; which, in this Case, is $49^{\circ} 0' 20''$, nearly. W. W. R.

The same answered by Mr. Edward Johnson, of Hull.

PUT x = asc. Diff. in Time, then per Quest. $x + 6$ Hours =

$6b - x \times 2$, $\therefore x = 2$ Hours or 30° . Whence, putting $t = \text{Tan. } 29^{\circ} 29'$, $t = \text{Sine } 30^{\circ} = \frac{1}{2}$ Radius; and $y = \text{Tan. Lat.}$

we have by Spherics, $y = \frac{t}{1}$, or $\frac{1}{2t} = 1,150$, &c. the Nat. Tan.

of 49° , the required Latitude.

Mr. John Harwood, of Newmarket, says, that, by the Globe, the shortest Day is equal to Half the longest at Quebec, Buda, and all Places in the Latitude of 47° . — Thus much differs the Globe from Calculation, viz. 2° less.

XXII. QUESTION 253, answered by Mr. Isaac Tarrat.

LET x = Time from Midnight, then $12 - x$ = Time from

Noon; but $\frac{4x}{5} = \frac{36 - 3x}{8}$ per Question. Whence $x = 3 \frac{39}{47}$

Hours. W. W. R.

Mr.

Mr. William Lakeland answered it in the same Manner; as did Mr. Walker of Yorkshire.

Mr. P. Antrobus puts $a =$ Hours from Noon, then $12 - a$ will be the Time from Midnight. But $\frac{3}{8}a = \frac{4}{5} \times 12 - a$, whence $a =$

$$\frac{384}{47} = 8^h \frac{8}{47} = 8^h 10^m 12^s 45^{\text{th}} \text{ from Noon, or } 3^h 49^m 47^s 15^{\text{th}} \text{ Morning. W. W. R.}$$

Mr. Thomas Walker answered this Question as above; as did Mr. Thomas Marshall of Blechland, Mr. Robert Stainton of Winchester, Mr. Thomas Wilkins of Hexham, Mr. Lyon of Margate, Mr. Joseph Scott, Mr. William Pen of Chalfont St. Peter's, Bucks, Mr. Alexander Rowe, Mr. Thomas Sadler, Mr. James Brown of Newmarket, and some Others.

XXIII. QUESTION 254, answered by Mr. Tarrat.

BY Table in *Royal Astronomer*, P. 188, in December, when the Golden Number is 6, the mean New Moon happens on the 25th Day of December. When the Golden Number is 6, you will see by Table P. 150, since 1700, under 15, 34, 53, 72, and 91 Years; therefore in 1772, N. S. the New Moon next happens on the 25th of December, as required by Question. So easy a Method of determining the Answer Nothing but the *Royal Astronomer* could have helped me to.

N. B. The mean New or Full Moon happens sooner by 14 Days exactly in 4 Julian Years. — See *Royal Astronomer*, P. 122.

Those who would determine exactly when the true New Moon happens from the Time of the Question, may try the *Lunar Equations* to the mean New Moons every 19 Years from 1772, (when the Golden Number is 6, or any other Golden Number if he finds that not agree,) according to the Method shewn at P. 392. *Royal Astronomer*, and they will find ample Satisfaction; and the same Method may be pursued to other Month-days, when a New Moon is required to happen.

XXIV. QUESTION 255, answered by Mr. Alexander Rowe, of Reginnis, near Penzance, in Cornwall.

PUT $x = 3.67$, then (By a Table of Logarithms) I find an Error of 3, 15 too much. Suppose $x = 3.65$, then by the Operation of Logarithms, I find an Error of 2, 13 too little. Say, as 5, 28 the Sum of the Errors : as the Difference of Supposition :: 2, 13 the Error too little : , 008; which added to 3.65 = 3.658 &c. = x , required.

XXV. QUESTION 256, answered by Mr. Thomas Walker.

PUT $a = BI = 50$; $b = AC = 40$; $p = ,7854$; and $x = HI =$ the greatest Height of the required Cylinder; then as $a : b$

$$:: a - x : \frac{ab - bx}{a} = DE = FG ;$$

but by a known Theorem, the Solidity of the Cylinder =

$$\frac{b^2x^2 - 2ab^2x + a^2b^2}{a} \times px ; \text{ and}$$

which per Question is a Maximum,

whose Fluxion $3pb^2x^2 - 4pab^2x + pa^2b^2 = 0$. Reduced we get, $3x^2 - 4ax + a^2 = 0$. Therefore x

$$= \frac{2a \pm \sqrt{4a^2 - 3a^2}}{3} = \frac{2a \pm a}{3} = \frac{1}{3}a = 16,6. \text{ W. W. R.}$$

Mr. Alexander Rowe's Solution,

PUT $a = 50$, $b = 40$ Inches, and $x =$ Cylinder's Diameter,

Per similar Δs , $b : a :: x : \frac{ax}{b} =$ Part of the Cone's Axis extra

Cylinder's Height; $\therefore a - \frac{ax}{b} =$ the Cylinder's Altitude, $\therefore px$

$\times a - \frac{ax}{b}$ (where $p = ,7854$) = its Solidity, a Maximum, or

$b^2x^2 - x^3 = s$, a Maximum. Fluxed and reduced, $x = \frac{2}{3}b = 26,6$; Altitude = 16,6; and Solidity = 9308,4. W. W. R.

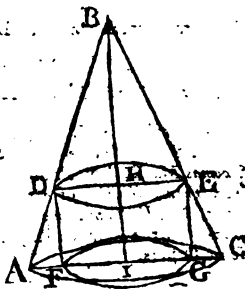
N. B. The Diameter and Altitude of the Cylinder is to the Diameter and Altitude of the Cone, as $\frac{2}{3}$ to 1, and as $\frac{1}{3}$ to 1, when the Cylinder is greatest.

Mr. William Wells answered this Question in the same Manner and Numbers, viz. the Cylinder's Height = $\frac{1}{3}$ of the Cone's Altitude; whence the Cylinder's Solidity = 9308,3606 &c.

Mr. Thomas Wilkins answered it in the same Manner and Numbers, making the Solidity of the Cylinder = 9308,34 &c. Mr. John Swan of Burton Free-School, Derbyshire, and Mr. Joseph Scott, likewise answered it. Mr. Pent tells how it may be solved;

Mr. P. Antropus, Mr. Isaac Tarrat of Epsom, Mr. Thomas Sadler, and some Others, solved the same.

Mr. Walker (in his Letter dated Stanton Bury, near Newport Reginal, Bucks) informs us, that the foregoing Question is in Heron's Mensuration, and was not proposed or sent by Chesterfieldingus. Which Mistake of our annexing his Name thereto, we therefore think



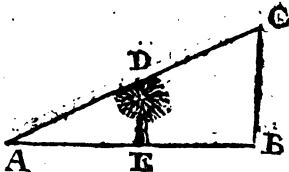
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This Correspondent also informs us of the Death of *Chesterfield*, or Mr. *Richard Ross*, Mathematical Master at *Chesterfield*, in January 1763. Who was distinguished (he says) by *Birchworth* to his mathematical Productions in the *Ladies Diary*. Who has left a worthy Character, and an amiable Daughter of transcendent Qualities, behind him?

¶ We sincerely regret the Loss of this worthy Correspondent, who was indefatigable in Science, and a generous Promoter and Encourager thereof.

XXVI. QUESTION 257, answered by Mr. Isaac Tarrat, of Epsom.

LET CB represent the Maypole, and ED the Tree; then the $\angle BAC$ is given $10^\circ 12'$, and Distance AB = 100 Yards; whence, by plane Trigonometry, AC = 101.6 and the Maypole's Height BC = 18 Yards: Put $a = 100$, $b = 101.6$, $c = 18$, $x = AD$: Then $a^2 - x^2 = DC^2$, (P. 47. c. 1.) $x^2 + a^2 - 2ax + x^2 + c^2 = b^2$, and $x^2 + a^2 - 2ax + x^2 = b^2 - c^2$; $\therefore 2x^2 - 2ax = b^2 - c^2 - a^2$, a Maximum.



In *Maxima*, $4x^2 - 2ax = 0$; whence $4x = 2a$; $x = \frac{a}{2} = 50$;

whence, by *sim. Tri.* as 100 : 50 :: 18 : 9, the Height of the Elm Tree, W. W. R.

Mr. P. *Archus* finds the Maypole's Height = 17.99 or 18 Yards; from whence he determines the Elm's Height 10.88 Yards.

Mr. *Willis* finds the Maypole's Height the same; who (for Want of considering the *Data* according to the Author's Meaning) thinks that the placing of the Elm Tree has Nothing to do in the Question. Mr. *Joseph Scott* gave the Maypole's Height likewise; but Mr. *Tarrat* only considered and answered the Question as the Author meant it.

XXVIII. QUESTION 258, answered by Mr. Edward Johnson.

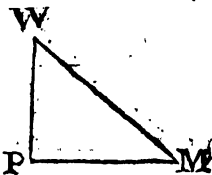
LET P be the Place where Mr. *Sadler* stood; W, *Wrenbury*; M, *Mansbury* Church. Put PW = x , PM = y , then by the Nature of Sound,

and per Question, $\frac{3}{x} = \frac{5}{y}$, $\therefore x^2 =$

$\frac{3y^2}{5}$. But the Angle P being a right

line, and WM = 4 Miles, we have

$x^2 + y^2 = 4^2$ (WM²): Hence $x^2 = 4 - y^2$, \therefore



XXV. QUESTION 256, answered by Mr. Thomas Walker.

PUT $a = BI = 50$; $b = AC = 40$; $p = ,7854$; and $x = HI$ the greatest Height of the required Cylinder; then as $a + b$

$$:: a - x : \frac{ab - bx}{a} = DE = FG ;$$

but by a known Theorem, the Solidity of the Cylinder =

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which per Question is a Maximum,

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$$= \frac{2}{3}a \pm \frac{1}{3}a = \frac{1}{3}a = 16,6. \text{ W. W. R.}$$

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PUT $a = 50$, $b = 40$ Inches, and $x =$ Cylinder's Diameter.

Per similar Δs , $b : a :: \frac{x}{b} ::$ Part of the Cone's Axis extra

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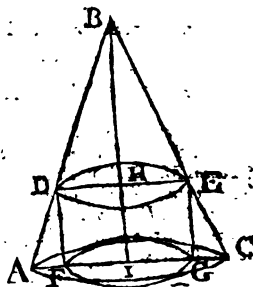
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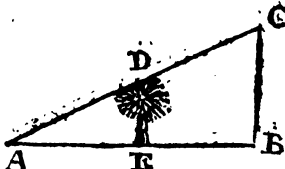
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In *Algebra*, $4x^2 - 2ax = 0$; whence $4x = 2a$; $x = \frac{a}{2} = 50$;

whence, by *sim. Tri.* as $100 : 50 :: 18 : 9$, the Height of the *Eln Tree*. W. W. R.

Mr. P. *Archus* finds the Maypole's Height = 17.99 or 18 Yards; from whence he determines the *Eln's* Height 10.88 Yards.

Mr. *Willius* finds the Maypole's Height the same; who (for Want of considering the *Data* according to the Author's Meaning) thinks that the placing of the *Eln Tree* has Nothing to do in the Question. Mr. *Joseph Scott* gave the Maypole's Height likewise; but Mr. *Tarrat* only considered and answered the Question as the Author meant it.

XXVIII. QUESTION 258, answered by Mr. Edward Johnson.

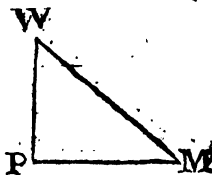
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and per Question, $\frac{3}{x} = \frac{5}{y}$; $\therefore x^2 =$

$\frac{5y^2}{3}$. But the Angle P being a right

line, and $WM = 4$ Miles, we have

$x^2 + y^2 = 4^2$ (WM^2); Hence $x^2 = 4 - y^2$; \therefore



$\frac{5y^2}{3} = 4 - y^2$, whence $y = \frac{\sqrt{6}}{2} = 1,22474$; and consequently

$x = \sqrt{4 - y^2} = \frac{\sqrt{10}}{2} = 1,58113$ Miles, the Distance of Mr.

Sadler from each Town. W. W. R.

A Contributor, who files himself *Yorkshire Jack*, said the Distance or $y = 1,2246$ Miles; who also answered the *Prince's Question*; but as this Correspondent hides himself, we cannot find him.

Mr. Walker's Answer.

IN the above Figure, let P represent Mr. Sadler's Station at Norbury; W, Wrenbury, and M, Marbury. Put $x = PM$, and $y = PW$: Then, since the Force of Sound decreases as the Squares of the Distances increase, and, by the Question, the Triangle AMW is right-angled at P; and MW given = 2 Miles = a ; (per 47. c. 1.) $a^2 = x^2 + y^2 \therefore a^2 - x^2 = y^2$. But, by

Data, and Motion of Sound, as $3 : 5 :: x^2 : y^2$, $\therefore \frac{3x^2}{5} = y^2$

$= a^2 - x^2$, $\therefore \frac{5a^2}{8} = x^2$; whence $x = a \sqrt{\frac{5}{8}} = 1,5811$

Miles, and $y = 1,2247$, required.

Mr. William Wells answered the same, as also Mr. Thomas Marshall of Blencbland.

Mr. Wilkins, by a Method like the above, finds the Distance of Mr. Sadler from Wrenbury = 1,5811 Miles, and from Marbury 1,2247, agreeing with Mr. Walker: Mr. Lyon of Margate also solved the Question; as did Mr. Joseph Scott, Mr. Isaac Tarrat of Epsom, Mr. P. Antrobus, Mr. Alexander Rowe, and Others.

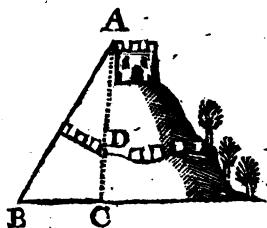
XXVIII. QUESTION 259, answered by Mr. Thomas Sadler.

LET A represent the Castle, AB the Giant Rock, $b = 16\frac{1}{2} = a = 8$, $x =$ the Castle's Altitude = CA, $y = BC$; whence it is

evident by Mechanics, $\sqrt{\frac{x}{b}}$

will express the Time the Stone will take to fall down the perpendicular Height AC. But as x :

$\sqrt{\frac{x}{b}} :: \sqrt{x^2 + y^2} : a$, the



Time of its falling down AB, whence $ax = \sqrt{\frac{x}{b}} \times \sqrt{x^2 + y^2}$

$\therefore y^2 = ba^2x - x^2$. Likewise $xy^2 = ba^2x^2 - x^3$, a Maximum, per Question. In Fluxions, $2ba^2xx - 3x^2\dot{x} = 0$. Consequently,

$x =$

$x = \frac{2}{3}ba^2 \approx 687,36 = CA$; the Rock and Castle's Altitude

$= 229,12$ Yards, the same as quoted by Miss Radmore at the Bottom of her Question. W. W. R.

The PRIZE-QUESTION answered by Mr. Thomas Marshall, of Blencland, near Hexham.

THE Value of all such *analytical Fractions* (the Numerator and Denominator vanishing when the variable Quantity x is perfectly equal to the *constant* Quantity a) may be estimated by supposing x a very small Difference less than a . The correct Value of the Fraction, from the *infinitely small Difference* between x and a , or none at all, is vanishing, with the Numerator and Denominator, when x is perfectly equal to a , will be therefore represented by the *Fluxion* of the Numerator divided by that of the Denominator; x being then made equal to a : For the infinitely small Differences of Quantities are *nearly* as their Fluxions, and *ultimately*, at vanishing, are *certainly* so.

Given $\frac{x \times \sqrt[3]{9a^3 - x^3} - 2ax}{a - \sqrt[3]{axx}}$; whereof the Fluxion of the

Numerator $= \frac{x \times \sqrt[3]{9a^3 - x^3} - 2ax}{a - \sqrt[3]{axx}}$, $-x^3 \times \sqrt[3]{9a^3 - x^3}^{-\frac{2}{3}} - 2ax$

Denominator $= -\frac{2axx}{3} \times \sqrt[3]{axx}^{-\frac{2}{3}}$

(making $x = a$) $= \frac{-ax}{4}$ divided by $\frac{-2x}{3} = \frac{3a}{8} =$ (when $a = 100000$) 37500 *l.* the Captain's Prize-Money, required.

The same answered by Mr. E. Johnson, of Hull.

LET the given Fraction $\frac{x \sqrt[3]{9a^3 - x^3} - 2ax}{a - \sqrt[3]{axx}} = \frac{N}{D}$

Since the Numerator and Denominator both vanish when $x = a$, we need only compute $\frac{\dot{N}}{\dot{D}}$; because, in all such Fractions, the *ultimate Ratio* of N to D is that of \dot{N} to \dot{D} , when $x = a$.

But $N = \frac{9a^3x^2 - 2x^3x}{9a^3x^2 - x^6} - 2ax$; and $D = \frac{-2axx}{3 \times \sqrt[3]{axx}^{\frac{2}{3}}}$

Whence, by Division, we get $\frac{\dot{N}}{\dot{D}} = \frac{-3 \times \sqrt[3]{axx}^{\frac{2}{3}}}{2ax} \times$

$\frac{9a^3x^2 - 2x^3}{9a^3x^3 - x^6} - 2a = (\text{when } x=a) \frac{3a}{8} = 37500\text{ l. the Clap-}$
ton's Share of the Prize. W. W. R.

Another Correspondent (stiling himself *Yorkshire Jack*) answered this Question in the same Manner; but as he conceals himself, he cannot expect we should find him.

Remark by the Author.

PUTTING the given Fraction $\frac{x \times 9a^3 - x^3}{a - ax} = 2a$

$\frac{3a}{8}$, reduced &c $x \times 9a^3 - x^3 = 16ax + 3a^2 - 3a \times ax$; and
 (making $x=a$) $16aa = 19aa - 3aa = 16aa$; a Proof of the fore-
 going Solution being true.

By Division (when $x=a$) $\frac{a^2-x^2}{a-x} = 1$, $\frac{a^2-x^2}{a-x} = a+x = 2a$;

$\frac{a^3-x^3}{a-x} = a^2+ax+xx = 3a^2$; $\frac{a^4-x^4}{a-x} = a^3+a^2x+ax^2+x^3 = 4a^3$, &c.

By Fluxions, $\frac{-x}{x^2} = 1$, $\frac{-2xx}{-x^2} = 2x = 2a$; $\frac{1 \cdot 3x^2}{-x^2} = 3x^2 =$

$3a^2$; $\frac{-4x^3x}{-x^2} = 4x^3 = 4a^3$, &c. agreeing with the first Conclu-

sions.

* The Names of the three Competitors for the Prize (Mr. John-
 son, Mr. Marshall, and *Yorkshire Jack*) being wrote on three Pieces
 of Paper, then doubled up, and drawn as Lottery Tickets by Am-
 anda out of Amicus's Hat, the first drawn, or Prize Ticket, contain-
 ed Mr. Marshall's Name, of Blanchland, near Winkham, who there-
 fore claims the PRIZE, equivalent to 12 former Palladiums.

XXX. Question 264, answered by Mr. Edward Johnson.

PUT $xy=x$, then, by Substitution, the 1st Equation becomes

$\frac{x^2+y}{x} = 2,3625 = a$, $\therefore x^2+1 = a$ and solved $x=1,25$. By

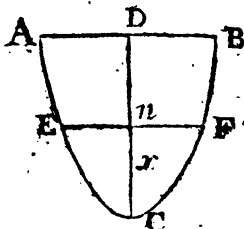
the second Equation $\frac{xy}{y} = 1$, and $x=1,25$. Whence $xy = \frac{1,25}{1,25} =$

40 , and $xy = 50$, the required Ages. W. W. R.

Mr. Sanderson, of Harborough, answered the same, as did the
 Proposer, Mr. Paul Sharp.

XXXI. QUESTION 262, answered only by the Proposer, Mr. Paul Sharp, of Biddenden, in Kent.

DEMONSTRATION. Let ABC (in the Figure annexed) represent the Vessel with its Vertex downwards. Put the Axis $DC = a$, Radius of the Base $= b$; and the Time in which a Cylinder, whose Height and Base are equal to the Axis and Base of the Conoid, will empty itself through the same Hole in the Bottom, when full of Water, with its first or greatest Velocity, $= t$; also let y denote the Time of the Vessel's emptying; and $x = Cx =$ any variable Altitude of the running out Water's Surface. Then, per Conics, as



$a : b^2 :: x : \frac{b^2 x}{a} = \frac{b^2 x}{a}$; $\therefore \frac{cb^2 x}{a} =$ Area of the circular

Base at the Altitude Cx (or x), whence $\frac{-cb^2 x}{a\sqrt{x}} =$ Time of

emptying to that Altitude. But as $a : t :: -x : \frac{-tx}{a} =$ Time

at the first Instant: Whence, $\frac{-tx}{a} : \frac{-cb^2 x}{a\sqrt{x}} :: y : \frac{-cbx^2 y}{a\sqrt{x}}$

$\therefore \frac{tx}{a\sqrt{x}} = \frac{-y}{\sqrt{x}}$, which reduced gives $y = \frac{-tx}{a^{\frac{3}{2}} x^{\frac{1}{2}}}$

$= \frac{-a}{3} \times \frac{x^{\frac{3}{2}}}{a^{\frac{3}{2}}}$; but in the Point D, $y = a$, and $x = a$, $\therefore y$

$= \frac{3}{2} t - \frac{a}{3} t \times \frac{x^{\frac{3}{2}}}{a^{\frac{3}{2}}}$. But $x = a$, conseq. $y = \frac{2t}{3}$, the correct

Floant, or Time required.

IV. B. By the same Way of Reasoning, when inverted, putting $x = Dc$, b , t and y denoting the same as before, we shall have $y = \frac{tx - \frac{cbx^2}{a}}{\sqrt{ax}}$, and $y = \frac{4}{3} t$, the correct Floant; equal to the Time

of emptying, with the Base downwards; which is exactly double the former Time. Q. E. D.

Corollary 1. Hence the Time of emptying a Vessel in Form of a parabolic Conoid, when full of Water, with its Vertex downwards is $= \frac{2}{3}$ of the Time of its circumscribing Cylinder's emptying through the

the same Office. And the Time of emptying with its Base downwards is $= \frac{2}{3}$ of that Time.

Corollary 2. The Time of emptying any *Frustum* of the said *Coid*, with the Base downwards, is $= 2t - \frac{2ib}{3c+3b}$. And, when

inverted, $= 2t \times \frac{b}{3b+x} + \frac{c}{b+c}$; b being the Height of the

Frustum, c = the Part of the *Axis* cut off, and the Time of emptying its circumscribing Cylinder, with its first or greatest Velocity $= t$.

XXXII. QUESTION 263, answered by Mr. Edward Johnson, of Hull, only.

THE three Fractions $\frac{-71}{2}$, $\frac{369}{2}$, $\frac{409}{2}$, or the 3 whole Num-

bers, — 184, 200, and 584, are in arithmetical Progression, and will answer the Question. — For the Sum of every two is a Square, as the Question requires. — But as the least Number, in both Cases, is Negative, the Beauty of the Question is destroyed, and therefore I shall not trouble you with the Investigation.

XXXIII. QUESTION 264, answered by Mr. Isaac Tarrat, of Epfom.

WHEN the Dominical Letter, O. S. is F, it is evident, by Tab. P. 66, *Pall.* 1763, that the Sun's Cycle must be 7, 18, or 24. Hence, the Moon's Cycle being 9, and Indiction 9, given, trying the Sun's Cycle 7, we find, by Rule, P. 160. *R. Astron.* (4845 by the Sun's Cyle, 4200 by the Moon's Cycle, 6916 by Indiction, dividing the Sum of their Products by 7980 for the Julian Period to remain) that the Julian Period correspondent is 6279; answering to 1566 current since, or 6415 current before Christ, when the Moon's Cycle and Indiction are 9 each; and Julian Dominical Letter F. — But then we find (by Tab. P. 3. *Pall.* 1762) the Dominical Letter, N. S. to 1566 since Christ, is B instead of D given; and to 6415 before Christ, E instead of D. — Yet, by adding and subtracting a Number of Julian Periods, Dates may be found before and since Christ, to answer all the required Circumstances of the Question, to Sun's Cycle 7.

But, by the said Rule, trying 18 the Sun's Cycle, and the Moon's Cycle and Indiction 9 each, we have 3714 Julian Period, or 1000 before Christ, when the Dominical Letter O. S. is F, (see *Pal.* 1762, P. 4.) and D for N. S. (by same *Pal.* P. 3.) which 3 first Circumstances happen again in a Julian Period of 7980 Years, viz. in 6981 since Christ (and not before,) when the Dominical Letter is G for N. S. instead of D given, (by Tab. P. 3. *Pal.* 1762.) Therefore, to have it D, add a Julian Period of 7980 Years to 6981 since Christ, and the Sum is 14961 current since Christ, when all the 4 Circumstances soonest happen, after the 1000th Year current before Christ.

N. B.

N. B. There are many other Dates to be assigned for the same 4 Circumstances to happen by a Revolution of the same Julian and Gregorian Letters in 2800 Years, which being multiplied by 7980, a Julian Period, in which all the 3 first Circumstances can happen, produce a Period of 22344000 Years. W. W. R.

XXXIV. QUESTION 265, answered by Mr. Tarrat, of Epsom.

BY Tab. P. 66. *Pal.* 1763, when the Dominical Letters O. S. are FE, the Sun's Cycle is 13; hence the Moon's Cycle and Indiction are 13 each. — By Rule, P. 160, *Royal Astronomer and Navigator*, the Julian Period is then 13, answering to 4701 current before Christ, when the Julian Dominical Letters are FE, Moon's Cycle and Indiction 13 each; but the Dominical Letters, N. S. (by *Tab. P. 3. Pall.* 1762) we find CB instead of DC given. Add 9 Julian Periods to this Date (in each of which Periods the 3 first Circumstances return) and the Sum will be 76521 before Christ, when the Gregorian Dominical Letters are DC as given. Now, going 10 Julian Periods forward to 3280 current since Christ, the Julian Dominical Letters are then FE, Moon's Cycle and Indiction each 13; but the Dominical Letters, N. S. are GF instead of AG, given. — To which Date of 3280, add 2 Julian Periods, of 15960 Years, and the Sum will be 19240 since Christ; when all the required Circumstances soonest happen, from 76521 before Christ, viz. Julian Dominical Letters FE, Gregorian AG, Sun and Moon's Cycle, and Indiction, 13 each. W. W. R.

No other Rule and Method can be found so quick, certain, and easy as the above, by which the Answer is given. Can Kennedy's or Rivet's Rules answer these Things?

XXXV. QUESTION 266, answered by Mr. T. Marshall, of Blechnland.

BY P. 211, *Jones's Synopsis Palmeriorum*, if a denotes an Annuity (of 10 $l.$) x = the Amount of 1 $l.$ and its Interest for a Year (= 1.05), s = a Debt (= 100,) and n = the Years in which

that Debt is to be payed off, then
$$n = \frac{l. a - l. a + s - sx}{l. x} =$$

$$\frac{l. 10 - l. 110 - 105}{l. 1.05} = \frac{l. 10 - l. 5}{l. 1.05} = \frac{.3010300}{.0211893} = 14,2066 \text{ Yrs.}$$

OTHERWISE.

BY Mr. *Eberfen's* new Tables of Interest, Example 14, Page 168, of his newly published *Improved Arithmetick and Geometry*, sold by Mr. *Nourse*: At 10 $l.$ Annuity or Rent, to 100 $l.$

ready Money, so 1 Rent to $\frac{100}{10} = 10$, the present Worth of 1 $l.$

Annuity, for an unknown Time.

Take a Number of Years by Guess, and find the Amount of 1 $l.$ Annuity, by *Tab. IV. compound Interest*; and also the Amount of 1 $l.$ for those Years, at compound Interest, by *Tab. III.* dividing the former by the latter, for the present Worth of 1 $l.$ Annuity; repeating the Operation, till by Trial and Error, the Result agrees with the above

above present Worth of 1 L. Annuity, viz. 10 L. for Time unknown.

Pres. Worth
Am^t of 1 L. Ann. for 14 Yrs. comp. Int. 5 per Ct. = 19.59863

Am^t of 1 L. at comp. Int. 5 per Ct. for 14 Yrs. = 1.97993

Am^t of 1 L. An. for 15 Yrs. comp. Int. 5 per Ct. = 21.57856

Am^t of 1 L. at comp. Int. 5 per Ct. for 15 Yrs. = 2.07893

Say, As 482 : 1 Year :: 102 : 21 to be added to 14, = 24, 24 Years, *scilicet*, as above, by *James's Synopsis*, without the Use of Logarithms. W. W. R.

SOLUTION to QUESTION VL Palladium 1762. By Newtonianist.

IT is extremely easy to find the Latitude $54^{\circ} 56'$ where *Sirius* and *Aldebaran* set together; and the Latitude may be found as easily when *Sirius* and *Aldebaran* rise together; and also when they are in a perpendicular Line, and either of them rising.

Mr. T. Walker gives this analytical Solution.

LET r and d = Tangents of the Declination of *Sirius* and *Aldebaran*, respectively. Also let a and r = their Sines; and s and p = Cosines of their right Ascensions, respectively. Put x = Tangent of the required Latitude. Then, $1 : x :: 1 : \tan S. ascen-$

sional Difference of *Sirius*. Moreover, $\sqrt{1 - r^2 x^2}$ = its Cosine.

And, by a known Theorem in Spherics, $a \sqrt{1 - r^2 x^2} = \sin x$ = Sine of the oblique Descension of *Sirius*. And, by the same Method

of Reasoning, we have $r \sqrt{1 - d^2 x^2} = \sin x$ = Sine of oblique

Descension of *Aldebaran*. Whence, by Quest. $a \sqrt{1 - r^2 x^2} = r \sqrt{1 - d^2 x^2}$

$= r \sqrt{1 - d^2 x^2} + dx$. From which Equation the Value of x may be determined.

The same answered by Mr. Thomas Sanderson of Harborough.

BY Tables in the Royal Astronomer, *Sirius's* Right Ascension $98^{\circ} 41'$, Declination $16^{\circ} 22' 53''$ South; and *Aldebaran's* right Ascension $65^{\circ} 36'$, Declination $16^{\circ} 0' 51''$ N. to the Year 1763.

If *Sirius* and *Aldebaran* had no Declination, then *Aldebaran* would set as much before *Sirius*, in all Latitudes as his right Ascension is less than *Sirius's*, or $33^{\circ} 6'$ turned into Time. — But *Sirius's* Declination being South, his ascensional Difference must be subtracted from his right Ascension to find the Point of the Equator setting with *Sirius*. And *Aldebaran's* ascensional Difference must be added to his right Ascension to find the Point of the Equator therewith setting; which Difference and Sum must be equal. Hence, putting

$x =$

x = Tang. Lat. required; a = Tang. $16^{\circ} 22' 58''$; b = Tang. $16^{\circ} 0' 54''$ = Sine $33^{\circ} 6'$. By *Spherics*, $1 : x :: a : ax$ = Sine asc. Dif. of *Sirius*. And, as $1 : x :: b : bx$ = Sine asc. Dif. of *Aldebaran*. Now, by a known Theorem, in *Spherics*,

$ax \sqrt{1 - bx^2} + bx \sqrt{1 - ax^2} = c$. From which Equation x = $44^{\circ} 25' 30''$ Lat. North, where *Sirius* sets with *Aldebaran*. W. W. R. — As the above Lat. dif. fr. $54^{\circ} 56'$ before found, the Equation must be wrong or wrong solved.

CORRECTIONS by Mr. ALEXANDER ROWE.

SOLUTION, P. 40, Pal. 1763. Let an *Abscissa* = $3 = a$; and Semi-ordinate = b ; whose Curve = $3.7684 = c$; and x = the required *Abscissa*. Per similar Figures, $a : b :: x : \frac{bx}{a} = \frac{c}{3}$

the required Ordinate; and, $a : c :: x : \frac{cx}{a} = \frac{1}{3}$ the required

Curve. Moreover (per *Fluxions*) $\frac{2}{3}x$ = Breadth of the greatest inscribed Parallelogram; and by *Parabolic Property*, [a new Discovery, I believe never before published] $x^2 : \frac{b^2 x^2}{a^2} :: \frac{4x}{3} : \frac{4b^2 x^2}{3a^2}$

= Square of the inscribed Parallelogram's Length, $\therefore \frac{2bx}{1.73205a}$

$\times d \frac{2}{3}x = \frac{2cx}{a}$, per Quest. or $\frac{2bx}{5.19615a} = \frac{c}{a}$. Hence, $x =$

$\frac{3.7684c}{2b} = 4.8953$, Ordinate = 6.527 : Whence, the parab

lic Area = 21.301 , and Curve = 12.2983 , = Area of the greatest inscribed Parallelogram, W. W. R.

Mr. Thomas Walker, of Stanton Bury, near Newport Pagnel, Bucks, [or *Buckensfis*] makes the following Remarks on several Questions and Solutions sent us by Mr. Rowe.

In Palladium, 1763.

HE says, *Quest.* 3d is similar to *Quest.* 69, *Ladies Diary*, 1719. *Quest.* 4. is essentially the same as Prop. 16, P. 92, *Emerson's Fluxions*; where is an elegant Construction of this Case.

Quest. 18. is the very same as *Quest.* 150, *Ladies Diary*, 1730. — That Some shew their Skill in turning an old Coat to Advantage; altering the Shape of it a little, by adding the Word *Conic* to *Parabola*; an Expression he never saw before; [though all *Parabolas* are called *conic Sections*, and therefore are *conic* or *conical*,

H

That

That *Quest.* 10th, same *Pall.* is essentially the same as *Quest.* 158, *Martin's Magazine*, whence that Question and its Solution, he says, are taken. Who refers us to the *Gentleman's Diary* for 1738, *Quest.* 8, and its Solution at P. 32, next *Diary*. [See *Mr. Walker's Solution* to *Quest.* XV. this *Pall.* compared with *Mr. Chapman's Solution*.]

Whoever sets up *Error* for *Truth*, it is reasonable they should be confuted, that *Truth* may be established; *Mr. Walker* should name the *Tyros* he mentions, (strutting in borrowed Plumes in the *Palladium* 1763, by Example of their *Leader*) that *None* may be suspected of wearing false Characters, or Tinsel for solid Gold.

Mr. J. Knowles, of *Epston*, observes, in Answer to *Mr. Hayden's* Objections against him, (in P. 18. *Pall.* 1763,) that he never was guilty of the Sin of *Plagiarism*, and the Things there laid to his Charge. Who says, he submits the same to the Judgment of the capable and impartial; but not to the Candour and Veracity of the Student of *Hertford College*; whose Abilities (he says) in many Instances of his remarkable Accomplishments and distinguished Qualities are too well known at *Epston* to be disputed. Who therefore refers the Curious for farther Particulars to the present Place of that worthy Author's Abode, at *Leather-Breeches College*, in *Chebbunt, Hertfordshire*.

A full, complete, and true ANSWER, to *Mr. RIVET's* astronomical Question, at P. 76; *Palladium* 1763. By *Cassius*, Chamber Counsellor in the Middle Temple, London.

THE *Sun* evidently enters *Libra* each Year, precisely at Noon to a Moment, under some Meridian: Consequently has entered, and will continue to enter, that Sign, precisely at Noon to a Moment, in each Year of every King's Reign since the Creation. W. W. R.

If the Querist should object, that he meant the Meridian of *Greenwich Observatory*, or some other particular Meridian, where he required the Year and Month-day of the Sun's Entrance into *Libra*, at Noon, precisely to a Moment; the Answer will be, that as his *Query* published was a true Copy from his Letter, not containing Words of any such Import, and as he made no Mention where a Time-measurer could be had to measure Moments (or the least Part of Time possible,) he therefore would be nonsuited by his Plea of Error, in requiring an impossible Answer: Since there is no exact Commensurability, in any finite Time, between the true solar and anomalous Year. Though after a certain Number of Revolutions, to be determined from the Royal Astronomer, there will be a near Coincidence with the same Place of the Earth's Orbit, or Sun's Place in the Ecliptic.

TO determine the Number of Leap-Years back or forward; when the Sun did enter and will enter Libra, nearly, at Noon, according to mean Motion.

Since	☉ in Δ Sep. 12, O. S.	☉ in Δ Sep. 12, O. S.	To find the
Lbr.	h m s	h m s	Years. back,
1760	+ 3 16 38 = + 197	- 20 43 22 = - 1243	when the Sun
1761	+ 9 5 41 = + 546	- 14 54 19 = - 894	nearly entered
1762	+ 14 54 25 = + 894	- 9 5 35 = - 546	at Noon,
1763	+ 20 43 1 = + 1243	- 3 16 59 = - 197	by a Number

of whole Days, and as many Minutes over, as be was short of Libra, September 12, 1760, 61, 62, or 63, O. S.

By MULTIPLES, DIVISORS, and REMAINDERS.

Let x = No. of 4 Julian Years back from $\left. \begin{matrix} 1760 \\ 1761 \\ 1762 \\ 1763 \end{matrix} \right\}$ respectively.

Take the mean solar Year = $365^d 5^h 49^m$ in nearest Minutes.

Then, in $\left\{ \begin{matrix} \text{back} \\ \text{forw.} \end{matrix} \right\}$ Sun enters $\left\{ \begin{matrix} m \\ \text{Equinoxes.} \end{matrix} \right\}$ later, $\left\{ \begin{matrix} + \\ - \end{matrix} \right\}$ sooner, —

Whole Nos. Whole Nos.

$$\text{And 1. } \frac{44x - 1244}{1440} = \frac{11x - 311}{360}, \text{ 1 Min. more than the Time [of Equinox.]}$$

$$2. \frac{44x - 892}{1440} = \frac{11x - 223}{360}, \text{ 2 Min. less than Time of Equinox.}$$

$$3. \frac{44x - 544}{1440} = \frac{11x - 136}{360}, \text{ 2 Min. less than Time of Equinox.}$$

$$4. \frac{44x - 196}{1440} = \frac{11x - 49}{360}, \text{ 1 Min. less than Time of Equinox.}$$

N. B. This Nearness is used to get x the lowest whole Number possible.

$$33 \text{ Times 1st wh. Numb. } = \frac{363x - 183}{360} = 28, \text{ a whole Numb.}$$

$$= \frac{360x}{360}, \text{ a whole Number.}$$

$$\text{Rem. } \frac{3x - 183}{360}, \text{ wh. Numb. 4 Times which } = \frac{12x - 372}{360} = 7, \text{ a whole Number.}$$

H 2

Take

Take away 1st or $\frac{11x-311}{360}$, and there rem. $\frac{x-61}{360}$, wh. Numb.

= a ; whence $x = 360a + 61$.

Here, when $a = 0$, $x = 61$ Lp. = 244 Years.

$a = 1$, $x = 421$ Lp. = 1684 Years.

&c. back from 1760.

Again, 33 Times 2d wh. Numb. = $\frac{363x-159}{360} = 20$, a wh.

Number, — $\frac{360x}{360}$, a whole Number.

Rem. $\frac{3x-159}{360}$, wh. Numb. 4 Times which = $\frac{12x-276}{360} =$

1, a whole Number.

Take away $\frac{11x-223}{360}$, there rem. $\frac{x-53}{360}$, a whole Number,

= a , whence $x = 360a + 53$.

When $a = 0$, then $x = 53$ Lp. = 21 Years.

$a = 1$, then $x = 413$ Lp. = 1652 Years.

&c. back from 1761.

By the same Way of Reasoning, for $\frac{11x-136}{360}$, a whole Numb.

$x = 360a + 176$.

When $a = 0$, then $x = 176$ Lp. = 704 Years.

$a = 1$, then $x = 536$ Lp. = 2144 Years.

&c. back from 1762.

Also for $\frac{11x-49}{360}$, a whole Numb. $x = 360a + 299$.

When $a = 0$, then $x = 299$ Lp. = 1196 Years.

$a = 1$, then $x = 659$ Lp. = 2636 Years.

&c. back from 1763.

If the second Equinox had been the 12th of September, — 896 Minutes, 2 Minutes more than Time. Then $x = 184$ Lp. = 736 Years back from 1761. Third Equinox the 12th of September, — 548 Minutes, 2 Minutes more than Time; then $x = 304$ Lp. = 1228 Years, back from 1762.

When the Minutes the Equinoxes want of September the 12th, to be subtracted from $44x$, cannot be divided by 4, they must be reduced thereto, or the Question cannot be solved so near; for to

solve $\frac{44x-1243}{1440}$, a whole Number, is impossible.

Hence,

Radical	⊙ in	O.S.	N.S.
Dates	Yrs. at Noon	d d d	d
Hence, 1760—	244=1516	Sept. 12+1=13	Sept. 23
1761—	212=1549	Sept. 12+1=13	Sept. 23
1762—	704=1058	Sept. 12+5=17	Sept. 23
1763—	1196=567	Sept. 12+9=21	Sept. 23
	m Lp. Yrs.	d	m

$$\text{For } \begin{cases} 44 \times 61 = 1 + 1244 \\ 44 \times 53 = 1 + 892 \\ 44 \times 176 = 5 + 544 \\ 44 \times 299 = 9 + 196 \end{cases}$$

And as the Minutes above the 11th and under the 12th of September, when the Sun entered *Libra*, for the Years 1760, 61, 62, and 63, are the Complements of one another to 24 Hours, and the Reverse of one another for those Years; therefore,

Radical	⊙ in	O.S.	N.S.
Dates	Yrs. at Noon	d d d	d
1760+1196=	2956	Sept. 11—9=2	Sept. 22
1761+704=	2465	Sept. 11—5=6	Sept. 22
1762+212=	1974	Sept. 11—1=10	Sept. 23
1763+244=	2007	Sept. 11—1=10	Sept. 23
	m Lp. Yrs.	d	m

$$\text{For } \begin{cases} 44 \times 299 = -9 - 196 \\ 44 \times 176 = -5 - 544 \\ 44 \times 53 = -1 - 892 \\ 44 \times 61 = -1 - 1244 \end{cases}$$

N. B. The above Times are but a *near Computation*; because the mean Year was not taken *exact*, and because, if it had, the Sun's mean *Anomaly* (on which the Sun's Equation of his mean to the true Place depends) changes by 1', 02497839 Minutes of a Degree = 1' 1" 29" 55iv. 20v. *less* in every mean Year or Revolution *forwards*, or as much *more* for every mean Year or Revolution *back*. And therefore, though the Sun's mean and true Place returns the same in every annual Revolution, yet the Sun's *Equation* being different, he cannot return to the same Point of the *Ecliptic*, according to the Difference of mean solar and Julian Years; nor yet truly enter any particular Sign at the mean or true Noon precisely on any *Month-day*, deduced from mean Motion. And therefore, to compensate, in a small Measure, for the *Error* between *mean* and *true Motion*, in the Difference of the Sun's mean *Anomaly*, (which this *Computation* makes not to alter; 365^d 5^h 49^m, is assumed for the true instead of 365^d 5^h 48^m 54^s 46th 10th, see *Royal Astron.* P. 120, the observed Length of the mean Year, being nearly 5 *Seconds* assumed too much; which in a *small* Number of Years back or forward, does not vary much from the Truth; but is quite wide of Truth in a *great* Number of Years, and especially for the *vernal Equinox* or the *Solstices*; the Sun's Equation for *Libra* varying less than for any other *Equinox* or *Solstice*; because it is then nearly at the *greatest*, and a great Change of the Sun's mean *Anomaly* to greater (for Years back) makes but little Change in the Sun's Equation.

TO determine in what Year of the 1500th Century, the Sun comes the nearest to Libra, at Noon, in the Meridian of Greenwich, according to the Principles of the Tables in the Royal Astronomer, or the true solar Motion observed.

	Sun's M. Pl.	Sun's Apogee.	
By R. Astron. P. 8.	8 0 1 "	8 0 1 "	
1500	9 19 26 59	3 4 18 29	
P. 9. Sept. 13	8 12 19 32	43	
P. 17. Sun's near	6 1 46 31	3 4 19 12	
Eq. with cont. Sig. }	— 1 55 37	6	
	— 5 29 50 54	2 25 40 48	[Anom.]
	6	Sub. from — 20 30	☉ nearly true
		above An.	20 Yrs Mot. ☉
			Ap. by 1st Oper.
Sun's M. Mot. for 2	0 0 9 6	2 25 20 18	☉ true An.
Yrs. above Hunds. }			
P. 9. nearest Yrs. 20	9 6	+ 1 55 35	☉ Eq. corresp.
			[P. 17.]
By 1st Operation ☉ in ♌ at Noon,		6 1 55 35	☉ m. Pl. when
1520, Sept. 13.			truly in ♌.

Hence, 1500 9 19 26 59
Mot. Yrs. 20 — 9 6
Sept. 13 8 12 19 32

☞ By the second Operation, Sun past Libra, 1520, September the 13th, at Noon; by 2^d only.

Sun's M. Pl. at Noon 6 1 55 37
Sun's true Equation — 1 55 35

Sun's tr. Pl. 1520 6 0 0 2

P. 9. Royal Astron. shews at Sight, that 53 Years Motion = 9' 21", or 1553, Sept. 13; when the Sun past Libra 22" at Noon. Also, P. 9; 49 Years Motion = 7' 31", or 1549, September 13; when the Sun was short of Libra 1' 28", at Noon. So in 1648, Sept. 12, the Sun was short of Libra 24" at Noon. 1681, Sept. 12, the Sun was short of Libra at Noon, 1" only. In 1714, September 12, the Sun was past Libra 23" at Noon. And lastly, in 1747, September 12, the Sun was past 45" at Noon; all in the Meridian of Greenwich.

* By the foregoing Computations it may be seen, that there will be numberless shorter Periods than 1440 solar Years, wherein the Sun returns much nearer to the same Point of the Ecliptic than in that Period; because the Sun's Apogee varies less in a less Period.

☞ In 1681, Sept. 12, the Sun entering Libra within 1" of a Degree, at Noon, at Greenwich, it happened in the 32d Year of the Reign of King Charles II. and will happen again, as near Noon, in some of the Periods seen in P. 63, foregoing; easily to be determined by the above Method.

To determine, according to the correct Principles of the Tables in the Royal Astronomer, the nearest the Sun can come to Libra, at Noon, in the Century of 1400, Julian Style, for Greenwich Observatory.

By R. Astron. P. 8.	Sun's M. Pl.	Sun's Apogee.	
Years since Chr. 1400	9 18 41 27	3 2 35 59	
P. 7. Sept. 14	8 13 18 41	43	
P. 17. Sun's near Eq. } with contrary Sign }	6 2 0 8 — 1 55 47	— 3 1 36 42 6	find Ap. to be added.
	6 0 4 21 6	2 27 23 18 add to Ap. — 21 31	Sun's nearly tr. An. Sun's Ap. for 21 Yrs. determined in the 1st Operation.
Sun's M. Motion for } Yrs. above Hundreds }	11 29 55 39 11 29 54 46	— 3 2 58 13 6	
P. 9. nearest Yrs. 21			
By 1st Operation, Sun short } of Libra at Noon }	— 53	2 27 1 47 + 1 55 46	Sun's true Anom. Sun's Eq. corresp. P. 17
Hence, 1400	9 18 41 27	6 1 55 46	Sun's M. Pl. when he is truly in Libra.
Yrs. 21	11 29 54 46	6 1 54 34	Sun's M. Pl. at Noon.
Sept. 14	8 13 18 41		
Sun's M. Pl. at Noon	6 1 54 54	Error — 52 or short so much of Libra at Noon.	
Sun's true Equation	— 1 55 46		
Sun's tr. Pl. 1421, Sept. 14, O. S. at Noon	5 29 59 8 6		
By 2d Operation, Sun short } of Libra at Noon }	— 52		

* * One of our Correspondents computed the Sun in Libra, 1417, September 14, at Noon; being 4° 39' short of Libra; 4 Julian Years being but 1° 49'.

But, by P. 9, Royal Astronomer, you will find, at Sight, 54 Years Motion above Revolutions = 11° 29' 55' 16", and 87 Years Motion = 11° 29' 55' 16", both nearest to 11° 29' 55' 38"; Sun's mean Motion for Years above Hundreds, in 1400, when he entered Libra, exactly at Noon, and therefore in 1454 and 1487, September 14, the Sun enters Libra very nearly at Noon, and more nearly than in 1421, September the 14th.

By the foregoing Method, the Year of the Sun's entering any Part of the Zodiac, most nearly, at a given Time of the Day, may be readily determined.

Radical

Radical Times of the EQUINOXES and SOLSTICES, Mean Places of the SUN and Apogee, SUN's Equation of the true to the mean Place, and Change of EQUINOXES, &c. According to the ROYAL ASTRONOMER.

The AUTUMNAL EQUINOX.

O.S.	Sun in ϵ . M. Time.	Sun's M. Pl.	Sun's Apogee.	Equ. tr. to m. Pl.
	d h m s	s o ' "	s o ' "	s o ' "
1760	Sept. 11 3 16 38	6 1 54 43	3 8 45 48	+ 1 54 43
1761	Sept. 11 9 5 41	6 1 54 43	3 8 46 43	+ 1 54 43
1762	Sept. 11 14 54 25	6 1 54 43	3 8 47 45	+ 1 54 43
1763	Sept. 11 20 43 1	6 1 54 43	3 8 48 46	+ 1 54 43

O.S.	Sun in γ . M. Time.	The WINTER SOLSTICE.		
	d h m s	s o ' "	s o ' "	s o ' "
1760	Dec. 9 19 14 36	9 0 17 24	3 8 45 57	+ 0 17 24
1761	Dec. 10 1 4 4	9 0 17 26	3 8 46 58	+ 0 17 26
1762	Dec. 10 6 53 58	9 0 17 28	3 8 48 0	+ 0 17 28
1763	Dec. 10 12 43 26	9 0 17 30	3 8 48 1	+ 0 17 30

O.S.	Sun in α . M. Time.	The VERNAL EQUINOX.		
	d h m s	s o ' "	s o ' "	s o ' "
1760	Mar. 8 15 25 14	11 28 5 42	3 8 45 10	- 1 54 18
1761	Mar. 8 21 14 37	11 28 5 42	3 8 46 11	- 1 54 18
1762	Mar. 9 3 4 4	11 28 5 43	3 8 47 13	- 1 54 17
1763	Mar. 9 8 52 46	11 28 5 43	3 8 48 14	- 1 54 17

O.S.	Sun in δ . M. Time.	The SUMMER SOLSTICE.		
	d h m s	s o ' "	s o ' "	s o ' "
1760	June 9 14 0 49	2 29 42 8	3 8 45 26	- 0 17 52
1761	June 9 19 49 4	2 29 42 6	3 8 46 27	- 0 17 54
1762	June 10 1 37 20	2 29 42 4	3 8 47 29	- 0 17 56
1763	June 10 7 25 10	2 29 42 2	3 8 48 30	- 0 17 58

Jul. Yrs.		Change Eq.	Mot. \odot Apo.	Jul. Yrs.		Change Equin.	Mot. Sun's Apogee.
		+ Yrs. back.	+ Yrs. forw.			+ Yrs. back.	+ Years forward.
		— forward.	— back.			— forward.	— back.
Lp.		d h m s	s o ' "	Lp.		d h m s	s o ' "
10		0 44 21	0 0 4 6	100		3 1 54 51	0 6 50 0
20		1 28 42	0 0 8 12	200		6 3 49 42	0 13 40 0
30		2 13 30	0 0 12 18	300		9 5 44 33	0 20 30 0
40		2 57 24	0 0 16 24	400		12 7 39 25	0 27 20 0
50		3 44 45	0 0 20 30	500		15 9 34 16	1 4 10 0
60		4 26 5	0 0 24 36	600		18 11 29 7	1 11 0 0
70		5 10 26	0 0 28 42	700		21 13 23 58	1 17 50 0
80		5 54 47	0 0 32 48	800		24 15 18 49	1 24 40 0
90		6 39 8	0 0 36 54	900		27 17 13 40	2 1 30 0
100		7 23 29	0 0 41 0	1000		30 19 8 31	2 8 20 0
200		14 46 58	1 22 0	2000		61 14 17 3	4 16 40 0
300		22 16 27	2 3 0	3000		92 9 25 33	6 25 0 0
400		3 33 56	3 44 0	D.		D.	D.
500		12 57 25	3 25 0	4		1 40 7 74	13
600		20 29 54	4 6 0	10		2 46 8 30	14
700		3 44 23	4 47 0	16		3 52 9 86	15
800		11 7 52	5 28 0	22		4 58 10 92	16
900		2 18 31	6 9 0	28		5 63 11 98	17
				34		6 68 12	

Mot. \odot Apo. in mean fol. Yrs. forw. +
back - 4' 29' 33" 6

Mot. \odot M. An. same } with cont. Sig. } i. e. 4' 5" 59" 41iv. 20v.

Mot. \odot Ap. in 1 mean fol. Yr. forw. +
back - 1' 02' 49' 839

Mot. \odot M. An. same } with cont. Sig. } 1' 1" 29" 55iv. 20v.

In 4 Julian Years,
back
forward Near Min.
+ 0307975916
+ 44' 20" 54' 43' 44
Y. 1' 5' 48" 54' 46' 19' 50'
2 11 37 49 32 38
3 17 28 44 18 57
Near Yr. 1 5' 49"
2 11 38
3 17 27
1 Anomalistic above a so-
lar Yr. + 25m 5s 39th.
4 anom. above 4 solar

SUN'S EQUATION of his true to mean Place.

Argument. SUN'S true Anomaly.

Argument. SUN's true Anomaly.														tr.						
A.	Sig. 0			Sig. 1			Sig. 2			Sig. 3			Sig. 4			Sig. 5			A.	
	+		Dif.	+		Dif.	+		D.	+		D.	+		Dif.	+		Dif.		
0	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0
0	0	0	123	58	34	105	1	40	58	58	1	55	51	99	42	63	57	17	106	30
1	2	3	123	60	19	104	1	41	56	58	1	55	49	98	39	63	55	24	106	28
2	4	6	123	62	3	102	1	42	54	54	1	55	43	97	36	66	53	45	106	27
3	6	9	123	63	45	102	1	43	48	54	1	55	37	96	30	66	51	59	108	28
4	8	12	123	65	27	102	1	44	42	54	1	55	28	95	23	67	50	11	108	16
5	10	14	122	67	9	102	1	45	33	51	1	55	17	94	13	70	48	23	110	25
6	12	16	122	68	47	99	1	46	23	49	1	55	5	93	1	72	46	33	110	24
7	14	18	122	70	26	96	1	47	12	44	1	54	48	91	45	74	44	43	112	23
8	16	20	121	72	2	95	1	47	56	43	1	54	30	90	35	74	42	52	112	22
9	18	21	121	73	37	95	1	48	39	41	1	54	14	89	19	76	41	0	112	21
10	20	22	121	75	11	94	1	49	20	38	1	53	52	88	1	78	39	7	112	20
11	22	23	121	76	44	90	1	49	58	39	1	53	27	86	43	81	37	15	114	19
12	24	24	119	78	14	91	1	50	37	36	1	53	2	85	22	81	35	21	114	17
13	26	23	118	79	45	88	1	51	13	33	1	52	34	84	1	84	33	27	115	18
14	28	22	119	81	13	87	1	51	44	31	1	52	5	82	37	86	31	32	116	16
15	30	21	118	82	40	84	1	52	17	29	1	51	31	81	21	86	29	36	115	15
16	32	19	117	84	4	83	1	52	46	26	1	50	59	79	45	87	27	41	117	14
17	34	16	117	85	27	82	1	53	12	26	1	50	24	78	18	91	25	44	117	13
18	36	13	117	86	49	82	1	53	38	22	1	49	46	76	47	92	23	47	117	12
19	38	10	116	88	11	77	1	54	0	22	1	49	7	75	17	90	21	50	120	11
20	40	6	114	89	28	77	1	54	22	17	1	48	22	74	5	92	19	50	118	10
21	42	1	114	90	45	75	1	54	39	16	1	47	39	72	11	94	17	52	119	9
22	43	55	112	91	0	72	1	54	55	15	1	46	55	70	38	93	15	53	119	8
23	45	47	113	93	12	73	1	55	10	12	1	46	8	69	1	97	13	54	118	7
24	47	40	111	94	25	71	1	55	22	10	1	45	19	67	25	99	11	56	119	6
25	49	31	111	95	36	68	1	55	32	8	1	44	16	65	46	99	9	57	119	5
26	51	22	109	96	44	66	1	55	40	6	1	43	33	64	7	99	7	58	119	4
27	53	11	109	97	50	65	1	55	46	4	1	42	37	62	26	101	5	59	119	3
28	55	0	109	98	55	61	1	55	50	1	1	41	41	60	45	101	4	0	120	2
29	56	47	107	99	56	62	1	55	51	0	1	40	43	59	2	103	2	0	120	1
30	58	34	107	100	58		1	55	51		1	39	44	57	17	105	0	0	120	0
tr.	Sig. 11			Sig. 10			Sig. 9			Sig. 8			Sig. 7			Sig. 6			tr.	
A.			Dif.			Dif.			D.			D.			Dif.			Dif.	A.	

To find the Sun's Equation answering to 4° 22' 18" 12" true Anomaly.

Against 4° 22' stands 70' 38", with Dif. — 97", which \times d by 18', $=$ 18' 12" produce — 1765" = — 29

Let the Sun's tr. Pl. = 6° 00' 0" or Δ .
Equation + 70' 9", add which to the Sun's tr. Pl. + 1 10 9

Sun's true An. 4° 22' 18" 12"

Sun's M. Pl. when in Δ 6, 1 10 9

Sun's Equation + 1 10 9

Sun's M. An. 4 23 28 21. See the Royal Astronomer, P. 18.

SUN's mean Motion for Days,
Hours, Minutes, and Seconds.

Days	°	'	"	Days	°	'	"
1	0	59	8	5	4	55	42
2	1	58	17	6	5	54	50
3	2	57	25	7	6	53	58
4	3	56	33	8	7	53	7
H.	M.	Mo.	C.	H.	M.	Mo.	C.
Min.	°	'	"	Min.	°	'	"
Sec.	°	'	iv	Sec.	°	'	iv
1	0	2	28	31	1	16	23
2	0	4	56	32	1	18	51
3	0	7	24	33	1	21	19
4	0	9	51	34	1	23	47
5	0	12	19	35	1	26	14
6	0	14	47	36	1	28	42
7	0	17	15	37	1	31	10
8	0	19	43	38	1	33	38
9	0	22	11	39	1	36	6
10	0	24	38	40	1	38	34
11	0	27	6	41	1	41	1
12	0	29	34	42	1	43	29
13	0	32	2	43	1	45	57
14	0	34	30	44	1	48	25
15	0	36	58	45	1	50	53
16	0	39	26	46	1	53	21
17	0	41	53	47	1	55	48
18	0	44	21	48	1	58	16
19	0	46	49	49	2	0	44
20	0	49	17	50	2	3	12
21	0	51	45	51	2	5	40
22	0	54	13	52	2	8	8
23	0	56	40	53	2	10	36
24	0	59	8	54	2	13	3
25	1	1	36	55	2	15	31
26	1	4	4	56	2	17	59
27	1	6	32	57	2	20	27
28	1	9	0	58	2	22	55
29	1	11	27	59	2	25	23
30	1	13	55	60	2	27	50

From the mean Place of the Sun, and the mean Place of the Moon, correspondent, deduced from their true Places, for one given Time, every Position relating to Periods, between one or

both is determined: All which depend upon the Changes of their *Apogees* or *Anomalies*, neglected or rejected by the *Kennedian* or *Mosaic* Astronomers.

The QUANTITIES of a mean LUNATION, according to different Astronomers.

	d	h	m	s	th	fo	fi	f
1. <i>Clostratus</i>	29	12	0	0	0	0	0	0
2. <i>Harpalus</i>	29	12	50	54	33	0	0	0
3. <i>Eudoxus</i>	29	12	43	38	11	0	0	9
4. <i>Hipparchus</i>	29	12	44	3	15	44	39	4
5. <i>Calippus</i>	29	12	44	12	45	57	26	49
6. <i>Meton</i>	29	12	41	26	48	30	38	18
7. <i>Ptolemy</i>	29	12	44	3	20	0	0	0
8. <i>Alphonfus</i>	29	12	44	3	3	0	0	0
9. <i>Prutenic Tabl.</i>	29	12	44	3	10	38	0	0
10. <i>Tycho Brabe</i>	29	12	44	3	9	0	0	0
11. <i>Keil</i>	29	12	44	3	0	0	0	0
12. <i>Mayer of</i>	29	12	44	2	53	23	25	0
<i>Göttingen</i>								
13. <i>Assum'd by</i>	29	12	44	1	45	0	0	0
<i>Kennedy, no</i>								
<i>Judge</i>	29	12	44	3	2	58	19	34
14. <i>Halley</i>								
15. <i>Royal Astron.</i>	29	12	44	3	2	58	19	57

Amidst these Differences, the different Equations reconcile the mean to the true Lunations, nearly alike; wherein *Kennedy* (being no Judge of the Subject) and also his *Hebrew* Text, are lost.

See the *Royal Astronomer*, Pages 120, 121, 122, &c. for the *Motions of the Sun and Moon, and other Bodies, according to the best Observations and Authorities*. — By which the proper and respective mean Places being determined, their respective true ones are thence had by a due Application of their respective Equations.

See Top of the Page for the Rest.

ECLIPSES

ECLIPSES of the SUN and MOON in 1764. Calculated by Mr. Thomas Sandefon, of Harborough.

Apparent Time at London.

I. The MOON is eclipsed, Part on the 17th and Part on the 18th Day of March. Beginning 17^d 10^h 43^m Afternoon. Middle 18^d 0^h 4^m 39^s Morning. End 18^d 1^h 26^m 19^s Morning. Duration 2^h 43^m 20^s. Digits eclipsed 8^o 34' 23" in the Moon's lower Limb.

II. A great visible Eclipse of the SUN. First Day of April in the Morning. Beginning 9^h 17^m 45^s; Middle 10^h 45^m; End 0^h 17^m 20^s Afternoon, annular, at London. At the Time of the Middle of this Eclipse at London, the Sun will be centrally eclipsed in Latitude 52^o 45', Longitude 1^o 11' West, near Mountsorrell, Leicestershire. Duration, at London, 3 Hours.

General Appearances of the Sun's Eclipse, April 1, 1764.

Apparent Time at London.	Latitude.	Longitude.	Place.
h m s	o ' "	o ' "	
Eclipse first begins as Sun rises	7 41 22 0 14 0 S	25 20 0 W	
Sun first rises centrally eclipsed	9 7 14 20 0 0 N	48 36 0	Atlas. Ocean.
Centrally eclipsed Mid. Pen- num. Tran.	10 25 0 45 28 0	7 22 0	Ditto.
Centrally in 90th Degree	10 33 30 48 23 50	4 57 40	Liſſewitz Berg
Centrally eclipsed on Meridian	11 13 22 63 50 0	11 36 0 E	Norway.
Sun's upper touched by the Moon's lower Limb on Meridian	21 10 20	— —	Africa.
Sun sets centrally eclipsed	11 43 0 76 37 0	114 28 0	N. Ocean.
Eclipse wholly ends as Sun sets Afternoon	1 9 22 56 54 0	79 57 0	Siberia.

The Center of the Penumbra continues within the Earth's Disk 2^h 36^m: During which Time it passes over a Space of about 4507 British Statute Miles, with the mean Velocity of 29 Miles a Minute; which is a little more than 4 Times the Velocity of a Cannon Ball.

III. A visible Eclipse of the MOON, on the 10th Day of September in the Afternoon. Beginning 5^h 48^m 56^s; Middle 7^h 1^m 16^s; End 8^h 13^m 36^s; Duration 2^h 24^m 40^s; Digits eclipsed 4^o 53' 40". Only Part of this Eclipse will be seen in England; for the Sun will not be set here when the Eclipse begins.

IV. An invisible Eclipse of the SUN, on the 25th of September, Afternoon.

General Appearances of the Sun's Eclipse, September 25, 1764.

Apparent Time at London.	Latitude.	Longitude.
h m s	o ' "	o ' "
Eclipse first begins as Sun rises	2 27 3 3 25 3 N	126 49 0 W
Sun first rises totally and centrally eclipsed	3 34 43 12 44 0 S	143 46 0
Totally and centrally eclipsed in 90 ^o	4 59 7 39 16 0	94 53 0
Totally and centrally eclipsed on Meridian	5 31 0 50 58 0	83 0 0
Sun's upper touched by Moon's lower Limb on Meridian	13 55 0	
Sun last sets totally and centrally eclipsed	6 10 43 70 54 0	1 18 0 E
Eclipse wholly ends as Sun sets	7 18 23 54 44 0	16 53 30 W

ECLIPSES in the YEAR 1764.

Calculated from the Royal Astronomer, by Mr. William Chapman, of Foxton, Leicestershire.

I. Of the MOON, March 17, at Night. Apparent Time at Foxton. Beginning, March 17th 10^h 40^m; Middle 12^h 0^m 39^s; End 1^h 22^m 19^s; Duration 2^h 42^m 19^s; Digits eclipsed 8° 32' 23".

II. Of the SUN, on April 1, in the Morning, apparent Time at Foxton. Beginning April 1st 9^h 14^m 45^s; Middle 10^h 42^m; End 12^h 14^m 40^s; Duration 2^h 59^m 55^s; annular.

The Geographical and General Appearance of the Sun's Eclipse, April 1, 1764.

Apparent Time at London in the Morning.	Latitude.	Longitude.
April 1, 1764.	h m s	° ' "
Begin at Sun-rise	7 41 22	0 14 10 S 25 20 0 W
Sun rises centrally eclipsed	9 7 0	20 0 0 N 48 30 0 W
Centrally eclipsed in the 90th Degree	10 33 30	48 20 0 N 4 50 40 W
Centrally eclipsed in the Meridian	11 13 9	63 50 0 N 11 36 0 E
Sun sets centrally eclipsed	11 43 22	76 40 51 N 114 28 0 E
Eclipse ends at Sun-set	1 9 10	56 54 0 N 79 57 40 E
Sun's upper touched by D's lower Limb on Meridian	21 10 20	N

III. Of the MOON, September 10 in the Morning, apparent Time, at Boston, in New-England. Beginning, September 10th 0^h 54^m 56^s; Middle 2^h 23^m 16^s; End 3^h 19^m 36^s; Duration 2^h 24^m 40^s; Digits 4° 53' 40".

The IVth and last is of the SUN, 25th Day of September in the Afternoon, invisible at London.

The Geographical and General Appearance of the Sun's Eclipse.

Apparent Time at London in the Afternoon.	Latitude.	Longitude.
September 25, 1764.	h m s	° ' "
Eclipse begins at Sun-rise	2 26 3	3 25 0 N 126 49 0 W
Sun rises totally and centrally eclipsed	3 34 40	12 40 0 S 143 40 0 W
Total and central Eclipse in 90th Degree	4 58 7	39 15 40 97 15 0 W
Total and central in Meridian	5 31 0	50 59 0 83 0 0 W
Sun sets totally and centrally eclipsed	6 10 40	70 50 0 1 18 0 E
Eclipse ends at Sun-set	7 18 20	54 43 0 16 52 30 W
Sun's upper Limb touched by D's lower on Meridian	13 55 0	

PUBLIC ERRORS CORRECTED.

To the PALLADIUM AUTHOR.

SIR,

In P. 364, Art. 733, *Robertson's Navigation*, you have this PROPOSITION, with a pretended Demonstration. "On the Globe the Rhumb Lines oblique to the Meridians are Spirals, which continually approach the Poles but never meet them." — The Author's Demonstration. — They never meet, because the Spiral cannot cut several right Lines (which meet in a Point) at the same Angle.

The Consequence of which is, that the 3 following established and universal Analogies, supported by Demonstration, as agreed to by the same Author, and agreeing

agreeing in their Results with one another, in a Difference of Latitude, as far as the Poles, must be altogether erroneous, or the above Proposition inconsistent and untrue. Concerning which let the following Examples, according to the 3 Analogies, decide.

Blencbland, near Hexham,

July 1, 1763.

I am, Sir, your humble Servant,

Thomas Marshall.

When the proportional Spiral arrives in Latitude $89^{\circ} 59' 59'' 59''' 59^{iv} 51^v$, .089398 within 8^v , .910602, or, .5046 Inch = $\frac{1}{2}$ Inch, of the Pole, then the Horizon may be considered as a Plane, and the Spiral will become of the logarithmic Kind, whose farther Length (till it falls into the Pole) may be determined by Fluxions, if Mr. Robertson pleases.

Analogy 1. As Cos. Course : Dif. Lat. (even to the Pole) :: Radius : Distance, or Length of the Spiral, as far as the Pole, a finite Quantity, and consequently will fall into the Pole in a finite Time.

2. As Dif. Log. Tang. $\frac{1}{2}$ Comp. Latitudes : Tang. $51^{\circ} 38' 9''$:: so Dif. Long. : to Tang. Course, as far as the Pole.

3. As merid. Dif. Lat. : Dif. Long. :: so Radius : Tang. Course, as far as the Pole.

Now, the Log. Tan. of 4^v , .455311 = 0: For Log. *Logarithms*.
Tang. 1' = - - - - - 6.4637261

The Log. of Numb. 2908882 = 6.4637261

The Dif. being Log. Tang. of the 2908882d Part of 1' = } Dif. 0.0000000

Now, $\frac{1}{2}$ Comp. of Lat. = $89^{\circ} 59' 59'' 59''' 59^{iv} 51^v$, .08938 =
 4^v , .455311, whose Log. Tang. = 0. — Thus far we find the Spiral or Rhumb Line (continued to cut the Meridian at the same Angle) approaches within .5046 Inch or $\frac{1}{2}$ Inch of the Pole; proved by the Analogies before-mentioned. And how it afterwards avoids falling into the Pole, and then returning back on the Supplement Rhumbs to the Equator and contrary Pole, and then back again, on the first Rhumb, who can truly imagine?

For, Lat. $89^{\circ} 59' 59'' 59''' 59^{iv} 51^v$ &c. as above may be taken for Lat. 90° ; whose $\frac{1}{2}$ Complement, 4^v , .455311, may be taken for 0 Deg. — Then,

As Dif. Log. Tang. $\frac{1}{2}$ Comp. Lat. 45° and 0° = 10.0000000,
taking 4 Places of Decimals with the rem. Index for whole *Logarithms*.
Numbers, = 100000,000 - - - - - 5.0000000

(See End of Sherwin's Math. Tables: P. 379, of Mercator Sailing.)

To Tang. $51^{\circ} 38' 9''$ 10.1015104

So Dif. Long. 360° = 21600' 4.3344538

Tang. Course = $15^{\circ} 15' 47''$, or $46^{\circ} 8'$ 9.4359642

Also, by the meridional Parts for 90° (= those for $89^{\circ} 59' 59''$, &c.) =
79157, not set down in any Tables.

As meridional Dif. Lat. = (from Equator to the Pole) 79157 4.8984893

To Dif. Long. 360° = 21600' 4.3344538

So Radius 10.0000000

To Tang. Course (as before) $15^{\circ} 15' 47''$ 9.4359645

As

As. Cos. Course $74^{\circ} 44' 13''$ To Dif. Lat. $90^{\circ} \dots 5400'$
So Radius

To Distance 5597.438

Greater than Dif. Lat. by 197.438

Logarithm.
Co. 0.01559543.7323936
10.00000003.7479892
Sea Miles.

By which, if these *universal Analogies* (agreeing together in their Results) are true, Mr. *Robertson's Proposition* of the *Rbumbs* not meeting the Pole, must be an Error. — So that, to make out this *Proposition*, Mr. *Robertson* must suppose a slower and slower Motion of the Ship, *ad infinitum*, never to meet the Pole.

To find the meridional Parts to any Degrees of Latitude.

RULE. Log. Radius minus Log. Tan. of $\frac{1}{4}$ Complement of Latitude (see *Royal Astronomer*, P. 288) multiplied by 7815.7 (or 7916) will give the meridional Parts for that Latitude of the Sphere.

To find the Meridional Parts for 90 Degrees Latitude.

Log. Rad. = 10.0000000

— 0.0000000 Log. Tan. 4 v. 455311 = $\frac{1}{4}$ Comp. of Lat. of

10.0000000 $89^{\circ} 59' 59''$ 59", &c. taken for 90° , as 4 v.
&c. is taken for 0 Deg. the $\frac{1}{4}$ Comp. of 90° .

7815.7

Product 79157 Meridional Parts required.

In P. 34, Art. 73, of *Robertson's Navigation*, is printed this palpable Error.

viz. 0 1 2 3 4 5, &c. Indices or Logarithms.

To 2 6 18 54 162 486, &c. Geometrical Series or Nos.
(The last = 2×3^0 3¹ 3² 3³ 3⁴ 3⁵, &c. made by him = a Multiple
[of Powers.]

In which instanced *geometric Series*, the Author's *Indices* of any two Numbers, do not answer to the *Index* of the Product of those Numbers, as they should by the Property of Logarithms; being the *Indices* of Powers in *geometric Progression*, and not (according to our Author's *Instance* above) the *Indices* to a *Multiplication* of Powers.

For $1 + 3 = 4$ the Index of 162, should be the Index of $6 \times 54 = 320$, and so of the Rest of the Series, being altogether erroneous.

An erroneous Solution, P. 484, to Prob. 34, by the same Author.

The Shadow runs back (or goes so much the contrary Way to the Sun's apparent Motion) from $9^h 47^m 36^s$ to $2^h 12^m 24^s$, the Times of the greatest Forenoon and Afternoon Azimuths; and not $12^o 31'$, Mr. *Robertson* determines the Shadow goes back only; which is just half what it goes forward, the same Way with the Sun. — For the Shadow goes forward (if his greatest Azimuth and Amplitude are truly computed) from Sun-rise to the Time of his greatest Forenoon Azimuth = $12^o 31'$; and then goes back $154^o 52'$ to the Time of the greatest Afternoon Azimuth; when it again goes forward, the same Way with the Sun, $12^o 31'$, till Sun-set, or twice $12^o 31' = 25^o 2'$ forward that Day; and $154^o 52'$ back. The forward Motion is twice the Difference of the greatest Azimuth and Amplitude, $2 \times 77^o 26' - 54^o 55' = 25^o 2'$; and the backward Motion twice the greatest Azimuth itself = $2 \times 77^o 26' = 154^o 52'$, as before.

N. B. The Shadow stood still at the Times of the greatest Forenoon and Afternoon Azimuths, and not at the Afternoon Azimuth only, as Mr. *Robertson*, defectively, makes it. — Which Errors are, by no Means, proper Examples for Learners, and are therefore here duly corrected.

P.

P. 153, L. 6, for *Cof. adjacent Leg*, read *Cof. adjacent Angle*. P. 139, for *was the Motions of the Planets*, read *were the Motions, &c.*

P. 487. *Computation of the Moon's Place from the Altitude of two known Stars, and the Moon's Altitude taken in the same Azimuth with one of them, (if it can be centrally taken,) without Regard to Parallax and Refraction, is untrue and useless. Determining the Time of the Moon's Passage through the Meridian, as proposed, by her equal Altitudes, is useless, because her Declination is so very variable.*

Then proportioning the Difference of Longitude by the Difference of Times of the Moon's Southing at *Greenwich* and at the Ship, (not to be had sufficiently near,) can answer no Use, her Motion being so very unequal.

I shall send you the Rest of the Errors in Robertson's Navigation, hereafter.

REDUCTION of SEXAGESIMALS.

To reduce, arithmetically, Hours, Minutes, Seconds, Thirds, &c. of Time, into Degrees, Minutes, Seconds, Thirds, &c.

RULE. Multiply the Hours by 15 for Degrees.

Divide the $\left\{ \begin{array}{l} \text{Minutes} \\ \text{Seconds} \\ \text{Thirds, \&c.} \end{array} \right\}$ by 4 $\left\{ \begin{array}{l} \text{Degrees} \\ \text{Minutes} \\ \text{Seconds} \end{array} \right\}$ for $\left\{ \begin{array}{l} \text{Minutes} \\ \text{Seconds} \end{array} \right\}$ to be added.

And multiply the 1, 2, $\left\{ \begin{array}{l} \text{Degrees} \\ \text{Minutes} \\ \text{Seconds} \end{array} \right\}$ by 15 $\left\{ \begin{array}{l} \text{Minutes} \\ \text{Seconds} \\ \text{Thirds, \&c.} \end{array} \right\}$ for $\left\{ \begin{array}{l} \text{Minutes} \\ \text{Seconds} \\ \text{Thirds, \&c.} \end{array} \right\}$ more to be added.

I. EXAMPLE. To reduce $23^h 51^m 19^s$ into Degrees.

$$\begin{array}{r} 15 \\ \times 23 \\ \hline 115 \\ 23 \\ \hline \end{array}$$

N.B. These Examples when seen are so evident, as to need no Attention to the Words of the Rule.

$$\begin{array}{r} 345^{\circ} \\ 4) 51^m 19^s \left(\begin{array}{l} 12 \\ 4' \end{array} \right. \\ \underline{48} \quad 16 \\ \hline \end{array}$$

Each Rem. by 15 . . 3 3 . . 45 45"

Answer $357^{\circ} 49' 45''$

II. EXAMPLE. To reduce $17^h 13^m 41^s$ into Degrees.

$$\begin{array}{r} 15 \\ \times 17 \\ \hline 85 \\ 17 \\ \hline \end{array}$$

$$\begin{array}{r} 255^{\circ} \\ 4) 13^m 41^s \left(\begin{array}{l} 3 \\ 10' \end{array} \right. \\ \underline{12} \quad 40 \\ \hline \end{array}$$

Each Rem. by 15 . . 1 1 . . 15 15"

$258^{\circ} 25' 15''$
Ks

To reduce, arithmetically, Degrees, Minutes, Seconds, &c. into Hours, Minutes, Seconds, &c.

RULE. Divide the given $\left\{ \begin{array}{l} \text{Degrees} \\ \text{Minutes} \\ \text{Seconds} \end{array} \right\}$ by 15 $\left\{ \begin{array}{l} \text{for} \\ \text{Hours} \\ \text{Minutes} \\ \text{Seconds} \end{array} \right\}$ to be added.

Multiply the Remainders of $\left\{ \begin{array}{l} \text{Hours} \\ \text{Minutes} \\ \text{Seconds, \&c.} \end{array} \right\}$ by 4 $\left\{ \begin{array}{l} \text{for} \\ \text{Minutes} \\ \text{Seconds} \\ \text{Thirds, \&c.} \end{array} \right\}$ more to be added.

I. EXAMPLE. 15) To reduce $357^{\circ} 49' 45''$ into Time. ($23^h 3^m 3^s$)

$$\begin{array}{r} 30 \quad 45 \quad 45 \\ \hline 57 \quad 4 \quad 0 \quad . \quad . \quad . \quad 48 \quad 16 \quad 0^h \\ 45 \\ \hline \text{Answer } 23^h 3^m 3^s \end{array}$$

Multiply each Rem. by 4. . . . 12

II. EXAM. 15) To reduce $117^{\circ} 37' 23''$ into Time. ($7^h 2^m 1^s$)

$$\begin{array}{r} 105 \quad 30 \quad 15 \\ \hline \end{array}$$

Multiply each Rem. by 4 . . . 12 7 3 48 28 32th

Answer $7^h 50^m 29^s 32^{\text{th}}$

See Royal Astronomer, P. 167, for other Methods.

A PROBLEM and SOLUTION,

For the USE of NAVIGATORS, to find the LONGITUDE at SEA.

By an Experienced SEA OFFICER of the first RANK.

PROBLEM.

IN the Year 1750, on Monday, April the 30th, (having adjusted my Time-keeper by the Sun, at Setting, before the Observation was made, and also after it, by Procyon's Altitude, having a very clear Horizon) at $7^h 0^m 11^s$, equal Time, I observed the Altitude of the Moon's lower Limb to be $60^{\circ} 6' 30''$; being then in the Latitude of $32^{\circ} 36' 0''$, N. — The true Place of the Moon's North Node was then $9^{\circ} 10' 44' 38''$, and the Inclination of her Orbit with the Ecliptic, at the same Time was $5^{\circ} 9' 27''$: The Moon's Place in her Orbit is demanded, and consequently the Longitude the Ship was in at the Time the Observation was made.

SOLUTION.

The observed Altitude of the Moon's lower Limb = $60^{\circ} 6' 30''$
The Moon's Semidiameter at that Altitude + $15 \quad 46$

Apparent Altitude of the Moon's Center $60 \quad 22 \quad 16$
Refraction subtracted — 31

Apparent Altitude of the Moon cleared from Refraction $60 \quad 21 \quad 45$
Parallax at that Altitude + $27 \quad 40$

Apparent Altitude of the Moon cleared from Parallax $60 \quad 49 \quad 25$
Altitude of the Eye — $3 \quad 30$
Moon's

Moon's Altitude cleared from the Dip	60° 45' 55"
For the Dilatation of the Moon's Body by the Rays of Light	+ 1 30
The true Altitude of the Moon's Center	60 47 25
The true Distance of the Moon's Center from the Vertex	29 12 35

GEOMETRIC CONSTRUCTION.

To project the PROBLEM on the PLANE of the ECLIPTIC.

1. WITH any Radius, draw the primitive Circle, $\Psi \Omega \Delta \Psi$, to represent the *Ecliptic*; which being divided by two Diameters $\Omega \Psi$, and $\Psi \Delta$, the former will represent the *solstitial* Colure, and the latter the *equinoctial* Colure.

2. Set off the *Semitangent* of $28^{\circ} 28' 30''$ (being the Distance between the Pole of the *Equinoctial* and *Ecliptic*) from E to P, then will P be the *North Pole*.

3. From E set off the *Tangent* of $66^{\circ} 31' 30''$, in the Line $\Psi \Psi$, produced to Q, and draw the Line LN perpendicular to $\Psi \Psi$, and it will be a Line of Centers for all the *Hour Circles*, which are found by the Tangents, the Sector being opened to the Radius EQ: With the said Tangent of $66^{\circ} 31' 30''$, draw the *Prime Meridian* $\Psi P \Delta$.

4. Set off the Sun's *Longitude* from Ψ to $\odot = 1^{\circ} 21' 2' 6''$, and through P and \odot draw the *Meridian* $\odot P \oplus$.

5. About P, as a Pole, describe the small Circle VZxy, at the Distance of $57^{\circ} 24' 0''$, equal to the Co-latitude, to represent the Path of the *Vertex* of the Place of Observation.

6. The Place of the Moon's *North Node* being $9^{\circ} 10' 44' 38''$, set off its Longitude from Ψ to \odot , and its opposite Place from Ω to S.

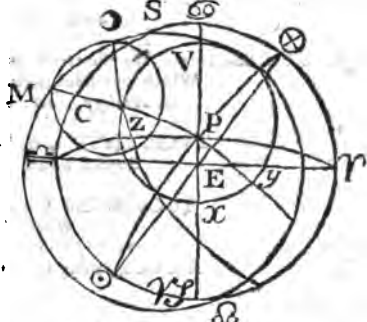
7. Draw a great Circle S Ψ M \odot , at the Distance of $5^{\circ} 9' 27''$ from the *Primitive*, it being the *Inclination* of the lunar Orbit with the *Ecliptic*, and will represent the Moon's Orbit.

8. Through P, draw the *Meridian Circle* PZCM. Thus the right *Ascension* of the *Medium Caeli* being $= 154^{\circ} 38' 43''$, subtract it from $180^{\circ} 0' 0''$, and there will remain the right *Ascension* from $\Delta = 25^{\circ} 21' 17''$, which set off from the Tangents in the Line LN, from Q to W, and with the Distance WP, draw the great Circle PZCM, then where it intersects the Path of the *Vertex*, as Z, it is the *Zenith*; C the Point of the *Ecliptic* under the *Meridian*; and M the Point in the *Moon's Orbit*, culminating at that Time.

9. About the Point Z, as a Pole, describe a small Circle, at the true Distance of the Moon's Center from the *Zenith* $= 29^{\circ} 12' 35''$, and where this small Circle intersects the *Moon's Orbit*, towards S, as it does here in the Point D, it gives the Moon's Place in her Orbit.

10 and lastly. Through this last found Point D, and Z, the *Vertex*, draw the vertical Circle Z D, and the Construction is done.

N. B. I have been thus far explicit to render every Thing plain to any who may be induced to practise this Method.



The *Trigonometrical CALCULATION* is as follows,

IN the right angled Triangle $\odot\odot P$, there are given $\odot\odot$, the Sun's Longitude from $\odot\odot = 38^\circ 57' 56''$ and the Side $\odot P = 66^\circ 31' 30''$, the Complement of the Distance of the Poles of the Ecliptic and Equinoctial, to find the Angle $\odot P \odot$, the Sun's right Ascension, and the Side $P \odot$, the Complement of the Sun's Declination.

1. *Analogy. For the Sun's Right Ascension.*

	As Radius	Logarithms.
To Cotan. of the Sun's Long. $\odot\odot$	$38^\circ 57' 56''$	10.0000000
So S. polar Dist. $\odot P$,	$66^\circ 31' 30''$	10.0922163
		9.9624801

To Col. Sun's right Ascension from $\odot\odot$, $\odot P \odot$, $41^\circ 24' 5''$ 10.0546964
Which subtracted from 90° gives 48 35 55 Sun's R. A.

2. *Analogy. For the Sun's Declination.*

	As Radius	Logarithms.
To Col. Sun's Dist. fr. Poles, $\odot P$,	$66^\circ 31' 50''$	9.6002636
So Col. Sun's Long. $\odot\odot$,	$38^\circ 57' 56''$	9.8907139

To Col. his Dist. from Pole, $P \odot$, $71^\circ 57' 36''$ 9.4909775
Whose Complement 18 2 24 Sun's Declin.

Now to the Sun's right Ascension, from above, $48^\circ 35' 55''$

Add the apparent Time from Noon, $7^h 4^m 13^s$, 106 3 15

Sum, R. A. *Medium Caeli*, $154^\circ 39' 10''$

In the right-angled $\triangle P\odot C$, there are given $\odot P = 66^\circ 31' 30''$, $\angle \odot P C$, the R. A. *Med. Caeli* from $\odot\odot$, $64^\circ 39' 10''$, to find the Side $\odot C$ the *Med. Caeli* in the Ecliptic. Also PC the Distance of the culminating Point from the North Pole and \angle , $\odot P C$, the Meridian \angle .

3. *Analogy. For Longitude of Mid-Heaven.*

	As Radius	Logarithms.
To Cotan. R. A. <i>Med. Caeli</i> . $\odot P C$,	$64^\circ 39' 10''$	10.3244906
So S. Dist. two Poles $\odot P$,	$66^\circ 31' 30''$	9.9624801

To Tang. Long. M. C. $\odot C$, $62^\circ 41' 10''$ 10.2869707
Long. M. C. is $5^\circ 29' 41'' 10''$

4. *Analogy. For the Declination of the culminating Point.*

	As Radius	Logarithms.
To Cotan. Dist. Poles $\odot P$,	$66^\circ 31' 30''$	9.6377835
So Col. R. A. of M. C. $\odot P C$,	$64^\circ 39' 10''$	9.6315481

To Cotan. Dist. culm. Point. from the Pole, PC , $79^\circ 28' 6''$ 9.2693316
Whose Comp. 10 31 54 Declination.

Culminating Point and PC , $79^\circ 28' 6''$ — PZ , $57^\circ 24' 2''$ ZC , Dist. of M. C. fr. Vertex = $22^\circ 4' 6''$.

5. *Analogy. For the Meridian Angle.*

	As Radius	Logarithms.
To Col. Dist. Poles $\odot P$,	$66^\circ 31' 30''$	9.6002636
So S. R. A. <i>Med. Caeli</i> . $\odot P C$,	$64^\circ 39' 10''$	9.9560587

To Col. Meridian \angle $\odot P C$, $68^\circ 54' 0''$ 9.5563023

In the Δ SMC, it is observed, that S is the Place of the descending Node $= 3^{\circ} 10' 44'' 38''$, which if taken from the Longitude of Mid-Heaven, $\gamma C = 5^{\circ} 20' 41'' 10''$, leaves the Arch SC, $2^{\circ} 00' 56'' 32''$, the Distance of the descending Node from the Mid-Heaven.

In the same oblique Spheric Δ , there is also given, $\angle MSC$, $50^{\circ} 9' 27''$, Inclination of the Moon's Orb with the Ecliptic, and $\angle MCS$, $111^{\circ} 6' 0''$, being the Suppl. Merid. \angle to 180° , to find $\angle CMS$, the Merid. \angle , in the Moon's Orbit; and the Side MC, the Distance of the culminating Point from the Ecliptic in the Moon's Orb, the Side MS, the Distance of M. C. in the Moon's Orb, from the North Node.

Operation.	
$\angle SCM$, $111^{\circ} 6' 0''$	Interjacent Side $60^{\circ} 56' 32''$
$\angle MSC$, $50^{\circ} 9' 27''$	Half Side $30^{\circ} 28' 16''$
Sum $\angle s$ $116^{\circ} 15' 27''$	
Half Sum $58^{\circ} 7' 43''$	
Half Diff. $\angle s$ $105^{\circ} 56' 33''$	
Half that Diff. $52^{\circ} 58' 16''$	

6. Analogy.

As S. $\frac{1}{2}$ Sum $\angle s$ $58^{\circ} 7' 43''$	Co. 0.0709719
To S. $\frac{1}{2}$ Diff. $\angle s$ $52^{\circ} 58' 16''$	9.9021840
So Tan. $\frac{1}{2}$ interjacent Sides $30^{\circ} 28' 16''$	9.7696436
To $\frac{1}{2}$ Diff. Sides $28^{\circ} 66' 48''$	9.7427995

7. Analogy.

As Cos. $\frac{1}{2}$ Sum $\angle s$ $58^{\circ} 7' 43''$	Co. 0.2273542
To Cos. $\frac{1}{2}$ Diff. $\angle s$ $52^{\circ} 58' 16''$	9.7797535
So Tan. $\frac{1}{2}$ Side $30^{\circ} 28' 16''$	9.7696436

To Tan. $\frac{1}{2}$ Sum Sides $33^{\circ} 51' 52''$	9.8267513
Add $\frac{1}{2}$ Diff. $28^{\circ} 56' 48''$	

Sum is SM, Med. Cæl. $62^{\circ} 48' 40''$ in γ Orbit.

But subtracted, is Side MC, $4^{\circ} 53' 4''$, whose Complement is the Distance of the culminating Point in the Moon's Orb, fr. N. Pole.

From PC, Dist. culm. Point in Ecliptic from N. Pole $79^{\circ} 28' 6''$

Subtract ZP, the Dist. of Vertex fr. Pole $57^{\circ} 24' 0''$

Gives ZC, Dist. Med. Cæl. from Vertex $22^{\circ} 4' 6''$	
To which add Side ME, found above, $4^{\circ} 55' 4''$	

Sum is ZM, Dist. culm. Point in the Moon's Orb fr. Vertex $26^{\circ} 59' 10''$

8. Analogy. For the Meridian Angle in the Moon's Orb:

As S. MC, $4^{\circ} 55' 4''$	Co. 1.0668271
To S. $\angle MSC$, $50^{\circ} 9' 27''$	8.9537299
So S. Side SC, $60^{\circ} 56' 32''$	9.9415262
To S. $\angle SMC$, $66^{\circ} 26' 17''$	9.9621932

In

In the oblique spherical $\triangle ZMD$, are the given Side ZM $26^{\circ} 59' 10''$, Side ZD $29^{\circ} 12' 35''$, and $\angle ZMD$ $66^{\circ} 26' 17''$, to find \angle at D , and the Side MD .

9. *Analogy.**Logarithms.*

As S. Side ZD , $29^{\circ} 12' 35''$ Co. 0 3115733
To S. $\angle ZMD$, $66^{\circ} 26' 17''$ 9 0621932
So S. Side ZM , $26^{\circ} 59' 10''$. . . 9.6568401

To S. $\angle ZDM$, $58^{\circ} 27' 57''$ 9.9306066
For the Side MD . Side ZD , $29^{\circ} 12' 35''$
 $\angle ZMD$, $66^{\circ} 26' 17''$ Side ZM , $26^{\circ} 59' 10''$
 $\angle ZDM$, $58^{\circ} 27' 57''$

Sum \angle s, $124^{\circ} 54' 14''$ Diff. Sides 2 13 25
Diff. \angle s, 7 $58' 20''$ Half 1 6 42

Half 3 $59' 10''$

10. *Analogy.*

As S. $\frac{1}{2}$ Diff. \angle s, $3^{\circ} 59' 10''$ Co. 1.1579236
To S. $\frac{1}{2}$ Sum \angle s, $62^{\circ} 27' 7''$ 9.9477393
So Tan. $\frac{1}{2}$ Diff. Sides, 1 6 42 8.2879062

To Tan. $\frac{1}{2}$ Side, 13 54 4 9.3935689
Doubled, Side MD , 27 48 8

From SM , 62 48 40

Subtract MD , rem. DS , 35 0 32 = $1^{\circ} 50' 0'' 32''$
Add to the North Node's Place 3 1 44 38

Sum, Moon's Orbit-Place observed 4 6 45 10
Moon's Orbit-Place at Greenwich 4 4 31 51

Difference 0 2 13 29

Moon's diurnal Motion 12 31 1

— Therefore, As the Moon's diurnal Motion (above) 45061"

Is to 360° , in Seconds, 1296000

So is the Difference of the Moon's observed Place $2^{\circ} 13' 29''$ 8009

To the Difference of Longitude, in Seconds, between the Place of Observation and Greenwich Observatory; for which Meridian the Tables in the ROYAL ASTRONOMER are fitted. } 23032

Which, reduced, gives $63^{\circ} 58' 22'' \frac{1}{2}$, the Difference of Longitude, West, from Greenwich. At which Time we made the Island of Bermudas, bearing from us SENE, about 9 or 8 Leagues distant; which proves the Excellency of this Method of determining the Longitude.

ALTHOUGH the *Process* seems tedious at first Sight, it will not be found so upon Examination. — For, all the Triangles in the first Analogies being right angled, where the Radius is made the first Term of the Analogies, greatly shortens the Work.

Moreover, the *Requisites* in the said first Analogies may be found to a great Accuracy with little Trouble by the Tables in the ROYAL ASTRONOMER, of the Sun's Right Ascension, Declination, and Meridian Angle of the Points of the Ecliptic.

The

The other *Analogies*, being only 5, will not take up more Time than working the Proportions to find the *Aximuth*.

It may not be amiss to observe here, that whoever shall practise this Method of finding the Longitude of the Place of Observation, if at Sea, they will save Abundance of Trouble and some Repetitions in the Solution of this Problem, if they will find the Sun's Place for the Meridian, which their Journals shall shew them to be under.

NEWTON'S CHRONOLOGY.

THE following CHRONOLOGICAL TABLE (we are told by Sir Isaac Newton) suits with the Course of Nature, with Astronomy, with sacred History, with Herodotus the Father of History, and with itself, without the many Repugnances complained of by Plutarch.

The great Author does not pretend (like Mr. Kennedy) to be exact to a Year; there possibly may be Errors (he says) of 4 or 5 Years, or (very extraordinary) 20 Years; but not much more. While, by the Author's Account of all Kinds of ancient historical Relations in his preceding Introduction to his Chronology, (to which we refer the curious Reader) there are so many Corruptions introduced, that scarce any historical Relation, as to the Time of the Event's happening, can be depended on. While all Nations have been fond of magnifying the Antiquities of their Kingdoms to a much older Date than they really are. In which are found Delusions of some Hundreds of Years; corrected by the Method of our judicious Author to ascertain the Truth; according to the observed Changes in the Heavens, and concurring Circumstances with those Events.

A CHRONICLE

From the first Memory of Things in Europe to the Conquest of Persia by Alexander the Great.

THE Canaanites who fled from Joshua, retired, in great Numbers, into Egypt, and there conquered Thamus, Thamus, or Thammuz, King of the lower Egypt, and reigned there under their Kings Salatis, Baon, Apachnas, Apophis, Janias, Affis, &c. until the Days of Eli and Samuel. They fed on Flesh, and sacrificed Men after the Manner of the Phœnicians, and were called Shepherds by the Egyptians, who lived only on the Fruits of the Earth, and abominated Flesh Eaters. The upper Parts of Egypt were in those Days under many Kings, reigning at Coptos, Thebes, Tbis, Elephantis, and other Places, which, by conquering one another, grew by Degrees into one Kingdom, over which Mispagmuthosis reigned in the Days of Eli.

CHRONOLOGICAL TABLE.

Yrs bef. Chr. current.	Yrs bef. Chr. current.	Yrs bef. Chr. current.
MEPHEES reigned over upper Egypt, from Syene to Heliopolis 1125	Amphi drives the Shepherds out of Abaris 1070	Acrifus marries Baridies. Phœnician. - Marjners voyage on the Mediterranean from Zidon to Greece, and carry away 10, Daughter of I-nachus, coming with other Grecian Women to their
The Philistines conquered Israel, and Samuel judges it 1100	Saul made King of Israel 1069	
Lycoson builds Lycosura 1080	Samuel dies. 1060	
	David made King 1059	
	Edomites conquered and dispersed by David 1048	

Yrs bef. Chr.
current.Yrs bef. Chr.
current.Yrs bef. Chr.
current.

their Ships to buy Merchandise 1047
David conquers the *Syrians* of *Zobab* and *Damasceus*. *Deucalion* still alive 1046
Phœnicians and *Syrians* flying from *David* and *Zidon*, go under the Conduct of *Cadmus* and other Captains, and introduce Letters, Music, and Poetry, the *Oscæris*, Metals, Arts and Sciences 1046
Hellen, Son of *Deucalion*, flourishes 1043
Erethbeus reigns in *Attica*. *Idæi Dactyli* find out *Iron* in Mount *Ida* in *Crete*, and work it into Armour and Iron Tools, &c. 1035
Ammon reigns in *Egypt* 1034
Ceres, a Woman in *Italy*, seeking her Daughter, who was stolen, comes into *Attica*, and there teaches the *Greeks* to sow Corn; for which she was deified after Death 1030
Oenotrus led the first Colony of *Greeks* into *Italy*, and there taught them to build Houses. *Perseus* born 1028
Arcas received Broad Corn from *Triptolemus* 1020
Solomon reigns and marries *Ammon's* Daughter 1019
Solomon sends out a Fleet on the *Red Sea* 1017
Temple of *Solomon* founded 1015
Ammon places *Cepheus* at *Joppa* 1014
Sesac, in his Father's

Reign, invades *Arabia Felix*, and sets up Pillars at the Mouth of the *Red Sea*, &c. 1010
Sesac, in his Father's Reign, invades *Africa* and *Spain*, and sets up Pillars in all his Conquests 1008
Eumolpus institutes *Ceres's* Mysteries, being dead 1007
Minos sends out a Fleet and clears the *Greek* Seas of *Pirates*. Sends Colonies to the *Greek* Islands not before inhabited 1006
Andromeda carried away from *Joppa* by *Perseus* 1005
Sesac reigns in *Egypt*, adorns *Thebes*, dedicating it to his Father *Ammon*, by the Name of *No-Ammon*, or *Ammon-no*; that is, the People or City of *Ammon* 1002
Egeus reigns in *Attica* 994
Pelops the Son of *Tantalus* comes into *Peloponnesus*, and marries and grows rich and potent 993
Amphion and *Zetbus* kill *Lycus*, put *Laius* to Flight, reigns in *Thebes*, and walls the City about 990
Dædalus and *Talus* invent the Saw, Turning Lath, Wimple, Chip-Ax, and other Carpenters Instruments 989
Minos makes War upon the *Athenians*, for killing his Son *Androgeus*. *Æacus* flourishes 988

Dædalus kills *Talus* his Nephew, and flies to *Minos* 987
Sisyphus reigns in *Corinth*, and some say built that City 983
Laius recovers the Kingdom of *Thebes* 980
Rebocam reigns. *Theus* sent from *Crete* to *Lemnos*, reigns there in the City *Hephestia*, and worked in Copper and Iron 979
Alcmena born 978
Sesac spoils the Temple 974
Sesac invades *India*, returning in Triumph the next Year but one. He sets up Pillars on two Mountains at the River *Ganges* 971
Thebus reigns, having conquered the *Minotaur* 968
Sesac passing the *Hellepontus*, conquers *Thrace*, kills *Lycurgus*, King thereof, gives his Kingdom and one of his Singing Women to *Oenagrus* 967
Theus made King of *Cyprus* by *Sesac*, goes thither with his Wife *Calyceps*, leaving his Daughter *Hypsipyle* in *Lemnos* 966
Sesac baffled by the *Greeks* and *Scythians*; loses many of his Women, with their Queen *Minerva*; composes the War, is received at a Feast, buries *Ariadne*, and goes back through *Asia* and *Syria*, with innumerable Captives 964
Minos

Trs bef. Cbr.
current.

Trs bef. Cbr.
current.

Trs bef. Cbr.
current.

Mino making War upon
Cocahus King of *Sicily*,
is slain by him. He
was eminent for his
Dominion, his Laws,
and his Justice. His
Sepulchre, visited by *Py-*
thagoras, bore this In-
scription, ΤΟΥ ΔΙΟΚ,
the Sepulchre of *Jupi-*
ter 964
Amphibolus brings the 12
Gods of *Egypt* into
Greece, and these are
Dii magni majorum Gen-
tium, to whom the
Earth, Planets, and
Elements are dedicated
963
Pbryxus and *Hellas* from
their Stepmother *Jao*.
Helle is drowned in the
Hellepont, so named
from her; but *Pbryx-*
us arrived at *Colchos*.
962
War between the *Lapi-*
thæ and the People of
Thessaly called *Centaurs*
960
Oedipus kills his Father
Lains 958
Sefac slain by his Brother
Iapetus, who, after
Death, was deified by
the Name of *Nephtis*,
and called *Typhon* by
the *Egyptians* 956
Babipian invades *Egypt*,
and drove *Gens* in the
Nile, thereupon *Bu-*
bals, the Sister of *Gens*,
kills herself, by falling
from the Top of a
House, and their Mo-
ther *Ipsi*, and *Afreas*,
so mad, and thus en-
ded the Reign of the
Gods of *Egypt* 947
Zerab the *Egyptian* over-

thrown by *Afa* 946
The *Babipians*, under *A-*
menopbis, retire from
the lower *Egypt*, and
fortify *Mempbis* against
Osaripbus. And by
these Wars and the *Ar-*
gonautic Expedition, the
great Empire of *Egypt*
breaks in Pieces 944
Evandar and his Mother
Carmen carry Letters
into *Italy* 943
Orpheus deifies the Son of
Semele, by the Name
of *Bacchus* 942
The great Men of *Greece*
ordered the Building of
the Ship *Argo* for the
Æuxine and *Mediterra-*
nean Seas, on the Dis-
tractions of *Egypt* 940
Ship *Argo* built after the
Pattern of the long
Ship in which *Danaus*
came into *Greece* 939
Chiron forms the *Constella-*
tions for the Use of the
Argonauts, placing the
Solstitial and equinoctial
Points in the 14th
Degree of $\alpha\beta$, $\alpha\gamma$, $\alpha\delta$, $\alpha\epsilon$,
and $\alpha\zeta$. *Meton*, in the
316th Year of *Nabon-*
assar, observed the
Summer Solstice in the
8th Degree of *Cancer*;
and therefore the Sol-
stice had then gone
back 7 Degrees; it
going back 1 Degree in
72 Years, or 7 Degrees
in 504 Years. (*whereby*
Kennedy ignorantly dis-
putes and confidently de-
nies,) which Years
counted back from *Nab-*
onassar 376, will place
the *Argonautic* Expedi-
tion about 936 bef. Cbr.

Gingris, the Son of *Tboas*,
slain, and deified by
the Name of *Adonis* 939
Theseus, being 50 Years
old, steals *Helen*, then
7 Years old. *Helen*
set at Liberty by her
Brothers 938
The *Argonautic* Expedi-
tion 937
Theseus set at Liberty by
Hercules 936
The Hunting of the *Ca-*
ledonian Boar slain by
Melæger 934
Amenopbis invades the
lower *Egypt*, drives out
the *Jews* and *Canaanites*
930
War of the 7 Captains a-
gainst *Thebes* 928
Hercules and *Esculapinus* de-
ified 927
Theseus cast down from a
Rock, and slain 925
Hyllus, invading *Pelopon-*
nusus, slain by *Echemus*
924
Atreus dies, *Agamemnon*
reigns in the Absence
of *Menelaus*, who went
to look after what his
Father *Atreus* had left
him. *Paris* steals *He-*
len 919
Second War against *Thebes*
918
Tboas, King of *Cyprus*
and Part of *Phœnicia*,
dies; is deified for mak-
ing Armour for the
Kings of *Egypt*, with
a sumptuous Temple at
Mempbis, by the Name
of *Baal Canaan*, *Vul-*
can 912
Amenopbis built the *Mem-*
nonia at *Susa* 909

Troy

<i>Yrs bef. Chr.</i> <i>current.</i>	<i>Yrs bef. Chr.</i> <i>current.</i>	<i>Yrs bef. Chr.</i> <i>current.</i>
Troy taken: <i>Amorpha</i> still at <i>Susa</i> ; the <i>Greeks</i> feigning he came from thence to the <i>Trojan War</i> 904	with <i>Odours</i> 808 War between the <i>Athensians</i> and <i>Spartans</i> 804 <i>Nitocris</i> succeeds <i>Codrus</i> , <i>K. of Athens</i> 794 <i>Apychis</i> reigns in <i>Egypt</i> ; breaks into several Kingdoms 788 <i>Aphidius</i> restores the <i>Olympiads</i> 776 <i>Necchus</i> and <i>Pelopsir</i> invent <i>Astrology</i> in <i>Egypt</i> 772 <i>Sennacherib</i> begins to <i>Rebuild</i> 760	<i>Sabacon</i> , after reigning 50 Years, relinquishes <i>Egypt</i> to his Son <i>Sewechus</i> , who becomes <i>Priest to Vulcan</i> and neglects military Affairs 701 <i>Manasseh</i> reigns 698 The <i>Corinthians</i> first begin to build Ships with 3 Orders of Oars, called <i>Triremes</i> . The <i>Greeks</i> had hitherto used long Vessels of 50 Oars 697 <i>Thibahab</i> reigns in <i>Egypt</i> 687 <i>Affhadon</i> invades <i>Babylon</i> 681 <i>Jews</i> conquered by <i>Affhadon</i> 673 He invades <i>Egypt</i> , committed to 12 Princes 671 The <i>Western Nations</i> of <i>Syria</i> , &c. revolt from the <i>Assyrians</i> 668 <i>Pbraortes</i> reigns in <i>Media</i> 658 The <i>Corinthians</i> conquer the <i>Cercyrions</i> at <i>Sea</i> ; the oldest <i>Sea Fight</i> 657 <i>Psematicus</i> becomes <i>King of Egypt</i> 655 First <i>Messenian War</i> begins, and lasts 20 Years 652 <i>Cherops</i> , the 1st decennial <i>Archon</i> of the <i>Athensians</i> 647 <i>Josiah</i> reigns in <i>Judea</i> 640 <i>Pbraortes</i> , <i>King</i> of the <i>Medes</i> , is slain warring against the <i>Assyrians</i> . <i>Ahyaces</i> succeeds him 636 <i>Scythians</i> invade the <i>Medes</i> and <i>Assyrians</i> 635 Battus
<i>Amorpha</i> builds small <i>Pyramids</i> at <i>Cochons</i> 901 <i>Ulysses</i> leaves <i>Calypso</i> in the <i>Island Ogygia</i> 886 <i>Teucer</i> builds <i>Salamis</i> in <i>Cyprus</i> . — <i>Hadad</i> , or <i>Bechadad</i> , <i>King</i> of <i>Syria</i> , dies, and is deified at <i>Damascus</i> 885 <i>Amorpha</i> dies, and is succeeded by his Son <i>Ramassis</i> 887 <i>Dido</i> builds <i>Carthage</i> . The <i>Phœnicians</i> soon after sail as far as the <i>Straits</i> <i>Mouth</i> and beyond. <i>Æneas</i> still alive according to <i>Virgil</i> 883 <i>Hesiod</i> flourishes 870 <i>Marris</i> reigns in <i>Egypt</i> 860 <i>Hazaël</i> (Successor to <i>Hadad</i>) dies and is deified 852 <i>Æolic Migration</i> 844 <i>Cherops</i> reigned in <i>Egypt</i> 838 <i>Heraclides</i> , after 3 Generations of 100 Years, (reckoned from their former Expedition) return into <i>Peloponnesus</i> 825 <i>Cephron</i> reigns in <i>Egypt</i> , erects another <i>Pyramid</i> 824 <i>Mycerinus</i> reigns there, begins a 3d <i>Pyramid</i> . He shut up the <i>Body</i> of his <i>Daughter</i> in a hollow <i>Ox</i> , and caused her to be worshipped daily	808 804 794 788 776 772 760 741 747 741 729 721 719 717 714 711 710 708	701 698 697 687 681 673 671 668 658 657 655 652 647 640 636 635

<i>Yrs bef. Chr.</i> <i>current.</i>	<i>Yrs bef. Chr.</i> <i>current.</i>	<i>Yrs bef. Chr.</i> <i>current.</i>
<i>Battus</i> builds <i>Cyrene</i> , where <i>Irafa</i> had stood 633	<i>Ambitions</i> make War on the <i>Cirreans</i> 568	<i>Pytle</i> and <i>Salamis</i> 489
<i>Rome</i> built 627	<i>Nebuchadnezzar</i> invades <i>Egypt</i> .	<i>Artaxerxes Longimanus</i> reigns 464
<i>Nabopolassar</i> revolts from the King of <i>Assyria</i> and reigns over <i>Babylon</i> 625	<i>Darius</i> the <i>Mede</i> reigns 569	<i>Ezra</i> returns into <i>Judea</i> 457
<i>Psammiticus</i> dies 617.	<i>Solon</i> makes Laws for the <i>Athenians</i> 562	<i>Herodotus</i> writes 444
<i>Cyaxeres</i> reigns over the <i>Medes</i> 612	<i>Periander</i> dies 557	<i>Nehemiah</i> returns into <i>Judea</i>
Princes of the <i>Scythians</i> slain at a Feast by <i>Cy-</i> <i>axeres</i> 610	<i>Nabonadius</i> reigns at <i>Ba-</i> <i>bylon</i> 555	<i>Peloponnesian</i> War begins 431
<i>Jofiah</i> slain 609	<i>Pisistratus</i> Tyrant at <i>A-</i> <i>thens</i> 550	<i>Nehemiah</i> drives away <i>Ma-</i> <i>nasseh</i> , Brother of <i>Ja-</i> <i>dua</i> , for having mar-
<i>Creon</i> the 1st annual Ar- chon of the <i>Athenians</i> 607	<i>Solon</i> dies 549	ried <i>Nicase</i> , Daughter of <i>Samballat</i> 428
<i>Nebuchadnezzar</i> invades <i>Syria</i> and <i>Judea</i> 606	<i>Sardes</i> taken by <i>Cyrus</i> 544	<i>Darius</i> <i>Nothus</i> reigns 424
<i>Nabopolassar</i> dies 604	<i>Babylon</i> taken by <i>Cyrus</i> 538	<i>Samballat</i> builds a Temple in Mount <i>Gerizim</i> 422
<i>Darius</i> the <i>Mede</i> born 600	<i>Cyrus</i> conquers <i>Darius</i> the <i>Mede</i> , and translates the Empire to the <i>Persians</i> 536	Hitherto the <i>Priests</i> and <i>Levites</i> were numbered and written in the <i>Jew-</i> <i>ish</i> Chronicle, before
<i>Cyrus</i> born at <i>Mandane</i> 599	<i>Cyrus</i> dies; <i>Cambyses</i> reigns 529	<i>Nehemiah's</i> Death, when <i>Jonathan</i> or <i>Jadua</i> was High Priest. Here ends the sacred History of the <i>Jews</i> 412
<i>Susiana</i> and <i>Elam</i> con- quered by <i>Nebuchad-</i> <i>nezzar</i> 596	<i>Darius</i> , Son of <i>Hystaspes</i> , reigns 521	<i>Artaxerxes Mnemon</i> reigns. End of the <i>Peloponne-</i> <i>sian</i> War 405
<i>Cyaxeres</i> wars with <i>Aly-</i> <i>attes</i> King of <i>Lydia</i> 590	<i>Magi</i> slain 521	<i>Artaxerxes Ochus</i> reigns 359
Temple of <i>Solomon</i> burnt by <i>Nebuchadnezzar</i> 588	Second Temple built at <i>Jerusalem</i> , by Com- mand of <i>Darius</i> 520	<i>Antiochus</i> reigns 338
Total Eclipse of the Sun, predicted by <i>Thales</i> , May the 28th, putting an End to the Battle between the <i>Medes</i> and <i>Lydians</i> 585	Second Temple finished and dedicated 515	<i>Darius Codomanus</i> reigns 336
<i>Pbidon</i> presides in the 49th Olympiad 584	<i>Harmodius</i> slays <i>Hippi-</i> <i>archus</i> , Tyrant of the <i>Athenians</i> 513	The <i>Persian</i> Empire con- quered by <i>Alexander the</i> <i>Great</i> 332
<i>Pbidon</i> overthrown 580	Kings of the <i>Romans</i> ex- pelled and <i>Consuls</i> es- tablished 508	<i>Darius Codomanus</i> last King of <i>Persia</i> slain 331
<i>Dracon</i> Archon of the <i>A-</i> <i>thenians</i> 572	Battle of <i>Marathon</i> 491	
	<i>Xerxes</i> reigns 485	
	Passage of <i>Xerxes</i> over the <i>Hellefpont</i> into <i>Greece</i> , and Battles of <i>Therma-</i>	

* * Those who would know more of the Particulars of the historical Events happening at the several Dates before related, and of other extraordinary Events happening at the same Dates, we refer to NEWTON'S *SHORT CHRONICLE* at the Beginning of his Quarto Book of Chronology; where the Curious may receive all desirable Satisfaction. Who may also receive ample Satisfaction as to the Truth of the Dates of those Events, deduced in a Manner peculiar to the Sagacity of the great Author, if they will consult the Body or Bulk of the Book treating

on the Chronology of the *Greeks*, next of the Empire of *Egypt*, next of the *Affyrian* Empire, then of the Empires of the *Babylonians* and *Medes* (describing the Temple of *Solomon*,) and lastly of the *Persian* Empire,

To reduce the foregoing Dates before Christ to Mr. Kennedy's Dates in the following Table of his Chronology of the World.

RULE. Subtract any one of the above Dates before Christ from 4008, (Kennedy's Year of the World in the 1st Year since Christ,) and the Remainder will be the Kennedian Year of the World correspondent. Whence it may be soon determined, where Mr. Kennedy's Chronology deviates from Truth, or the best Authority, by a Comparison of NEWTON's with his Dates following to some of the same Events. Or, subtract the Kennedian Year of the World from 4008, and the Remainder will be the Year of the World, before Christ, correspondent.

KENNEDY'S Credulous CHRONOLOGY of the WORLD,

To be compared with NEWTON's demonstrative CHRONOLOGY, according to some certain *Æra* or *Epoch* of Time; not founded on Belief, Opinion, or Superstition, but on the observed Motion of the HEAVENS, concurring with recorded and concomitant Circumstances and Relations.

Printed 1762. Mean solar Yrs. of the
ADAM lived before he Yrs. [World.

begat Seth	130	130
Seth	105	235
Enosh	90	325
Cainan	70	395
Mabalaleel	65	460
Jared	162	622
Enoch	65	687
Methuselah	187	874
Lamech	182	1056
Noah	502	1558
Shem	100	1658
Arphaxad	35	1693
Sabab	30	1723
Eber	34	1757
Peleg	30	1787
Reu	32	1819
Serug	30	1849
Nahor	29	1878
Terah	130	2008
Abram to his Calling out of Ur	74	2082
To his Departure out of Haran	1	2083
To the Birth of Ismael	11	2094
Isaac	24	2108
Jacob	60	2168
Joseph	91	2259
To the Carrying of Joseph into Egypt	17	2276
To the Descent of Jacob's 10 Sons into Egypt	21	2297
To the Descent of Jacob and his Family into Egypt	1	2298

Mean solar Yrs. of the
Yrs. [World.

To the Death of Jacob	17	2315
Joseph	54	2369
To the Birth of Moses	63	2432
To the Exodus	80	2512
To the Death of Moses and the Entrance into Canaan	40	2552
To the Distribution of the Land by Lot	7	2559
To the Death of Joshua	30	2589
The first Interval after the Death of Joshua, includes, 1st the 6 Years Oppressions of Cushatbarbaim, King of Mesopotamia. 2dly, The Times of Orniel.		
This contains	40	2629
The 2d Interval includes, 1st, the 18 Years Oppressions of Eglon King of Moab. 2dly, The Times of Eudai.		
This contains	80	2709
The 3d Interval includes, 1st, the 20 Years Oppressions of Jabin King of Canaan. 2dly, the Times of Deborah and Barak. This contains	40	2749
The 4th Interval includes, 1st, the 7 Years Oppres-		

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Mean solar Yrs. of the World.
Yrs.

Mean solar Yrs. of the World.
Yrs.

sons of the Medianites.		
2dly, the Times of <i>Gideon</i> . This contains	40	2789
In the 5th Interval <i>Abimelech</i> reigned	3	2792
In the 6th Interval <i>Tola</i> judged <i>Israel</i>	23	2815
The 7th Interval includes, 1st, Part of the 18 Years Oppression of the <i>Ammonites</i> , 2dly, the Times of <i>Jair</i> . This contains	22	2837
The 8th Interval includes, 1st, Part of the 18 Years Oppression of the <i>Ammonites</i> , 2dly, the Times of <i>Jephtha</i> . This contains	6	2843
In the 9th Interval <i>Ismen</i> judged <i>Israel</i>	7	2850
In the 10th Interval <i>Ehri</i> judged <i>Israel</i>	10	2860
In the 11th Interval <i>Abdon</i> judged <i>Israel</i>	8	2868
The 12th Interval (which was the last before the regal Government) includes, 1st, Part of the 40 Years Oppressions of the <i>Philistines</i> , 2dly, The Judgeship of <i>Eli</i> the High Priest. 3dly, the 40 Years of <i>Samson</i> . 4thly, Part of the Times of <i>Samuel</i> . This contains	40	2908
The 13th Interval includes, 1st, Part of the 40 Years Oppressions of the <i>Philistines</i> , and their Defeat at <i>Eben-Ezer</i> . 2dly, the latter Part of the Times of <i>Samuel</i> . 3dly, the regal Government of <i>Saul</i> . This contains,		
<i>Ach. V. 21.</i>	40	2948
<i>David</i> reigned	40	2988
<i>Solomon</i>	40	3028
<i>Rehoboam</i>	17	3045
<i>Abijah</i>	3	3048
<i>Ahaz</i>	40	3088
<i>Hezekiah</i>	21	3109

<i>Jehoram</i>	-	-	7	3116
<i>Joash</i>	-	-	1	3117
<i>Amaziah</i>	-	-	6	3123
<i>Joash</i>	-	-	37	3160
<i>Amaziah</i>	-	-	29	3189
Inter-Reign	-	-	11	3200
<i>Uzziah</i>	-	-	52	3252
<i>Jotham</i>	-	-	15	3267
<i>Abaz</i>	-	-	14	3281
<i>Hezekiah</i>	-	-	29	3310
<i>Manasseh</i>	-	-	55	3365
<i>Amon</i>	-	-	2	3367
<i>Josiah</i> and <i>Jehoabaz</i>	-	-	31	3398
<i>Jehoiakim</i>	-	-	11	3409
<i>Zedekiah</i>	-	-	11	3420

PTOLEMY'S Canon.

The *Babylonish* Monarchy.

To the End of <i>Nebuchadnezzar</i> 's Reign, according to the Scripture Computation	-	26	3446
<i>Neurodamus</i>	-	3	3449
<i>Nirissafassar</i>	-	4	3453
<i>Nabonadius</i>	-	17	3470
<i>Darius</i>	-	2	3472

The Persian Monarchy.

<i>Cyrus</i>	-	7	3479
<i>Cambyses</i>	-	8	3487
<i>Darius Hystaspes</i>	-	36	3523
<i>Xerxes</i>	-	21	3544
<i>Artaxerxes Longimanus</i>	-	41	3585
<i>Darius Nothus</i>	-	19	3604
<i>Artaxerxes Mnemon</i>	-	46	3650
<i>Artaxerxes Ochus</i>	-	21	3671
<i>Argeus</i>	-	2	3673
<i>Darius Codomannus</i>	-	4	3677

The Grecian Monarchy.

<i>Alexander</i>	-	8	3685
<i>Phil. Aridæus</i>	-	7	3692
<i>Alexander Segas</i>	-	12	3704
<i>Ptolemy Lagus</i>	-	20	3724
<i>Ptolemy Philadelphus</i>	-	38	3762
<i>Ptolemy Euergetes I.</i>	-	25	3787
<i>Ptolemy Philopater</i>	-	17	3804
<i>Ptolemy Epiphanes</i>	-	24	3828
<i>Ptolemy Philometor</i>	-	35	3863
<i>Ptolemy Euergetes II.</i>	-	29	3892
<i>Ptolemy Soter</i>	-	36	3928
<i>Dionysus</i>	-	29	3957
<i>Cleopatra</i>	-	22	3979

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Mean solar Yrs. of the World.			Mean solar Yrs. of the World.		
Yrs.			Yrs.		
The Roman Monarchs.					
Augustus	43	4022	Justinian I.	38	4571
Tiberius	22	4044	Justin II.	13	4584
Caius Caligula	4	4048	Tiberius II.	4	4588
Claudius	14	4062	Mauritius	20	4608
Nero	14	4076	Phocas	8	4616
Gai. Oth. Vitell. Vespasian	10	4086	Heraclius	31	4647
Titus	3	4089	Constantine III. IV.	1	4648
Domitian	15	4104	Constant II.	26	4674
Nerva	1	4105	Constantine V.	17	4691
Trajan	19	4124	Justinian II.	9	4700
Hadrian	21	4145	Leontius	3	4703
Antoninus Pius	22	4167	Abdimerus Tiberius	7	4710
PTOLEMY's Canon ends.			Justinian II. restored	7	4717
Antoninus Philosophus	19	4186	Phillipicus Bardanes	2	4719
Commodus	13	4199	Anastasius II.	2	4721
Pertinax Julianus	1	4200	Theodosius III.	2	4723
Septimus Severus	17	4217	Leo III	24	4747
Caracalla	6	4223	Constantine VI.	34	4781
Opilius Macrinus	1	4224	Leo IV.	5	4786
Heliogabalus	4	4228	Constantine VII.	17	4803
Alexander Severus	13	4241	Irene his Mother alone	5	4808
The two Gordians	3	4244	Nicephorus	9	4817
Gordian Junior	6	4250	Misbaud I.	2	4819
Philip the Arabian	5	4255	Leo V.	2	4827
Decius	2	4257	Michael II.	8	4835
Gallus Hostilius	3	4260	Theophilus	13	4848
Aimilianus and Gallienus	14	4274	Michael III.	25	4873
Claudius	2	4276	Basilus	19	4892
Maximian	5	4281	Leo VI.	25	4917
Tacitus and Florinus	1	4282	Alexander I.	1	4918
Probus	6	4288	Constantine VIII.	47	4965
Marcus Aurelius Cæsar.	2	4290	Romanus	4	4969
Dioclesian	20	4310	Nicephorus II.	6	4975
Constantius Chlorus	2	4312	John Zemisces	6	4981
Constantine the Great	31	4343	Basilus II.	50	5031
Constantine Junior	4	4347	Constantine IX. alone	3	5034
Constantine alone	20	4367	Romanus II.	6	5040
Julian the Apostate	2	4369	Michael IV. and V.	8	5048
Jovian	1	4370	Constantine X.	12	5060
Eastern EMPERORS.			Theodora	2	5062
Valens	15	4385	Michael VI.	1	5061
Theodosius the Great	16	4401	Isaac Comnenus	2	5065
Arcadius	13	4414	Constantine XI.	9	5074
Theodosius II.	42	4456	Romanus Diogenes	3	5077
Marcianus	7	4463	Michael VII.	7	5084
Leo I.	17	4480	Alexius Comnenus	37	5121
Leo II.	17	4497	Nicephorus	3	5124
Anastasius	27	4524	John Comnenus	25	5149
Justin I.	9	4533	Manuel Comnenus	37	5186
			Alexius Comnenus II.	3	5189
			Andronicus		

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By

Mean Solar Yrs. of the World

Mean Solar Yrs. of the World.

Yrs.		Yrs.	
Andronicus Comnenus	2 5191	Edward IV. and V.	22 5490
Isaac Angelus Comnenus	10 5201	Richard III.	2 5492
Alexius III.	9 5201	Henry VII.	24 5516
EMPERORS of Nice.			
Theodore Lascaris	18 5228	Henry VIII.	38 5554
John Ducas	33 5261	Edward VI.	6 5560
Theodorus	3 5264	Mary	5 5565
John Paleologus	1 5265	Elizabeth	45 5610
Michael Palaeologus	22 5289	James I.	22 5632
Andronicus Paleologus I.	37 5326	Charles I.	24 5656
Andronicus Paleologus II.	21 5347	Charles II.	36 5692
John Paleologus V.	50 5397	James II.	4 5696
Manuel II. Paleologus	33 5430	William III.	13 5709
John VI. Paleologus	24 5454	Anne	12 5721
Constantine Paleologus	6 5460	George I.	13 5734
KINGS and QUEENS of England.		George II. A. D. 1760	33 5767
To the End of the Reign		George III. A. D. 1761	1 5768
of Henry VI.			

Crede quod habes, et habes.

* * We have published the foregoing Kennedian Chronology of the World for the Reader to believe more than depend on; except where he happens (by Chance) to find a Coincidence with Truth, or with Newton's Chronology.

SCHEME of CHRONOLOGY.

Yr. bef. Chrif.	Sum.	Yr. of the World.	Diff.	Year of Jul. Pen. current.	Sum.	Bef. Chrif.
current.	4008	4007	+	4713	4714	1
—	From	—	706	—	From	—
Yr. since Chrif.	Diff.	Yr. of the World.	Diff.	Yr. of Jul. Pen. current.	Diff.	Yr. fin. Cbr.
1	4007	4008	+	4714	— +	1
			706		4713	

RULES and EXAMPLES for the REDUCTION of Kennedian's Chronology.

To determine the Year current before or since Christ, answerable to Kennedian's credulous Year of the World, and the contrary.

RULE I. For Years before CHRIST. — If the Kennedian Year of the World be 4007 or less, subtract it from 4008 the Year of the World in the 1st current since Christ, and the Remainder will be the Year before Christ.

Example 1. Required the Year before Christ answerable to the 40th Year of Solomon's Reign, or 3028 Kennedian Year of the World.

4008
3028.—

Answer 980 before Christ.

Example

Example 2. Required the Year before *Christ* answerable to the 2d Year of *Darius's* Reign, or 3472 *Kennedian* Year of the World.

4008

3472

Ex. 3. To 1 of the World.

4008

— 1 current of the World.

Answer 536 before *Christ*.

Answer 4007 before *Christ*.

Contrarily. Subtract the Year before *Christ* from 4008 for the *Kennedian* Year of the World.

RULE II. For Years since *CHRIST*. If the *Kennedian* Year of the World be 4008, or more, subtract from it 4007, the Year of the World in the 1st current before *Christ*, and the Remainder will be the Year since *Christ*.

Example 1. Required the Year since *Christ* in the 1st Year of the Reign of King *George III.*, or 5768 of the World.

5768

4007

Answer 1761 since *Christ*.

Example 2. Required the Year since *Christ* in the 2d Year of *Richard III.*, or 5492 of the World.

5492

4007

Answer 1485 since *Christ*.

Contrarily. Add the Year since *Christ* to 4007 for the *Kennedian* Year of the World.

To determine the Year of the Julian Period answerable to the Year current before or since *Christ*, and the contrary.

RULE I. For the Julian Period for Years before *Christ*. — Subtract the Year before *Christ* from 4714, the Year of the Jul. Per. 1 Year current since *Christ*, and the Remainder will be the Julian Period for the Year current before *Christ* given.

Example. Required the Julian Period to 45 Years before *Christ* when *Julius Cæsar* corrected the Calendar.

4714

— 45 before *Christ*.

Contrarily. Subtract 4714 from the Julian Period, and the Remainder will be the Year before *Christ*.

Answer 4669 Yr. of Jul. Per. cur.

RULE II. For the Julian Period for Years since *Christ*. — Add the Years since *Christ* to 4713, the Year of the Julian Period 1 Year before *Christ*, and the Sum will be the Julian Period for the Year since *Christ* given.

Example. Required the Julian Period for 1764 since *Christ*.

1764

4713

Answer 6477 Year of the Julian Period current.

Contrarily. Subtract 4713 from the Julian Period, and the Remainder will be the Year since *Christ*.

To determine the Julian Period answerable to the Kennedian Year of the World; and the contrary.

RULE. Add 706, the Year of the Julian Period in the 1st Year current of the Kennedian Creation, to the present Kennedian Year of the World, and the Sum will be the Julian Period, required.

Example 1. Required the Julian Period to the 8th Year of the Reign of Alexander the Great, or 3685, the Kennedian Year of the World.

$$\begin{array}{r} 3685 \\ 706 \\ \hline \end{array}$$

Answer 4391 Julian Period.

Contrarily. Subtract 706 from the Year of the Julian Period for the Kennedian credulous Year of the World.

And so for the Rest, according to the foregoing given Scheme of Chronology.

To find when it is Bissextile, or what Year after, by the Julian Period.

RULE. Subtract 1 from the Julian Period and divide the Remainder by 4, and if 0 remains it is Bissextile, if 1, 2, 3, remain, then it is so many Years after.

Example. Julian Period 706

$$\begin{array}{r} - 1 \\ \hline 4 \) \ 705 \ (\ 176 \end{array}$$

Rem. 1 or Year after Bissextile, correspondent to which Year is 4008 before Christ, which is also one Year after Bissextile; answering to 1 Year current of the World, the 1st Year after Bissextile.

To find when it is Bissextile, or what Year after, in the Kennedian Year of the World.

RULE. Add 1 to the Year of the World, and divide the Sum by 4, and what remains, 0, 1, 2, 3, shews Bissextile, or the Year after.

Example. Year of the World, 5767.

$$4 \) \ 5768 \ (\ 1442$$

0 Bissextile.

To find when it is Bissextile, or what Year after, for Dates before Christ.

RULE. Subtract 1 from the Date, and divide the Remainder by 4, and taking what remains from 4, the last Figure 4, 1, 2, 3, will shew Bissextile, or the Year after.

Example. 4008 before Christ.

$$\begin{array}{r} - 1 \\ \hline 4 \) \ 4007 \ (\ 1002 \\ \hline - 3 \text{ Rem.} \\ \hline \text{From 4} \\ \hline \end{array}$$

1 Year after Bissextile.

The Rule for Years since Christ, is, to divide the Date by 4, and what remains, 0, 1, 2, 3, shews Bissextile, or the Year after.

M

Hence,

Hence, 1 Year current since *Christ* is 1 Year since Bissextile, of 2 before *Christ*.
1 Year current of the *World* is 2 Years after Bissextile, of 2 Years current before the *Kennedian* Creation.

1 Year of the Julian Period is Bissextile. Consequently the Year before or since *Christ*, *Kennedian* Year of the *World*, or Year of the Julian Period, all concur to prove the same Thing, or Day of the Week; according to either of those three corresponding *Dates*.

To the PALLADIUM AUTHOR.

SIR,

Mr. Kennedy has gone surprising Lengths in his late Book (intituled *Astronomical Chronology*) without a Foundation in astronomical Computation.

I cannot help observing, with Regard to his *Chronology* of the Year of Creation, (which he endeavours to prove was in the Year of the Julian Period 706, the Sun in *Libra* on the 4th Day of Creation Week, or *Thursday*, the 25th of *October*, at Noon, Old Style, in his first fictitious Meridian) that it is exactly the same as in *Bedford's Scripture Chronology* for the Longitude of *Babylon*, situated $2^h 51^m$ to the East of *Greenwich*. (See *Royal Astronomer*, P. 1.) Though his first Meridian is situated $10^h 24^m$ to the West (instead of East) thereof.

The autumnal Equinox at *Greenwich* for the Year of the Julian Period 706, or 4008 current before *Christ*, is determined (according to *Halley's Tables*) from the Sun's Equation to his mean Anomaly for the exact Time of his Entrance therein, (from repeated Trials) which Time will be *October* $23^d 21^h 38^m 34^s$, mean Time: or, by *Tables* in the *Royal Astronomer*, the Sun enters *Libra* *October* $23^d 20^h 34^m 34^s$, mean Time, from improved Observations; the last differing from Mr. Kennedy's Equinox at *Greenwich*, *October* $23^d 19^h 24^m$, by $1^d 13^h 49^m 60^s$, his very great Error; or the first differing by $1^d 12^h 45^m 26^s$, being a double Proof of his Ignorance in astronomical Computation, on which he vainly founds his *Chronology*.

He endeavours to prove that the Year of the *Ecclesi* was in his A. M. (*Anno Mundi*) 2512, J. P. (Julian Period) 3212, answerable to 1406 current before *Christ*, and the 1st Day of *Abib* to answer to *Sunday*, the 28th of *March*, and consequently the 15th of *Abib* to *Sunday* the 11th of *April*; the Day the *Israelites* set out from *Rameses*.

That the original Sabbath was our *Sunday*, revived at our Saviour's Resurrection.

Lastly, That the Temple of *Solomon* was dedicated on the same Month, Day of the Month, and Day of the Week, on which *Christ* was born; and whenever the Jews celebrate the Feast of Tabernacles, as they annually do on the 15th Day of the 7th Month, they, at the same Time, celebrate the Birth-day of the *World*, and Birth-day of the *Messiah* too. With all which *Bedford's Scripture Chronology* agrees. Thus far then we may see that this Doctrine of Mr. Kennedy's is not a new one.

Now, if this were really the Case, *Christmas* should never have been celebrated as a fixed but a moveable Holyday; as all the Jewish Holydays were. And it might have been expected, that, originally, *Christmas* should have been observed by all *Christians* over all the *World*, on the 15th Day of the Jewish 7th Month. But, in *Fact*, we find that it was quite otherwise. Not one single Church, not one single Sect, catholic or heretic, ever celebrated our blessed Lord's Nativity on the 15th Day of the Jewish 7th Month.

It might have been expected that Mr. Kennedy would have taken Notice of the *Apparent Suspension* of diurnal Motion in King Hezekiah's Days, which so much alarmed the Babylonians; who were, at that Time, the most famous Astronomers in the World.

In *Josue's* Days there was a total Cessation, in King Hezekiah's an Interruption, of diurnal Motion.* Now, the first of these Interruptions [interrupting Mr. Kennedy's *Chronological Computation of the World's Era*, and for which Events there is an equal Scripture Authority with his other Mosaic Doctrines of Astronomy.] happened between A. M. 1440, and A. M. 2880; and the Year, in which it fell out, must be protracted beyond our Author's standard Year of 365^d 5^h 49^m precisely. Consequently, if A. M. 1440 was a Year of Commensuration, then neither A. M. 2880, A. M. 4320, A. M. 5760, (nor any other Multiple of 1440) can be a Year of Commensuration; unless we suppose that there has happened some preternatural Acceleration of diurnal Motion, to ballance, precisely, the Retardation thereof in *Josue's* Days; which no Man dare presume to say. This Difficulty is still heightened by the second Protraction in King Hezekiah's Days: [rendering the Kennedian astronomical Chronology still more doubtful and absurd.] For Mr. Kennedy does not shew what Allowance should be made for the total Cessation and Lowering of diurnal Motion in computing the Time of the vernal and autumnal Equinoxes for the Year of the Julian Period 3218 or 1496th Year current before Christ, the autumnal Equinox happening (by *Halley's* Tables) correctly, from the Sun's Equation, answering to the Minute of his Entrance into *Libra*, October 5^d 20^h 32^m 25^s equal Time; or by the improved Tables in the *Royal Astronomer*, October 5^d 20^h 34^m 28^s equal Time, at *Greenwich*, the Sun enters *Libra*, in the 1496th Year current before Christ.

N. B. My Computations of the Equinoxes and Solstices, (from *Halley's* Tables) *Pal.* 1761, P. 35; are according to the Sun's Equation for the Days at Noon, and should be at the exact Times of the Sun's entering those Points; which are therefore erroneous and require the Correction here given.

Hackney, December 16, 1762.

I am, Sir, your humble Servant,
W. WILLIAMS.

* See the Prize Question for this Year.

To the BELIEVERS in SCIENCE.

*Why will ye little Labourers presume,
Who, in the dark, to light us strive in vain;
As well a Taper might the World illumine,
Or Superstition Science might explain.
To exalt yourselves Great NEWTON you despise,
Like Bats, in Blindness bred, you love the Night;
Who screen beneath some SACRED PATRON's Name,
But Truth shall trace your Errors into Light.
Antihutchinsonian.*

The ERRORS of the Rev. Mr. Kennedy's CHRONOLOGY unfolding the SCRIPTURES.

Mr. Kennedy has taken upon him, in his late voluminous Work, intitled *Astronomical Chronology, unfolding the Scriptures*, to set at Nought all the Improvements in real Astronomy, made by the greatest Astronomers since the first Ages; an

this by his own peculiar *Authority*, in asserting that all Astronomers are *wrong* in *their Calculations*, and proceed upon *wrong Principles*. To prove which, he lays his Foundation, that the SUN and MOON'S MOTIONS are always *alike*, or *uniform*, (similar to the Motions of the Hour and Minute Hands of a Watch) while Experience and Observation shew that they move variably in elliptic Orbits. — Who fixes the constant and invariable Length of the solar Year to the *nearest* mean Length, set down by Astronomers in *Minutes*; viz. $365^d\ 5^h\ 49^m$ precisely; on which invariable Quantity he erects his Superstructure of Calculation, in determining the Times of the *Equinoxes* and *Solstices*, or distant Periods; though far from the Time of the *true ones*; as will appear by *undoubted* Calculations founded on real and correct Observation. He fixes the *immutable* Quantity of a *Lunation* at $29^d\ 12^h\ 44^m\ 1^s\ 4^t$; though it is a *distant* Quantity from the *correcter* mean Year set down by Astronomers. Whence his *lunar* Year, of 12 such Lunations, (which he makes *immutable*) consists of $354^d\ 8^h\ 48^m\ 21^s$. On which he erects his supposed *infallible* Computations of the Times of the *New* and *Full Moons*, from certain *radical* Times observed, at certain *Dates*. — All which he computes in a Way that a School-boy can correct. While (if there were any *Use* in such *Determinations*, from *postulated Error* and *wrong Principles*) the same Conclusions may be performed by ten Times an easier Way, or almost by Inspection, from *Tables* of mean solar Motions. — Who going out of his Depth, into the *Ocean* of *astronomical Computation*, he is as much lost in *Error* and *Absurdity*, as those *speculative Navigators* by Land would be, when they come (*unexperienced*) to keep a *Ship's Reckoning at Sea*; where the necessary *Allowances* are to be made for *Lee-Way* according to the Circumstances of Wind and Weather, the Sails set, and the Sea's Motion, (when Currents sometimes are concerned.) Whence, from an Observation, a Correction of the *Latitude*, *Course*, *Distance*, *Departure*, and *Longitude*, are duly ascertained from what is called the *Dead Reckoning*. — Mr. Kennedy's Astronomy being Nothing more than a *dead Reckoning* without one Observation to correct it.

His *Hypothesis* of the World's Beginning is thus. He takes 4 Times 1440 Years (or 4 Times his solar Period, deduced as *before* farther on) 5760 Years back from the autumnal Equinox 1753, observed at Greenwich on September $11^d\ 10^h\ 24^m$, O. S. and 4 Times 11 Days forward, in the Month-days, to 4008 current bef. Cb. O.E. $25^d\ 10^h\ 24^m$, O. S. (the Dom. Let. being G, and Week-day Thursday, at Sight, by Pal. 1762, P. 4 and 3) or O.E. 25, at Noon, $10^h\ 24^m$ to the West of Greenwich. At which Time he computes (*erroneously*, as the Time of his Equinox) the Moon to be at full, or 15 Days old. This may serve well enough for an *imaginary Creation* to build his future Castles in the Air upon. But as to bringing back the mean Time of the Equinoxes and Solstices to that Date before Christ, together with the Week-days, and then to carry them forward again, from those *fictitious Radices*, proves only the *Consequence* of the *Supposition*.

Mr. Kennedy might as well, when he was about making of Worlds, have gone back, from the Summer Solstice at Greenwich, observed 1753, June $9^d\ 21^h\ 15^m$, O. S. 5760 Years, and 44 Days forward, from that Date, to 4008 current before Christ, July $23^d\ 21^h\ 15^m$ Summer Solstice, at Greenwich, O. S. (according to his mean Motion) or July 23, at Noon, — in a Meridian $21^h\ 15^m$ to the West of Greenwich, if the Cardinal Points had been *essential* to the Beginning of a World, and Noon another *essential*: Though every true Solstice or Equinox always happens at Noon, *somewhere*, and has done so ever since the *real Creation*. And as to Autumn, with which Mr. Ferguson so wisely concurs with Kennedy for the Creation Season, as a proper Time, *because the Fruits were ready for Man*,* it is always Autumn, Winter, Spring, or Summer, in different Parts of our Earth. — Whence the Sun in the Cardinal Points can give no Advantage or Disadvantage.

* See Critical Review for May, 1763.

But if July 23, at Noon, 4008th Year current before Christ, had been the true Summer Solstice, (though the true one is a Day short of it) it would have served as well for a Supposition when the World was made, as October 25 at Noon; because the Dominical Letter (by the said Palladium 1762) was G, and Week-day was Monday, (at Sight,) and needed no going back to begin the Week; as Mr. Kennedy is forced to do in his other Supposition, when he makes the Earth first move on a Thursday, October 25, at Noon. And, moreover, from the Radices, or Number of Days (inclusive) from the Monday Solstice, there would require only a Division by 7 for the Remainder to shew the present Week-day; whereas he puzzles some of his Readers to add 4, and then divide by 7, for the Remainder to shew the present Week-Day. Or, this Author might have fetched his Creation many more Periods, of 1440 Years each, back out of Antiquity, to augment the Wonder of his Discovery; and yet have performed Things to as great Effect, and as much to the Purpose, as in his present Way of beginning the World.

He has racked and tortured the Length of the poor Syderal Day, fixing it to 23^h 56^m precisely; whereas every Astronomer knows it to be, correctly, the Difference of the Sun's right Ascension in Time from to the same Meridian, and 24 Hours; which is continually variable; as is the Length of the true solar Year, which he would have (like the syderal Day) to be always alike. Who misunderstands, degrades, and misrepresents Keil, and other great Astronomers, (Newton, Halley, De la Caille, Mayer, &c.) about their Quantities. He applauds Moses as the greatest Astronomer that ever lived; who might, with equal Truth and Propriety have applauded Noah as the greatest Ship-builder. Though it does not appear from Mr. Kennedy's Works that he can out-reason his own Contemporaries.

The mean SOLAR PERIOD deduced.

The Kennedian invariable mean solar Year (miscalled tropical) }

$$\begin{array}{l} \text{precisely } 365^d 5^h 49^m \\ \text{A mean Julian Year is } 365 \quad 6 \quad 0 \end{array}$$

1440 Minutes in 24 Hours or 1 Day. The Dif. 11^m

Min. short Jul. Yr. Min. in 1 Day short

Say, by Proportion, If 11 require 1 what will 1440 require.

Answer. $\frac{1440}{11} = 130 \frac{10}{11}$, or near 131 Years Julian for 1 Day to retreat.

Now, multiply this Fraction (already in the lowest Terms, or it must have been reduced thereto) and also 1 Day Retreat, by 11, and there will result 1440 Julian Years and 11 Days retreated. This 1440 Years Period is what Mr. Kennedy, and his Advocates for Error, so much wonder at, for the profound Discovery thereof; while it may be deduced (as above) by every Tyro in common Arithmetic, and relates only to mean and equable Motion; which is but Fiction or Hypothesis, and not the true Motion of the Heavens.

Mr. Riwet confounds the above Period of 1440 Julian for 1440 solar Years, to which it is exactly commensurate; because it is equal to the Number of Minutes in 24 Hours, or 1 whole Day retreated by the solar from the Julian Reckoning: While its Use relates to the Julian Reckoning only, in the 11 Days the solar Reckoning retreats back; or advances forward, in the 1440 Julian Years back.

Proof. In 1440 Julian Years of 365^d 6ⁿ each are 525960 Days.

In 1440 solar Years of 365^d 5^h 49^m each are 525949

Dif. 11 Hence,

Hence, as 7 is the *Period* of Week-days, therefore 7 Times 1440 Years, or 10080 Years Julian or solar, the Day of the *Week* will return the same; another of Mr. Kennedy's deep Discoveries, in which Mr. River (in his Pamphlet, intitled *The Solar Period the Basis of Chronology*, printed 1763) sets up his *Rival* in the *erroneous* Invention, without owning from whence he had it. Who had much better confine himself to his proper Province of the *Law*, where his Judgement might remain undisputed, than expose his *poor Abilities* in the Misapplication of *common arithmetic Rules* to confound the Truths in Astronomy. Which Truths he never understood, and perhaps never may. The late Secretary to the Royal Society, Mr. Duval, assured him he was *wrong* when he asked his Judgement concerning this *fame solar Period*, when he persisted in its Truth, (though founded on mean instead of true Motion.) And moreover, that *this was not a Time of Life for him to meddle with these Matters, unless he would be guided*. Who rejects (as Kennedy's Follower) the Sun's observed *Apogee*, *Anomaly*, and *Equation of Time*, as without Existence, and useless in astronomical Computation. We therefore recommend it to him (in Order to clear his Mind from *rank Error*) to read the *General Introduction* concerning the *Nature*, *Usefulness*, and *Certainty*, of the *Mathematics*, in Mr. Emerson's *Cyclopaedia*, (sold by Mr. Nourse,) an *easy Introduction* to the several Branches of the Mathematics, designed for *young Students*.

As to his *calculated Times* of the *autumnal Equinoxes* at *Greenwich* from 1752 to 1755, agreeing with the *observed Times* by Dr. Bradley, in P. 14 of his Pamphlet, wherein he thinks he has *Demonstration* on his Side for the Truth of his *solar Period*, he cannot see that the radical Times of the *autumnal Equinoxes* for the 706th Year of the Julian Period (or for the 4008th Year before Christ) were first deduced by a Subtraction of 4 of his Periods of 1440 Years each, and an Addition of 4 Times 11 Month-days, from Bradley's observed Equinoxes, from 1752 to 1755, or from that for 1753, September 22^d 10^h 24^m New, or the 11th of September, Old Style. Consequently these Equinoxes being again carried forward by an Addition of 4 solar Periods and Subtraction of 44 Days, with other Allowances forward, before allowed in the backward Computation, the same Times of these Equinoxes must result; and proves only the Consequence of the first Supposition: Nothing at all. (See the true Time of the Sun in Libra the 706th Year of the Julian Period computed astronomically, farther on, according to the Certainty of Observation and Sun's real Motion, confirmed by so able a Judge as Dr. Cowper, the present worthy Dean of Durham.) That Mr. River must try other Methods if he would always discover Truth. The nearer the Equinoxes are to those from whence the radical ones for 706 J. P. are deduced, the nearer will Mr. Kennedy's or River's erroneous Calculation shew the Correspondency of their computed Equinoxes and Solstices with the observed Times. But the farther they go back, or forward in Dates, from 1753 since Christ, the more will such mean Computation deviate from the true Computation, according to the *real Motion* of the Heavens. Because for a small Number of Years from 1753, when Dr. Bradley's Equinoxes and Solstices were observed, there is little Variation of the Sun's *Apogee*, and consequently of *Anomaly*, and therefore for about 50 or 60 Years the mean Equinoxes and Solstices will nearly agree with the true ones, there being little or no Difference in the Sun's Equation. — But from 1753 to 4008 current before Christ, or 706 J. P. in 5760 Years back the Sun's *Apogee* is so much changed that the Sun's Equation from the greatest is changed to 29th of a Degree only, or nearly Nothing, while the mean Motion is always the same.

Mr. River, in his Postscript, has at last admitted of a *Precession* of the Equinox, of 50th annually, which is acknowledging the Sun's *Apogee* forward, which yet he

he denies in his Method of computing the Times of the Equinoxes, who allows for the Equation of the Sun, the most essential Part of that Computation. Who has the *Royal Astronomer* in his Hands for no Use, which he purchased of the Author. — Now, the Difference of the Sun's mean Place, and of the Sun's *Apogee*, taken out of the Tables in the *Royal Astronomer*, founded on the *corrected Observations* at Home or abroad, will always shew *both their Distance, or Quantity of mean Anomaly*; by which, (from *Tab. P. 11.*) he may find the Sun's Equation to be subtracted from, or added to, the Sun's mean for his correct true Place, and when he truly enters any Sign will follow. — As by *P. 18, Royal Astronomer*, he is shewn a direct Method (*never before published by any Author*) to find when the Sun enters into any Point of the *Ecliptic*, according to his true, not mean, Motion, with the least Trouble. The Sun's Apogee being first had, which is easy, to any Month-day, his true Anomaly is had by subtracting it from the Sun's true Place, into which when he enters, the Time is required, and thence his Equation, (by *Table 17.*) whence by adding or subtracting the same, to or from, the Sun's true Place to be entered, will give his mean Place at his true Entrance. — From whence deducting the mean Place at the Year's Beginning, there will remain a Quantity from which the next less must be deducted for the Month-day; and from that Remainder the next less for Hours; and from that the next less for the Minutes, and next less for the Seconds; which is as near as the Time can be had. — For Thirds of Time are of no Use, and are but speculative.

Mr. *Rivet*, finding $20^m\ 37^s\ 28^{th}$, &c. of Time equal to $50''$ of a Degree, the Precession in one Year, or $20^d\ 6^h\ 59^m\ 23^s$ both correspondent to the Precession in 1440 Years, according to 360^d Precession, answerable to $365^d\ 5^h\ 49^m$ in 25920 Years, can answer no End; but is only farther bewildering himself in Error and Confusion, unless he had attended to the Motion and Place of the Sun's Apogee, and his mean Place, respecting these Quantities, with which he has done Nothing, or shewn no Use of, except to look at them, in the pretty little Table where he has uselessly placed them; without so much as seeming to know their Use, or what he intends by them. Whole printed Computations, by decimal and common Arithmetic, of Interest, Expenses, and other Matters, (he refrains to subscribe his Name to) for now, have been done many Times over in many Books (even in the *Gentleman's Diary*) in a much better Method. We refer him to *Emerson's Cyclo-mathesis* aforementioned for his Improvement. — But with Regard to *Kennedy* —

A mean *Kennedy* Lunation, taken as an invariable true one $29^d\ 12^h\ 44^m\ 1^s\ 45^{th}$
12 of which, his invariable lunar Year 354 2 48 21 0

A mean lunar Period deduced, or the least Time in which a New or Full Moon returns at the same Time it before happened, according to mean Motion.

From $365^d\ 5^h\ 49^m\ 0^s$
Take 354 2 48 21

Complement to a solar Year 10 21 0 39

The Seconds in 24 Hours are 86400. In the above Time 939639 Seconds.

Sec. short Sol. Yr. Sec. in 1 Day
By Proportion say, If 939639 require 2 what will 86400 require?

Answer. $\frac{86400}{939639}$ Years; reduced to the least Terms, dividing the above

Fraction

Fraction by 3, in *Numerator* and *Denominator*, there results $\frac{28800}{313213}$ Years for 2

Day to retreat.

Now, multiply this *Fraction* by 313213, and the 1 Day by the same, the Result will be 28800 solar Years and 313213 Days gone back in the *Lunations*.

Otherwise.

From	365 ^d	6 ^h	0 ^m	0 ^s
Take	354	8	48	21

10 21 11 30

Seconds in 24 Hours are 86400. In the above Time 940299 Seconds.

Sec. short Jul. Yr. Sec. in 1 Day.

By Proportion say, If 940299 require 1 what will 86400 require?

Answer. $\frac{86400}{940299}$ Yr. or, reduced to *lowest Terms*, (dividing the Numerator

and Denominator by 3) $\frac{28800}{313433}$ Yr. for 1 Day to retreat; multiplying which

Fraction and 1 Day retreated by 313433, and there will result 28800 Julian Years and 313433 Days, retreated by the *Kennedian Lunations*, correspondent to 28800 lunar Years of 12 Lunations each; making 345600 Lunations to the said Period.

This *lunar Period* of 28800 Julian Years for 313433 Days Retreat of Lunations, correspondent to 28800 mean solar Years, correspondent to 28800 *lunar Years*, is what Mr. *Kennedy*, Mr. *Rivet*, and his Followers, had no Notion of, though so easily deduced; being but 20 Times their *solar Period*.

Jul. Yrs.

Days.

Proof.	28800 of 365 ^d 6 ^h each	10519200
28800 lunar Years of 354 ^d 8 ^h 48 ^m 21 ^s each		10205767

Diff. 313433

M. sol. Yrs.

28800 of 365 ^d 5 ^h 49 ^m each	10518980
28800 lunar Years of 365 ^d 8 ^h 48 ^m 21 ^s each	10205767

Diff. 313213

But Mr. *Kennedy* assures us, (P. 196 of his Book) that no *New* and *Full Moon* can return to the Time that either before happened in less than 7948800 *synodical* Revolutions of the Moon. But the 23d Part of which Number makes only 345600 *synodical* Revolutions equal to 28800 lunar Years, correspondent to 313433 Days retreated in 28800 Julian Years, our *lunar Period*, proved true (in Consequence of Supposition) as above. — Mr. *Kennedy* assures us, that a *lunar Period* is 23 Times greater than it is proved to be above, viz. 7948800 Lunations (erroneously deduced by what he calls *Triacostaeteride*, of 30 lunar Years each) instead of 345600.

A GENERAL RULE for deducing any mean Period.

Divide the Minutes or Seconds in a Day, by the Minutes or Seconds retreated or advanced in 1 Year (solar, lunar, or Julian) respectively. Reduce the Fraction to the

the lowest Terms, then multiply it by a Number equal to the Denominator, and the Result will be the Years of the Numerator for the Period. In which Period as many Days will be retarded or advanced as are equal to the Denominator.

Now, as 7 is the Period of the Week-day, therefore 7 Times the Period of 28800 Years; (Julian, solar, or lunar) or 201600 Years, in which Period the New-Moon or Full Moon, (according to mean Motion) return at the same Hour and Minute, on the same Week-day on which it first happened; which Period, being composed of 7 by 20 by 1440 Years, the Equinoxes and Solstices will also return in that Period (of Julian, solar, or lunar Years) on the same Week-day.

Again, as 1461 is the Period of Month-days returning the same in 4 Years, 1461 Times 201600, or 294537600 Years (Julian, solar, or lunar) the New or Full Moon, Equinoxes or Solstices, return on the same Day of the Month and Week-day, at the same Hour and Minute they first happened, according to mean (not the true) Motion, and not before.

Mr. Kennedy asserts, in Contradiction to common Sense and Experience, that the Equation of Time (or of a natural Day) is "a Distinction without a Difference"; who makes the solar Days to be exactly equal. Who (like the Methodists) would draw Others into his Persuasion. But if the established Church Doctrines were as easily set aside, as he thinks, by his Endeavours, he has set aside the established Astronomy, for chimerical Inconsistencies, (like the Cartesian Philosophy) all prelatical Order would quickly be abolished by Men of heretic Principles; Confusion would take Place of Religion, and Christianity be banished from amongst us, by Enthusiasts setting up new Lights.

TABLE of the Sun's entering the Equinoxes and Solstices, according to Dr. Bradley's Observations, at Greenwich Observatory.

Since Chr.	Vernal Equinox. March.			Summer Solstice. June.			Autum. Equin. September.			Winter Solst. December.		
	d	h	m	d	h	m	d	h	m	d	h	m
B. 1752	19	16	40	20	15	14	22	4	32	20	20	32
1753	19	22	33	20	21	15	22	10	24	21	2	21
1754	20	4	26	21	3	8	22	16	14	21	8	15
1755	20	10	16	21	8	48	22	22	4			

According to Tycho, at Uraniburgh.

A. D.	d	h	m	d	h	m	d	h	m	d	h	m
B. 1584	10	9	30	11	14	13	13	4	0	11	14	44
1585	10	15	19	11	20	1	13	9	49	11	20	33
1586	10	21	8	12	1	49	13	15	38	12	2	22
1587	11	2	56	12	7	37	13	21	26	12	8	11

From the above Equinoxes and Solstices observed by Dr. Bradley, Mr. Kennedy (supposing mean and equable for true and variable Motion) reckons back to the radical Equinoxes and Solstices, at the Time of his hypothetical Creation.

JULIAN STATIONS of the EQUINOXES and SOLSTICES in the first four Years of the Kennedian World's Age, as follows.

		Vernal Equin. <i>April.</i>			Summer Solst. <i>July.</i>			Autum. Equin. <i>October.</i>			Winter Solst. <i>January.</i>		
	Before	d	h	m	d	h	m	d	h	m	d	h	m
Biff. o	2	d	h	m	d	h	m	d	h	m	d	h	m
1	1	0	0	0	0	0	0	25	0	0	22	15	57
2	A.M. 3	21	17	58	23	16	40	25	6	0	22	21	57
3	2	21	23	58	23	22	40	25	12	0	23	3	57
Biff. o	3	21	5	58	23	4	40	24	18	0	22	9	57
1	4	21	11	58	23	10	40	0	0	0	0	0	0

By the above Table we may see, that Mr. Kennedy has so contrived the Matter, that his *Creation* begins at the Beginning of the 1st Year before *Creation*; which is a notable Instance of his *Sagacity* above what is found in other Men. And it may be asked why he adds 6 Hours for the following Years *Equinoxes* and *Solstices*, instead of 5^h 49^m, according to his own Principles of *mean Motion*, except it be to enlarge the Operation of a forward Reckoning from these back computed *Radica*. — But his *Evening* 6, *Midnight* 12, the *Morning* 18, and *Noon* 0, make the first Day; who should therefore have thrown off only 4^h 24^m from the Time of the *Equinox* at *Greenwich*, instead of 10^h 24^m, to leave *October* 25^d 6^h for *Creation* to begin at *Even*, the Beginning of the 1st Day, before there was a Day, or the Earth moved, according to what is written.

He gives us (P. 177) the *Distance* of Time between the *Equinoxes* and *Solstices* constantly the same, as follows; on which Error he partly founds his Computation of *Equinoxes* and *Solstices*.

1. From the *Winter Solstice* to the *Vernal Equinox* 89^d 2^h 1^m
2. From the *Vernal Equinox* to the *Summer Solstice* 92 22 42
3. From the *Summer Solstice* to the *autumnal Equinox* 93 13 9
4. From the *autumnal Equinox* to the *Winter Solstice* 89 15 57

365 5 49

N. B. The Quarters of the Year are various according to Computation from true Motion, and to the different Situations of the Sun's Apogee, P. 136. — He commends Bishop *Usher* and follows his *chronological* Steps; but with greater Improvement however (he pretends) in searching for an *Era* of *Creation*. — Who sets down a Multitude of Events in *sacred History*, as relative to his Work, without any Dates; though he tells us in another Place of his *inastronomical Chronology*, that without *Chronology* there is no Certainty in *History*, and without *Astronomy* there is no Certainty in *Chronology*, which is one of his true Propositions, whoever helped him to it, or it happened that he found it out.

P. iii. *Introductory Discourse*, he tells us, there are 6 disagreeing Computations of the *Hebrew Text*; 1st, of the *Hebrew Text*; 2^{dly}, of the *Samaritan Pentateuch*; 3^{dly}, of the *Patican Copy*; 4^{thly}, of the *Alexandrian Copy* of the *Septuagint*; 5^{thly} and 6^{thly}, of *Josephus*, who gives two Computations which cannot be reconciled together by 400 Years. — And what Difference in *sacred* as well as in *profane Chronology* is there not, Mr. Kennedy, nor wiser Men, can determine?

Quære. How would Mr. Kennedy approve of Others endeavouring to unsettle the established Church Doctrines of Belief, as he endeavours to unsettle the established Doctrines of *Astronomy*, and to abolish *astronomical Improvement*, both designed

designed for public Utility? — Who would reduce all demonstrative Science to Belief; as if he expected to be made a B----p, as the late Dr. Berkeley was, for his Sophisms, Jargon, and Contradictions to the Evidence of Sense. Who appears to be possessed of a like Ambition with that Prelate, (or *Erostratus*, who burnt the Temple of *Diana*) for demolishing the *Newtonian Principia*, by his disputing the *Facts* and *Demonstrations* therein contained, which neither of those Pretenders ever understood.

P. 220. He blunders and denies the *lunar Anticipation* in the Julian Account: Who reproaches *Kiil*, and says the *Lunations* go forward instead of back in the *solar* Account; and so would make all Astronomers *Blunderers*, for asserting *lunar* Anticipation; though they never asserted it in any other than the Julian Account, where it is proved. For we do not reckon by the solar Account, from whence he raises this Objection. — He says a *lunar Anticipation* has no Existence but in *unastronomical* Computation.

He recites, God said, *bajū lemoadim*, let the *Sun* and *Moon* be appointed, among other original Designations for the Regulation of *Festival Days*; the 15th Day of the first Month of the *sacred* and *ecclesiastical* lunar Year, was ordered to be coincident with the original *Cardinal Point* of the Year. And what is all this to true astronomical Computation?

P. 219. It appears (says he) from my [*cbimerical*] *Calculations*, that the *Conclusions* in *astronomical Chronology* are as demonstrably certain as the *Conclusions* in *Geometry*. — That the *postulated* Quantity of a mean Lunation, $29^d 12^h 44^m 1^s 4.5^{th}$, is true to a *mathematical Precision*; and that the *least Particle of Time* can neither be added to nor subtracted from it without disconcerting the astronomical Intersection [*wiz. of his Head*] as determined by tabular radical Numbers!

A CORRECT COMPUTATION of the *autumnal Equinox*, at the *Kennedian* Creation, in the 706th Year current of the Julian Period, or 4008th Year current bef. Cbr. According to the improved solar Tables in the *Royal Astr.*

By *Royal Astron.* P. 3. Sun's M. Place. Sun's M. Apog. This Computation is submitted to the judicious Inspection and Examination of Mr. Kennedy's best Friends, and of his principal Advocates, Mr. Rivet.
since Cbrist, 1693 $9^s 20^o 40' 5'' 3^s 7^o 36' 18''$

P. 8. Mot. 5000 Yrs.	1 7 56 40	2 25 25 0	deduct [vacate, Mr. Rivet.
700	0 5 18 44	0 11 57 30	
Mot. 5760 Yrs.	1 13 15 24	3 7 22 30	October 23.
Bef. Cbr. 4008 —	8 7 24 47	0 0 13 48	
Om.P. when truly in	6 0 0 29	50	

Rem.	9 22 35 48	0 0 14 38	Sun's true Place.
Oct. 23 —	9 21 45 5	6 0 0 0	
		5 29 45 22	Sun's true Anom.
Rem.	50 43	+ 29	
Hours 20	49 17	6 0 0 29	Sun's Eq. R. Astr. P. 17.

	1 26		M. Pl. when truly in
Min. 34	1 23	47	

Sec. 54	2	13	
Royal Astron. 4008 bef. Cbr.	0	in Oct. 23 ^d 20 ^h 34 ^m 54 ^s	
At Greenwich.	0	in Oct. 25	10 24 0

His Error 1 13 49 6

A CORRECT COMPUTATION of the mean Full Moon next the autumnal Equinox at the Kennedian Creation.

By Tables in the Royal Astronomer, near the End.

1793, Jan. 0^d 19^h 1^m 11^s Mean New Moon, O. S.
Motion for October 22 7 20 30

1793, Oct. 23 2 21 41 Mean New Moon.
Mot. for $\frac{1}{2}$ Lunation 14 18 22 2

1793, Nov. 6 20 43 43 Mean Full Moon.
his Full Moon-day.
Mot. for Yrs. 5800 — 37 15 12 38 10

Before Christ 4008 Oct. 22 8 5 33 Mean Full Moon, O. S.
According to Kennedy, Oct. 24 his Full Moon-day.

Kennedy's Error, Diff. 1 15 54 27

A COMPUTATION of the mean Full Moon next the autumnal Equinox at the Kennedian Creation.

By Halley's Tables, Greenwich.

P. Ec. 3. 1793, Jan. 0^d 19^h 3^m 9^s Mean New Moon, O. S.
Mot. for Oct. 22 7 20 30

1793, Oct. 23 2 23 39 Mean New Moon.
Mot. for $\frac{1}{2}$ Lunation 14 18 22 2

1793, Nov. 6 20 45 41 Mean Full Moon.
Mot. for Yrs. 5800 — 37 15 12 38 10

Before Christ 4008 Oct. 22 8 7 31 Mean Full Moon, O. S.
According to Kennedy, Oct. 24 0 0 0 his Full Moon-day.

Kennedy's Error, Diff. 1 15 52 29. Being a double Proof against Kennedy, that the mean Full Moon happened on the 22d and not on the 24th of October, 4008 before Christ.

Same Tables,

1753, Jan. 22^d 16^h 22^m 2^s Mean New Moon, O. S.
Mot. for September 22 28 36 27

October 15 10 58 29 Mean New Moon.
Add 14 18 22 2 $\frac{1}{2}$ Lunation,

1753, Oct. 30 5 20 31 Mean Full Moon.

Though Mr. Kennedy computes by an equable [or erroneous] instead of a true Motion, he nevertheless tells us, (P. 223) that the more scrupulously his Calculations are scrutinized, the more they will be admired, and the more will those who examine them, be convinced of the Perfection of his original Principles;

Principles; and that the CREATOR in the Beginning (*be imagined*) disposed the two Luminaries under such Circumstances as should become the sure Basis of his future astronomical [i. e. chimerical] Calculus, throughout all Ages of the World!

At the End of his voluminous Work he gives us a solar and lunar Calendar of an imaginary or chaotic Year; viz. the Year before Creation, with correspondent Week-days. — To which is annexed, an astronomical Reduction (*as he calls it*) to the Month-days of the Julian Year: Together with scriptural Calendars i. ii. iii. iv. and an imaginary Calendar of the Exodus.

Who taking a Retrospect of his immense Labours, like the Angel Gabriel taking a Survey of the new Creation, and unfolding the Scriptures to our first Parent Adam, (as described by Milton,) he breaks-out into the following enthusiastic Rapture! [*amended a little between Crotchets.*]

“ Thus have I endeavoured to free Religion and History, from the Darknets and Difficulties of a disputed and uncertain Chronology, from Difficulties which have appeared insuperable, and Darknets [*thick as the Fog of Ignorance*] which no Luminary of Learning has hitherto been able to dissipate. I [~~have~~ I] have established the Truth of the Mosaical Account, by Evidence which no Transcription can corrupt, no Negligence can lose, and no Interest can pervert. — I have shewn, that the Universe bears Witness to the Inspiration of its Historian, by the Revolution of its Orbs, and the Succession of its Seasons. That the Stars [*brave Stars!*] in their Courses fight against Incredulity, [*in Defence of the true Believers,*] and that the Works of God give hourly Confirmation to the Law, the Prophecy, and the Gospel; of which one Day telleth another, and one Night certifieth another. And that the Validity of the sacred Writings never can be denied [*though they may be degraded by ignorant Commentators*] while the Moon shall increase and wane, and the Sun shall know his going down, [*even as my Lord Mayor knoweth the Time of his going out of Town, who then sitteth to the Inhabitants of the great City.*]

“ ΔΟΞΑ ΜΟΝΩ ΤΩ ΘΕΩ !

“ SOLI DEO GLORIA !”

As if immortal Glory had been actually acquired; though, like the French, he sings *Te Deum* before the Victory!

To the Rev. Mr. John Kennedy, Rector of Bradley in Derbyshire, on his late Work, intitled Astronomical Chronology unfolding the Scriptures.

GO Kennedy — the saving Faith reveal —
Where Knowledge shrouds, let Mystery prevail;
Go fright the Sinner from his wicked Ways;
And make Believers startle in Amaze!
In Volleys let your Pulpit-Thunder sound;
But, if your Voice is low — let Thumps rebound.
By awful Rhetoric make Men as they should,
And lead whole Nations to be just and good.
Hold fast your Faith — as Moses leads the Way;
Deal not in Science — there you lead astray.
There, in God's Works, Truth makes a sure Retreat;
The SUN and MOON are not within your Beat.

A short ACCOUNT of a late prodigious PRODUCTION.

THIS new-born *Prodigy* (containing 728 Pages in *Quarto*, besides many *incoherent, introductory, subsequent, and inconsistent tabular Pages* unnumbered, penned by co-operating and divinely inspired auxiliary *Geniuses*, but the Times when remaining as yet a Secret, as unknown as the *Æra of the World's Creation* on which it treats; and as likely to remain as long a Secret as the *Æra of the World's Dissolution*) sprung like a young *Phoenix*, from the Ashes of the old Edition, much enlarged in Dimensions and Magnitude; aided in its Birth with about 300 *£*. Expence to the *Gossips, Nurses, and Midwife*. But (*unhappily for its fond Parent*) being lately seized with an inherent and hereditary Disorder (*Ignorance and Error*,) it is apprehended it will be cut short in its Thread of Duration, so as to come to an untimely End; now being given over by Mr. *Ferguson*, who attended it as *Physician*.

*As far as Goose could judge — one reason'd right;
But s'Other — be mistook the Matter quite.*

BAMFIELD FOR EVER!

SECOND *Kennedy* come upon the Stage before the first has made his Exit!

Astronomy opened, at Honiton, near Exeter, in Devon, the late Resident Seat of Bamfylde, King of the Beggars. Which prodigious Astronomy (as its distinguished Author takes upon him to explain the solar System on more rational Principles than the Newtonian, tout de Nouveau, on new and true Grounds) we therefore take upon us to recommend as very useful for all Fortune Tellers and Gipsies. So when a Genius pedantic suddenly springs up, like a Mushroom of a Night's Growth, a Bricklayer's Labourer may rival a Wren or a Vanburgh in Architecture.

VI. QUESTION, Pal. 1762, answered by Mr. Thomas Cowper, of Wellingborough.

STARS setting together have the same oblique *Ascensions*; consequently if they have contrary *Declinations*, the Difference of their *Right Ascensions* will be equal to the Sum of their *ascensional Difference*.

Put, $a = \text{Tan. } 73^{\circ} 59' 38''$, Comp. of *Aldebaran's Declination*.

$b = \text{Tan. } 73^{\circ} 37' 46''$, Comp. of *Sirius's Declination*.

$s = \text{Sine}$, and $c = \text{Cos. } 16^{\circ} 33' \frac{1}{2} = \text{Sum of their ascensional Diff.}$ ($= \frac{1}{2}$ Dif. of their R. Ascensions) and $x = \text{Sine}$, $y = \text{Cos. of } \frac{1}{2}$ Diff. of their ascensional Diff. — Then will $sy - cx = \frac{1}{2}$ Diff. of their asc. Diff. and $sy + cx =$ that of *Syrius's*.

Per Spherics. $\left\{ \begin{array}{l} 1 : a :: sy - cx : asy - acx = \text{Tan.} \\ 1 : b :: sy + cx : by + bcx = \text{Tan.} \end{array} \right\}$ of the Place's Latitude.

$\therefore asy - by = acx + bcx$, i. e. $\frac{x}{y} = \frac{as - bs}{ac + bc} = .003531$, the natural Tan,

$12' 9'' = \frac{1}{2}$ Diff. of their ascensional Diff. Hence the Latitude is $44^{\circ} 28' 12''$, required.

Hence, the following general Analogy,

As

- 1 As the Sum of the Tangents of the Stars Co-Declinations
- 2 Is to the Difference of the Tangents of their Co-Declinations
- 3 So is the Tangent of $\frac{1}{2}$ the Sum of their ascensional Difference
- 4 To the Tangent of $\frac{1}{2}$ the Difference of their ascensional Difference.

N. B. This Solution confirms the Truth of that by Mr. Thomas Sanderfon of Harborough, (P. 56 and 57 this Pall.) and therefore there must be a Mistake in Lat. $54^{\circ} 56'$ by *Newtoniensis*, occasioned by some Oversight in the Operation, in deducing that Latitude. Mr. Harris, the Proposer's, Answer, we are told, also agrees with Mr. Cowper's Answer above.

••• Whoever answers the following Quere before March the 1st next, has a Chance by Lot for 4, 3, and 2, Palladiums enlarged.

Chronological and astronomical PRIZE-QUERE. By Antikennedius.

REQUIRED the Day of the Moon's Age, and Julian, Gregorian, and Turkish Day of the Month, the Julian Date of the Year, and Week day, when Mahomet fled from Mecca to Medina. Also the Julian Dates of the Year, Month-day, and Week-days; back from 1764, when the autumnal Equinox and a Full Moon, the vernal Equinox and a New Moon, respectively, coincided the nearest; according to the Tables in the Royal Astronomer's.

BOOKS just published by Mr. EMERSON.

I. *A Treatise of Arithmetic.* Containing all the practical Parts thereof, both in whole Numbers, Vulgar Fractions, and Decimals. Likewise, the Theory of Numbers, and their principal Properties; demonstrated in a plain and easy Manner. In Octavo.

II. *The Elements of Geometry:* In which the principal Propositions of Euclid, Archimedes, and Others, are demonstrated after the most easy Manner. To which is added, a Collection of useful geometrical Problems. In Octavo.

III. *The Method of Increments.* Wherein the Principles are demonstrated, and the Practice thereof shewn in the Solution of Problems. In Quarto.

Printed for and sold by J. Nourse, opposite Catharine-street in the Strand, Bookseller in ordinary to his Majesty, 1763.

☞ THE above useful BOOKS of Arithmetic and Geometry, are a *Cyclopaedia*, or an easy Introduction to the several Branches of Mathematics, with what is designed to be continued by the same pithy Author. Who has actually improved all the Arithmetic and Geometry hitherto published, in the shortest and clearest Method; wherein Euclid himself stands corrected and improved. Who has so treated his several Subjects given us for the Instruction of young Students before they enter upon the more abstruse and difficult Parts of Science, that little or no Room is left for former or future Productions on the same Subjects: His Writings being so truly classical. Who, by travelling through every thorny Path of Science, has left Nothing unimproved; and being equal to the most arduous Undertaking, at a Period of Life when his Vigour of Mind keeps amazing Pace with his Judgement, Nothing (in our sincere Opinion) of modern Science appears more deserving of public Regard. As an experienced General performs Wonders with a small Army, so this capable Author, with the fewest Terms and shortest Methods, vanquishes all Difficulties!

1764.	Month and Week Days.	Add to Month-day for the D's Age.	New D.	Full D.	Sun rises.
					1st 11th 21st
Jan. Agt the Mth, above	1 2 3 4 5 6 7	Jan. 27	3d	18th	8h 5m 7h 56 7h 45
Wk-d. stand all the	8 9 10 11 12 13 14	Feb. 28	2	17	7 27 7 9 6 50
h-da. answ thereto.	15 16 17 18 19 20 21	Mar. 27	2	17	6 34 6 14 5 54
So, und the Mth-day	22 23 24 25 26 27 28	Apr. 29	1 30	16	5 33 5 13 4 54
the Mth, stands the	29 30 31	May. 0	30	15	4 36 4 20 4 5
Week-day correspond.		June. 1	29	13	3 52 3 45 3 43
January. April. July.	S m t w th f f	July. 1	28	13	3 46 3 53 4 3
February. August.	w th f f S m t	Aug. 3	27	11	4 19 4 35 4 53
March. November.	th f f S m t w	Sept. 4	25	10	5 14 5 31 5 53
May.	t w th f f S m	Oct. 5	25	9	6 12 6 31 6 52
June.	f f S m t w th	Nov. 6	23	8	7 12 7 30 7 45
Septem. Decem.	f S m t w th f	Dec. 7	22	8	7 57 6 5 6 8
October.	m t w th f f S				

Example I. To find the Day of the Month to be the 1st Sunday in May.
Against May, and above S, stand 6; 13, 20, 27, all the Sunday Month-days. So the 6th of May is the 1st Sunday.

Example II. To find the Week-day to be the 1st of July.
Under 25, and against July, stands w, or Wednesday, for Answer.
So for the Rest.

Ex. Mar. 1 New Full
Add 27 D D
D's Age 28 3d of 18th Jan. Jan.
Ex. May 25 New Full
Add 0 D D
D's Age 25 2d of 8th of Dec. Dec.
Sub. 30 or 29, as 1st and 2d Col. make 30 or 29.
Against Jan. Sun rises under h m
1st 8 5
11th 7 58
21st 7 45
respectively.
Whence, the Rising and Setting for intermediate Days are known.

Sun enters	⊙ and ☾ Places at New D.	Add or sub. to or fr. ☽ South for her Setts or Rises.	Sun enters	⊙ & ☾ Places at New D.	CHRONOLOGICAL NOTES
Jan. 19	9 13	D's Place. Arc ±	July. 22	4 6	Do. L.N.S. AG Jul. Per. 64 77 Yr
Feb. 19	10 13	3 Signs 8h 1/2	Aug. 22	5 5	— O.S. D Olympiads 2539
Mar. 20	11 12	4 2 8 1/2	Sep. 22	6 3	Gol. No. 17 Found. Ro. 2516
Apr. 19	0 12	5 1 7 1/2	Oct. 22	7 2	Epact 26 Nabonassar 2510
May. 20	2 9	6 0 6 1/2	Nov. 21	8 2	☽'s Cycle 10 Hegira 1142
June 21	3 8	7 11 5 1/2	Dec. 21	9 1	Indiction 12 Gregorian 182
		8 10 4 1/2			Fe. 19. Septus. Jun. 17. Trinity.
☽'s Place Req. ☽ Pl		9 4	Req. ☽'s Rise & Setts		Mar. 7. Ash W. Dec. 2. Advent.
25. 1764. May 26,		9 20 4 1/2	May 26, 1764.		Ap. 21. Easter. Mar. 14. 16, 17.
☽'s Place 20. 1764.		10 19 5 1/2	☽ Pl. Arc		May 28, 29, 30. May 13, 15, 16.
☽'s + 5 D's		0 0 6 1/2	1° 80' ± 7h 1/2 25th		Rogation. ds. Sept. 19, 21, 22.
☽ in II 2 5 by 230 1/2		0 29 7 1/2	☽ South 20 47m 25th		Ms. 31. Afoen. Dec. 19, 21, 22.
Id or subtr. at N. 2 9		1 28 8 1/2	☽ sets 4 4a. 26th		Jun. 10. Whit. Ember days
or under at N. 2 9			☽ rises 1 32 Mor.		
Day of the ☽ entering a			The ☽'s Age x d by 8 Tenths gives the Time of her Souths. To which add 2 1/2 Hours for high Water at London.		High Water, b before, and a after, the Time at London. See P. 85. Pal. 1763.
					Buoy of Nore b 1h 30m Dover b 1 3 9 Gravesend b 1 20 Hull a 3 30 Harwich b 3 30 Plymouth a 3 10 Portsmouth b 2 0 Rockester b 1 20 Spithead b 3 0

The Uncertainty of CHRONOLOGY. According to Sir Isaac Newton.

THE *Greek* Antiquities are full of *poetical* Fictions; because the *Greeks* wrote Nothing in *Prose*, before the Conquest of *Asia* by *Cyrus* the *Persian*. Then *Phercydes Scyrius* and *Cædmus Milefus* introduced the writing in *Prose*. *Phercydes Abrentis* about the End of the Reign of *Darius Hystaspes*, wrote of *Antiquities*, and digested his Work by *Genealogies*, and was reckoned one of the best *Genealogers*. *Epimenides* the *Historian* proceeded also by *Genealogies*; and *Hellanicus*, who was 12 Years older than *Herodotus*, digested his *History* by *Ages*, or Succession of *Priestesses* of *Yuno Argiva*. Others digested theirs by the *Kings* of the *Lacedæmonians*, or *Archons* of *Athens*.

Hippias the *Elean*, about 30 Years before the Fall of the *Persian* Empire, published a *Breviary*, or *List*, of the *Olympic* Victors; and about 10 Years before the Fall thereof, *Ephorus*, the Disciple of *Isocrates*, formed a *chronological* History of *Greece*; beginning with the Return of *Heracles* into *Peloponnesus*, and ending with the Siege of *Perintus*, in the 20th Year of *Philip*, the Father of *Alexander the Great*: But he digested Things by *Generations*, and the Reckoning by *Olympiads* was not yet in Use; nor doth it appear that the Reigns of *Kings* were yet set down by Numbers of Years. The *Arundelian Marbles* were composed 60 Years after the Death of *Alexander the Great*. (*Ann. 4. Olymp. 128*) and yet mention not the *Olympiads*: But, in the next *Olympiad*, *Timæus Siculus* published a History of several Books, down to his own Times, according to the *Olympiads*, comparing the *Ephori*, the *Kings* of *Sparta*, the *Archons* of *Athens*, and the *Priestesses* of *Argos*, with the *Olympic* Victors, so as to make the *Olympiads*, and the *Genealogies* and Successions of *Kings*, *Archons*, and *Priestesses*, and *poetical* Histories suit with one another, according to the best of his Judgment; and where he left off, *Polybius* began and carried on the History.

So then a little after the Death of *Alexander the Great*, they began to set down *Generations*, *Reigns*, and *Successions*, in Numbers of Years, and by putting *Reigns* and *Successions* equipollent to *Generations*, and 3 *Generations* to a 100 or 120 Years, (as appears by their *Chronology*;) they have made the *Antiquities* of *Greece* 3 or 400 Years older than the Truth: And this was the Original of the *technical* *Chronology* of the *Greeks*. *Eratosthenes* wrote about an 100 Years after the Death of *Alexander the Great*: He was followed by *Apollodorus*, and these two have been followed ever since by *Chronologers*.

But how uncertain their *Chronology* is, and how doubtful it was reputed by the *Greeks* of those Times, may be understood by these Passages of *Plutarch*: *Some reckon*, saith he, *Lycurgus* *Contemporary* to *Iphitus*, and to have been his Companion in ordering the *Olympic* Festivals: Amongst whom was *Aristotle* the *Philosopher* arguing from the *Olympic* *Disc*, which had the Name of *Lycurgus* upon it: Others supputing the Times by the Succession of the *Kings* of the *Lacedæmonians*, as *Eratosthenes* and *Apollodorus*, affirm that he was not a few Years older than the first *Olympiad*. First *Aristotle* and some Others made him as old as the first *Olympiad*; then *Eratosthenes*, *Apollodorus*, and some Others made him above a 100 Years older. And in another Place *Plutarch* tells us: The Congress of *Solon*, with *Cræsus* some think they can confute by *Chronology*. But a History so illustrious, and verified by so many Witnesses, and (which is more so agreeable to the Manners of *Solon*, and so worthy of the Greatness of his Mind, and of his Wisdom) I cannot persuade myself to reject, because of some *chronological* Canons, as they call them: Which Hundreds of Authors correcting, have not yet been able to constitute any Thing certain, in which they could agree among themselves about *Repugnancies*. It seems the *Chronologers* had made the *Legislator* of *Solon* too ancient to consist with the Congress.

For reconciling such *Repugnancies*, *Chronologers* have sometimes doubled the Persons of the Men. So when the Poet had changed *Io*, the Daughter of *Inachus* into the *Egyptian Isis*, *Chronologers* made her Husband *Osiris* or *Bacchus*, and his Mistress *Ariadne* as old as *Io*, and so feigned that there were two *Ariadnes*, one the Mistress of *Bacchus*, and the other the Mistress of *Theseus*, and two

Mimo's their Fathers, and a younger *Io*, the Daughter of *Iafus*, writing *Iafus* corruptly for *Inachus*. And so they have made two *Pandions* and two *Erechtheus's*, giving the Name of *Erechthonius* to the first; *Homer* calls the first *Erechthonus*; and by such Corruptions they have exceedingly perplexed *antient History*.

And as for the Chronology of the *Latins*, that is still more uncertain. *Plutarch* represents great Uncertainty in the Originals of *Rome*, and so doth *Servius*. The old Records of the *Latins* were burnt by the *Gauls* 64 Years before the Death of *Alexander the Great*; and *Quintus Fabius Pictor*, the oldest Historian of the *Latins* lived 100 Years later than that King.

In sacred History, the *Affyrian* Empire began with *Pul* and *Tiglatpilsassar*, and lasted about 170 Years. And, accordingly, *Herodotus* hath made *Semiramis* only 5 Generations, or about 166 Years older than *Nitocris*, the Mother of the last King of *Babylon*. But *Ctesias* hath made *Semiramis* 1500 Years older than *Nitocris*, and feigned a long Series of Kings of *Affyria*, whose Names are not *Affyrian*, nor have and Affinity with the *Affyrian* Names in Scripture.

The Priests of *Egypt* told *Herodotus*, that *Menes* built *Memphis*, and the sumptuous Temple of *Vulcan* in that City; and that *Rhampsinitus Mæris*, *Afyebis*, and *Psammiticus* added magnificent *Porticos* to that Temple. And it is not likely that *Memphis* could be famous before *Homer's* Days, who doth not mention it, or that a Temple could be above 2 or 300 Years in building. The Reign of *Psammiticus* began about 655 Years before *Christ*, and I place the Founding of this Temple by *Menes* about 257 Years earlier; but the Priests of *Egypt* had so magnified their Antiquities before the Days of *Herodotus*, as to tell him that from *Menes* to *Mæris* (who reigned 200 Years before *Psammiticus*) there were 330 Kings whose Reigns took up as many Ages, that is 11 Thousand Years, and had filled up the Interval with feigned Kings, who had done Nothing. And before the Days of *Diodorus Siculus* they had raised their Antiquities so much higher, as to place 6, 8, or 10 new Reigns of Kings between those Kings, whom they had represented by *Herodotus* to succeed one another immediately.

In the Kingdom of *Sicyon*, Chronologers have split *Ape*, *Epapbus*, or *Epopus*, into two Kings, whom they call *Apis* and *Epopus*, and between them have inserted 11 or 12 feigned Names of Kings who did Nothing; and thereby they have made its Founder *Agialaus*, 300 Years older than his Brother *Pboramus*. Some have made the Kings of *Germany* as old as the Flood; and yet before the Use of Letters, the Names and Actions of Men could scarce be remembered above 80 or 100 Years after their Deaths: And therefore (saith the great *Newton*) I admit no Chronology of Things done in *Europe* above 80 Years before *Cadmus* brought Letters into *Europe*; none of the Things done in *Germany* before the Rise of the Roman Empire.

Now since *Eratosthenes* and *Apollodorus* computed the Times by the Reigns of the Kings of *Sparta*, and (as appears by their Chronology, still followed) have made the 17 Reigns of these Kings in both Races, between the Return of the *Heraclides* into *Peloponnesus* and the Battle of *Thermopylae*, take up 622 Years, which is after the Race of 17 Kings of that Length, is no where to be met with in all true History; and Kings, at a moderate Reckoning, reign but 18 or 20 Years apiece one with another: I have stated the Time of the Return of the *Heraclides* by the last Way of Reckoning, placing it about 340 Years before the Battle of *Thermopylae*. And making the Taking of *Troy* 8 Years older than that Return, according to *Thucydides*, and the *Argonautic* Expedition a Generation older than the *Trojan* War, and the Wars of *Sesoftris* in *Thrace*, and Death of *Io* the Daughter of *Cadmus*, a Generation older than that Expedition.

M. B. As Chronology appears to be so uncertain and corrupted, if Mr. *Kennedy* had not corrupted *astronomical* Computation, a Science of Certainty, he might have erred and blundered on in Chronology undisturbed, with other Corrupters and Blunderers in that miry and doubtful Road.

¶ Paradox II. proposed, by Mistake, from Memory, before in Ladies Diary. — Copying a Paradox or an Ænigma being unparadoxable. * * * M

Mr. Brown, of Portsmouth-Common, shews himself in the wrong in his empty Objection to two Sol^s to Q. 28, P. 36, Pal. 1763, in Lond. Mag. for Aug. 1763, or he would at once have produced his own Solution and Proof.

To find the Date of the Year when the Sun enters a Kennedian Equinox or Solstice at a given Time in the 24 Hours.

RULE. Take the Dif. between the given Time for which a Date is required, and the Time of a Kennedian Equinox or Solstice to a given Date, for Part of the Time to be added to the given Time for Years back, or subtracted for Years forward. Divide the Minutes of that Dif. by 11, for Part of the Years back to be subtracted, or Years forward to be added to the given Date, noting the Remainder in 11th Parts. Also multiply $130\frac{1}{11}$ Years. (when 1 Day is added for those Years back, or subtracted for those Years forward) by the said Remainder or Number of 11th Parts, in the Dif. divided by 11, which Product added to the former Years and Number of 11th Parts, will give a whole Number of Years, (to be tried by the Dates of 4 given Equinoxes or Solstices till it is divisible by 4;) which Years then subtracted for Years back, or added for Years forward from and to the Date of the given Equinox or Solstice, with as many Days added or subtracted (contrarily) for Years back or forward, as the Number of the said Remainder, together with said first Dif. in Hours and Minutes, and the Result will be the Date and Time of the Kennedian Equinox, required. — Without his perplexed Method.

Required \odot is \triangle at 11^h 59^m at Night, Years back.

1760 Sept. 11^d 3^h 7^m Greenwich. [See P. 59, this Pal. for the analytic Method.]

—572⁺ Rem. 4^d | 8 52 = 532^m, divided by 11 = 48¹/₁₁ Yrs back. Here rem. 4.
 $130\frac{1}{11}$ by 4 = 520¹/₁₁

S. Ch. 1188 Se. 15 11 59 \odot in \triangle as bef. req.

In the 34th Year of K. Henry II.

572 divisible by 4, therof. right.

Required \odot in \triangle at 23^h 56^m past Noon:

1753 Sept. 11^d 10^h 24^m Greenwich.

23 56
 —1252⁺ rem. 9^d | 13 32 = 812^m divided by 11 = 73⁹/₁₁ Yrs back. Here rem. 9.
 $130\frac{1}{11}$ by 9 = 1170⁹/₁₁

S. Ch. 501 Sep. 20 23 56 \odot in \triangle req.

So for the Rest, for Years back or forward. 1252 divisible by 4, therof. right.

Mr. Williams of Hackney makes it 3820 before Christ, by adopting Kennedy's perplexed Method of Computation.

By the like Method \odot in \triangle 239 since Christ, Sept. 23^d 11^h 58^m.

By Mr. Williams of Hackney 2742 before Christ, same Time.

To find the Kennedian Equinoxes and Solstices.

RULE. Divide by 4, the Dif. of Years betwixt the given Date for which the Kennedian Equinox or Solstice is required, and that Date of 4, equally distant from Bisextile, (see P. 97, this Pal.) to which the Equinoxes and Solstices are given. Then take out the Time, from a Table, for the Quotient; when the Remainder is 0, according to 44 Minutes for each 4th Year, which being collected into one

Sum, or got by multiplying the said Quotient by 44 Minutes, you must add or subtract that Time according to the Sign $+$ for Years back, or $-$ for Years forward, to or from the Time of the given Equinox, for the Time of the Kennedian Equinox or Solstice, required.

\odot 2

Example.

Yrs.	Sep.	\odot in	Yrs aft.
S. Ch.	\triangle .	O. S.	Bisf.
1752	11 ^d	4 ^h 35 ^m	0
1753	11	10 24	1
1754	11	16 13	2
1755	11	22 2	3

Example. Required the Time of the ☉ in Δ 1417 fin. *Cb.* 1 Year after Biff,
 1753 1 Yr. af. B. Yrs. back. d h m
 1417 [Bif. d h m 1753 Sept. 11 10 24 O.S. ☉ in Δ
 B. Yrs. 80 2 10 40 B. Yrs. 84 X 44^m = +2 13 36
 4) 336 (84 back 4 0 2 56
 the Quotient.

1417, Sept. 14 0 0 ☉ in Δ req.

84 + 2 13 36 fr. a Table.

N. B. 71242 *Ken.* Lun. 2^d 17^h 14^m 58^s 30th in 5760 m. fol. Yrs. and fr. 1753
Off. 30^d 5^h 20^m 31^s m. full ☉, *Halley*; 71243 Lun. back make full ☉ bef. *Cbr.*
 4008 *Off.* 23^d 9^h 50^m 36^s not *Off.* 24, *Ken.* f. m. Day, erring from himself. *Mr.*
Rivet's Pamphlet is all an Error, intitled *The Solar Period the Basis of Chronology.*
Thus Kennedy and his Friends may see
All his large Labours in Epitome.

Mr. *Rivet*, in a Letter dated Sept. 27, 1762, modestly says, "I challenge
 the whole Tribe of astronomical Table-Makers to shew one false Calculation in
Kennedy's Book; and I must retain my Opinion, that the Equations of the
 Sun's Place, the Sign of Anomaly, or Distance from his Apogee, and the E-
 quation of Time answering to the Anomaly, are of no Use in Calculation."

Ferguson rejects the Form of *Pound's* lunar Tables, beginning the Year with
January, who begins his Year in *March*.—Yet in *Newton's* solar Tables, P. 28 of
 his *astron. Pamphlet*, he adopts that Form, adding a Day and Day's Motion after
February.—His Table (P. 20. *Pamph.*) is needless, making *Pound's* easy Me-
 thod difficult.—His solar Numbers, *Newton's*; his Sun's Equation, *Morris's* or
Bradley's; see P. 75; *Pal.* 1759, inconsistent with *Newton's* Orbit and *M. Mot.*

†† We recommend, as very useful for Beginners an *Introduction to the Do-*
ctrine of Fluxions, by Mr. *John Rowe*, the second Edition, with Additions and Im-
 provements: Sold by *J. Johnson*, opposite the Monument, Price bound 3s. 6d.—
 Also *Mathematics*, by the late Rev. Mr. *Wegh*, of Exeter, second Edition; of *Pro-*
blems, Solutions, Scholiums, Corollaries, and Demonstrations, in *Fluxions*, useful to
 Learners and pleasing to Proficients. In which Books the *Principles* of the Art
 are shortly and well explained.—Price, bound, 3s.

At *Waddington's Academy*, in Three-Tun Court, Miles-lane, Canon-street,
 London, Gentlemen and Ladies are taught *Writing, Arithmetic, Latin, French,*
 and *Drawing*, and every Branch of the *Mathematics*, the Use of the *Globes*, and
 of *astronomical Instruments* for taking Observations, how to compute *Eclipses, &c.*
 Where *Gentlemen* are speedily qualified in the *Theory and Practice of Navigation*,
 are fitted for *Mercantile Business*, and *Connoisseurs* improved in *Philosophy*.

A NEW RULE AND PROPOSITION. For the Use of NAVIGATORS.
 To find the Latitude of the Ship's Place at Sea, on a given Day of the Month, from
 the celestial Globe, mechanically.

According to the Method by a SEA-OFFICER of Distinction.

RULE. The Altitudes of 2 Stars being taken at the same Time, the Extent
 of each Co-Altitude being taken in the Compasses, from the Quadrant of Altitude,
 and one Foot thereof set in each respective Star's Center, having the Co-Altitude of
 the Extent taken; and the other sweeping an Arch on the Globe's Surface, by
 Means of a black lead Pencil, the Point of those Arches Intersection being turned
 to the Brass Meridian of the Globe will, at once, shew the Latitude of the Ship's
 Place, required; because the Intersection of two Zenith Distances, is in the Zenith
 of the Place of Observation, or Lat. fr. the Equator.—Or, having 2 Quadrants
 of Altitude, graduated with Altitudes and Zenith-Distances, fitted to slide on the
 Brass

Brass Meridian, the *Slide* must be moved forward or backward, gradually, till the 2 Stars Altitudes, or Zenith-Distances, on the Globe coincide with their Altitudes, or Zenith-Distances, taken; when the *Slide* will rest at the Latitude of the Ship's Place. — An Hour Circle, to which a short Index revolves, fixed under instead of above the Brass Meridian of a Globe, for the Poies to shift even with, or below, the Horizon, is another Advantage in the Use of the Globes. — And the larger the Globe is the nearer the Lat. will be determined by the ABOVE METHOD. — The Lat. may be accurately determined by trigonometrical Computation, which will be a proper Exercise for young Navigators, to compare the Result of their Operation with the foregoing mechanical Method of determining the same.

PROPOSITION. First invented and proposed by the Author of the Royal Astronomer and Navigator, in the Papers some Years ago, but never put in Practice. — From the Sun's Altitude and Azimuth taken twice, on the same Forenoon, at about an Hour, or less, asunder, (both Azimuths from the North being above 90°,) or, from a Star's Altitude and Azimuth twice taken, at about an Hour's Distance, (each Azimuth from the North above 90°,) before it comes to the Meridian, to determine, from thence, universally, the Latitude of the Ship's Place, (Sun's Declination and Month-day correspondent if required) and also the Time, by Day or Night, when each Observation was made.

PUT a and b for the nat. Sine and Cos. of the 1st Alt. of the Sun or Star; and w for Cos. of Azimuth; c and d for Sine and Cos. of 2d Alt. and v for Cos. of Azimuth, (Radius being Unity,) \times for Sine Lat. and $\sqrt{1-xx}$ its Cos. — Then, by P. 226, Royal Astron. and Navigator, $b\sqrt{1-xx} + avw = \text{Cos. Sun's Decl.} =$
 $d\sqrt{1-xx} + cvw$. Solved, $\frac{x}{\sqrt{1-xx}} = \frac{b-d}{cw-av} = \text{Tang. Latitude.}$

IN WORDS. The Difference of the natural Cosines of the two Altitudes, divided by the Difference of the Rectangles of the Sine of each Altitude into the Cosine of its respective Azimuth, will be equal to the natural Tangent of the Latitude of the Ship's Place at Sea. — The natural Cosine of the Sun's Declination is known, If the Month-day is known; as the Declination of a Star (observed) is always known; from whence the Sun or Star's angular Distance from the Meridian may be readily determined by the said Prop. P. 226, Royal Astron. — If the Month-day were unknown, Then the nat. Cosine of the Sun's Declination would be equal to the Difference of the Rectangle of the Cosines of Latitude and either Altitude, and of the Product of the Sine of that Altitude, Cosine of the respective Azimuth, and Sine of the Latitude, (from a Principle of supposing the Sun to have no sensible Change in his Declination for an Hour, as that of a Star never changes in that Interval) according to what is shown above.

N. B. The Azimuth to each Altitude should be taken as correct as possible; but as both Azimuths are taken by the same Azimuth-Compass (which should be the best that can be procured) if there should happen to be a small Error in the Variation allowed for, the Error in the Latitude will nevertheless be insensible.

The Method of determining the Latitude by equal Altitudes, taken at some Hours Distance, while the Ship continues under Sail (yet in the Operation is supposed to remain at Rest in the same Place, during the Interval of Observation) is erroneous, in Respect of the Difference of Latitude sailed during that Interval.

We respectively offer to the Gentlemen of the Navy, the Practice of Navigation, as exemplified by the Seaman's Ready Computer of a Ship's Reckoning, in our Royal Astron. P. 273. Whereby any Person, by the Help of Addition of a few Figures only, taken out of 3 Tables may keep a Ship's Reckoning at Sea, according

ing to all the Methods of *Sailing in Use*; without the Trouble and Attention of using Scale, Compasses, Chart, or trigonometrical Calculation.

*** And here we think it our Duty to acknowledge the Honour done us in 30 of our *Royal Astronomers and Navigators* introduced on Board his Majesty's Ship, the *Prince's Louisa*, for the Use of the Gentlemen there, by the Recommendation of Admiral *Tyrr-l*, commanding a *Squadron* sent on a Station, for three Years, to the *West Indies*; who sailed from *Portsmouth* the latter End of *September* 1763. Under whose auspicious Direction and Superintendence, the Right Hon. the Lords of the Ad—ty have been pleased to appoint *qualified Persons* for observing a *Series* of the *Eclipses of Jupiter's first Satellite*, on Board and also on Shore, during that Voyage and Station. Mr. *Irwin's* Marine-Chair, perfected by Mr. *Sisson*, in the *Strand*, and all Sorts of the most accurate and new improved Instruments for observing, by the same excellent *Artist*, being provided, there is now no Doubt of the *Longitude's* being discovered and settled to a very useful Nearness, by a Comparison of the Times of these, with the Times of a *Series* of other Observations, taken at different Places, abroad and at Home, on the same Days. *Harrison's* uniform *Time-Measurer* will be also put to the Proof, whether it will answer the Ends proposed by its Use; since there is no Way to determine the Truth, but by a Comparison of the Time he carries abroad with the Times of Observations there made; and then with the corresponding Times of the Observations made at his Return Home. Though he refuses a Trial of his *Time-Keeper* (it is said) by the *Regulator* for the nicest Observations, at the *Royal Observatory at Greenwich*. Mr. *Harrison* relies on the Words of the *Longitude Act* in his Favour, (whether he serves his Country or not) which gives the Reward of 10000 *l.* if his *Time-keeper* comes within 60 *geographical Miles*, or about 1 Deg. $\frac{1}{2}$ Long. in Lat. of *Land's End*, or 15000 *l.* if within 40, or 20000 *l.* if within 30 *geographical Miles*, (see the *Act*.) when he returns and makes Land; which may happen for once or twice by Chance, not to be trusted to. Mr. *Sisson* bids fairest, by his *mechanical Contrivance*, solving the Moon's Dist. from a Star, and finding her correct Place. — As the *astronomical Achievements* of the diligent and skilful Observers sent abroad, will greatly merit the public Attention, so to the Patron of Science, superlatively arduous for his Country's Good, and to encourage Genius and useful Improvements, unceasing Applause will be due.

To him be Honour — whose exalted Mind
Teems with all Virtues of the social Kind,
Guardian of Arts, of Merit, and Mankind!

The BRITISH HERO. Humbly addressed to the Right Hon. Lord Ligonier,

SUCCESS in Arms may raise a Hero's Name,

And great Exploits exalt him into Fame;

Rivers of Blood may by his Arms be shed,

And Nations desolate his Honours spread;

But Ligonier not so delights to hear

The Trumpet's Sound, and brazen Voice of War.

Friend to Mankind is his supreme Delight;

To conquer and to save he dares the Fight:

Benevolence has more attractive Charms

Than all the Dazzle of licentious Arms!

Merit obscur'd, and Valour's Sons oppress'd,

Are still the Burthen of his anxious Breast,

Till by his gen'rous Aid he makes them blest.

Dear to each Briton, to each Soldier dear,

For him the Nation's Prayers and Praise we hear.

Long may he live the Pillar of the Throne,

And wear unrival'd Laurels all his own! R. H.

To the Palladium-Author, from Mr. Edward Johnson, Mathematical Master.

"SIR,

Hull, Oct. 2, 1763.

"I have just got your *Royal Astronomer*, which is the best *Performance* I have ever seen, and as such I have recommended it to my *best Friends*, and shall do all in my Power (at all Times) to promote the Sale of it. I return you Thanks for these your ingenious Labours, and sincerely wish they may be rewarded according to their Merit.—I have endeavoured to promote the *Palladium* by getting new *Readers*; several of my Acquaintance have promised to take it in for the next Year; but some would not subscribe.—If the *Pall.* be published before the *Diaries*, and properly advertised, it will help the Sale of it much, as Numbers of the People in the Country know Nothing of such a *Work* being published. Mr. *Metcalf* of *Wentworth-house* called upon me lately, I am glad to find so great a Friend to the *Palladium* Author. He informed me of the Death of *Chesterfieldensis* your late Correspondent.

"Some of the *Palladium* Readers think if it could be abridged so as to be sold for 1s. the Number of Readers would be greatly increased; as there are so few Encouragers of Science in this Nation. I am, Sir, (wishing you Health and Happiness) Your most humble Servant, EDWARD JOHNSON."

Answer. We are extremely obliged to this our worthy Correspondent for his good Wishes and Endeavours to promote the *Palladium*. But the Expence of printing it is so great, and the Buyers so few, that, without it is sold for an enlarged Price, the Sale thereof cannot answer the Expence of printing such copious and difficult Matter. Whose future Fate must therefore depend on a Subscription; as without which there will be no more *Palladiums*.—The Experiment of abridging the Work (which is but abridging the Improvement of Science) so as to sell it for 3s. 6d. fell in a few Months, nor could any mathematical Miscellany hitherto (though never so well conducted) be kept long alive by the Booksellers, for so small a Price as 1s.—All these Kinds of Things, in the best Hands, have dropped for Want of a sufficient Number of Readers.—The *Connoissance des Temps*, a foreign Production, sent among us, (because we have no Encouragers of such an useful Work at Home, though a NAUTICAL EPHEMERIS for the Use and Honour of this Nation is much wanted) fell for 3s. 6d. not containing more Labour than our *Palladium*.—And *Ferguson's* new solar and lunar Tables, for computing the Orbit New and Full Moons, (erroneous in their mean Motion, Argument, and Equations) fell for 2s. 6d. though but a small Pamphlet in a blue Cover, of 63 Pages; each containing not Half the Quantity of a *Palladium* Page.—Which ingenious mechanical more than mathematical Author has therein connected and reduced to Time in mean Motion of \odot fr. \odot , with a contrary Sign, the common lunar Equations of the same Argument; in Synygies, and also the Sun's Equation with its proper Sign, (as we directed and demonstrated should be done, at P. 393. R. *Astron.* detecting the Error of his old Equation Tables in his *Astronomy*, reduced to Time in mean Motion of the Moon, only; yet unacknowledged by Mr. *Ferguson*; as was also unacknowledged the going in our Name, without our Knowledge and Consent, to the Printer of the R. *Astron.* to see the Sheets of that Work while printing,) yet Mr. *Ferguson* has again blundered in computing the Times of his Orbit Full Moons (omitting the Addition of 6 Signs in the Argument of the Moon's equated Anomaly and Sun's Anom.— \odot Anom.) contrary to his own Precept, (P. 11 of these Tabs.) "the Sun's Dist. fr. \odot 's Apogee becomes equal to \odot 's mean Anom. at New Moon, and to Moon's m. Anom. at Full by adding 6 Signs at Full," by whose omitting which he has rendered his Orbit Full Moons erroneous. These Errors of his we shall set to Rights in new Tables for computing the Orbit and also Ecliptic New and Full \odot s, preparing for the Public, by Equations of Time correspondent to Deg. of \odot from the \odot ; with correct Motions, Arguments, and Equations. We also propose (having proper Encouragement from the GREAT) to publish a correct and very useful NAUTICAL EPHEMERIS, serving for 3 Years at a time forward; for the Use of Gentlemen in the NAVY.

Universal and Perpetual SUNDAY-LETTER TABLE, for finding the Sunday Letter, or New Style, (at Sight,) for any Year before or since Christ: With the Week-day correspondent to any Day of the Month, at Sight, for ever. [112]

O. S. Rem^s of Cent^s. div. by 7, for Yrs since Christ

Week and Month-day Table.

N. S. Rem^s of Cent^s. div. by 4, for Yrs since Christ.

N. and O. S. Sunday Letters.

N. S. Sund. Let. for Hund^s.

N. S. Sund. Let. for Hund ^s .						
BA	C	E	G	CB	ED	GF
BA	DC	FE	AG	CB	ED	GF
<i>g f e</i>	<i>b a g</i>	<i>d c b</i>	<i>f e d</i>	<i>a g f</i>	<i>c b a</i>	<i>e d c</i>
0	4	8	12	16	20	24
28	32	36	40	44	48	52
56	60	64	68	72	76	80
84	88	92	96			
24	28	32	36	40	44	48
52	56	60	64	68	72	76
80	84	88	92	96		
20	24	28	32	36	40	44
48	52	56	60	64	68	72
76	80	84	88	92	96	
16	20	24	28	32	36	40
44	48	52	56	60	64	68
72	76	80	84	88	92	96
12	16	20	24	28	32	36
40	44	48	52	56	60	64
68	72	76	80	84	88	92
8	12	16	20	24	28	32
36	40	44	48	52	56	60
64	68	72	76	80	84	88
92	96					
4	8	12	16	20	24	28
32	36	40	44	48	52	56
60	64	68	72	76	80	84
88	92	96				

Div. Cent^s by 7 for O. and 4 for N. Style; note the ref. Rem^s.—Under which, at the Table's Head stand the S. for even Hund^s, and ag^t the same on the Side, at the Top respect. Col. stands the S. Let. for the last Bisf. above Hund. N. S.—The 3 folls *small* Let. are for 3 Yrs. folls that Bisf. find the S. Let. for 1769 f. *CB*.—O. & N. S. Rem. are 3 & 1 ag^t which stands 68 the last Bisf. Yr; above which, at the f the same Col. stand FE & CB, S. Let. O. & N. S. for 1768; *cb* and *agb* respy. folls.—Whence, D is the S. Let. O. and N. S. 1769, f. *CB*. req.—For Dates bef. *CB*. Sub. the Date added to any No of 7 Hund. and also fr. 1 added to any No (und. and the Rem^s will be the respect. Dates f. *CB*. having me O. & N. S. *Sum*. Let. as for the given Date b. *CB*. then as above.—To find the S. Let. O. & N. S. for 1769 b. *CB*. 6700=2101;—1762=332, since *CB*. to which O. S. Rem. is 3, and Sunday Letters BA. 4400=3601;—1769=1832, f. *CB*. to which N. S. Rem. and S. Let. GA, O. & N. S. S. Let. for 1769 b. *CB*. reqd.

USE. Under the Sunday Letter, and against the Month, are the Sundays and Week-days to the Right and Left of those, in Succession.

Example. The Sunday Letters for 1764, N. S. AG, to find the Week-day to September 16.

Under G, the Sunday Letter, against September, stand 2, 9, 16, 23, 30, all Sundays, consequently 16 is a Sunday, required.

Hence the 14th of February, 1764, is on a Tuesday, because 5, 12, 19, 26, under A, are Sundays.

P. 92, L. 13, this Pal. for Year set down, &c. 1. Lunation set down, &c.

THE
PALLADIUM OF FAME,
OR
Annual Miscellany,
For the YEAR of our LORD, 1765.

CONTAINING

Several SUBJECTS of select SCIENCE. With RULES and DEMONSTRATIONS, for the CONDUCT and HAPPINESS of human LIFE: And a LIST, and CHARACTER of curious and useful BOOKS.

Adapted for the Pleasure and Service of GENTLEMEN and LADIES, the *British* YOUTH at School, and Persons at SEA.

The Seventeenth Number published. To be continued.

By the AUTHOR of the *Royal Astronomer and Navigator.*



Here FAME's bright Temple strikes admiring Eyes!
And living LUSTRES in Gradation rise!
Here each illustrious Artist known to Fame,
Attends the GODDESS, and enrols his Name.

L O N D O N:

Printed for W. DAVENHILL, at the Lamb, Leadonball-Street,
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INTRODUCTION.

“ We shall annually continue to give EXTRACTS, with our Remarks, from the best Authors, on the most polish'd, striking and useful Subjects, introductory to our general Design; whereby the PALLADIUM, in Time, will contain all the JEWELS of LITERATURE and SCIENCE. We shall, also continue to give a List and Character of the choicest Books, in every Branch of polite Literature and useful Science, for the Benefit of those who are not acquainted with the best Books, their Subjects, Characters, and Prices.

The TEMPLE of FAME. According to the celebrated Mr. POPE.

I STOOD, methought; betwixt Earth, Seas, and Skies,
The whole CREATION open to my Eyes;
In Air self-balanc'd hung the Globe below,
Where Mountains rise, and circling Oceans flow.
Here naked Rocks, and empty Wastes were seen,
There tow'ry Cities, and there Forests green;
Here sailing-Ships delight the wand'ring Eyes,
Here Trees and intermingl'd Temples rise;
Now a clear Sun the shining Scene displays,
The transient Landscape now in Clouds decays.
O'er the wide Prospect, as I gaz'd around,
Sudden I heard a wild promiscuous Sound,
Like broken Thunders, that at Distance roar,
Or Billows murmur'ing on the hollow Shore:
Then gazing up a glorious Pill beheld,
Whose tow'ring Summit ambient Clouds conceal'd.
High on a Rock of Ice (a) the Structure lay,
Steep its Ascent, and Slippery was the Way,
The wond'rous Rock like Parian Marble shone,
And seem'd to distant Sight of solid Stone.
Inscriptions here of various Names I view'd,
The greater Part by hostile Time subdu'd;
Yet wide was spread their Fame on Ages past;
And Poets once had promis'd they shou'd last;
Some fresh engrav'd appear'd of Wits renown'd;
I look'd again, nor cou'd their Trace be found.
Cities I saw that other's Names deface,
And fix their own with Labour in their Place:
Their own, like others, soon their Place resign'd,
Or disappear'd and left the first behind.
Nor was the Work impair'd by Storms alone,
But felt th' Approaches of too warm a Sun;

(a) In Imitation of Chaucer's third Book of Fame.

For Fame impatient of Extremes, decays,
Not more by Envy than Excess of Praise,
Yet part no Injuries of Heaven cou'd feel,
Like *Chrysal* faithful to the graving Steel,
The Rock's high *Summit*, in the Temple's Shade,
Nor Heat cou'd melt, nor beating Storm invade.
Their *Names* inferib'd unnumber'd Ages past,
From Time's first *Birth*, with Time itself shall last ;
These ever *Now*, nor subject to Decays,
Spread and grow brighter with the *Length of Days*.

So *ZEMBLA*'s Rocks (the beauteous *Work of Frost*)
Rise *white* in Air, and glitter o'er the Coast ;
Pale Suns unfelt, at Distance roll away,
And on th' impassive *Ice* the Light'nings play ;
Eternal *Snows* the growing *Mass* supply,
'Till the *bright Mountains* prop th' incumbent Sky :
As *ATLAS* fix'd, each hoary *Pile* appears,
The gather'd Winter of a *thousand Years*.

On this Foundation *Fame*'s high Temple stands ;
Stupendous Pile ! not rear'd by mortal Hands.
Whate'er proud *Rome*, or artful *Greece* behold,
Or elder *Babylon*, it's Frame excell'd.

Tova Faces (*b*) had the Dome and ev'ry Face
Of various Structure, but of equal Grace :
Four brazen Gates on Columns lifted high,
Salute the diff'rent *Quarters* of the Sky.
Here fabled *Chiefs* in darker Ages born,
Or *Worthies* old, whom *Arms and Arts* adorn,
Who *Cities* rais'd, or tam'd a monstrous Race ;
The Walls in venerable *Order* grace.
Heroes in animated Marble Frown,
And *Legislators* seem to think in *Stone*.

WESTWARD, (*c*) a sumptuous *Frontispiece* appear'd,
On *Doric Pillars* of white Marble rear'd,
Crown'd with an *Architrave* of antique Mould,
And Sculpture rising on the roughen'd Gold,
In shaggy Spoils here *Theseus* was beheld,
And *Perseus* dreadful with *Minerva*'s Shield :
There great *Alcides* (*d*) stooping with his Toil,
Rests on his *Club*, and holds th' *Hesperian Spoil*.
Here *Orpheus* sings, *Trees* moving to the Sound,
Starts from the *Roots* and form a *Shade* around :

A 2

An-

(*b*) The four Fronts, with open Gates, intimate that all Nations facing them are received therein.

(*c*) Of Grecian Architecture the Doric Order, peculiarly sacred to Heroes and Worthies.

(*d*) This Figure of Hercules is similar to the Position of the famous Statue of Farnese.

Ambion there the loud creating *Lyre*
 Strikes, and behold a sudden *Thebes* aspire !
Cithæron's Echoes answer to his Call,
 And half the Mountain roll into a Wall :
 There might you see the length'ning *Spires* ascend,
 The *Domes* swell up, the wid'ning *Arches* bend,
 The growing *Tow'rs*, like *Exhalations* rise,
 And the huge *Columns* heave into the Skies,

The *EASTERN* (e) *Front* was glorious to behold,
 With *Diamond* flaming and barbaric Gold.

There *Ninus* (f) shone, who spread th' *Assyrian* Fame,
 And the great Founder of the *Persian* (g) Name ;
 There, in long Robes, the royal *Magi* (h) stand,
 Grave *Zoroaster* waves the circling Wand,
 The sage *Chaldeans* rob'd in White appear'd,
 And *Brachmans*, deep in desert Woods rever'd.
 These stop'd the *Moon*, and call'd th' unbody'd Shades
 To midnight Banquets in the glimm'ring Glades ;
 Made visionary *Fabricks* round them rise,
 And airy *Spectres* skim before their Eyes ;
 Of *Talismans* and *Sigils* knew the Pow'r,
 And careful watch'd the planetary Hour ;
 Superior and alone, *Confucius* (i) stood,
 Who taught that useful Science to be good.

But on the *South*, along majestic Race
 Of *Egypt's* *Priests* (k) the gilded *Niches* grace ;
 Who measur'd Earth, describ'd the starry Spheres,
 And trac'd the long Records of *lunar* Years.
 High on his Car *Sesostris* (l) struck my View,
 Whom scepter'd Slaves in golden Harness drew ;
 His Hands a Bow and pointed *Javelin* hold,
 His giant Limbs are arm'd with Scales of Gold.
 Between the Statues *Obelisks* were plac'd.
 And the learn'd Walls with *Hieroglyphics* grac'd :

Of

(e) Eastern Nations.

(f) Founder of the Assyrian Monarchy.

(g) Cyrus, Founder of the Persian Monarchy.

(h) Chaldeans, of whom Zoroaster was Chief, studied Magic, and Astrology, the Learning of the ancient Asians.

(i) An ancient moral Chinese Philosopher, and Law-Giver, living about 2000 Years ago.

(k) Their Learning consisted mostly of Geometry and Astronomy, who preserved the History of their Nation.

(l) The great Hero of the Egyptians, recorded at large, for his Conquests, by Diodorus. He caused himself to be drawn in his Chariot by the Kings he vanquished. The Posture of this Statue, here represented, is that described by Herodotus, remaining in his Time.

T E M P L E O F F A M E .

7

Of Gothic Structure was the NORTHERN (m) Side,
 O'er wrought with Ornaments of barb'rous Pride !
 There huge Colossus rose, with Trophies crown'd,
 And runic Characters were grav'd around.
 There sat Zamolxis (n) with erected Eyes,
 And Odin (o) here in mimic Trances dies.
 There on rude iron Columns, smear'd with Blood,
 The horrid Forms of Scythian Heroes stood.
 Druids and Bards (p) (their once loud Harps unstrung)
 And Youths that dy'd to be by Poets sung.
 These and a thousand more of doubtful Fame,
 To whom old Fables gave a lasting Name,
 In Ranks adorn'd the Temple's outward Face
 The Wall in Lustre and effect like Glass,
 Which o'er each Object casting various Dyes,
 Enlarges some and others multiplies :
 Nor void of Emblem was the mystic Wall,
 For thus romantic Fame increases all.

The Temple shakes, the sounding Gates unfold,
 Wide Vaults appear, and Roofs of freited Gold :
 Rais'd on a thousand Pillars, wreath'd around
 With Laurel-Foliage, and with Eagles crown'd :
 Of bright transparent Beryl were the Walls,
 The Freezes, Gold, and Gold the Capitals :
 As Heav'n with Stars, the Roof with Jewels glows,
 And over living Lamps depend in Rows
 Full in the Passage of each spacious Gate,
 The sage Historians in white Garments wait,
 Grav'd o'er their Sents the Form of Time was found,
 His Scythe revers'd, and both his Pinions bound.
 Within stood Heroes, who thro' loud Alarms
 In bloody Fields pursu'd, Renown in Arms.
 High on a Throne with Trophies charg'd I view'd,
 The Youth (q) that all Things but himself subdu'd ;

His

(m) Northern Nations, their Learning obscurer than the
 Rest.

(n) Disciple of Pythagoras, who taught the Immortality of the
 Soul to the Scythians.

(o) Or Woden, the Name of the great Legislator and He-
 ro of the Goths. Being Subject to Fits, he persuaded his Follow-
 ers that he received Inspiration during those Trances ; whence he
 dictated his Laws. He is said to have invented the runic Characters.

(p) Priests and Poets of those People, so celebrated for their
 savage Virtue. Who accounting it a Dishonour to die in their Beds,
 they rushed on certain Death in Prospect of a future Life, and for
 the Glory of being sung by their Bards, in Praise of their heroic
 Actions.

(q) Alexander the Great.

I N T R O D U C T I O N.

His Feet on *Sceptres* and *Flara's* (r) trod,
 And his horn'd Head bely'd the *Lybian* (s) God,
 There *Cæsar*, grac'd with both *Minerva's*, shone;
Cæsar the World's great Master and his own;
 Unmov'd, superior still in ev'ry State,
 And scarce detested in his Country's Fate,
 But Chief were those, who not for Empire fought,
 But with their Toils their People's Safety bought:
 High o'er the rest *Epaminondas* stood;
Timoleon, (t) glorious in his Brother's Blood.
 Bold *Scipio*, Saviour of the Roman State,
 Great in his *Triumphs*, in Retirement great;
 And wise *Aurélius*, in whose well taught Mind,
 With boundless Pow'r unbouded *Virtue* join'd,
 His own strict Judge, and Patron of Mankind,
 Much-suff'ring *Heroes* next their Honours claim,
 Those of less noisy, and less guilty Fame,
 Fair *Virtue's* silent Train: supreme of these
 Here ever shines the *Godlike* *SOCRATES*:
 He (u) whom ungrateful *Athens* cou'd expel,
 At all Times just, but when he sign'd the Shell.
 Here his Abode the martyr'd *Phocion* claims,
 With *Agis*, not the last of *Spartan* Names:
 Unconquer'd *Cato* shews the Wound he tore,
 And *Brutus* his ill *Genius* meets no more.
 But in the Center (w) of the hallow'd Choir,
 Six pompous Columns o'er the rest aspire;
 Around the Shrine itself of *Fame* they stand,
 Hold the chief Honours and the *Fane* command.

B. High

(r) Crowns of eastern Princes.

(s) Alexander the Great's Desire to be thought the Son of Jupiter Ammon, caused him to wear the Horns of that God, and to have the same represented on his Coins, which was continued by his Successors.

(t) He saved his Brother Timophanes's Life, in the Battle between the Argives and Corinthians; but took it away when he turn'd Tyrant: preferring his Duty to his Country to his Obligations of Blood.

(u) Aristides, who was called the Just, for his great Integrity. When his Countrymen wou'd have banished him by their Ostracism, where it was a Custom for every Voter to sign the Name of the Person he wou'd have exiled in an Oyster-Shell, a Peasant who could not write desired Aristides, the Person to be exiled, to do it for him, who immediately complied, by signing his own Name.

(w) In the Midst of the Temple, near the Throne of Fame, are placed the greatest Characters of Antiquity, described in their proper Attitudes. Their respective Columns are adorned with Sculptures drawn from the most striking Parts of their Works, to which they have a close Resemblance.

1. High on the *First*, the might *Homer* shone ;
 Eternal *Adamant* compos'd his Throne,
Father of Persè ! in holy Fillets dress'd
 His silver Beard wav'd gently o'er his Breast.
 Tho' blind, a Boldness in his Looks appears,
 In Years he seem'd, but not impair'd by Years.
 The Wars of *Troy* were round the *Pillar* seen,
 Here fierce *Tyldes* wounds the *Cyprian* Queen ;
 Here *Hector* glorious from *Patroclus's* Fall,
 Here dragg'd in *Triumph* round the *Trojan* Wall.
 Motion and Life did ev'ry Part inspire,
 Bold was the *Work*, and prov'd the Master's Fire ;
 A strong Expression most he seem'd t' affect,
 And here and there disclos'd a brave Neglect.

2. A golden *Column* next in Rank appear'd
 On which a shrine of purest Gold was rear'd ;
 Finish'd the Whole, and labour'd ev'ry Part,
 With patient Touches of unwearied *Art* :
 The *Mantuan* there in sober *Triumph* sat
 Compos'd his Posture, and his Look sedate ;
 On *Homer* still he fix'd a rev'rend Eye,
 Great, without *Pride*, in modest Majesty.
 In living *Sculpture*, on the Sides were spread
 The *Latian* Wars, and haughty *Turnus* dead ;
Eneas stretch'd upon the fun'ral *Pyre*,
Aneas bending with his aged Sire :
Troy flam'd in burning Gold, and o'er the Throne ;
 ARMS AND THE MAN in golden *Cyprian* Stone.

3. Four Swans sustain a *Car* of Silver bright
 With Heads advanc'd, and Pinions stretch'd for Flight,
 Here, like some furious *Prophet*, *Pindar* (x) rode,
 And seem'd to labour with th' inspiring God.
 Across the *Harp* a careless Hand he flings,
 And boldly sinks into the sounding Strings.
 The figur'd *Games* of *Greece* the Column grace ;
Neptune and *Jove* survey the rapid Race.
 The Youth hang o'er their *Chariots* as they run,
 The fiery Steeds seem starting from the Stone ;
 The *Champions* in distorted Postures threat ;
 And all appear irregularly great.

4. Here happy *Horace* tun'd th' *Ausonian* Lyre,
 To sweeter Sounds, and temper'd *Pindar's* Fire :

Fleas'd :

(x) Being seated in a *Car* or *Chariot*, alludes to the *Chariot* Races he celebrated in the *Grecian* Games. The Swans are Emblems of Poetry ; their soaring Posture alludes to the Activity and Sublimity of *Pindar's* Genius. *Neptune* presided over the *Isthmian* and *Jupiter* over the *Olympian* Games.

Pleas'd with *Alcum* (y) manly Rage t'infuse
 The sober Spirit of the *Sapphic* Muse, (z)
 The polish'd Pillar diff'rent Sculptures grace,
 A Work outlasting monumental Bials, (a)
 Here smiling *Loves* and *Bacchanals* appear,
 The *Julian* Star, and great *Augustus* here.
 The Doves that round the infant Poet spread,
 Myrtles and Bays hung hov'ring o'er his Head;

5. Here in a *Shrine* that cast a dazzling Light
 Stand fixt in Thought the mighty *Stagyrite* :
 His sacred Head, a radiant *Zodiac* crown'd,
 And various Animals his Sides furround,
 His piercing Eyes erect, appear to View
 Superior Worlds, and look all Nature through;

6. With equal Rays immortal *Tully* shone,
 The Roman *Rostrum* deck'd the *Consul's* Throne ;
 Gath'ring his *flowing Robe*, he seem'd to stand,
 In Act to speak, and graceful stretch'd his Hand.
 Behind *Rome's Genius* waits with civic Crowns,
 And the great Father of his Country owns.

These *massy Columns* in a Circle rise
 O'er which a compous *Dome* invades the Skies :
 Scarce to the Top I stretch'd my aching Sight,
 So large it spread and swell'd to such a Height.
 Full in the Midst proud *FAME's* imperial Seat,
 With Jewels blaz'd magnificently great.
 The vivid *Em'erals* there revive the Eye,
 The flaming *Rubies* shew their sanguine Dye,
 Bright azure Rays from lively *Sapphires* stream,
 And lucid *Amber* casts a golden Gleam.
 With various colour'd Lights the Pavement shone
 And all on Fire appear'd the glowing Throne ;
 The Domes high Arch reflects the mingled Blaze,
 And forms a Rainbow of alternate Rays.
 When on the Goddess first I cast my Sight
 Scarce seem'd her Statue of a Cubit's Height,
 But swell'd to larger Size, the more I gaz'd
 Till to the Roof her tow'ring Form she rais'd,
 With her the Temple ev'ry Moment grew,
 And ample *Villa's*, open'd to my View.
 Upward the Columns shoot, the Roof ascend,
 And Arches widen, and long *Iles* extend.
 Such was her Form, as ancient *Bards* have told,
 Wings raise her Arms and Wings her Feet unfold,

(y) Expressing the mix'd Character of Horace's Odes.

(z) Alluding to his *Spiritus crassus tenuis canamus*.

(a) Alluding to his *Elegi Monumentum Aere perennius*. The
 Action of the Doves alludes to a Passage in the fourth Ode of his
 third Book.

TEMPLE OF FAME.

12

*A thousand busy Tongues the Goddess bears,
And thousand open Eyes, a thousand list'ning Ears.
Beneath in Order rang'd the tuneful Nine,
(Her Virgin Hand-Maids) still attend the Shrine
With Eyes on FAME for ever fix'd they sing;
For FAME they raise the Voice and tune the String;
With Time's first Birth began the heav'nly Lays;
And last, eternal, thro' the Length of Days.*

*Around these Wonders, as I cast a Look,
The Trumpet sounded and the Temple shook,
And all the Nations summon'd at the Call,
From diff'rent Quarters fill the crouded Hall:
In various Tongues promiscuous Sounds were heard,
In various Garbs promiscuous Throngs appear'd;
Thick as the Bees that with the Spring teneb'
Their flow'ry Toil and sip the fragrant Dew;
When the wing'd Colonies first tempt the Sky
O'er dusky Fields, and shaded Waters fly.
Or settling seize the Sweets the Blossoms yield,
And a low Murmur runs thro' all the Field.
Millions of suppliant Crowds the Shrine attend,
And all Degrees before the Goddess bend;
The Poor, the Rich, the Valiant and the Sage,
And boasting Youth and narrative old Age,
Their Pleas were diff'rent, their Requests the same,
For Good and Bad, alike are fond of FAME.*

*Some she disgrac'd and some with Honours crown'd,
Unlike Successes, equal Merits found.*

*Thus her blind Sister, sickle Fortune, reigns,
And, undiscerning, scatters Crowns and Chains.*

*But, at her Shrine, the learned World appears,
And to the Goddess thus preferr'd their Pray'rs.
Long have we sought t'instruct and please Mankind
With Studies pale, and Midnight Vigils blind;
But thank'd by Few, rewarded yet by None,
We here appear to thy superior Throne;
O Wit and Learning the just Prizes bestow,
For Fame is all that we expect Below.*

*The Goddess heard, and bade the Muses raise
The golden Trumpet of eternal Praise:
From Pole to Pole the Winds diffuse the Sound,
That fills the Circuit of the World around;
Nor all at once, as Thunder breaks the Cloud,
The Notes at first were rather sweet than loud;
By just Degrees they ev'ry Moment rise,
Fill the wide Earth, and gain upon the Skies.
At ev'ry Breath were balmy Odours shed,
Which still grew sweeter as they wider spread;
Less fragrant Scents th' unfolding Rose exhales,
Or Spices breathing in Arabian Gales.*

INTRODUCTION.

Next these the Good and Just, an awful Train,
 Thus on their Knees address the sacred Fane.
 Since living Virtue is with Envy curs'd,
 And the best Men are treated like the worst,
 Do thou, just Goddess, call our Merits forth,
 And give each Deed th' exact intrinsic Worth.
 Not with bare *Justice* shall your A& be crown'd
 (Said *Fame*) but high above desert renown'd :
 Let fuller Notes th' applauding World amaze,
 And the loud *Clarion* labour in your Praise !
 This Band dismiss'd, behold another Crowd
 Prefer'd the same Request, and lowly bow'd,
 The constant Tenour of whose well spent Days
 No less deserv'd a just Return of Praise.
 But strait the direful *Trump* of Slander sounds,
 Thro' the big *Dome* the doubling Thunder bounds ;
 Loud as the Burst of Cannon rends the Skies,
 The dire Report thro' ev'ry Region flies.
 In ev'ry Ear incessant Rumours rung,
 And gath'ring Scandal grew on ev'ry Tongue.
 From the black Trumpet's rusty concave broke
 Sulphureous Flames and Clouds of rolling Smoke :
 The pois'nous Vapour blots the purple Skies,
 And withers all before it as it flies.

A Troop came next, who *Crowns* and *Armour* wore,
 And proud *Defiance* in their Looks they bore ;
 For Thee (*they cry'd*) amidst Alarms and Strife,
 We sailed in *Tempest* down the Stream of Life ;
 For Thee, whole Nations fill'd with Flames and Blood,
 And swam to *Empire* thro' the purple Flood.
 Those *Ills* we dar'd, thy Inspiration own,
 What Virtue seem'd, was done for Thee alone,
 Ambitious *Fools* ! (the *Queen* replied and frown'd)
 Be all your A&ts in dark Oblivion drown'd ;
 There sleep forgot, with mighty *Tyrants* gone,
 Your *Statues* moulder'd, and your *Names* unknown !
 A sudden Cloud strait snatch'd them from my Sight
 And each majestic *Phantom* sunk in Night.

Then came the *smallest Tribe* I yet had seen ;
 Plain was their Dress, and modest was their Mein ;
 Great *Idol* of Mankind ! we neither claim
 The Praise of Merit, or aspire to Fame !
 But safe in Deserts from th' *Applause* of Men,
 Wou'd die unheard of, as we liv'd unseen.
 'Tis all we beg Thee, to conceal from Sight
 Those A&ts of *Goodness*, which themselves requite.
 O let us still the secret Joy partake
 To follow Virtue ev'n for Virtue's Sake.

And live there Men, who slight *immortal Fame* ?
 Who then with Incense shall adore our Name ?

But

TEMPLE of FAME.

xi

But, Mortals! know, 'tis still our greatest Pride
To blaze those Virtues, which the Good wou'd hide,
Rise! Muses, rise, add all your tuneful Breath,
These must not sleep in Darkness and in Death,
She said: in Air the trembling Music floats,
And on the Winds triumphant swell the Notes;
So soft, tho' high, so loud, and yet so clear
Ev'n list'ning Angels lean'd from Heav'n to hear:
To farthest Shores th' ambrosial Spirit flies,
Sweet to the World and grateful to the Skies.

Next these a *youthful* Train their Vows express'd,
With Feathers crown'd, and gay Embroid'ry dress'd:
Hither they cry'd, direct your Eyes, and see
The Men of *Pleasure, Dress, and Gallantry*;
Ours is the Place at Banquets, Balls, and Plays,
Sprightly our Nights, polite are all our Days;
Courts we frequent, where 'tis our pleasing Care
To pay due Visits and address the Fair:
In Fact, 'tis true, no *Nymph* we cou'd persuade,
But still in Fancy vanquish'd ev'ry Maid;
Of unknown *Duchesses* lewd Tales we tell,
Yet, wou'd the World believe us, all were well.
The Joy let others have, and we the Name,
And what we want in Pleasure grant in *Fame*.

The *Queen* assents, the Trumpet rends the Skies,
And at each Blast a *Lady's* Honour dies.

Pleas'd with the strange Success, vast Numbers press'd
Around the *Shrine*, and made the same Request:

What you (*she cry'd*) unlearned, in Arts to please,
Slaves to yourselves, and ev'n fatigu'd with Ease,
Who lose a Length of undeserving Days,
Wou'd you usurp the *Lover's* dear bought Praise?
To just *Contempt*, ye vain *Pretenders*, fall,
The People's Fable, and the Scorn of all.
Strait the *black Clarion* sends a horrid Sound,
Loud *Laughs* burst out, and bitter *Scuffs* fly round;
Whispers are heard, with *Taunts* reviling loud,
And scornful *Hisses* run thro' all the Crowd.

Last, Those who boast of mighty *Mischiefs* done,
Enslave their Country, or usurp a *Throne*;
Or who their Glory's dire Foundation lay'd,
On *Sovereigns* Ruin, or on Friends betray'd;
Calm thinking *Villains*, whom no Faith cou'd fix,
Of crooked Counsels, and dark Politics;
Of these a *gloomy Tribe* surround the *Throne*,
And beg to make th' immortal *Treasons* known.

The *Trumpet* roars, long flaky Flames expire,
With *Sparks* that seem to set the World on Fire.
At the dread sound *pale Mortals* stood aghast,
And startled Nature trembled with the Blast!

This having heard and seen, some Pow'r unknown,
Strait chang'd the Scene, and snatch'd me from the Throne.

*The Temple of Fame here changes to the Temple of Rumour
(a Subject of less Dignity and Request) wherein Mr. Pope follows
Chaucer almost intirely. His Hint of the foregoing Piece was
taken from Chaucer's House of Fame, whose Design or Plan
Mr. Pope has greatly altered and improved, so as to render the
elegant Descriptions and most of the particular Thoughts and strik-
ing Images his own. If the Reader would compare this Account
of Fame's Temple, with Chaucer's House of Fame, he must be-
gin with his third Book of Fame, there being Nothing contained ma-
terially relative before in Chaucer.*

N E W Æ N I G M A S.

I. ÆNIGMA 150. By Mr. Thomas Sadler, of New-Hall,
near Wrenbury, Cheshire.

Strange Things I've heard, dear LADIES, you must know
Were said of me some hundred Years ago ;
And stranger still, if I the Truth may tell,
That seem to rival the fam'd *Sydrophel*.
Strange Forms and Sizes, I am known to ape,
And different Things, in Magnitude and Shape ;
I change my Colours, vary ev'ry Stain
From White to Black, and Black to White again !
More Wonders yet—I in a Moment send
Strange Flights of Fancy to each hum'rous Friend.
Tho' Woodward, in his *Pantomime*, may stare,
And think he is my Rival to a Hair ;
His Twisting, Twining, his Grimace, can't shew
Such great *Exploits* as I am known to do :
Such hum'rous *Figures* of me have been seen,
Array'd in Red, Pink, Yellow, Blue or Green.
With *Monsters* strange I have been known to deal,
And shewn the *Dragon* with a fiery Tail ;
As Fancy dictates, whisk myself around,
Sometimes take Wing and fly above the Ground.

Mere Wonders still, I indicate, preface,
Turn *Andro*, tumble, roll about the Stage ;
Now here, now there, behold how brisk I pass,
From Cox the Shepherd to the Country Lass.
It has been said, I've pos'd the greatest Wit,
Where e'er I go, or Country Man, or Cit !
And give to each such emblematic Rules,
Few find my equal in the public Schools.
When serious grown, I'm planning something strange,
And few *Geometers* such Figures range :
Mean while behold how *Strephon* and his Fair,
With Mouth half-cock'd, will *smile*, grin, and stare,

Yet one Hint more, *fair Ladies*, I've been seen,
In *Roger's* Mouth, when dancing on the Green;
Who pull'd me out, and thump'd me o'er and o'er;
I made my Exit, and appear'd no more.

II. *ÆNIGMA 151. By Mr. Thomas Sadler.*

BEHOLD old Age with me appear,
With wrinkled Cheeks and flaxen Hair,
Or see the Youth descend the *Brow*,
And thro' the Vale with me will go.
Within the teeming Field I bear,
In *Servitude* an equal Share.
And am the poor Man's only Friend,
To wait on him I condescend;
There's *Strephon*, *Thomas*, *Ralph*, and *Will*,
With *Humbry*, *Simon*, *Harry*, *Gill*—
All Shoulder Height will march along
With me, and sing their rural Song.
—Thus I attend the Country Swain,
When Fears nor Doubts disturb his Brain.
Ulysses, as the Story goes,
Ranack'd the *Trojans* as his Foes,
And by his *Wooden-Horse* and Craft,
O'ercame 'em all—so I come aft.
Nay *Sampson* too, with jaw Bone slain,
He scatter'd Thousands o'er the Plain;
Millions or Billions I may say
I've scatter'd and still clear my Way;
Propitious Fair, record my Name
In your *Palladium-Book of Fame*.

III. *ÆNIGMA 152. By Mr. Thomas Sadler.*

From Man and Trees, I claim my Birth,
And from the Bowels of the Earth;
By *Vulcan's* Art I'm form'd complete,
And on my Master's *Will* I wait.
My Shape to tell, ye lovely Fair,
Is something odd, as will appear.
For, on my Belly, you must know,
I'm oftentimes constrained to go.
—A Mouth I have, and Tongue likewise,
And Ears of various Form and Size,
Some say I've Ribs, but ne'er a Skin,
In which to hold my Parts within.
Hump back'd I am, my Shoulders strong,
Two Arms I have both stout and long.
And like true Friends, ye Fair must know,
I oft shake Hands with *John* and *Joe*!
And by a *Twist* it must be said,
My Tail oft times runs round my Head.
Am tug'd along by *Dick* and *Doll*,
Copartners they, who take a Pull,

At *Teraton* Wakes, says *Ralph* and *Sam*,
A famous *Rope-dancer* I am.

Tradition strange with them prevails,
Like Mother *Bunch*, or *Shipton's* Tales !
With me says *Ambrose*, *James* and *Will*,
They can surpass the *Devil's* Skill !
'Tis true my Use and Value's great
In ev'ry Realm, and ev'ry State.

In *Africa*, or *Asia*,

In *Europe*, or *America*.

So Fame reports throughout this Isle,
Each Briton on me deigns to smile,
Yet one Hint more I'll give to you,
And then, ye Fair, I'll bid *adieu* !
At *Roger's* Door, within this Land
Erected on a *Pole* I stand.

IV. AN ÆNIGMATICAL TALE 153. By Sir B. C. Knight.

AS *DICK* was delving near a Grove,
Thinking, perhaps, of *Kate* his Love,
He saw me *Whisk* along the Way,
Which made him caper, dance, and play ;
He flung his Spade upon the Ground,
Resolv'd with me to take around.
He follow'd me, would not give out,
But still wou'd take the other Bout,
However, I kept him in play
For many Hours (near half a Day)
Sometimes did run, and sometimes fly,
Or move aloft, beneath the Sky ;
But *Dick*, at last, tho' out of Breath,
Seiz'd me a *Pris'ner* on the Earth ;
Then brought me to the Country *Squire*,
Whose Cam of Beer did *Dick* inspire ;
And pleas'd so well th' unpolish'd Swain,
He reel'd and whistled Home again ;
While I a *Captive's* Fate must Share,
As *Pris'ners* in a Castle fare.
But I, in Time, grew more alert,
Not *Harlequin* was so expert,
A fine *Musician* soon became,
And *Music* was my fav'rite Theme.

Tho' *Handel's* Notes were all so fine,
Yet some of them I've learn'd to chime ;
And if the Truth I now may say
My Head turns round whene'er I play,
Come Brother Fiddlers, Pipers, rare,
Now to the World my Name declare.

V. ÆNIGMA 154. By Mr. Thomas Sadler.

IN *ADAM's* Days I ne'er was known,
But now am very public grown ;

In City, Town, and Corporation,
 The Cause of Joy, and great Vexation.
 To Man indeed I'm known to raise
 A Complication of Disease ;
 Yet he to me will post away,
 Tho' Nature shews a sure Decay.
Sir John will swear he likes me well
 And so does honest country *Nell* ;
 But see how some will lie and joke,
 And *Cob* * the *Baron* Lord of *Soak*.
 His blund'ring *Tales* tell o'er and o'er,
 And then lies sprawling on the Floor ;
Master of such a Tribe they say
 I am, who me their Tribute pay.
 To make the Riddle yet more strange,
 I am a *Male*, dwell near th' Exchange ;
 But at the Ship, near *Temple-Bar*,
 I bear a famous Character.
 Yet to each Sex I claim a right,
 And sometimes am *Hermaphrodite*
 From which you will my Name discern
 Like *Trismegistus*, live and learn.

VI. ÆNIGMA 155. By Mr. J. Scott, of Cawthorne.

I.

AS *Roger* and his Wife in *May*
 Were sauntering the Groves along,
 They chearful minded then and gay,
 I entertain'd them with a Song.

II.

Quoth Hodge thou hesitating Blade
 Thy Music to us make more plain ;
 But disregarding what he said,
 I sung the same to them again.

III.

Indeed said *Nell*, on my Salvation,
 The *Harmony* is smooth and even ;
 Be but contented in your Station,
 And you'll be sure to go to Heaven.

IV.

Poor *Roger* puzzl'd and in Doubt,
 At such a doleful tuneful *Ditty* ;
 But you anon will find me out
 Now I have told what was so pretty.

VII. ÆNIGMA 156. By 'Squire Wagstaff.

SWIFT and erratic I can run
 In Frost or Rain, or *Summer's* Sun ;
 Am truly of *amphibious* Nature,
 And found on Land, and in the Water ;

And

* In a Pamphlet, intituled *Don Coblars, or Mock Bares*.

And often, too, you may with Ease,
 Descry me *perching* upon Trees ;
 Some say I'm *chaste*, and some say *wild* ;
 For oftentimes I prove with Child
 But *Shame* to tell, a Sight unmeet,
 I am deliver'd in the *Street* ;
 Oft *Twins* I bear, and sometimes more ;
 And sometimes pregnant am with four ;
 The Number none can truly fix,
 For I am known to bring forth *Six*.
 Oh ! cruel Age, degenerate Times,
 Tho' charg'd with no enormous Crimes,
 (Except a little false *Oeconom* ;
 And as for *Knaves* I cannot shun 'em)
 Without a *Judge*, or *Jury*, I
 Am gibbeted, and hung on high.

VIII. ÆNIGMA 157. By Mr. J. Tarratt.

ONCE did I grace fair *Sylvia's* growing Train,
 Till *Rusticus* reduc'd me on the Plain ;
 Not yet content, I'm cut and mangl'd sore,
 My Limbs are shorten'd and my Garments tore ;
 This to compensate, I'm to *Court* configur'd,
 'There to be polish'd, portion'd and refin'd ;
 In *Latin* Diction here I'm taught to speak,
 In Numbers skill'd, but ne'er attain to *Greek*.
 Like *Eve* ; first Partner, plac'd by *Adam's* Side,
 So am I mated with a faithful Bride.
 But short this Union, cruel, cruel Fate !
 I'm doom'd to Travel ;—she to *Prison* strait ;
 More *Hardships* still, oh pity the *Exile*,
 At my Return we perish in one Pile.

IX. ÆNIGMA 158. By Mr. Thomas Sadler.

ÆNIGMATISTS, ingenious Wits attend,
 Ye Sons of Science, and *Palladium's* Friend ;
 Who have with Ease the *deepest* Things disclos'd,
 Those Things which might an *Oedipus* have pos'd.
 Expose my Name, let it recorded be
 In *Pallas's* Temple for the *Fair* to see.
 The *Ladies* seldom court my friendly Aid ;
 But I assist the *Cook*, and Chamber Maid :
 Hard is my Case, they thump me o'er and o'er,
 (Th' *old Wife* too) untill their Arms are fore.
 Known to the *Quack* ; whose boasted Skill I tell,
 And *Merryman* his Tumbler knows me well.
 With *Thomas* and his much beloved Bride,
 In humble *Cottage* I sometimes abide.
 My Shape and Frame with various Curves abound ;
 Sometimes *Cylyndric* ; for I'm mostly round.

Emblem

Emblem of *Discord*, often heard to jar ;
Sometimes am silent ; sometimes heard from far ;
In Peace remain — declare a civil War.

X. ÆNIGMA 159. *By Mr. John Clark, of Lincoln.*

I was, I am, and shall for ever be,
In *Fact* the same to all Eternity ;
Yet *Non-existence* I may greatly claim :
To all the World, fair *Ladies*, tell my Name.

XI. ÆNIGMA 160. *By the same Correspondent.*

1. DEAR *Ladies*, would you know my Name,
It is of such an *odious* Nature,
I cannot tell it without Shame,
In Truth I am so strange a Creature !
2. I freeze the *Heart* of some alive
With my Embrace, and others kill ;
With many I too often thrive,
Who act according to my Will.
3. Like subtle *Poison*, once I stole,
Into a bold *Virago's* Breast ;
Who lov'd me *dearly* as her Soul,
Nor would without me be at Rest.
4. Within the *Houses* of the Great
How often have I lain conceal'd !
Yet never dwell with honest *Kate*,
Nor dare I meet her in the Field.
5. *Minerva* (so the *Poets* feign)
Sprung forth out of a royal Head ;
I take my Being from the Brain,
From whence *tremendous* Schemes are laid.

* * *Whoever sends the best Answer to the following Ænigma before March 1, 1765, has a Chance by Lot for 4 and 2 Palladiums ; of 2s. each.*

PRIZE-ÆNIGMA. *By Mr. Thomas Sadler, of Newhall, near Wrenbury, Cheshire.*

COME tell my Name, *Ladies*, and let it appear
Within the *Palladium of Fame* for next Year ;
I traverse about many Countries round,
In *England*, and *Scotland*, and *Ireland* am found ;
In *Holland*, sometimes at the *Hague* I appear,
Am well known to *Dutchmen* — DON BEN and JOHN QUERR.
To a *whimsical* Tribe I belong, you must know,
Serve for *Pastime* and *Sport* — like *Coxcombs* all a-Row !
I can play the *Buffoon*, like a *Baboon* in Shape,
With my Mouth all *awry*, and can *Emerson* ape ;
The *Palladium* Author can mock for a while,
Deny the *plain* Truth — in the right *Hand-bill* Style.
Assume like a *PEDANT*, pretend to excel —
Claim the Arts not my *own*, and when *DONE* cannot spell.

Yet th' *Odious* about me — in which I appear,
Will move you to *Laughter*, when most I look *queer*.
The *Coquet* I mimic, the *Coxcomb*, and *Beau*,
In *Buckram* cas'd up — as I oftentimes go.
I ride in my *Coach*, like a *Lady* so fine,
And give myself *Airs* — when in *Public* I dine.
Though *Ralph* he will tell you, to whom you appeal,
My *Equipage* is but a *Coach* with *one* Wheel;
In which he *degrades* me — What can he do more?
Long Journeys I take in a *Coach* that has *four*.
My *Aspect* when varied, the *Truth* I may say,
I oftentimes look like fair *Flora* in *May*:
At other Times halt on a *Staff*, or a *Crutch*,
Like old *Par* of *Salop*, and *wrinkled* as much.
In my *brighest* Appearance, believe me, ye *Fair*,
My *Grandeur*'s exalted as high as *Lord Mayor*.
Attendants I've *many*, who near me abide,
And I've got a *Footman* to run by my Side.
My *darkest* Appearance will make you afraid,
I'm as *black* as a *Collier*, with *Horns* on my *Head*;
Much given to quarrel — a *Wrangler* profound;
And sometimes beat *Watchmen* and *Constables* round:
For such *Misbehaviour* the *Round-house* I get,
And there I am *speechless*, and *quite out of Debt*.
When releas'd from *Confinement* I shake a loose *Leg*,
And trip o'er the *Green* with *Joan*, *Bridget*, and *Peg*;
In my *Rambles* through *Cheshire*, at *Nantwich* I'm seen,
Among all the *Ringers* — *Jones*, *Merrick*, and *Green*:
In *London* I join the *distributing Pack*,
From *Bideford* *Ben* down to *Exeter* *Jack*.

• Read the public Papers (Ledger, &c.) from March 29 to April 7, 1764, concerning Hand-bill Distributers, like Distributers of Fool's-Caps: Qui capit ille facit.

OBSERVATIONS on ENIGMAS, and the present LADIES DIARY.

ENIGMAS should not be composed on Subjects little known, or remote in Nature, or not familiar, nor yet on Modes of Substances, nor on mean or indecent Subjects. It would be absurd to compose an *Enigma* on the 5th Satellite of Saturn, Saturn's Ring, the Head or Brain of a Fly, Clippings of human Nails, &c. as it would be improper to compose *Enigmas* on Pain, Grief, Joy, Fidelity, Integrity, Attraction, &c. because the former Subjects furnish unfit and improper Allusions to hide them, and give only such Ideas as are little understood; and the last Subjects, or Modes of Beings, afford but confused, unsettled, and unlimited, complex Ideas. Quaint, familiar, or striking Subjects of Substances, (omitting their Modes,) furnishing

furnishing a Variety of striking Allusions, are fittest for *Ænigmas*.

If you compare the *Ideas* and *Allusions* of some ill-chosen and as ill-composed *Ænigmas*, in some of the late *Ladies Diaries*, and in some of our *Palladiums*, with their *Subjects*, you will find a very awkward or ill Agreement, and sometimes an *Incoherence*.

And here it may not be amiss to rectify a *vulgar Error* fallaciously propagated for Bye-ends, by *certain Persons*, (since the Year 1754, inclusive,) "Of the *Palladium Author* having unjustly taken "the *Diary Correspondents* best Things to insert in the *Palladium*, "during his *Compilation of the Ladies Diary* (from 1744 to 1753 "inclusive) for his late worthy Friend, *Mrs. Belighton, the Widow* "Proprietor." The contrary to which Assertion hence appears. Better *Ænigmas* and *Pieces of Poetry* are inserted in the *Ladies Diary* by the *Palladium Author* than are inserted since his Time of compiling it; who made and procured *Ænigmas* on Purpose for that Work in the best Manner, besides altering others for *Advantage* which were sent. And the Sale of the *Ladies Diary*, during the *Palladium Author's* Time of compiling it, increased to upwards of 22 Thousand, now sunk to 12 Thousand, annually sold, evinces the Difference of compiling that Work; and also evinces, that awkward and difficult *mathematical Questions*, of little Use and Invention, and *low Subjects*, (void of Taste and Humour, and even of common Sense and Spelling,) are improper *Entertainments* for *poets*, *penetrating, ingenious, and brilliant LADIES*; disgraced by a *clumsy Wood-cut Figure of a Lady on the Diary Frontispiece*, by the Skill and Abilities of the *Contrivers*; being an Affront to the dignified and sacred Person of *MAJESTY* it is meanly designed to represent. Some of which *Diaries*, since the *Palladium Author's* Time of compiling them, have been printed on no better than *Ballad Paper*, while the present *absurd Conductors* pretend, that the said *Diary* was murdered by the *Palladium Author*, who offered to raise its Reputation. See farther on.

The *Ladies Diary*, once well known to Fame,
Now casts Dishonour on the Lady's Name!

THE QUERIST.

NEW QUERIES.

I. QUERR 160. By *Mrs. Ann Abby*.

WHEN *Cambyses*, the *Persian Emperor*, plundered the grand City of *Thebes*, and robbed all the Temples thereof, amongst the Rest of the Spoils he carried off that celebrated Circle of Gold, which surrounded the Tomb of King *Ozymandras*, being 35 Cubits in Circumference; on which was represented the *Constellations* in the Heavens. Required the Contents thereof in *English Feet* and Inches; and also the Value in Pounds *Sterling*; supposing the Breadth of it was in true Proportion to the Circumference.

PALLADIUM OF FAME, 1769.

II. QUERE 161. *By Mrs. A. Abby.*

A famous Historian says of *Alexander the Great*, that after he had drank Wine enough to have dispatched an ordinary Man, he emptied *Hercules's Cup*, which held 6 Bottles; this threw him into a high Fever, of which he died, (serving for a *Memento* to all the Sons of Intemperance.) How much of our *English Wine Measure* did this *Cup* contain?

III. QUERE 162. *By Mr. J. Lyon, of Margate.*

FROM whence derived the Custom of putting up *Laurel, Box, Holly, or Ivy*, in Churches at *Christmas*; and what is the Signification thereof?

IV. QUERE 163. *By the same Correspondent.*

WHERE was *Ethelbert*, the first King of *Kent*, buried?

V. QUERE 164. *By the Same.*

WHY does a *Glass Bottle* break when the Water in it is frozen, sooner than at another Time?

VI. QUERE 165. *By the Same.*

REQUIRED the Manner or Cause whereby freezing, or the congealing of Water is performed? Whether by the same Cause that Metals become solid and fluid?

VII. QUERE 166. *By the Same.*

WHAT is Sound?

VIII. QUERE 167. *By the Same.*

WHETHER *Railey, Dyche, Johnson, &c.* have given a true Explanation of the *Dog-Days*?

IX. QUERE 168. *By Philosophicus.*

WHETHER all hard Substances upon Earth would not be reduced to a Fluid Substance by a sufficient and constant Degree of Heat; since we find Water is condensed to Ice by Cold, and rendered a Fluid again by a sufficient and constant Degree of Heat? And whether the Sun's Body is not wholly a Fluid Substance, and that all hard Substances of the solar System falling therein are not reduced to a constant Fluid?

X. QUERE 169. *By the Palladium-Author.*

WHAT are the several Proportions of the Degrees of Heat in the planetary Bodies of our solar System, at the Times of their least or greatest Distances from the Sun?

* * * Whoever answers the following Quere before March next, has a Chance by Lot for 4, 3, and 2 Palladiums of Fame.

PRIZE-QUERE. *By Mr. James Ferguson, addressed to the Rev. Mr. J. Kennedy.*

SUPPOSE a Clock has three Hands on its Dial Plate; one of which goes round in 7 Days, another in 29 Days, 12 Hours, 44 Minutes, 1 Second, 45 Thirds, and the Third in 365 Days, 5 Hours, 49 Minutes. — If all these Hands are set together, at any given Point of the Dial-Plate, QUERE, How many Years, Months, Days, Hours, Minutes, Seconds, and Thirds, of Time, must revolve, before all the Hands can meet together again at the same Point?—The Meaning of which important QUERE by the ingenious Proposer

PALLADIUM OF FAME, 1765.

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Proposer is, If a New Moon happens at any given Time, viz. in a given Month, and Day of the Month, at a given Hour and Minute, and on a given Week-day, how long will it be before a New Moon happens again, at the same given Time, viz. Month, Day, Hour, &c. on the same given Week-day, according to the given mean or equal Motion?

N. B. We desire the Proposer will favour us with his own Solution, if he has one, to compare with the other Solutions to be sent us, that he may be a worthy Competitor for the Prize!

NEW PARADOXES.

I. Geographical PARADOX. By Mr. I. Tairat, of Epsom.

THERE is a certain Place upon this Globe where the Inhabitants have two Summers and one Winter, two Springs and one Autumn, within the Space of 365 Days.

II. Fools-Cap PARADOX. By Jack Catchum, Esq.

IN fourteen Circles Centers place
Just thirteen Authors†, in Disgrace;
Yet that they all shall so agree,
As each be in Periphery:
One in each Center fix'd — nor more —
Six Rows of three, and six of four.
Strange Things we find by Rows are DONE,
Which all the Wise and Prudent shun.
Suppose they thus were doom'd to dangle,
What is the Side‡ of each Triangle?

† Or Distributors of Fool's-Cap Hand-bills.

‡ The greatest Distance of any two of these Authors, at a Maximum, = 12 Yards.

NEW QUESTIONS.

I. QUESTION 297. By Mr. Thomas Sadler, of Newhall, near Wrenbury, Cheshire.

NEAR Nantwich Town now lives a beav'nly Fair,
Thither, ye Sons of Earth, in Haste repair;
There learn the Force of Wit and Beauty's Charms,
And Virtue, hourly guarding her from Harms.
There learn t' admire superior Reason, Sense,
The Pow'r of Wisdom, and of Eloquence!
All you can wish, in this bright Maid combine,
To make her lovely and appear divine!
Ye mighty Pow'rs, O grant me this Request,
In Hymen's Bands with her for ever blest!
Her Name, ye Artists, you by Skill may find,
From the Equations which are here subjoin'd.

Given

Given $\begin{cases} x+y+yz=78 \\ xy+y^2+x^2=324 \\ y^2x+zx^2=912 \end{cases}$ This amiable *Lady's Name* consists of 4 Letters in the *Alphabet*; the Value of the first Letter of her Name is represented by x , of the second and third by y , and of the 4th by z ; according to the Number of each Letter's Place in the *Alphabet*.

II. QUESTION 298. By Mr. Isaac Tarrat, of Epfom.

A spreading *Oak* adorns th' enamell'd Mead,
Where bleating Flocks retreat for cooling Shade;
The winged *Choir* their warbling *Antems* sing,
While the adjacent Groves with *Echos* ring.
With nicest Skill I *Observation* made,
To find the Tree's true *Height*, and Length of *Shade*;
The *Summit's* Distance, plus Ten Yards from me,
Equal the Length of *Shade* and Height of *Tree*.
The *Summit's* Distance, less the Height, explain'd
The Shadow's Length — the Double what remain'd.
From hence the Tree's true Height you may unfold;
And Shadow's Length from what above is told;
I at th' Extreme then of the Shadow stood,
By which my *Observations* I made good.

III. QUESTION 299. By Epfomius Amicus.

$$\text{GIVEN } \begin{cases} \sqrt[3]{w+x+y+z} = 12.03 = a \\ wx+yz = 15480 = b \\ wx+x = 10242 = c \\ \sqrt[4]{wx+y^2z} = 134.164 = d. \end{cases}$$

w represents the Year.

x the Month.

y the Day of the Month.

z the Hour P. M. when the above Person was born.

Required his Age, and the Time of his Birth.

IV. QUESTION 300. By Mr. Thomas Sadler.

GIVEN $\begin{cases} x^2y+y^2x=a=100 \\ x^3y^2+x^2y^3=b=1000 \end{cases}$ Required the Value of x and y by a quadratic Equation.

V. QUESTION 301. By the Same.

REQUIRED the greatest *Ellipsis* that can be inscribed in a Cone, whose *slant Side* is 40 Inches, and Superficies a Minimum: With the Investigation.

VI. QUESTION 302. By the Same.

FOUR Merchants fit out a Ship for the *East Indies*, and the Profits accruing from the Voyage amounted to 4000*l*. whereof A was to have $\frac{1}{3}$, B $\frac{1}{4}$, C $\frac{1}{5}$, and D $\frac{1}{6}$. When the Merchants received these Shares, just 200*l*. remained. Required a general and easy Method of answering all such Questions, for the Use of the Owners of Ships, and of Persons concerned in Partnership.

VII.

VII. QUESTION 303. *By Mr. Edward Johnson, Mathematical Master at Hull.*

Cases,

GIVEN $\left\{ \begin{array}{l} 1 \left\{ \begin{array}{l} x^2 + y^2 = z^2 \\ x^2 - y^2 = 1 \end{array} \right. \\ 2 \left\{ \begin{array}{l} x^2 + y^2 = z^2 \\ x^2 - y^2 = 1 \end{array} \right. \\ 3 \left\{ \begin{array}{l} x^2 + y^2 = z^2 \\ x^2 - y^2 = 1 \end{array} \right. \\ 4 \left\{ \begin{array}{l} x^2 + y^2 = z^2 \\ x^2 - y^2 = 1 \end{array} \right. \end{array} \right.$ Required 4 Values of x , and as many of y , all in whole Numbers, so as to answer the 4 Conditions of the Question, with a general Theorem for each particular Case.

VIII. QUESTION 304. *By the same Correspondent.*

IN the Equation $ax^2 + bx = d$, when $a = b + d$; then $x =$

$\frac{d}{a}$. Required the Demonstration.

IX. QUESTION 305. *By the Same.*

SUPPOSE a Ball be fired out of a Cannon perpendicular to the Horizon (in Lat. 54°) with a Velocity of 250 Yards per Second, to what Height will it ascend, and how long will it continue in Motion, and what will its Amplitude be, occasioned by the Earth's Rotation about its Axis?

X. QUESTION 306. *By the Same.*

GIVEN the Radius of a circular Quadrant $= 25$, to find the Sides of a right-angled Triangle circumscribing the same, the Area of the Triangle being double that of the Quadrant.

XI. QUESTION 307. *By the Same.*

GIVEN the Perimeter of a right-angled Triangle $= 34$ Chains, and a right Line drawn parallel to the Hypotenuse, dividing the Triangle into two equal Parts $= 11$ Chains, to find the Sides and Area.

XII. QUESTION 308. *By Mr. Thomas Walker, of Stanton-Bury, Bucks.*

REQUIRED the most easy and practical Rule or Method for finding the superficial Content of a Cylinder: Suppose of one whole Diameter $= 20$, and Length 60 Inches.

XIII. QUESTION 309. *By Mr. J. Lyon, of Margate.*

REQUIRED the Time of Sirius's Rising and Setting during the Dog-Days.

XIV. QUESTION 310. *By Mr. William Penn, of Chalfont.*

WHAT will be the Axis of a Globe, when the Solidity is in Proportion to the Superficies as 2 to 12?

XV. QUESTION 311. *By Mr. Isaac Tarrat.*

A Surveyor having measured a triangular Piece of Land, found the Sum of the three Sides to be 25 Chains, 50 Links, (per Gunter), the Perpendicular let fall upon the Base to be 5 Chains, 80 Links, and the Ratio of the two Segments to be as 3 to 5. Required the Sides and Area of that Field.

XVI.

XVI. QUESTION 312. *By Mr. T. Edwards, of Cheam, in Surry.*

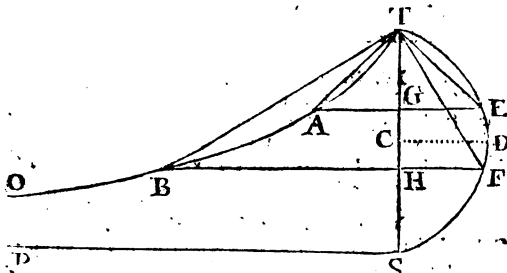
REQUIRED from *below* † what Money was paid
By a *Mercer* for Silk? — What it sold for in Trade?

$$† x\sqrt{y} + y = 2725.25l.$$

$$xy^2 + x^2y - \sqrt{xy} = 7711283.8774.$$

$\left. \begin{array}{l} x = \text{Sum he paid} \\ \text{for the Silk,} \\ y = \text{his Gain per} \\ \text{Ct. it sold for.} \end{array} \right\}$

XVII. QUESTION 313. *By Mr. Edward Johnson, of Hull.*



LET TDS be a Semi-Ellipsis, whose Transverse Diameter TS = 30, and Semi-Conjugate CD = 20. If from any Point E, in the Periphery, a right Line EA be drawn perpendicular to TS, and another right Line TA perpendicular to the Chord TE, the Point A will be in the Curve TABO: Also TB is perpendicular to the Chord TE, FB perp. to TS, and B another Point in the Curve. From whence it is required to find the Area of the finite Space TABOPST.

N. B. This Question admits of an elegant Solution,

XVIII. QUESTION 314. *By Mr. Thomas Sadler, of Cheshire.*

AN old Woman, of above Threescore and Ten,
Has buried four Husbands, and married again;
To MARTIN the Mugman — a Bagpipe rare!
And none can with him for his Music compare.
The Music he play'd — pleas'd th' old Woman much,
Till she hopp'd and the caper'd about without Crutch!
Though wrinkled and wither'd — no Tooth in her Head —
Yet Money she had — and she got married.
To his Bagpipe she mov'd, with one Foot in the Grave,
And all her Delight was a Husband to have!
The Sum of both Ages one Hundred Years are;
Makes the LEAST †, when his cub'd, adds to nine Times
her's square.

† A Minimum.

XIX.

XIX. QUESTION 315. By Mr. Thomas Marshall, of Blanchland, Palladium Champion.

FROM three Equations \dagger Ged. by Name;
One Fool's Cap Author, known to Fame;
And from three more \dagger disclose another
Distributor G , and confest rate Brother.

G Of Hand-bills against the Palladium, its Author, and the Correspondents.

$$\dagger x^2 + yx = 438$$

$$y^2 + xz = 38468$$

$$x^2 + yx = 28617$$

$$\dagger x^3 + yx = 5207$$

$$y^3 + xz = 3101$$

$$x^3 + yx = 9499$$

N. B. The Values of the Letters in the above Equations denote the Letters Places in the Alphabet, belonging to each Name; wherein x , y , and z , denote, respectively, the 1st, 2d, and 3d Letter.

XX. QUESTION 316. By the PALLADIUM-AUTHOR.

TO find the Dimensions of several right angled Triangles, such that the Area of each taken from the Sum of the three Sides (each being a rational Number) shall be a square Number; and to determine that Triangle which is a Maximum.

XXI. QUESTION 317. By Analyticus.

REQUIRED to find several Pairs of rational, or whole Numbers, such that half the Rectangle of any two being subtracted from their Sum, the Remainder shall be a square Number; and the Sum of their Squares shall be a square Number. To give the Invention. Or to find the Perpendicular and Base of such rectangled Triangles, in rational Numbers, with the Hypotenuse a rational Number, that the Area being taken from the Sum of each Perpendicular and Base, shall leave a square Number.

G Whoever truly answers the following Question by the 1st of March next, has a Chance by Competition or Lot to win the Prize Palladiums of Fame, equivalent in Value to the former Prize Palladiums.

PRIZE-QUESTION. By the PALLADIUM-AUTHOR.

REQUIRED the Date of the Year current, before or since Christ, the Month, Day, Hour, &c. when an ECLIPSE of the Sun happened the nearest of all others, since Creation, to the vernal Equinox: And the Time also, before or since Christ, when an ECLIPSE of the Moon happened the nearest of all others to the autumnal Equinox. According to the Tables in the Royal Astronomer and Navigator.

G Mr. J. Scott, of Crewtherm, proposed two Questions.

ANSWERS to the ÆNIGMAS in the PALLADIUM, 1764.

I. A COURTESY.	VIII. TIME.
II. LOVE.	IX. DIRT.
III. AN HOUR GLASS.	X. SMOKE.
IV. DARKNESS.	XI. A HORN.
V. MAN.	XII. A LANCET.
VI. A LANTHORN.	XIII. A SHEPHERD'S CROOK.
VII. THE ALPHABET.	Prize. HABLEQUIN.

All the ÆNIGMAS answered by Mr. Sadler, of Newhall, Cheshire.

BEHOLD old TIME, with *Scythe* and fabled GLASS, 8. 3.
 Point out to *Man* how fleeting Minutes pass;
 Whilst he pursuing empty Noise and Strife,
 In sensual Pleasures wanders out his Life.
 Luxuriant Fields and rural Bowers may please
 The *Rustic's* Thought, transport him diff'rent Ways,
 Unknown to Joys of *Pallas's* Retreat,
 He wanders wild, nor seeks the *Temple* Gate.
 Let Others, of a more exalted Mind,
 Search out the *Temple*, the *Palladium* find,
 Extatic Thoughts will all his Hours employ,
 And Contemplation of unbounded Joy!
 — Let Men of Wit and Genius daring climb,
 And mount the Hill *Palladium* so sublime!
 And breathe the Air of Truth divinely pure,
 (*O for that Joy what Pains could I endure!*)
 But should base Foes these Arts in DARKNESS lay, 4.
 As *Sinon's* Craft did once old *Troy* betray,
 What Grief sufficient could such Loss deplore,
Science, and Arts, and Troy, are now no more!
 — Let *Individuals* of the human Race
 Avert from hence such national Disgrace;
 Improve each other, great *Designs* pursue,
 Applaud the *Wisdom* of the worthy *Few*;
 Baffle the Scheming of the wicked Great,
 Their Ways confound, and all their Works defeat.
 — But hold, my Mue, let *Science* bear the Sway,
 In these *Vesperian* Climes, with cheering Ray;
 DART forth, and guide our emulating Youth, 12.
 In bright Effulgence, Virtue, Reason, Truth;
 Employ for Thousands *Sciences* will bring,
 Adorn a Peasant, dignify a *King*.
 The MAN who cultivates the fertile SOIL, 5. 9.
 And Bows to Science, finds a pleasing *Teil*. 1.
 Let *Damon* leave his LANTHORN, HORN, and CROOK, 6. 11. 13.
 To gain a Sight of *Science's* famous Book,
 And

And learn to form the *Geometrician's* Plan,
Which *Newton* with unrivall'd Skill did scan.
How blest by *Art* has Man's great Offspring been,
Though oft deceiv'd by Tricks of *HARLEQUIN*. *Prize.*
Science will mount the wand'ring Thoughts on high,
Make Men, like Sparks, or *SMOKE*, ascend the Sky. 10
O Science pure, the *Muses* FOND DELIGHT, 2.
Inspir'd by thee, what *LETTERS* could I write ! 7.

The PRIZE-ÆNIGMA answered by the Same.

THE World's a Stage, the People *Actors* are,
Strange *Scenes* they have, to make strange *Things* appear ;
Strange *Characters* they act in ev'ry Part ;
No *HARLEQUIN* can copy Half their Art. *Prize.*

The PRIZE-ÆNIGMA answered by Rosalinda.

WHAT ! because *Garrick's* fled, must *HARLEQUIN* likewise
Forsake the Stage, and turn *Palladium-Prize* !

The *Prize-Ænigma* was also answered in Verse by Mr. *Thomas Walker*, of *Stanton-Rury, Bucks.* — Mr. *Sadler* claims the 2 *Prize Palladiums*, and *Oedipus*, of *Cambridge*, whose Verses were too long to insert, claims the other 4 *Prize Palladiums*.

All the ÆNIGMAS answered, in a Description of the EVENING, by
Mr. Ozwin Sutton, of Epsom.

IN Cogitation deep my *NAILS* I bite, 9.
In Search of *Subject* proper to indite ;
Invoke the *Muse* to aid me in a Strain,
To paint the sable *Evening's* solemn Reign ;
Tell how the Skies now blush with parting Light,
And tip with Gold the lofty Mountain's Height ;
How *Shepherds* with their *CROOKS* trip o'er the Plain ; 13.
To meet the *COURTEOUS* Nymphs and tell their PAIN ; *Alluding*
In harmless Mirth how form the jocund Ring, [to 1. & 2.
Chant *Early HORN*, or *Nancy Dawson* sing, 11.
Record the dewy Hills where Lambkins graze,
The curling *SMOKE* that from the Cot essays ; 10.
How *SHEERING TIME* does keep his stated Round ; *Alluding to* 12.
How *Britain's* Treasure in the Fleece is found. [8.
The lengthened Shade now indicates the NIGHT, 4.
And plumeless Bats prepare their Wings for Flight ;
The patient Anglers, who the Rivers roam,
The dusky Hour now warns them to their Home. *Alluding to* 3.
The *Thrush* and *Nightingale* their Notes now raise,
Their *Vigils* keep, and sing their Maker's Praise.
O happy MAN who, in the Close of Life, 5.
Distant from *Courts*, and *COMEDIES*, and Strife ; *Alluding to Pr.*
Can thus serenely pass his Time away,
Read Nature's Book, and her great Lord obey. 7

Jacques de Epfom's Reply to CLOE, on her asking him if he loved her.

I love thee <i>Clæ</i> — but LANGUAGE fails —	7.
More than Bees LOVE flow'ry Vales ;	2.
More than <i>Cæsar</i> lov'd his LAURE ;	12.
More than Ladies Birth-night DANCE ;	1.
More than <i>Fribble</i> loves himself ;	
More than Misers DIRTY Pelf ;	9.
More than <i>Maids</i> the Wedding Morn ;	
More than Sports-MEN <i>Early</i> Horn ;	5. 11. 6.
More than Poets AIRY Lines ;	10.
More than Statesmen DARK Designs ;	4.
More than <i>Sylvia</i> loves her CROOK ;	13.
More than <i>Hinds</i> the welcome Brook ;	
More than Belles the flatt'ring GLASS ;	3.
More than Kine the bladed GRASS ;	
More than <i>Sots</i> to spend their TIME ;	8.
More than <i>Hall</i> loves COLOMBINE ;	Prize.
More, I say, than Misers Store ;	
More than Self — Can I say more ?	

TASTE.

ANSWER to the *ÆNIGMAS*, by Mr. John Clarke, of Lincoln.

HAIL! Goddess Fortune! wouldst thou grant	
A COVETOUS Favour, which I want ;	1.
Which is, in <i>Fact</i> , a small Retreat	
From envious <i>Factions</i> of the Great.	
A pleasant Cottage on a Hill,	
A shady Grove, a purling Rill ;	
Here and there a fine Plantation,	
And Love-ly View for Contemplation ;	2.
About six Furlongs from the Sea,	
Such is the Distance I would be.	
There view with Pleasure, I would fain,	
<i>Commerce</i> , with her noble Train,	}
Gliding o'er the liquid Plain.	
Bless'd with Peace of Mind and Health,	
I'd envy not the Miser's Wealth,	
Nor the States-MAN's darling Row'r,	5.
For which he's anxious ev'ry Hour.	3. 8.
In <i>Summer</i> 's Evenings clear and fine,	
When brilliant <i>Sol</i> is on Decline,	
E'er NIGHT her Mantle can unfold,	4.
The SHEPHERDS pipe their Flocks to Fold,	12.
And with their Fair trip o'er the Green,	
Like <i>Colombine</i> and <i>HARLEQUIN</i> .	Prize.
To make my Happiness complete,	
A Friend I'd chuse in my Retreat ;	
To crack a <i>Joke</i> , and tell a Tale,	
And SMOKE his Pipe, o'er Nut-brown Ale.	10.

A well-chose LIBRARY there should be,
To entertain my Friend and me.
O grant me, *Fortune*, this Request,
Then who, like me, would be so blest!

7-

6. LANTHORN. 9. DIRT. 11. HORN.

ANSWERS to all the QUERIES in the PALLADIUM 1764.

I. QUERE 152, answered by Mrs. Ann Abby.

PLINY says, a Citizen, qualified for equestrian Dignity at Rome, must be worth 400 *Sestertia*, = 10 3229 *l. Sterling*; at this Rate, Cleopatra's Pearl must be worth 807 *l. 5s.*

Other Authors make it near 100 Times as much, viz. 78 Thousand and odd Pounds. Who must we rely on?

The same answered by Mr. J. Lyon, of Margate.

BY Chambers's *Cyclopaedia*, the *Sestertium* = 8 *l. 1s. 1 d. 1/2*, which multiplied by 100, = 805 *l. 12 s. 6 d. Sterling*, the Value of the Pearl which Cleopatra dissolved and drank for her Breakfast.

Remark. The Queen of Prostitutes, late of Covent-Garden, (but since washed clear of her Stains by holy Water,) is said to have eaten a 50 *l. Bank-Note*, between her Bread and Butter, for Breakfast.

II. QUERE 153, answered by Mr. Thomas Walker.

THE *Hony*, or *Mildew*, proceeds from too great an Exhalation, or Transudation, from Plants; which brings on the gummy or resinous Substance contained in the Body of the Plant or Leaf. And this gummy Substance, by stopping up the Pores, stifles the Perspiration, and thus kills the Leaves; or else, by making them a proper *Nidus* for the Eggs of *Insects*, these produce young ones, which prey upon the fine Fibres of the Plant or Leaf, and by that Means destroy it.

Mr. J. Lyon gives much the same Account of the *Hony*, or *Mildew*.

III. QUERE 154, answered by Mrs. Ann Abby.

BY Experiment, it is found that the Atmosphere, near the Earth, is warmer than the exterior Part. It is also found, that the Atmosphere is more compressed in clear than in cloudy Weather: Consequently, the more the Atmosphere is compressed, or the clearer the Air is, the more intense the Cold or Frost must be.

Mr. J. Lyon, of Margate, answers it in the same Manner.

Mr. T. Walker observes, that Nothing is more generally known to one who is but little acquainted with natural Philosophy, than that Moisture in the Atmosphere prevents freezing, and it is evident it must be fuller of Moisture when thick and hazy than when clear. That we may be convinced of this, by observing, that in a small Island, where the Atmosphere is frequently replete with moist Vapours from the neighbouring Ocean, Frost and Snow seldom continue for any long Time.

Remark.

Remark. This is observed in the *Islands of Scilly.*

IV. QUERE 155, answered by Mr. T. Walker.

BY 4th Chap. 2 Chron. Solomon's molten Sea was 10 Cubits over from Brim to Brim, 5 Cubits deep, and 30 Cubits round: But whether the Words "round in Compass" signified circular, or elliptical, is a Doubt; though the Dimensions given imply the latter, Were it circular, a Solution to this Quere may be seen in *Lad. Diary* 1729, P. 6. But being considered elliptical, this Solution obtains.

First, from the given Periphery and Transverse Diameter, the Conjugate will be 9,088 Cubits.

Cubits. 1q. in 1 Cubit.
Then, 10 X 21,888 = 218,88 = Transv. Diam.
9,088 X same = 198,9093 = Conjugate.
5. X same = 109,44 = Depth.

Solid Inch Content.

Now, 218,88 X 198,9093 X 109,44 = 3742375,51816.
Gallons.

And, { 5,002785 } fixed } Ale = 10422,5152 Ale.
3742375,51816 X { 5,003399 } Xrs for } Wine = 12720,3343 Wine
Mr. J. Lyon, of Margate, in Kent; says, Diam. = 10 Cubits
each = 1 ½ Foot) = 5 English Feet; Depth = 5 Cubits = 7 ½
Feet; its Thickness a Hand's Breadth = 3 Inches.

A different Account of its Dimensions is given, 1 Kings, Chap. vii. V. 26. In the former Account, it is said to hold 3000 Baths; in the latter only 2000: But this Difficulty is thus cleared. The one speaks of what it would hold, filled to the Brim; the other of the Contents in common Use, for the Priest to bathe in who offered the burnt Offering. See *Levit. Chap. xvi. Ver. 28.* and *Numb. Ch. xix, V. 7.* (According to the Lord Bishop of Peterborough's Calculation, the Bath contained 975 Gallons.)

1st. 3000 X 9,75 = 19250; ÷ 63 = 464 . 18 } Wine
2d. 2000 X 9,75 = 19500; ÷ 63 = 309 . 33 } Measure.

Mr. Thomas Sadler, making the Molten-Sea a Hemisphere, and not a Cylinder, determines its Content, according to that Principle, to be 9735,06 Ale Gallons, or 11884,36 Wine Gallons. Being 154 ½ Hogsheds of Ale, or 188 ½ of Wine.

V. QUERE 156, answered by Mr. Lyon, of Margate, Kent.

ONE Master Passion reigning in the Breast.

Like Aaron's Serpent, swallows all the Rest. POPE.

But an unbounded Avarice is the most opposite to Reason. Though Ambition, Love, Pride, &c. are other prevailing Passions. Artificial Avarice not only with-holds the Necessaries of Life from being enjoyed, but denies that Satisfaction which Nature requires, and resists with extreme Pain, to hoard up immense Sums, which the Hoarder is Nothing the better for. But according to Horace,

An vigilare metu exanimem noctesque diesque,

Formidare malos fures, incendia, servos,

Ne te compilent fugientes. ———

VI. QUERE 157, answered by Mr. William Wells, of Cadthorpe, near Hull.

THE Querist, in comparing the 13d of *Genesis* with the 7th of *Acts*, seems to mistake in his Scripture History. In the former, *Abraham* bought a Field, &c. for a Burial-Place of *Ephron*, a *Hittite*; but we do not find that *St. Stephen* mentions any such Place in the *New Testament*; who has mentioned that Piece of Land which *Jacob* bought of *Hamor*, the Father of *Sycum*, (*Gen. xxiii.*) though in *Acts* it is said that *Abraham* bought. But this is an Error of the Copies, or *St. Stephen* means the Posterity of *Abraham*. See *Stackhouse's History of the Bible*.

VII. QUERE 158, answered by the Palladium-Author.

BECAUSE it does so — There being no Reason to be given for many Effects produced by one Substance upon another, whereof the Mind has no adequate Ideas; which occasioned *Mr. Lock's Chapter* on the Extent of human Knowledge. For there are certain Bounds at which the Mind is forced to stop, and can proceed no farther, in its Enquiries after real Knowledge, viz. at where our Ideas stop, and go no farther. And such is the Case in most of our Knowledge about the *Essences*, *primary Qualities*, and *Effects* of Substances, whereof we know Nothing but from Experiment. The Cause of the *magnetical Variation*, Effect of *Gravity* on Bodies, descending according to the *Squares* of the Times, the *specific Quality* of *Jesuit's Bark* to cure an *Ague* or intermitting Fever, *Mercury* an *antivenereal Remedy*, or any Counter-poison, &c. would have the same Answer to the same why, viz. Experiment only shews the particular Effects, of which Operation the Mind has no adequate Idea, nor has a Power to acquire any, because of the Limits of human Knowledge. It could as soon be answered why every created Thing or visible Substance wears such and such peculiar Form, or why Man, and every Kind of animal Species, had no other Form than that whereby they now exist. — Or why *Hemlock*, or other poisonous Bodies, should produce such Effects; why some Men are rendered wise, some mad, or some otherwise, by natural or supernatural Causes.

PRIZE-QUERE answered by Mr. Isaac Tarrat, of Epsom.

THE *Turkish Hegira* begun when *Mahomet* fled from *Mecce* to *Medina*, by historical Authority, on the 16th of *July*, 622, since *Christ*, *Julian Account*, or old Style, which (by *Tables*, P. 112, *Pal.* 1764) was on a *Friday*, the Dominical Letter being B, for that Year.

Now, the 16th of *July*, 622, *Julian Style*, (by *Tab.* P. 4, *Pal.* 1763) answers to the 19th of *July*, 622, *Gregorian Style*, + 3 Days Difference between Old and New Style) answerable to the 1st Day of the *Turkish* first Month, *Mubarram*, on a *Friday*.

PALLADIUM OF FAME, 1765.

To find the mean New Moon, in July, 622, current, since Christ.

By Precept in Pall. Supp.

for 1764, P. 21.

1722, O. S.

P. 24. Mot. for July

Mean New Moon Jan.

d h m s

5 22 24 33

25 17 8 21

Mean N. D, 1722, July

P. 23. Mot. for 1100 Yrs. —

31 15 32 54

18 5 15 33

Mean N. D, 622, fin. Cbr. July 13 16 17 21

Hence, the Moon's Age, the 16th of July, 622 current since Christ, was 3 Days, or 2 from the 14th of July, true New Moon, Morn. Vernal Equinox the 20th of March, autumnal Equinox the 23d of September, 1764, by the Royal Astronomer, whence, P. 150, the Golden Number for that Year = 17. And, by Tab. P. 184, March, Golden Number 10, when New Moon is nearest March 20, to which Golden Number answers 1757; and by Tab. P. 187, Sept. Golden Number 16, when the Full Moon is nearest Sept. 23, to which Golden Number answers 1763. — Hence, according to mean Motion { N. D and Vernal } Equi- { Mar. 20, 1757 } nearest to { F. D and Autumnal } max { Sept. 23, 1763 } 1764.

The same was likewise answered by Mr. T. Sadler and Oxoniensis, being the 3 Competitors for the Prize. — The Lots being drawn, the first Prize, of 4 Palladiums, fell to Oxoniensis. The Prizes being again drawn, the second, of 3 Palladiums, fell to Mr. Tarrat, and the third, of 2 Palladiums, of Consequence to Mr. Sadler, of Newball, Cheshire.

ANSWERS to the PARADOXES for 1764.

I. PARADOX answered by Mr. T. Walker, the Proposer.

A Place under the Equator, where the Sun has no Declination. On the 20th of March, the Sun is due East all the Forenoon, and due West all the Afternoon, and is not vertical, or upon the Meridian, till about $7\frac{1}{2}$ Minutes past 12, equal or Clock Time; consequently the Sun is due East at 12, under the Equator, on the 20th of March.

Mr. Isaac Tarrat, of Epsom, answered it in the same Manner, Mr. Thomas Sadler, and Others.

II. PARADOX answered by Mercator.

BENEAP'D before Oporto Bar,

Our Vessel ran a-Ground;

Got off, next Tide, each honest Tar,

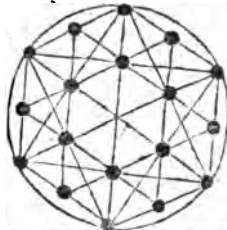
In Port, drank Wine, all-round.

* Having only Water on Board.

HT:

III. PARADOX answered by Mr. Isaac Tarrat.

SHKEWD Necromancer, Joan-a-Noke,
I thought your Paradox a Joke,
And that you had a Mind to probe us,
Or puzzle Mr. Tantarabobus,
But, by some Trials since I find
It may be done as here subjoin'd.



N. B. The Second Paradox proposed by Mistake from Memory, (as remarked in P. 106, *Pal.* 1764,) is not like copying *Ænigmas* or *Questions*, not understood by the Copier, to impose a false Character and Abilities on the Reader's Understanding.

ANSWERS to the QUESTIONS in the PALLADIUM, 1764.

I. QUESTION 268, answered by Mr. T. Edwards, of Cheam, Surry.

PUT x = the Year, y = Day of the Month, z = Hour past Noon, and $1\frac{1}{2} \times z$ = Month from January.

$$\text{Given } \begin{cases} 1 & x+y+z = a = 1733. \\ 2 & x^2+y^2+z^2 = b = 2910913. \\ 3 & xyz = d = 214956; \text{ here } 2xy = \frac{2d}{z}. \end{cases}$$

$$\begin{array}{ll} 1-x \text{ @ } 2 & 4 \quad x^2+2xy+y^2 = a^2-2ax+x^2. \\ 2-4 & 5 \quad x^2-2xy = b-a^2+2ax-x^2. \\ 5, \text{ its Value fr. } 3. & 6 \quad x^2-2dx = b-a^2+2ax-x^2. \end{array}$$

$$\text{Reduced } 7 \quad x^3 - ax^2 + \frac{a^2-b}{2} \times x = d. \text{ Solved } x=6.$$

$$3 \div yz \quad 8 \quad x = \frac{d}{yz} = a - x - y, \text{ by 1st.}$$

$$\text{Whence } 9 \quad y = \frac{a-x}{2} \mp \sqrt{\frac{x-a^2}{2} - \frac{d}{x}} = 21. \text{ Con-}$$

sequently $x = 1733 - 6 - 21 = 1706$. Hence, Mr. Tarrat. was born in 1706, September 21, at 6, P. M.

In the same Manner it was answered by Mr. John Probert of Bow-School; Mr. Johnson, of Hull; Mr. Tarrat, of Epsom, the Proposer; Mr. William Pen, of Chalfont; Mr. John Swan, of Buxton Free-School, Derbyshire; Mr. J. Lewis, Mr. Thomas Sadler, Mr. Thomas Walker, and several Others.

V. QUESTION 272, answered by Mr. Edward Johnson,

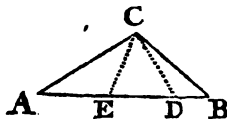
PUT $AB = 14 = b$; $AC = 10 = a$; $BC = 7 = c$; and

$$b - c = d. \text{ Then } \frac{a^2 - d^2}{2bc} = \frac{51}{196}$$

$= ,260304$, the versed Sine of 42°

$17' = \angle B$, whose nat. Sine call s ;

and put $m = \text{nat. Sine } 60^\circ \angle D$;



whence, by Trigonometry, $m : c :: s : \frac{c}{m} = 5,438 = CD =$

$ED = CE$, the Side of the equilateral Δ sought; and its Area is

$$\frac{c^2 \cdot s}{2m} = 12,804 \text{ Chains. W. W. R.}$$

Mr. Isaac Tarrat observes, that it is evident, the Perpendicular to the inscribing and inscribed equilateral Δ will be the same, which, by Trigonometry, he says is found $= 4,4$. And thence, $5,44$ the Side of the equilateral Δ required.

Mr. B. Steppford, of Cowthorne School, Yorkshire, finds by an easy Process the Side of the equilateral $\Delta = 5,4385$, and its Area $= 12,807$, confirming the foregoing Numbers.

Mr. William Wells finds the Side of the equilateral $\Delta = 5,44$, and Area $= 12,784$, in which Mr. William Pen, of Gbalfont, agrees, and some Others. Mr. Sadler solved it.

VI. QUESTION 273, answered by Mr. Isaac Tarrat.

$90\frac{1}{2} \times 90\frac{1}{2} = 8122,251,625$, which, divided by 160 , the Poles in an Acre, gives $50,76097609$, whose Square Root $= 7,1246$ Yards. Again $220 \times 22 = 4840$, whose Square Root $= 69,5701$ Yards, required, exactly agreeing with Mr. William Penn's Numbers.

Mr. T. Walker's Process is exactly the same as Mr. Tarrat's, agreeing to a Decimal in the 7th Place; and also agreeing in Method and 1st Multiplication. — We should be more obliged to our Correspondents in general for Solutions sent us independent on one another, that we might rely on a Comparison of the independent Results.

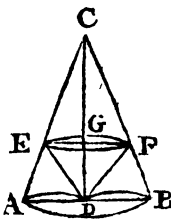
Mr. Sadler solved it.

VII. QUESTION 274, answered by Mr. Johnson, of Hull.

PUT $d = ,5236$, $a = \text{Axis of the Globe}$. Then, by Question, $da^3 = 1728a$;

$$\therefore a = \sqrt[3]{\frac{1728}{d}} = 57,4476. \text{ Now put } E$$

$x = GF$; then $CE = \sqrt{x^2 + ax}$, and $CD = a + x$. But, by similar Δ s, $CE : EO ::$



CD : AD = $\frac{\overline{x+a} \times a}{2\sqrt{xx+ax}}$, whence $AD^2 \times CD = \frac{a^2}{4} \times \frac{\overline{x+a}^2}{x}$, a Minimum. The Log. of the variable Part is $2 \times$ the

Log. $x+a = \text{Log. } x$, whose Fluxion is $\frac{2\dot{x}}{x+a} - \frac{\dot{x}}{x} = 0$, whence

$x = a$, that is, $CF = FD$, $\therefore CD = 2a = 114,895$; and AB

$= a\sqrt{2} = 81,2436$, the required Dimensions.

N. B. The Solidity of the Cone is to that of the Globe as 2 to 1.

Mr. Walker, by a different and more difficult Process, determines the Value of the Cone's Altitude $= 81,2764$, shewing, at least, that both independent Solutions are true.

Mr. Isaac Tarrat, of Epsom, solved it; as did Mr. Sadler, Mr. John Clark of Lincoln, and Others.

VIII. QUESTION 275, answered by

Mr. Edward Johnson, of Hull.

PUT $CD = 30 = a$, $AB = 24 = b$, $DG = x$, and $CG = a-x$.

Then, $a : b :: a-x : \frac{b}{a} \times a-x$

$= EF$, and $a \times a-x = a$ Maximum. In Fluxions and reduced, $x =$

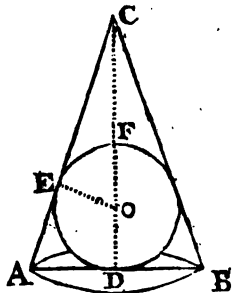
$\frac{a}{3} = 10$; and $EF = \frac{2b}{3} = 16$,

whence the Solidity $= 670,208$.

W. W. R.

Mr. Tarrat answered the same, and informs us that this Question was meanly taken from *Martin's Magazine*. Mr. Thomas Walker solved it by a true, but less artificial, Method.

The same was answered by Mr. William Penn, Mr. Thomas Sadler, Mr. B. Skipford, Mr. James Taylor, at Low Crompton, near Oldham, Lancashire, each making the Cone's Height 10, and Solidity 670,208.



IX. QUESTION 276, answered by NOBODY.

X. QUESTION 277, answered by Mr. Edward Johnson, of Hull.

THE Latitude arrived in appears to be between 28° and 29° N. Therefore, by the Tables in the *Royal Astronomer*,

Lat.

Lat. Land's End	50° 6' N.	Merid. Parts.
Suppose Lat. failed to	28 40 N.	3484
		1797
Diff.	21 26	1687 = D.
	60	

Diff. Lat. 1286 = d .

Put $s = 5413$, Sum Diff. and M. Diff. Lat.

$L = 4615$, given Diff. Longitude.

Then the Distance is = $d \sqrt{\frac{L^2}{D^2} + 1} = 3745.7$

But $D = 1687.0$

Sum = 5432.7

$s = 5413.0$

Error too much 19.7

Now, suppose Lat. failed to 28° 50' N. and proceed as before, you will find the Error 1 Mile too much. Whence, by the common Method of proceeding, Lat. failed to is found = 28° 50' 30" N. Course, 70° 2' 48", Distance = 3737.5 Miles, and Diff. Lat. = 1275.5 Miles. W. W. R.

Mr. J. Lyon's Answer, of Margate.

BY *tabular Rules*, P. 305, *Royal Astronomer and Navigator*, he assumes a Course, and finds it by *Trial and Error*.

Mr. James Taylor, of Low Crompton, near Oldham, Lancashire, answered it.

XI. QUESTION 278, answered by NOBODY.

XII. QUESTION 279, answered by Mr. T. Walker, of Newport-Pagnel, Bucks, according to the Method by Chesterfieldensis, the late Professor.

CASE 1. $ax^2 + b^2$ must be a Square, whose Root call $vx \pm b$; then, $ax^2 + b^2 = v^2x^2 \pm 2vxb + b^2$; whence $x =$

$\frac{2vb}{a - v^2}$ (where v is the assumed Quantity) an UNIVERSAL THE-

OREM for Case 1.

CASE 2. $ax^2 - b^2$ must be a Square, which must be thus ordered before the Root is assumed, viz. $x^2 = \frac{x^2 + b^2}{a} = \frac{ax^2 + ab^2}{a^2}$,

a Square; the Root of whose Numerator call $vx \pm b \sqrt{a}$, then,

$$ax^2 + ab^2$$

$ax^2 + ab^2 = v^2x^2 \pm 2vab\sqrt{a} + b^2a$; from whence, $x = \frac{2vb\sqrt{a}}{a-v^2}$, an UNIVERSAL THEOREM for *Case 2.* — Where

note, that a must be a square Number, to have the Answer in *rational* Numbers, which otherwise is impossible, except in particular *Cases.*

CASE 3. $ax^3 + b^3$ must be a *Cube*, whose Root call $vx + b$; then $ax^3 + b^3 = v^3x^3 + 3v^2x^2b + 3vxb^2 + b^3$; hence $x^2 - x$

$$\frac{3v^2b}{a-v^3} = \frac{3vb^2}{a-v^3}; \text{ or } x^2 + x \frac{3v^2b}{v^3-a} = \frac{-3vb}{v^3-a}, \text{ according as}$$

the Quantity v^3 is assumed less or greater than a ; each of which Equations have two Roots, the first, one affirmative and one negative; but the last Equation has two negative Roots, therefore the affirmative Root in the first, will only serve our Turn in the present

Enquiry, and is $x = \frac{\sqrt{12avb^2 - 3v^4b^2} + 3v^2b}{2a - 2v^3}$, an UNIVER-

SAL THEOREM for the 3d *Case.*

CASE 4. $ax^3 - b^3$ must be a *Cube*, whose Root call $vx - b$; then $ax^3 - b^3 = v^3x^3 - 3v^2x^2b + 3vxb^2 - b^3$; hence $x^2 - x$

$$\frac{3v^2b}{v^3-a} = \frac{-3vb^2}{v^3-a}, \text{ or } x^2 + x \frac{3v^2b}{a-v^3} = \frac{3vb^2}{a-v^3}, \text{ according as}$$

v^3 is assumed greater or lesser than a , each of which Equations have likewise two Roots, the former of which has two affirmative Roots, but the latter one affirmative and one negative, but although the first Equation produces two affirmative Roots, each of which will also serve our Turn in the present Enquiry, yet the affirmative Root in the last will not, therefore the two affirmative Roots of the

first Equation are $x = \frac{3v^2b \pm \sqrt{12avb^2 - 3v^4b^2}}{2v^3 - 2a}$, an UNI-

VERSAL THEOREM for the 3d *Case.*

Now, if the two last Theorems be both thrown into one, they will

stand thus, $x = \frac{3v^2b \pm \sqrt{12avb^2 - 3v^4b^2}}{2v^3 - 2a}$, an UNIVERSAL

THEOREM for both the 3d and 4th *Cases.*

But let each Theorem for the 1st and 2d *Cases* be divided by b ,

and you will have $x = \frac{2v}{a-v^2}$ and $x = \frac{2v\sqrt{a}}{a-v^2}$; likewise let b be

cast out of the last universal Theorem for the 3d and 4th *Cases*, and

it will stand thus, $x = \frac{3v^2 \pm \sqrt{12av - 3v^4}}{2v^3 - 2a}$.

Now,

Now, in the *Theorem* for the 3d *Case*, when $a = 7$, then $x = 10$ and $z = 20$; when $a = 26$, then $x = 10$ and $z = 30$; when $a = 49$, then $x = 15$ and $z = 55$; when $a = 63$, then $x = 10$ and $z = 40$; when $a = 91$, then $x = 20$ and $z = 90$; when $a = 124$, then $x = 10$ and $z = 50$; and when $a = 215$, then $x = 10$ and $z = 60$.

And in *Case 1. Theorem 1.* when $a = 7$, then $x = 30$ and $z = 30$; when $a = 26$, then $x = 100$ and $z = 510$; when $a = 49$, then x and z have no integral Values, because 49 is a square Number, no two integral Values differing so little as Unity. When $a = 63$, then $x = 160$ and $z = 1270$; when $a = 91$, then $x = 28$ and $z = 172$; when $a = 124$, then $x = 12$ and $z = 134$; and when $a = 215$, then $x = 30$ and $z = 440$.

And in *Case 4. Theorem 4.* when $a = 9$, then $x = 10$ and $z = 20$; or $x = 5$ and $z = 5$; when $a = 13$, then $x = 15$ and $z = 35$; when $a = 19$, then $x = 30$ and $z = 80$; when $a = 28$, then $x = 10$ and $z = 30$; when $a = 65$, then $x = 10$ and $z = 40$; when $a = 126$, then $x = 10$ and $z = 50$; or $x = 2$ and $z = 2$; and when $a = 152$, then $x = 15$ and $z = 80$.

Now as to *Case 2. Theorem 2.* it is useless here, for when $a = 9$ the said *Theorem* will exhibit a rational Value of x and z , yet no integral ones, for the Reason above given.

Therefore, to find how many INTEGRAL Values x and z have to the abovesaid Values of a , I proceed thus: Let $13x^2 - 1 = z^2$ if possible $= 9x^2 + 6xb + b^2$; then $4x^2 - 1 = 6xb + b^2$; here $2b7x7b$. Let $b + c = x$; then $3b^2 + 1 = 2bc + 4c^2$, here $2c7b7c$. Let $c + d = b$; then $3c^2 - 1 = 4cd + 3d^2$; here $d = 1$; then $x = 5$ and $z = 18$; which Values of x and z being multiplied by b or 10 give $x = 50$ and $z = 180$, the Values sought. — By proceeding thus with all the remaining Values of a , I find only one of them to succeed, viz. when $a = 65$, then $x = 2570$ and $z = 20720$, this second *Case* being impossible to all the other Values of a , (found as above.)

N. B. When one Value of x and z is found in *Cases 1. and 2.* infinite others are thence deduced. *Plaudite!*

XIII. QUESTION 280, answered by Mr. Thomas Walker, of Newport Pagnel, near Stanton-Bury, Bucks.

PUT $t = \text{Tang. } 21^\circ 24' = \text{Sun's Declination on July 16, and } v = \text{versed Sine } 6^\circ 24'$; then will $2t^2 + v = ,3126426 = \text{versed Sine } 46^\circ 34' 43''$, whose Half $= 23^\circ 17' 21''$, to which adding the Half of $6^\circ (= 3^\circ)$ gives $26^\circ 17' 21'' = \text{ascensional Difference in the greater Latitude. Again, say, as Tang } 21^\circ 24' \text{ to Sine } 26^\circ 17' 21'', \text{ so Radius to Tang. } 48^\circ 29' 47'' = \text{the greater Latitude; and the lesser Latitude} = 41^\circ 30' 12''$. W. W. R.

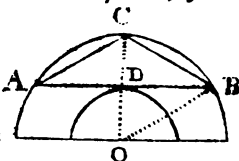
Mr. Edward Johnson's Answer. — Put $t = \text{Tan. Decl. } 21^\circ 27'$, $v = \text{versed Sine } 6^\circ (= 24^m \text{ of Time.})$ By Spherics, $2t^2 + v = ,31422$ the versed Sine $46^\circ 42'$, which add to 6° , and take Half the Sum, we get $26^\circ 21' = \text{the ascensional Diff. in greater Lat. whose}$

whose Sine call x . Then $\frac{1}{x} = 1,12968 = \text{Tan. } 48^\circ 29'$, the greater Latitude, whose Complement $= 41^\circ 31'$, the lesser Latitude sought.

N. B. The Truth of this Solution is easily proved by the Tables, P. 202 and 203 of the *Royal Astronomer*.

XIV. QUESTION 281, answered by Mr. Edward Johnson, of Hull.

SINCE $AO = OC = 60$, and $OD = 30$, it is evident, CD is also $= 30$; and therefore $\triangle OAC$ is equilateral, and $= \triangle ACB$. Consequently, the Area of $\triangle ACB$ is $=$



$$OD^2 \times \sqrt{3} = 30^2 \times \sqrt{3} = 1558.845. \text{ W. W. R.}$$

Mr. James Taylor, of Low Crompton, near Oldham, Lancashire, determines the same Area exactly, and the other Requisites, by a concise Process.

Mr. Tarrat's Solution to the same.

GIVEN $CO = 60$; $OD = DC = 30$; the Radii OD and OC being drawn, draw ADE , a Tangent to the Semicircle OD ; then the Perpendicular CD , being the greatest possible, consequently the Triangle ACB will be likewise. Then, by the Circle's Property,

$$2CO - CD \times CD = \overline{DB}^2, \text{ that is, } 90 \times 30 = 2700 = \overline{DB}^2, \therefore DB = 51,9615, \text{ and per 47. s. 1. } AC = CB = AO = CO = 60. \text{ Q. E. I.}$$

Mr. T. Walker, gives the very same Process and Numbers with Mr. Tarrat, agreeing with his Solution; thereby hindering us from a Comparison of independent Results.

Mr. Clark, of Lincoln, answered it, and some Others.

XV. QUESTION 282, answered by the PALLADIUM-AUTHOR.
(SEE farther on.)

XVI. QUESTION 283, answered by Mr. Edward Johnson.

SINCE, by the Question, the Ship's Difference of Longitude is $360^\circ = 21600$ nautical Miles; put $t = \text{Tang. } 78^\circ 45'$, the Course; Radius $= 1$. Then, by Mr. Emerson's Principles of Na-

$$\text{vigation, } t : d (21600) :: 1 : \frac{d}{t} = 4,296, \text{ the meridional Parts}$$

of $58^\circ 1' \text{ S.}$ the Latitude arrived in when the Port the Ship sailed from bore due North. Now put $58^\circ 1' \times 60 = 3481$ Miles $= p$, and $s = \text{Secant of the Course}$: Then, $1 : p :: s : sp = 17843$ nautical Miles, the Distance run. W. W. R.

XVII. QUESTION 284, answered by Mr. Edward Johnson, of Hull.

If $x^{365} = 1.03$, we get, by the Nature of *Logarithms*, $x = 1.000081$ nearly, which put $= a$; $x = 1.000081$, and $n = 365$.

Then, by the *binomial Theorem*, $a^n = 1 + nx + \frac{n-1}{2} x^2 + \frac{n}{1} \times \frac{n-1}{2} \times \frac{n-2}{3} x^3$, &c.

Or, $a^n = 1 + nx + \frac{n-1}{2} Ax + \frac{n-2}{3} Bx + \frac{n-3}{4} Cx$, &c.

Whence, collecting the Terms,

$$1 = 1.000000000000$$

$$A = nx = 0.929565000000$$

$$B = \frac{n-1}{2} Ax = 0.000435847230$$

$$C = \frac{n-2}{3} Bx = 0.000004271738$$

$$D = \frac{n-3}{4} Cx = 0.000000031314$$

$$E = \frac{n-4}{5} Dx = 0.000000000183$$

$$\text{Sum} = 1.030005150465 = a^n.$$

Make $x^n (1.03) - a^n = m$, then, by *Halley's Theorem*,

$$\frac{ma}{na^n + \frac{n-1}{2} a} = -0.00000001369985 = b; \text{ and } a+b = x =$$

1.00008098630014 the Amount of 1 l. for 1 Day, at 3 l. per Cent. per Annum, compound Interest, true to the last decimal Place. W. W. R.

XVIII. QUESTION 285, answered by Mr. Edward Johnson.

GENERAL RULE.

SET A the Frustum's Depth to the Gauge-Point: Then against half the Sum of the Diameters you will find A Gallons; and against half Difference of the Diameters, B Gallons. Then, $A + \frac{B}{3} =$ the true Content of the conic Frustum.

EXAMPLE.

EXAMPLE.

Let it be required to find, how many Gallons of Ale a conic *Fruustum* will hold, whose Depth is 40, greatest Diameter 50, and least Diameter = 28 Inches.

$$\begin{array}{r} + 50 \\ 28 \\ \hline \end{array}$$

$$\begin{array}{r} - 50 \\ 28 \\ \hline \end{array}$$

$$2)78$$

$$2)22$$

$$39 = \frac{1}{2} \text{ Sum Diameters.}$$

$$11 = \frac{1}{2} \text{ Diff. Diameters.}$$

Now set 40 to the Ale *Gauge-Point*, and keep the *Rule* fixed.

Then against 39 is . . 169,44 = A.

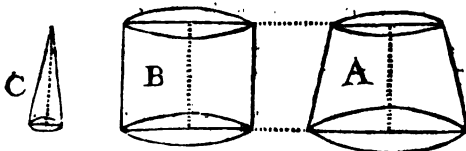
And against 11 is 13,4 Gallons, $\frac{1}{2}$ of which is = 4,45 = $\frac{B}{3}$.

Sum is the true Content = 173,89 Gallons =

$A + \frac{B}{3}$, according to the GENERAL RULE.

For, since the *Frustum* of every right *Cone* is equal to a Cylinder, whose Base Diameter is an *arithmetical Mean* between the two Diameters of the *Frustum*, and a *Cone* whose Base Diameter is equal to half the Difference of the said Diameters; the Cylinder and *Cone* having the same Height with the *Frustum*, the *Reverse* of the *general Rule* is evident. W. W. R.

Figures.



Let A be the *Frustum* of a *Cone* whose Diameters are D and d, and Height = b; and B a Cylinder whose Diameter is $\frac{D+d}{2}$, and

Height = b; also, let C be a *Cone* whose Diameter is $\frac{D-d}{2}$,

and its Height = b.

Then, I say, when $B + C = A$, π is = b.

DEMONSTRATION.

The solid Content of the *Frustum* A is = $D^2 + dD + d^2 \times \frac{ab}{3}$; and that of the Cylinder B = $\frac{D+d}{2} \times ab$; and that of the

F 2

Cone

Cone C = $\frac{D-d}{2} \times \frac{ax}{3}$, (a being = .7854). Whence, we

have $\frac{D-d}{2} \times \frac{ax}{3} + \frac{D+d}{2} \times ab = D^2 + dD + d^2 \times$

$\frac{ab}{3}$; which, reduced, gives $x = b$. Q. E. D.

Thus I have shewn how the *Frustrum* of a Cone may be resolved into two other *Sol.ds* of a more simple Kind.

Mr. Thomas Walker has given a *Rule*, and *no Rule*, by sundry different Multipliers (according to the *Ratio* of the different Diameters) to be drawn into the Difference of the Diameters, and the Product to be added to the less Diameter, for reducing the *Frustrum* of the Cone to a *Cylinder*. — Who mentions his *new Improvements* made in *Gauging*; which he designs to publish on finding Encouragement. But surely the Encouragement on the *Merit of the Performances* will be sufficient when it is published, (*without needless Subscription*;) like his Encouragement given to the *Palladium-Author*, as soon as that *Work* is published, which he thinks sufficient.

XIX. QUESTION 286, answered by Mr. Edward Johnson.

PUR $F = 100$ £, the yearly Rent.

$F = 200$ £, the proposed *Fine*.

$r = 4$ %. the Rate of Interest.

$s = 55,3$ the Sum of the Values of the 4 single Lives [proposed.

Then, since the Value of the Life most advantageous for filling up the Lease is = 16,4 Years Purchase, we have, *universally*,

$\frac{100-s}{16,4} \times F =$ present Value of all the Fines. And $\frac{100 A}{r}$

$= \frac{100-s}{16,4} \times F =$ £, 1954,9, or 1954 £. 18 s. the Purchase-

Money, required.

N. B. The above *Theorems* are universal.

XX. QUESTION 287, answered by Mr. Edward Johnson.

PUR $c = 8600,76$ the cubic Inches in 4 Bushels, $x =$ Half the Side of the square Base, and y Altitude of the *Pyramid*.

Then $4x^2y = 3c$, $\therefore y = \frac{3c}{4x^2}$. But $\sqrt{x^2+y^2} =$ perpendicular Length of the *slant Side*; whence, Area of each of the *slant Sides* is $= x\sqrt{x^2+y^2}$, or $\sqrt{4 + \frac{9c^2}{16x^2}}$, by Substitution.

In

In Fluxions, $4x^2\dot{x} - \frac{9c^2x\dot{x}}{8x^4} = 0$: Reduced, $x =$

$$\sqrt[3]{\frac{3c}{4}\sqrt{\frac{1}{2}}} = 16,5842 \text{ Inches, } 2x = 33,1684, \text{ the Side of the}$$

Base, $y = 23,454$, the Altitude, and the perp. Length of the flant Side $= 28,725$: Consequently, the whole Quantity of Board $=$

$12 \frac{9}{10}$ Square Feet, which, at 2d. per Foot, comes to 2s. 1d. $\frac{1}{2}$.

W. W. R.

Mr. Thomas Walker makes the Altitude to the Length of the flant

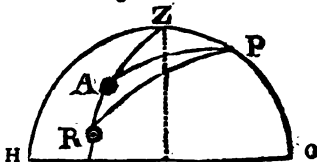
Side as 1 to $\sqrt{3}$; but as he has not answered the numerical Requisites of the Question, we cannot compare whether he agrees with Others, and therefore omit his Solution, without the Trouble of examining it Step by Step. — Mr. Tarrant, of Epsom, answered the same analytically. And Mr. James Taylor, of Low Crompton, by a short Process and Fluxions, finds the least Board 18,71535 Feet; and the Hopper's Breadth $= 33,162$ Inches; and the Hopper's Value $= 3s. 1d. \frac{1}{2}$.

Mr. Thomas Sadler gave an analytical Solution; but without the Numbers.

XXI. QUESTION 288, answered by Mr. Johnson, of Hull.

LET A represent *Aldebaran*, and R *Rigel* at the Time of Observation, Z the Zenith of London, and P the elevated Pole.

In the Triangle APR, we have given AP and RP, the Co-Declinations of the two Stars, and the included Angle APR, the Difference of their Right Ascensions; to find $\angle RAP = 156^{\circ} 44' 8''$, whose Supplement is $\angle ZAP = 23^{\circ} 15' 52''$; and thence $\angle ZPA = 30^{\circ} 23' 30''$, the angular Distance of *Aldebaran* from the Meridian; which reduced into Time, and added to 10 Hours, (the Time of Observation,) gives $12^h 1^m 34^s$, the Time of his Southing.



			h	m	s
Whence	Aldebaran's Right Ascension	-	4	22	24
	Subtract his Southing	-	12	1	34
	<hr/>				
	Remains Sun's Right Ascension		16	20	50

Which answers to November 28, the Month and Day, required.

XXII. QUESTION 289, answered by Mr. Edward Johnson.

LET B, L, represent *Betelgeuse* and *Pollux*,
And put v = versed Sine of $\angle ZPB$.

V = versed Sine of $\angle ZPL$.

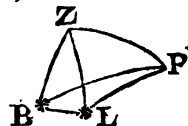
a = nat. Sine of ZP , the Comp.

b = nat. Sine of BP } Co-Declin.
[Lat. of London.]

c = nat. Sine of PL } of the 2 \ast s.

d = versed Sine of $BP-ZP$.

e = versed Sine of $PL-ZP$.



Then, since $ZB = ZL$ by the *Question*, we have, *per Sphaerics*, $abv + d = acV + e$, which brought into Numbers, &c. is $V - 1,13v = 3738$. Now, by Means of the given $\angle BPL = 27^\circ 6'$ the Diff. Right Ascensions, and a few *Trials*, v is easily found = 3619, the *versed* Sine of $\angle ZPB = 50^\circ 21'$; which reduced into *Time*, and added to 9 Hours, gives $12^h 21^m 24^s$, the *Time* of *Betelgeuse's* Southing; whence the Sun's Right Ascension = $17^h 20^m 56^s$, answering to *December 12*, the Month and Day required.

In the above Solutions, the Stars Declinations, Right Ascensions, &c. were taken from *Tables in the Royal Astronomer*.

N. B. This *Question* may be solved by a *quadratic Equation*; but the Method of *Trial* here given saves Abundance of Labour. — Mr. *Emerson's Theorems* in his *Trigonometry* are most excellent.

XXIII. QUESTION 290, answered by Mr. Sadler, the Proposer.

PART of my *Question*, by some Mistake, seems to be omitted. There should be the Product of all the several Distances (between the *Tower* and two *Spires*) = 31694521,125 Yards.

PUT $x = BC$, $y = CA$,
and $z = AB$: Put $a = 960$

Yards, $b = 31694521,125$.

Then, *per Question*,

$$x + y + z = a;$$

$$xyz = b;$$

$$\frac{1}{4}x, \frac{2}{4}x, \frac{3}{4}x, \text{ in Progression}$$

as x, y, z .

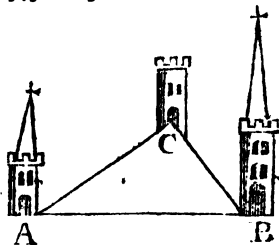
By 1, $x = a - z - y$, by Substitution, $ayz - yx^2 - y^2z = b$;

and $a - z - y : y :: z$, whence $y^2 = az - x^2 - y^2 \therefore y^2 + yz$

$= az - x^2$. By Evolution, $y = \sqrt{\frac{1}{2}x^2 + az - x^2} - \frac{1}{2}x$.

Substitute this Value of y , where b is last concerned, and we have

$$ax \times \sqrt{\frac{1}{2}x^2 + az - x^2} - \frac{1}{2}xz, - x^2 \times \sqrt{\frac{1}{2}x^2 + az - x^2} - \frac{1}{2}xz, - x \times \sqrt{\frac{1}{2}x^2 + az - x^2} - \frac{1}{2}x = b. \text{ From whence, } x \text{ may be found}$$



found ≈ 379.8 ; $y = 316.5$; and $x = 263.75$: For the Ratio of the Progression is 1,2; whence the Tower's Height is 65,90875 Yards; the second Spire 131,915 Yards; and the third spire, 197,9625 Yards. W. W. R.

Mr. Tarrat analytically answered the same.

XXIV. QUESTION 291, answered by Mr. Johnson, of Hull.

PUT $x =$ Year of his Birth.

$y =$ Year of his Death.

$$\text{Per } \left\{ \begin{array}{l} \text{Quest.} \quad y - \sqrt{x} = 1596,4903 = a. \\ \quad \quad \quad xy - \sqrt{y} = 2424664,5649 = b. \end{array} \right.$$

Since x and y must be whole Numbers, by the Nature of the Question, they are easily found without the Trouble of reducing the Equation. For, if the Year of his Birth be between 1400 and 1764, we are sure to find it in 5 Trials, or thus:

The square Roots of all the Years between 1400 and 1764, (omitting Fractions,) are 37, 38, 39, 40, and 41, respectively.

Whence $y - \sqrt{x} = 1596$ (omitting Fractions,) suppose $\sqrt{x} = 39$ (omitting Fractions,) the Sum; $y = 1635$ and $\sqrt{y} = 40,4351$.

Now, since the fractional Part of \sqrt{y} added to that of b , makes b a whole Number, I find, from the second Equation, $x = \frac{b + \sqrt{y}}{y} = 1483$, $\therefore y - x = 152$ Years, the Age of old

Par. W. W. R.

The Method of Trial is here inserted for Novelty, as well as for Expedition and Ease of Solution.

The same answered by Mr. T. Walker.

PUT $x^2 =$ the Year of his Birth. $y^2 =$ the Year of his Death, then, per Question, $y^2 - x = a = 1596,4903$; and $x^2 y^2 - y = b = 2424664,5649$. By the first Equation, $y^2 = a + x$, $\therefore y =$

$\sqrt{a+x}$; which Values of y^2 and y , substituted in the second Equation, give $x^3 + ax - \sqrt{a+x} = b$; hence is found $x^2 = 1483$, $y^2 = 1635$, the old Man's Age, being 152 Years. — It was solved by Mr. B. Stepford, Mr. John Swan, Mr. Isaac Tarrat, Mr. John Probert of Bow School, Mr. T. Edwards of Cbeam, Mr. Sadler of Cheshire, and several Others.

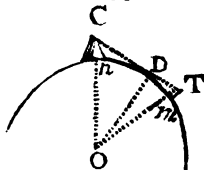
XXV. QUESTION 292, answered by Mr. Johnson.

LET C be the *Castle*, and T the *Tower*, allowing $69\frac{1}{2}$ Miles to a Degree. The Earth's Semidiameter is 3976,6 Miles $= r = OD$; put $c =$

100 Yards $= \frac{5}{88}$ Mile; and $OC =$

$r+1$, $OT = r+c$; then, by *Trigono-*

metry, $\frac{r}{r+1} = ,9997486$ the nat. *Sine*



$88^{\circ} 42' 54'' = \angle OCD$, and $\frac{r}{r+c} = ,9999859$, the nat. *Sine*

$89^{\circ} 41' 37'' = \angle OTD$. $\therefore \angle CO'T = 1^{\circ} 35' 29''$, and its included *Arch* (allowing $69\frac{1}{2}$ Miles to a Degree) is $110,601$ Miles

$= mn$; and $TC = \sqrt{2r + 1} + \sqrt{2rc + c^2} = 110,443$ Miles. W. W. R.

Mr. *Saüler* makes the Distance between the Tower and Castle $= 114,704$ Miles, on the Arch of the Earth's Circumference.

Mr. *Tarrat* analytically and numerically gave the Solution, making the Distance on the curved Arch $= 114,7$ Miles.

Mr. *James Taylor*, of *Low Crompton*, near *Oldham*, *Lancashire*, determined, by a short Process, the Distance between the Tower and Castle $113,35$ Miles.

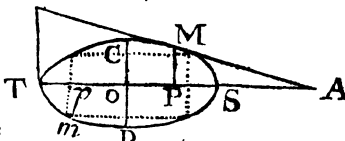
XXVI. QUESTION 293, answered by Mr. Johnson.

PUT $OS = OT =$ B

$\frac{34}{2} = t$, $OC = OD$

$= c$, and $p = 80$, the given Periphery; then

$$1 - \frac{p}{3,1416 \times 2t} =$$



$$,251043 = n, \text{ and } 4n - 3n^2 - \frac{n^3}{2} - \frac{53n^4}{24} = ,8039 = d,$$

therefore $c = t \sqrt{1-d} = 7,527$, the semi conjugate Diameter.

For the greatest inscribed Parallelogram.

Put $x = op$, then $p \Gamma = t-x$; and, by Property of the El-

lipse, $ym = \frac{c}{t} \sqrt{t^2 - x^2}$, Half the Breadth of the Parallelo-

gram; and $\frac{c}{t} \times x \sqrt{t^2 - x^2} = \frac{1}{2}$ Area, a Maximum. In

Fluxions,

Fluxions, $2t^2 \dot{x} - 4x^2 \dot{x} = 0$, $\therefore 2t = 2\sqrt{x} = 24,0416$, the whole Length; and $2pm = c\sqrt{x} = 10,64478$, the whole Breadth of the *Parallelogram*; whence, the *Area* is $\approx 255,918$.

For the least circumscribing Triangle.

Let $PS = x$, then $TP = 2t - x$, and $PM = \frac{c}{2} \sqrt{2tx - x^2}$,

per Conics; also, the Subtangent $AP = \frac{2tx - x^2}{t - x}$, By the Nature

of Tangents. But, by similar Δ s, $AP : PM :: AT \left(\frac{2t^2 - tx}{t - x} \right)$

: $BT = \frac{c}{x} \sqrt{2tx - x^2}$, whence the Area of the $\Delta = AT \times$

$BT = t \times \frac{2t - x \times \sqrt{2tx - x^2}}{tx - x^2}$, a *Minimum*. — Or, ta-

king the Square of the variable Part, we have, $\frac{(2t - x)^2}{t - x} \times x$, a

Minimum, whose Logarithm is, $3 \text{ Log. } 2t - x, - 2 \text{ Log. } t - x,$
 $- \text{Log. } x = \text{a Minimum. In Fluxions, } \frac{-3\dot{x}}{2t - x} + \frac{2\dot{x}}{t - x} - \frac{\dot{x}}{x}$

$= 0$; reduced, $x = \frac{t}{2} = PS = OP$; hence $PM = \frac{c}{2} \sqrt{3}$,

$AP = PT = \frac{3t}{2}$, and $AT = 3t$, and $TB = c\sqrt{3}$; \therefore the *Area*

of the whole Δ is $AT \times BT = 3tc\sqrt{3} = 664,894$. W. W. R.

COROLLARY. The *Parallelogram*, *Ellipsis*, and *Triangle*, are in the Ratio of 2, 31416, and $3\sqrt{3}$, respectively. *Plaudite!*

Mr. Thomas Walker, by an elaborate Process, gave a Solution; but as he gave no Area, by which to compare *Results*, we therefore omit it, for a Solution of the most general and distinguished Properties. Mr. Sadler analytically solved the same Question, as did Mr. Tarrat, and some Others.

XXVII. QUESTION 294, answered by Mr. Edward Johnson.

GIVEN $\begin{cases} x - y - z = 1708. \\ x^2 - y^2 - z^2 = 2992626. \\ z^3 = x + 1645. \end{cases}$ Here x , y , and z , must be whole Numbers, and we may reasonably suppose that Mr. Sadler was born between the Dates 1600 and 1763.

Therefore, since $x + 1645$ must be a Cube (z^3).

Suppose $x = 1700$

Add 645 the given Number.

Sum = 3345, to which find the

nearest Cube = $3375 = 15^3$.

That is, $x = 1730$, the Year.

$y = 7$, the Month.

$z = 15$, the Day.

W. W. R.

Whence $z = 15$,
and $x = z^3 - 1645 =$
1730, and $\therefore y = x$
 $- z - 1708 = 7$.

$\left. \begin{array}{l} N. B. \text{ These Circumstances of} \\ \text{the Question, which make the} \\ \text{Equations troublesome to re-} \\ \text{duce by the common Method,} \\ \text{generally afford us a more easy} \end{array} \right\}$

Solution by the Method of Trial and Error; of which this Question and Solution are an Instance.

The same answered by Mr. T. Edwards, of Cheam.

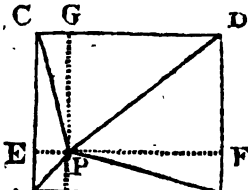
GIVEN	$\begin{cases} 1 + x \\ 2 + x^2 \\ 5 \div 4 \\ 4 + 6 \div 2 \\ \text{Reduced} \\ \text{Solved} \\ \text{Hence} \end{cases}$	1	$x - y - z = a = 1708.$	$\left. \begin{array}{l} \text{Here } x = z^3 - d. \\ \text{Here } z = x^3 - d. \end{array} \right\}$
		2	$x^2 - y^2 - z^2 = b = 2992626.$	
		3	$z^3 = x + d (d = 1645)$	
		4	$x - y = a + z.$	
		5	$x^2 - y^2 = b + z^2.$	
		6	$x + y = \frac{b + z^2}{a + z}.$	
		7	$x = \frac{b + z}{2a + 2z} + \frac{a + z}{2} = z^3 - d, \text{ by 3d.}$	
		8	$z^4 + az^3 - z^2 - az - dz = \frac{b + a^2 + 2ad}{2}.$	
		9	$z = 15; \text{ whence } x = 1730, \text{ and } y = 7.$	
		10	Mr. Sadler was born July 15, 1730. W.W.R.	

Mr. Tarrat answered the same, as did Mr. John Swan, Mr. Sadler, Mr. J. Lewis, Mr. B. Stefford, Mr. John Probert of Bow School, Mr. T. Walker, and some Others.

XXVIII. QUESTION 295, answered by Mr. Johnson, of Hull, only.

PUT $AH = x$, $HB = x = GD$, $AE = BF = PH = y$, and $PG = CE = DF = u$; then we

have $x^2 + y^2 = \square$, \overline{AP}^2 ; $x^2 + u^2 = \square$, \overline{PC}^2 ; $x^2 + y^2 = \square$, \overline{PB}^2 ; and $x^2 + u^2 = \square$, \overline{PD}^2 .



Put $x = \frac{3y}{4}$, then $x^2 + y^2 = \overline{AP}^2$

$\frac{25y^2}{16} = \square$, $= \overline{AP}^2$: Also make $x = \frac{3z}{4}$, then $x^2 + u^2 =$

$\frac{25z^2}{16} = \square$, $= \overline{PD}^2$; and making $y = \frac{5x}{12}$, we get $x^2 + y^2 =$

$\frac{169x^2}{144} = \square$, $= \overline{PB}^2$. Now, writing $\left(\frac{5x}{12}\right)^2 = \frac{25x^2}{144}$ for y^2 ,

above, we have $\overline{AP}^2 = \frac{625x^2}{2304} = \square$, *universally*: But by the

Nature of a Rectangle, $\overline{AP}^2 + \overline{PD}^2 = \overline{PC}^2 + \overline{PB}^2$;

whence, by Transposition, $\overline{PC}^2 (= \overline{AP}^2 + \overline{PD}^2 - \overline{PB}^2) = \frac{625x^2}{2304} + \frac{25x^2}{16} - \frac{169x^2}{144} = \square = n^2$, which,

by Reduction, becomes $1521x^2 = 2304n^2$, extracting the Square

Root $39x = 48n$, $\therefore x = \frac{48n}{39}$, which must be a whole Number,

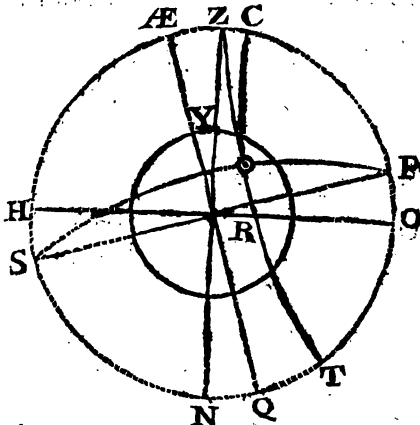
If $n = 39$, then $x = 48$, $u (= \frac{3x}{4}) = 36$, $y (= \frac{5x}{12}) = 20$,

and $x (= \frac{3y}{4}) = 15$. Whence $AB = x + x = 63$, the Length;

$AC = y + u = 56$, the Breadth of the Rectangle; and consequently $AP = 25$, $PD = 60$, $PC = 39$, and $PB = 52$, which are all the whole Numbers. W.W.R. — Plaudite!

The PRIZE-QUESTION answered by Mr. Edward Johnson, Mathematical Master, at Hull.

LET Y represent the *Plane*, in Latitude $25^{\circ} 30' N.$ where the *Dial* is supposed to be fixed; Z, the *Zenith*; YZ, the Continuation of the perpendicular *Gnomon*; T \odot C the *Tropic Cancer*; and Z \odot Part of a great Circle passing thro' Z, and touching the said *Tropic* in \odot .



Now, it is plain, the *Shadow* of *Gnomon* must

alter its Course, when the Sun comes to \odot , in the *Forenoon*; and also when he is at the same Dist. from the *Méridian* in the *Afternoon*; at both which different *Instants* the *Shadow* may be said to stand still. Therefore, to find at what Time the Sun will be at \odot ; we have given (in the right-angled Triangle Z \odot P) $ZP = 74^{\circ} 30'$ the Comp. Lat. $P\odot = 66^{\circ} 31'$, Co-Declination; and $\angle Z\odot P$, a right one, to find the $\angle ZP\odot$, the Time from Noon. Which, by *Trigonometry*, is $= 50^{\circ} 20' 5''$, and this reduced to Time, and taken from 12 Hours, leaves $8^h 38^m 40^s$, the Time in the *Forenoon*, when the *Shadow* of the *Gnomon*, erected perpendicular to the *Plane* of the *Horizon*, will first stand still, or begin to change its Course.

But the Sun rises, on the given Day, at $5^h 29^m 48^s$; consequently the Duration of the *Shadow's* forward Motion, in the *Forenoon*, is $= 3^h 8^m 52^s$. Moreover, the Angle $\odot ZP = 72^{\circ} 8' 13''$, from which take the Sun's Amplitude from the North, viz. $65^{\circ} 34' 26''$, and the Remainder is $= 6^{\circ} 33' 47''$, the Quantity of the *Shadow's* forward Motion, on the *Plane* of the *Dial*, in the *Forenoon*.

By subtracting $8^h 38^m 40^s$ (found above) from 12 Hours, we get $3^h 21^m 20^s$, the Time in the *Afternoon* when the *Shadow* begins again to change its Course.

Whence, from Sun-rising to $8^h 38^m 40^s$, in the *Forenoon*, the *Shadow* moves the same Way with Sun's apparent Motion, describing

cribing $6^{\circ} 33' 47''$ on the *Plane* of the Dial, and then first standing still, and beginning to change its Course, it moves backward the contrary Way to what it did before, till $3^h 21^m 20^s$ in the Afternoon; when it again stands still and changes its Course a second Time.

The whole Quantity of this retrograde or backward Motion of the Shadow on the Dial for that Day, in twice $3^h 21^m 30^s$ or $6^h 43^m$, is plainly = double the $\angle \odot ZP$ (found above) = $114^{\circ} 16' 26''$. And the Quantity of the forward Motion in the Afternoon, from $3^h 21^m 20^s$ till Sun-setting, is = $6^{\circ} 33' 47''$, the same as the Quantity of forward Motion in the Forenoon, which being doubled, = $13^{\circ} 7' 34''$, the Shadow's *whole* forward Motion for that Day:

W. W. R.

N. B. The horizontal Refraction of the Sun is allowed for in computing the Time of his Rising.

It is evident, from this Solution, that if a horizontal Dial be placed between the Equator and a Parallel [of Declination] which the Sun describes, on any given Day, the Shadow of the perpendicular Gnomon will move backward for some Part of that Day; as is mentioned in the Scripture. — This ingenious Correspondent justly claims the Prize, without a Competitor.

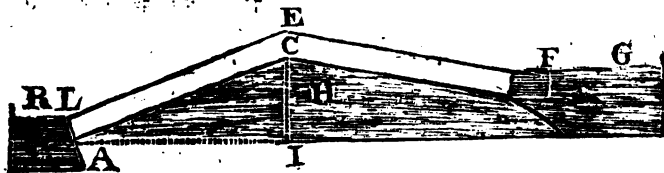
REMARK. The foregoing Answer is a Confirmation of Mr. Robertson's Error, concerning this Kind of Question, in his first and last Edition of *Navigation*: Besides his several other Kind of Errors observed therein, firm P. 70 to 73, in *Palladium* 1764, with his false Proposition in Navigation candidly demonstrated and corrected in the *Palladium-Supplement* for 1764, for which his Thanks are due to the Corrector.

ANSWERS to the QUESTIONS in the PALLADIUM-SUPPLEMENT, 1764.

By Mr. Edward Johnson, Mathematical Master, of Hull.

I. QUESTION answered.

LET AEF represent the Syphon laid over the Bank H.



Put $a = 16 \frac{1}{12}$ Feet, Area (End A =) 16 Feet = m , the perpendicular

Height of Surface F above Surface R = 4 Feet = $2d$, 60 Seconds = c , and $b = 41\frac{1}{2}$, the solid Feet in a Ton, Ale Measure. — Then, since the Pressure of the Atmosphere at each End of the Syphon is the same, the uniform Velocity of the Water, running out at the End A, will be equal to that which a heavy Body acquires in falling through Half the perpendicular Distance of F above

above R; ∴ we have, by philosophical Principles, $\frac{2cdm}{b\sqrt{\frac{d}{a}}}$
 = 264,814 Tons, Ale Measure, the Quantity discharged per Minute.

The Syphon being filled with Water, and both Ends stopped,

The Pressure upon the Door, at A, is = 4,464 }
 Upon the under Part AC, of the Leg AE, = 16,741 } Tons Avoirdupoise.
 Against each Side of the Leg AE = 10,427 }
 Against the upper Part LE = 6,694 }

See *Emerson's Mechanics*, Cor. 2. to Prop. 91, and Prop. 97 of the same excellent Book.

The Pressure, computed above, shews that a Two-Inch Plank is by much too weak for a Syphon of these Dimensions.

II. QUESTION answered.

PUT the verfed Sine EH (Fig.

I.) = v , right Sine Hm = s ,

HI = $me = \dot{v}$, $en = \dot{s}$, and the
 Radius AC = EC = r , and Arch
 Em = a .

In Fig. II. Let the Curve
 EMC be the Line of Sines, AE
 = the Quadrant EmA, and PM
 Sine Hm = s , EP = Arch Em = a .

Then, by the Property of

the Circle, $s = \sqrt{2rv - vv}$,
 and $\dot{s}^2 = \frac{r - v}{2rv - v^2} \times \dot{v}^2$; al-

so $\dot{a} = \sqrt{\dot{s}^2 + v^2}$, =
 $\frac{rv}{\sqrt{2rv - v^2}}$ by Substitution;

whence $\dot{a} s$ (flux. EP multiplied by PM) = $\frac{rv}{\sqrt{2rv - v^2}} \times$

$\sqrt{2rv - vv} = rv$, the Fluxion of the Area EPM; whose Fluent
 is = rv , the Sum of all the Sines made on the Arch whose verfed
 Sine is v , and Radius r . Therefore, in a quadrantal Arch where
 $v = r$, rv becomes = rr ; consequently, the Sum of all the Sines
 that can be erected on a quadrantal Arch is equal to the Square of
 the Radius. Q. E. D.

III.

Fig. I.

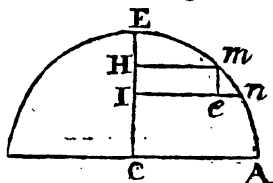
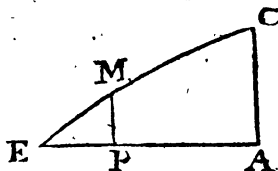


Fig. II.



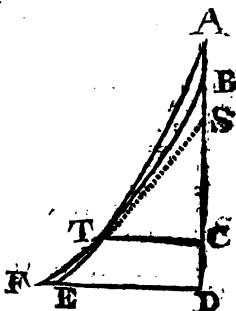
N. B. The above Error caused Mr. Johnson to conclude that the two Curves must touch at the Base; which are now found to touch a little above the Base, as at T.

PUT $AD = 50 = c$; $DF = 70 = b$; $CA = X$; $BC = x$; and $TC = y$. Then, the Equation of the Curve BTE being $px^4 = y^3$, and that of the Curve ATF, $ax^3 = y^2$; we have, by the Nature of Tan-

gents, $CS = \frac{2X}{3} = \frac{2AC}{3}$, and al-

so $CS = \frac{3x}{4} = \frac{3BC}{4}$; whence BC

$= \frac{8AC}{9} = \frac{8X}{9}$. But $CD = c - X$.



X , $\therefore BD = BC + CD = \frac{9c - X}{9}$; now from the Equation of the

Curve BTE, we have $\overline{DE}^3 = p \times \frac{9c - X}{9^4}$, but $p = \frac{9^4}{8^4} \times a^{\frac{3}{2}} \times X^{\frac{1}{2}}$, $\therefore \overline{DE}^3$ becomes $= \frac{a^{\frac{3}{2}}}{8^4} \times X^{\frac{1}{2}} \times \overline{9c - X}^4$.

by Substitution, whence $\overline{DE}^2 = \frac{a}{8^{\frac{2}{3}}} \times X^{\frac{2}{3}} \times \overline{9c - X}^{\frac{5}{3}}$.

And since the Content of the Solid generated by the Curve BTE, revolving about the Axis BD, is $\frac{3}{11}$ of its circumscribing Cylinder,

(see Pall. 1763, Page 57,) we have $BD \times \overline{DE}^2 = a \text{ Maximum}$, or $X^{\frac{2}{3}} \times \overline{9c - X}^{\frac{5}{3}}$, a Maximum. The Fluxion of the Logarithm of which is $\frac{X}{3X} - \frac{11X}{3 \times 9c - X} = 0$, whence $X = \frac{3c}{4}$,

and $BD (= \frac{9c - X}{9}) = \frac{11c}{12} = 45\frac{5}{6}$, consequently $BC = x =$

$\frac{2c}{3} = 33\frac{1}{3}$, and $DE = 69.51$, &c.

Mr. Johnson having thus candidly rectified and owned his Error, it is hoped Mr. Brown will rectify and own his Errors in Navigation (see

(see *Pal.*, P.) in the same candid Manner; since no Error detected can pass for Truth.

REMARKS and CORRECTIONS.

THE Solution of the Prize-Question, last *Palladium*, confidently objected to as *Nothing*, or inconsistent, by a *Bideford* Author, professing to teach what he does not understand, is right, and is the only consistent Answer (as Mr. *Johnson* observes) that can be given to that Question, the Subject having been handled before by *Simpson*, *De l'Hospital*, and the best Writers on *Fluxions*, of which poor *Don Pedro* was ignorant, as well as his Associate, *Exeter Jack*, who laughed at what he did not *chuse* to give his Opinion concerning, for Fear of being found out for a Pretender to Science: Who is equally averse to answer Letters of Science, and to trust his Knowledge therein (for Proof of his Abilities) under Hand-writing, to which he prefers *Quibbling* in Conversation, among Hearers who are no Judges of the Subject.

Quest. 8th in *Pall.* 1764, was in the *Magazines*.

Page 40, *Pall.* 1764, Line 2, for $\frac{91x^3}{62}$ read $\frac{91x^3}{64}$.

Line 4, for \sqrt{ax} read $\sqrt{8m}$.

At P. 71, *Pall.* 1764, The meridional Parts of 90° are said to be 79157, a finite Number, instead of an infinite Number; as is justly distinguished in the Tables of *Meridional Parts* in the *Royal Astronomer*.

The Question about the Syphon (*Pall. Sup.*) is a proper one, and I could like to see Mr. *Emerson's* Solution of it; that the *Beverley* Philosopher may be convinced of his Mistake.

Printed Bills, entitled *Fool's Caps*, have been sent down into the Country among the *Palladium Correspondents*, reflecting on the *Palladium Author*; but they are looked upon with Contempt.

If you were to give, in each *Palladium*, a few Examples (well explained) of computing the Times of *Eclipses*, &c. it would be very useful to young Astronomers, and would encourage the Sale of the *Royal Astronomer*, and the *Palladium* too; as several young Men in this Part of the Country have purchased that valuable Performance in Astronomy.

EDWARD JOHNSON.

Agreeable to our ingenious Correspondent's Sentiments, (which are approved,) we exhibit the following EXAMPLE, &c.

H

EXAMPLE

EXAMPLE of computing SOLAR ECLIPSES.

COMPUTATION of the SOLAR ECLIPSE, April 1, 1764, from
the TABLES in the Royal Astronomer. By Mr. T. Cowper.

For the Meridian of LONDON.

N. B. ☿ signifies Conjunction.

	h	m	s
EQUAL Time eclip. ☿, at Greenwich Observatory	10	24	52
Equat. Time, deduct		3	50
Apparent Time at Greenwich	10	21	2
Diff. Long. between Greenwich and London subtract		—	20
Apparent Time of ecliptic ☿ at London	10	20	42
Place of Sun and Moon in the Ecliptic ☿	12°	9'	43"
R. A. Sun	11	10	53
App. Time fr. preceding Non. Deg. Add	335	10	30
R. A. Medium Cæli	346	21	23
Culminating Point	15	10	36
Nonagesimal Degree ☿	16	24½	
Moon's ecliptic Place sub.	12	9½	
Moon's Distance fr. Nonagesimal Degree	4	15	0
Altitude Non. Degree	39	3	0
Moon's hor. Parallax fr. Sun (Sun's 12")		54	4
Moon's Parallax in Longitude fr. Sun		2	33
Moon's Parallax in Latitude fr. Sun		4	20
True Lat. Moon N. ascending, subtr.		39	31
Visible Lat. Moon S.		2	29

Horary Motion	Moon	29	44
	Sun	2	28
	Moon fr. Sun	27	16
Horizontal Parallax Moon		54	16
Horizontal app. Semidiameter	Sun	16	2
	Moon	14	47
Hourly Increase of	Moon's Latitude	2	43
	Sun's R. A.	2	17
	Sun's Declination		59

As the Moon is to the West of the 90th Degree at the true ecliptic ☿, the visible ☿ follows. — And as her Parallax in Longitude from the Sun is 2' 33", the visible ☿ must fall about 8 or 10 Minutes after the true ☿. Hence,

The Requisites for London.

8 ^m after apparent Time of true ☿	10 ^h	28 ^m	42 ^s
R. A. Medium Cæli	348°	21'	41"
Culminating Point	17	20	35
Nonagesimal Degree ☿	17	58½	
Moon's true ecliptic Place ☿	12	13	41

Dist.

PALLADIUM OF FAME, 1765:

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Diff. Moon from Nonagefimal Degree	5° 44' ² / ₃	
Altitude thereof	39 49	
Moon's Parallax in Longitude fr. Sun	3 30	
in Latitude fr. Sun	41 32	
Moon's true Lat. N. subtr.	39 53	
Moon's vifible Lat. S. descending	1 39	
<hr/>		
True Mot. Moon fr. Sun in 8 Minutes	3 38	
Different Parallax in Long. Moon fr. Sun in 8 ^m subtr.	57	
Vifible Mot. Moon fr. Sun, in 8 ^m	2 41	
<hr/>		

As vifible Mot. Moon fr. Sun above 2' 41" to 8^m, fo Moon's Parallax in Longitude fr. Sun at true \odot 2' 33", to 7^m 36^s, the Interval between the true and vifible \odot . Again,

	L. L.	
As vifible Mot. Moon fr. Sun in the laft 8 ^m , 2' 41"	8.65050	
To Rad. So the Diff. Moon's vifible Lat. in 8 ^m , o' 50"	8.14267	

To Tan. Moon's vifible Way fr. Sun, 17° 15' 9.49217

As Rad. To S. Moon's vif. Lat. 8^m after tr. \odot , 1' 39" 8.43933
So Cof. Moon's vifible Way 17° 15' 9.98001

To neareft Approach of the Sun, and 1' 34" 8.41934
As Rad. to fame, fo S. Moon's vif. Way fr. Sun, 17° 15' 9.47209

To Diff. fr. vifible \odot to the Middle o' 28" 7.89143
Vif. hor. Mot. fr. Sun (as 8^m to 2' 41") 20' 7" subtr. 9.52540

Time from vifible \odot to the Middle 1^m 24^s 8.36603

☞ Most *Astronomers* take the vifible Latitude of the Moon, inftead of the neareft Approach of the Sun and Moon, for finding the *Digits* eclipsed and *Scruples of Incidence*. — Who alfo direct to enter a *Table* with the Moon's vifible Latitude at vifible \odot , and take out the Distance from the vifible \odot to the *Middle*, and find the *Time* by the vifible horary Motion of the Moon from the Sun: But thefe *Methods* are all *erroneous*; as thefe *Requisites* cannot be truly afcertained but by finding the \angle of the Moon's vifible Way from the Sun, as above.

To find the TIME of Incidence, and thence the BEGINNING of the Eclipse.

Repeat the *Computation* for 85 Minutes before the Laft, (being as near the *Beginning* as can be eftimated,) as under.

85^m before vifible \odot (or within 24^s) at *London*, viz. 9^h 3^m 42^s
R. A. *Mædium Cæli* then 327° 3' 25"
Culminating Point ~ 24 45 31
Nonagefimal Degree \cap 0 16 0
H 2 Moon's

PALLADIUM OF FAME, 1765.

Moon's Place	°	11°	31'	34"
Dif. Moon fr. Nonagesimal Degree		11	25	34
Altitude thereof		31	28	9
Moon's Parallax in Long. fr. Sun			5	33
True Mot. Moon fr. Sun in 85 ^m			38	38
Sum of the Parallax in Long. Moon fr. Sun in 85 ^m				
(because the Moon is E. of the 90°, viz. 3' 30")				
+ 5' 33"				= 9 3
Visible Mot. Moon fr. Sun this 85 ^m	(*)	29	35	
Moon's Parallax in Lat fr. Sun		46	7	
True Lat. Moon N. subtr.		36	2	
Visible Lat. Moon S.		10	5	

	L.L.	
As visible Mot. Moon fr. Sun, 85 ^m bef. vis 29' 35"		9.60289
To Rad. So Dif. Moon's visible Lat. in 85 ^m , 8' 26"		9.14785

To Tan. Moon's vis. Way fr. Sun 15° 55' 9.45496

As Rad. to Cos. Moon's visible Way fr. Sun, 15' 55'	9.98302
So the <i>Scruples of Incidence</i> , 30' 56"	9.71227

To the Motion of *Incidence*, 29' 45" 9.69529

As vis. hor. Mot. $\text{D} \hat{=} \odot (= 29' 45'' \text{ in } 85^m)$ 21' 0"	4559
To 1 Hour, So the Mot. <i>Incidence</i> , 29' 45", subtr.	3047

To the Time of *Incidence*, 1^h 25^m 0^s 1512

* In the *Computation* before made, the visible Motion of the Moon from the Sun in 85^m was 29' 35"; but in finding the Angle of the Moon's visible Way, the *Scruples of Incidence* and Time of the same, 29' 25", was used by *Mistake*; which Error of 10" affected the *Computation* but very little: The Time of *Incidence* being but 3 *Seconds* the more,

Most of the *astronomical Authors* use the *Scruples of Incidence* for determining the Beginning and End of an Eclipse, instead of the Motion of *Incidence*, which is very erroneous; that is, they use the Motion of the Moon from the Sun in her visible Way, or Path, instead of the visible Motion of the Moon from the Sun in the *Ecliptic*. Which last Method is esteemed by much the best.

PALLADIUM OF FAME, 1763.

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For the Scruples of Incidence.

Apparent Semidiameter of the Sun	16'	2"	
Apparent Semidiam. δ at about 40° Altitude	14	57	
	<hr/>		
Nearest Approach	30	59	
	1	34	
	<hr/>		
Sum	32	33	L.L. . 2656
Rem. Parts deficient	29	25	. 3096
	<hr/>		
Scruples of Incidence	30	56	²⁾⁵⁷⁵² . 2876

As the Semidiameter of the Sun to $16' 2''$, to 6 Digits, so the Parts deficient $29' 25''$, to Digits eclipsed $11^\circ 0'$.

For the Time of Repletion and End of the ECLIPSE.

Take an Hour and half after the visible δ , or 98^m after the apparent Time of the true δ , at London.

90 ^m after visible δ (within 24 ^m) viz.	11 ^h	58 ^m	42 ^s
R. A. Medium Celi then	10 ^o	55'	6"
Culminating Point	γ	11	52 38
Nonagesimal Degree	γ	4	33 0
Moon's Place in the Ecliptic	γ	12	58 0
Dist. Moon. fr. Nonages. Deg. (viz. Dist. $21^\circ 50'$, the Parallax being added, is $21^\circ 35' + 15'$)	21	35	0
Alt. Nonagesimal Degree	47	50 $\frac{1}{2}$	
Moon's Parallax, Long. fr. Sun (found by her viz. Dist. $21^\circ 50'$, and Alt. 90° , $47^\circ 50' \frac{1}{2}$)	14	54	
True Mot. Moon fr. Sun in 90 Minutes	40	54	
Increase of Moon's Parallax in Long. fr. Sun in 90 ^m	11	24	
Visible Mot. Moon fr. Sun in 90 Minutes	29	30	
	<hr/>		
Moon's Parallax in Latitude fr. Sun	36	27	
True Lat. Moon N.	43	57	
Vif. Lat. Moon N.	7	40	

L.L.

As viz. Mot. Moon fr. Sun, 90^m aft. viz. δ , $29' 30''$ 9.69167
To Rad. So is Dif. δ 's viz. Lat. in 90^m, viz. $9' 19''$ 9.19111

To Tan. Moon's visible Way fr. Sun . . $17^\circ 31' \frac{1}{2}$. . 9.49944

As Rad. to Cot. Moon's visible Way fr. Sun, $17^\circ 31' \frac{1}{2}$ 9.97936
So the Scruples of Incidence, $30' 56''$ 9.71227

To Mot. of Repletion, or visible Mot. Moon fr. Sun in the Ecliptic, $29' 30''$ - - - 9.69163

As

As the visible Motion of the Moon from the Sun, $29^{\circ} 30''$, in 90 Minutes, To 90 Minutes, So Motion of Repletion, $29^{\circ} 30''$, To Time of Repletion, 90 Minutes.

Hence,	h	m	s
Apparent Time of the true Conjunction	10	20	42
Interval of true and visible \odot add		7	36
Apparent Time of visible \odot	10	28	18
Interval between \odot and Middle, add		1	24
MIDDLE, or greatest Obscurity,	10	29	42
Time of Incidence, subtr.	1	25	0
Apparent Time of BEGINNING	9	4	42
Time of Repletion add to Middle	1	30	
END of ECLIPSE	11	59	42

† The Parallax in Longitude of the Moon from the Sun is found by adding the Sine of the Altitude of the Nonagesimal Degree, and the Sine of the Moon's visible Distance from the Nonagesimal Degree, to *Stakerly's* Log. Log. of the Moon's horizontal Parallax from the Sun, which is the same as adding the Cosine of the Parallaxic \angle to the Log. Log. of the Moon's Parallax in Altitude, — And if the Moon has little or no Latitude, as in the Ecliptic, the Cos. Alt. of the Nonagesimal Degree added to Log. Log. of her horizontal Parallax from the Sun, will be the Log. Log. of her Parallax in Latitude from the Sun. — But if the Moon has considerable Latitude, the Sine of the Parallaxic Angle, added to the Log. Log. of her Parallax in Altitude, will give the Log. Log. of her Parallax in Latitude.

What is commonly called the Sine of the Parallaxic Angle, is called the *Cosine* in *Halley's Astronomy*; and what he calls the Sine, most Astronomers call the *Cosine* thereof.

To find the Moon's Altitude and Parallaxic Angle in this Eclipse to $9^{\text{h}} 3^{\text{m}} 42^{\text{s}}$, about 1 Minute before Beginning.

As Rad. to Cos. Dist. Moon fr. Nonag. Deg. $110^{\circ} 15' \frac{1}{2}$ 9.99156
So Tan. Alt. Non. Deg. $31^{\circ} 28'$ 9.72673

To Tan. 4th Arc, — $30^{\circ} 58' 24''$. . 9.77831
From Comp. Moon's Lat. $89^{\circ} 23' 58''$

5th or rem. Arc $58^{\circ} 25' 34''$

L. L.

As Cof. 4th Arc, 30° 58' 24" . . Co.	0.06681
To Cof. 5th Arc, 58 25 34	9.71900
So Cof. Alt. 90°, 31 28 0	9.93092

To Sine Moon's Alt. 31 23½ 9.71673

As Cof. Moon's Alt. 31 23½ . . Co.	0.06874
To Sine Moon's Diff. fr. 90°, 11 15½	9.29060
So Sine Alt. 90°, 31 28	9.71767

To Cof. Parallaëtic \angle , 83 8½ 9.07701

The Complement of which, 6 51½, Dr. Halley calls the *Parallaëtic Angle*.

N. B. When the Sun, Moon, &c. are in the same *Nonagesimal Degree*, then a *vertical Circle* cuts the *Ecliptic* at right Angles, and then the *Parallaëtic Angle* is 90°; but in *Halley's Astronomy*, Nothing, or 0 Degrees.

The *Parallaëtic Angle* at the Moon is computed in the above Manner to 1 Minute before the Time of the *Middle*, and 1 Minute before the Time of the *End*. That is, to the Times of the Computations 10^h 28^m 42^s, and 11^h 58^m 42^s, and are found to be 35° 11' and 67° 37½, respectively.

By these, and the Moon's visible Latitude near the *Beginning*, *Middle*, and *End*, the *Type* of the *solar Eclipse* is drawn correctly, in the Manner it was sent us by our Correspondent, (*agreeing with Observation*;) which was proved to be correctly true in computing the Sun's Altitude to those *respective Times*. And the Moon's *Depression* and *Elevation*, below and above the *horizontal Line*, was found as delineated by our Correspondent. And, by the like Method, the *Types* of all *Eclipses*, *Occultations* of the *Stars*, and *Transits* of *Mercury* and *Venus*, sent us by this Correspondent, and inserted in the *Lady's Diaries*, and *Palladiums*, of our compiling, have been performed for 17 or 18 Years back. Which *Method* is our Correspondent's own Invention and Discovery, as there is not a *Hint* thereof to be found in any Author: Though, some Years ago, *Edmund Weaver* (succeeded by *White*) drew the *Types* of *Eclipses* much better, in his *Ephemerides*, than any other Astronomer had done before; which is remarked in the *Royal Astronomer* (P. 404.) But our Correspondent never had any Communication with Mr. *Weaver*, and never saw him (he says) in his Life. Who observes, that he has seen a great many *Types* of the *Middle* of the last *solar Eclipse* for divers Parts of *England*, as well as for some remote *Cities*, done by Mr. *Witcomb*; but that he never saw any one described by him in the *proper Manner*, above mentioned, according to a *curvilinear Path* of the Moon in her visible Way over the Sun: Which Path is very different in Places lying at a considerable Distance from each other. But our Correspondent can draw the true Representations of all the *Eclipses*, *Transits*, *Occultations*, and *Appulses*, for any Part of

the Globe: Who is fettered (he says) in his *Dependence*, and therefore hindered from pursuing his *greatest Inclination and Delight; Astronomy*. Though we have Persons filling Employments at *Observatories*, possessed of but a very small Part of his *real Abilities*, as a *practical Astronomer*. Yet, at the same Time, this Nation is happily possessed of an able and eminent *Astronomer of Distinction*, whose *Vocation* being to *guide the Happiness of Mankind*, cannot but discern (with a *Pity and Regret* peculiar to his native *Goodness and Disposition*) the Disadvantage and Loss of Honour to this Nation, in such *astronomical Merit's* going unrewarded by the Public.

See the APPENDIX to the Palladium Supplement, (which Supplement and Appendix may be had of Mr. Fuller in Newgate-street, and Mr. Davenhill in Leadenhall street) for the Agreement of the Observation of the said Eclipse at London, with the foregoing Computation thereof from the Royal Astronomer; and the Disagreement of the Observation with other Computations from erroneous Tables.

COMPARISON of the OBSERVATION and COMPUTATION from the Royal Astronomer, LONDON.

SOLAR ECLIPSE, April 1, 1764.

Mr. Sisson's, Strand, Observed.			Computed from the R. Astron.			Error.			Strand, Observed.		
Apparent Time.			T. Converter.								
h	m	s	h	m	s	m	s		uncovered		
Beginning	9	4	53	9	4	42	+0	11	☉'s app. Diam.	31'	59"
Middle	10	30	43	10	29	42	+1	1	☽'s app. Diam.	29	49 $\frac{1}{2}$ "
Inferred End	12	2	20	11	59	42	+2	38	☽'s hor. Paral	54	13
Duration	2	57	27	2	55	0	+2	27	☽'s up. Limb	} 2 28	
Digits	11 ^d	4'	30	11 ^d	0'		+4'	30	☉'s app. Diam.	32'	4"
									☽'s app. Diam.	39	34
									☽'s hor. Paral	54	16

N. B. There was no more Reason for some to expect, as they did, a total Darkness in the late partial or annular Eclipse of the Sun, in the Moon's Passage over him, than from the Passage of Venus over the Sun. Both Appearances being admired by the curious, as useful in Astronomy.

Mr. Edward Johnson, of Hull, informs us, that he observed the Eclipse of the Sun, April 1, 1764, near the Spurn-Head, Yorkshire, and found the Time to correspond very near the Computation from the Royal Astronomer. — That the Progression of the Moon over the Sun's Disk seemed to promise an annular Appearance for some Time; that a short Time before the Middle, the luminous Horns of the Sun approached each other very fast, but did not meet. That when the Sun was most obscured, the lower Limb of the Moon was a very small Matter below the Sun, but not quite in Contact with it. Who takes Notice, that when two Circles, nearly of the same Diameter,

meter, touch inwardly, the Quantity of their intimate *Contact* is very considerable; and that therefore a small Part of the Sun's lower *Limb*, for a considerable *Distance* to the *Westward* of that Place where the *Eclipse* just appeared annular, must appear to be obscured by the Moon.

Who says, that Mr. *Metcalf*, of *Wentworth House*, in *Yorkshire*, observed this *Eclipse* by *Dolland's Micrometer*, and found it to begin considerably sooner than by his Calculation, and the Quantity eclipsed to be much less than he expected. Hence, he infers, that the *Tables* he computed by are very *erroneous*, and not to be depended on. That this *ingenious Gentleman* will, for the future, compute from those very *correct Tables* in the *Royal Astronomer*, which, he is now convinced, (he says,) are the most accurate of any extant. Who thus concludes :

" The *Royal Astronomer's* Merit will now carry it over all *Europe*. — Which
" noble Performance must stand the Test of Ages, and will lend its friendly
" Aid to Astronomers yet unborn, and will be ever an Honour to this Nation
" and its ingenious Author."

EDWARD JOHNSON.

*** Our Correspondents are desired to send their Letters, as usual, (franked or Post paid,) directed for the Palladium-Author, at Mr. Cole's, Mathematical-Instrument Maker, in Fleet-street.

Farther APOLOGY concerning the LADIES DIARY.

(See P. 19. this Palladium.)

IT having been also absurdly propagated by certain Persons, for Pretence of Justice in transferring the *Diary* Copy, that the *Palladium-Author*, during his compiling the *Diary*, introduced *Things* giving Offence, it is answered, that every *Diary*, or *Almanac*, must be licensed by his Grace of *Canterbury*, the *Bishop of London*, or their *Chaplain's*, before it can be published, according to a *Grant* from the Crown to the *Stationers Company*. Therefore, no *Blame* can fall upon any *Diary-Author*, or *Compiler*, nor yet on the *Company of Stationers*, for what is licensed to be printed as *aforesaid*. Nor is the *Palladium-Author* responsible for the *Conduct* of the *Company's Guides*, in employing *Authors*, who *sunk* the Sale of the *Diary* from 22 to 12 Thousand : As it could not be expected that a mere *Mathematician*, Namesake to a late *over-ruling Treasurer*, that arbitrarily employed him by taking the Copy out of the *Widow Proprietor's* Hands, could furnish Materials of fit Entertainment for *Ladies* and the general Reader.

The said *Company* having (by *Grant* from the *Crown*) the sole Property of printing and publishing all *Almanacs* in the *English Tongue*, (but in no other Language,) no Person whatsoever inventing and improving an annual Production, or Calendar, for them, can secure the Property of writing the Copy thereof to himself any longer than those having the Direction of their Affairs, by Rotation, shall think fit; because the said *Company*, only, have a Power to print the same. Whose *Rulers*, for the Time being, are at Liberty to give the Writing of any Copy (though never so much improved) to another *Compiler*, with-

1

out

out giving a Reason for the same. As they took the *Lady's Diary* Copy from Mrs. Beighton's Compiler, employed also by the then *Treasurer*, who (by his Influence over the *Stock-keepers*) gave it to his *Namesake* of *Woolwich Academy*, without giving the *Palladium-Author*, or former Compiler, a Reason for so doing. (See the *Charter and Grants from the Crown to the Company of Stationers, setting forth their Privileges, &c. printed by Osborne and Nutt. To be had of Mr. Merce in the Old Bailey, Price 2s. 6d. now in the Possession of the Palladium-Author.*)

Since every *Almanac-Copy* must be authorized with the *ecclesiastical Imprimatur* before it can be published, it were to be wished, that these annual Productions were made *Channels* of Improvement, for the Benefit of all his Majesty's Subjects throughout his whole Dominions, (instead of being the Channels they are, of *Prognostication*, and *Superstition*,) whereby *useful Knowledge*, and the *public Revenue*, by *Stamp Duty*, might be greatly increased. Especially if these annually-wanted Productions were, by Act of Parliament, put under the Cognizance of a proper *INSPECTOR GENERAL* before they went to the *ecclesiastical Authority* to receive their *Fiat* or *Imprimatur*.

The *Lady's Diary* (which is supposed to have made more *Poets, Historians, Philosophers*, and *Mathematicians*, than all other Books extant) was originally invented by the ingenious Mr. *Tipper*, the Author also of the *Monthly Delights for the Ingenious*. His Successor, in compiling the *Lady's Diary*, was the ingenious and capable Mr. *Henry Beighton*, F. R. S. who made therein Improvements in several Branches of Learning and *polite Literature*; as may be seen in the *Lady's Diaries* before the Year 1744; when the *Palladium-Author*, at the Request of the worthy Widow of the deceased Compiler, assisted her in compiling the *Diary* till 1753, that she might receive the *Copy Money* for her own Benefit, (though but 10 l. a Year, for 22 Thousand *Diaries* then sold.) He was also employed by the late *Treasurer* to the *Stationers Company* to assist the same *Lady*, for their Benefit also, which he continued to do, *disinterestedly*, with great *Freedom*, till the Widow *Lady* was deprived of her Right of compiling the said *Copy*: Though the *Company* vouchsafed to allow her (whilst they employed another Compiler) the annual *Copy Money* as long as she lived; in Order to transfer the *Diary-Copy Right*.

It was not thought an unworthy Character to write a *Lady's Diary* when Mr. *Beighton*, F. R. S. was the Compiler; after whom, his *Widow* conducted it in the proper Character of a *Lady's Diary*, (having every necessary Accomplishment;) but since the *Copy* was under a mere *Mathematician* at *Woolwich*, and lately under mere *Mechanics* to compile, (who perhaps may excell in making a *Lady's Machine*,) whether that *Elegance* and *Utility* now reign in the *Lady's Diary*, that so conspicuously appeared in a *Tipper's*, *Beighton's*, and a *Blow-sabella's* (or *Burton's*) Time, must be submitted to public Candour and Consideration. Especially as several of our ingenious and able Correspondents are of a contrary Opinion. And for which, see the following Sentiments of one of our able Correspondents, as most represent the present *Lady*, in a tatter'd Dress, and bewilder'd in Mind,

ANSWERS to the *ÆNIGMAS* in the LADIES DIARY, 1764.

The Soothsayer of Mount Taurus's LAMENTATION, for the Despair and Decline of DIARIA! Addressed to the Shades of her Father TIPPER, BRIGHTON her Friend, and BLOWABELLA or BUTTON — her three great Benefactors!

O Grief of Griefs! Thou Shade of <i>Tipper</i> mourn,	
<i>Diaria</i> doats, in LOVE at <i>Sixty-one</i> ;	1.
Her REASON gone, appears a stupid LOG,*	2. 7.
DREAMS of her COACH, though worth not Half a HOG.†	3. 5. 11.
BARBERS, WEAVERS, GARD'NERS, all conspire,	4. 10. 3.
And EPITH'LAMIUMS sing as <i>Dirges</i> dire!	9.
With Pen from <i>Maggie</i> , or from <i>Jackdaw's WING</i> ,	6.
In Flats and Sharps, by Guefs alone they sing!	Prize.
O Shade of <i>Tipper</i> , Shade of <i>Brighton</i> come,	
And save your <i>Darling</i> from Oblivion's Womb!	
* A painted Doll. † A Cant Word for a Skilling.	

*** ONE of our ingenious Correspondents (Mr. Tarrat of *Epsom*) is pleased to tell us, that "the *Palladium* for 1764 is like a rich Lady dressed for a Court *Birt-Night*, loaded with Diamonds."

We thank this and all our other ingenious Correspondents for the good Opinion they are pleased to express of our Work, by calling it "the most useful annual Performance extant," as we also acknowledge their Favours of encouraging the Sale thereof, without which there could have been no more *Palladiums*, even at the Price of 2s. each; all other Expedients to continue it, at a less Price, having been tried in vain. And we have of late made a Present of the *Palladium Copy* to the Bookseller, (whose annual Property it is,) to print the same for promoting the Cause of true Science, and to oblige our Correspondents; which yet requires their Encouragement, in Order to repay his Expences, as there are so few Readers of these Subjects. While the Readers of *Novels*, *romantic Tales*, &c. (which are the Subjects of every Understanding) are innumerable and abounding.

Mr. Walker (near *Newport Pagnel, Bucks*) cries out against Plagiarism; as if we could hinder it, or any from setting up false Characters. His Letter of Reproach we transmitted to Mr. Rowe, of *Reginnis, Cornwall*, to answer it as he thought fit. And what he has quoted from *Horace* and *Juvenal*, and improperly applied to our Partiality, (if he understands those Authors,) may be answered in English from the Story of *Horace's Fop*. His Objection about Rowe's conic Parabola (adopting conic Circle, conic Triangle, as alike proper, and having like conical Properties) refers to Custom of Speech. This wordy Champion threatens to attack us in Form, for our Neglect of his Merit, in omitting to insert his numerous Objections and contemptuous Reflections against our Correspondents, particularly against Mr. Rowe of *Cornwall*; against whom he has, as an Anti-plagiary, denounced War, (with great Shew of Pomp and Solemnity,) breathing Wrath and Indignation! But however the Fate of our Correspondents and of Mr. Rowe may be determined by him, we shall act upon the *Defensive* (as against all other Opposers) whenever his high Courage shall prompt him to fall on our Front, Flank, or Rear!

ERRATA in the PALLADIUM, 1764.

P. 20, L. 9. fr. Bot. for *Gunter's Scale*, r. *Chain*. P. 33, L. 6, for Mr. *Thomas Walker*, r. *Wilkin*. P. 35, L. 12, fr. Bot. dele of *Yorkshire*. P. 47, L. 2, dele of *Yorkshire*. P. 57, L. 6, fr. Bot. for *Fluxions*, r. *Navigation*. P. 58, L. 1, for *same Pall.* r. *Pall.* 1762. Omitting to dele *Yorkshire Jack* and *Harlequin Conjurer*.

ERRATA in the PALLADIUM-SUPPLEMENT, 1764.

P.	L.	Read
22 .	36	1780 24 ^d 21 ^h 33 ^m 3 ^s
24 .	4	Add to Jan. N. Moon. Blot a Day.
33 .	9	1793
30 .	9	3 ^s 2 ^o 42' 45"
	11	Ditto
	12	7 2 41 55
	12	3 3 37 18
	15	1 4 41 55
	15	9 3 57 18
	21	7 15 52 4
31 .	11	0 3 20 43
	13	0 3 40 2
	19	+ 1 48
	20	28 4 2 3
	20	Ditto

ERRATA in PALLADIUM, 1764.

P. 60, L. 13, r. 53 Leap =
212 Years.
P. L.
109. 23, r. x for Sine Co-Lat.
24, r. = Sine Sun's Decl.
25, r. = Cotang. Lat.
28, r. Tang. Co-Lat.
29, r. Sine Sun's Decl.
33, r. Sine Sun's Decl.
33, r. Sum of Rectangles.

We here rectify our Error communicated by our Friend, not observed till we communicated it to some Others, who then assumed the Knowledge of objecting to it.

P. 52, *Palladium* 1764. For Proof of the general Value of the Fraction, we put $\frac{a \times 9a^3 - x^3|^{\frac{1}{3}} - 2ax}{a - ax^2|^{\frac{1}{3}}} = \frac{3a}{8}$, its Value, = any Value, when $x = a =$ any Thing; but of limited Value when $a =$ given Quantity. Which is no more a Proof than that of $\frac{a^2 - x^2}{a - x} = 2a$, = any Value when $x = a$; though of limited Value when a is given.

The Proof of the latter is, $\frac{a^2 - x^2}{a - x} = a + x = 2a$, when $x = a$, agreeing with the Answer from the Method of Fluxions, disputed by a *Danmonian* Professor of all Arts and Sciences. But as there is no other Proof of the general Value, $\frac{3a}{8}$, of the said irregular Fraction, when $x = a =$ any given Quantity, and $\frac{3a}{8}$ limited, but from the Principles of Fluxions, it must rest there; and cannot be compared analytically, unless by throwing the Value of the said Fraction into a Series, and trying to what general Value the Sum of that Series will approach when $x = a$.

Strange

Strange but true Paradox! that a Fraction should be equal to any Value required, whose Numerator and also Denominator is of no Value, when $x = a =$ any given Quantity.

Mr. WILLIAM CHAPMAN, the Proposer's, SOLUTION to QUESTION XIX.
Palladium 1764.

THE Value of the 4 Lives are 15,8, 15,4, 14, and 10,1, Years Purchase. Then the *Ages* put in for filling up the Lease when a *Life* becomes vacant, appear to be between 7 and 12 Years; which answers to 16,4 Years Purchase. Then it will be, As 16,4 : 44,7 :: 200 : 545,122 *l.* nearly, the present Value of all the Sums paid for renewing the Lease: Which being subtracted from 2500 *l.* the Value of the Estate, leaves 1954,378 *l.* the present Value of the Estate.

Mr. Chapman, (in Question XX.) by a short Process, (putting $2x =$ Hopper's Breadth at the Top, $y =$ Perpendicular of the slant Side, $s = 8601,63$ solid

Inches in 4 Bushells) finds $x = \sqrt[6]{\frac{18ss}{64}} = 16,38479$ Inches, and $y =$

27,72553, and Inside Superficies of the Hopper = 1905,63 Inches; Allowance for Thickness of the Board = 13,696 Feet; Expence 2s. 3d. $\frac{1}{4}$. W. W. R.

Mr. Chapman's true SOLUTION to QUESTION X. in Palladium 1763, correcting (he says) Mr. Walker's and Mr. Rowe's Solutions to the same.

(See P. 36, Pal. 1764.)

LET ABC represent the triangular Field, and G the Place of the Wind-Mill from the Center of the inscribed Circle to the Point of Contact E. Draw the Radius EF. Put $FE = 8 = a$; $CG = 27 = b$; $AG = BG = 57 = c$; and $HC = x$; then will $CD = x + 2a$, and $GD = x + 2a + 60x = x + c$. Putting $2a + b = e$, $CE = x$, then the right-angled $\triangle FEC$ and CDB being similar, (because $\angle DCB$ is common to both.)

As $x : a :: x + 2a : \frac{ax + 2aa}{x}$; and (by 47. e. 1.)

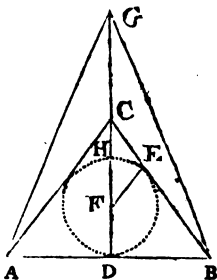
$aa + xx = x^2 + 2ax + x^2$, $\therefore xx = x + 2ax$.

Again, by 47. e. 1, $x^2 + 2ex + ce + \frac{a^2x^2 + 4a^3x + 4a^4}{x^2 + 2ax} = ce$; which reduced $x = x$,

and thence $AD = 24$, and $AC = CB = 30$, and $AB = 48$. W. W. R.

Remark. Thus we see the Consequence when Correspondents are not careful in using a right Process, and in bringing out the true Numbers for Answer, Correction necessarily follows.

THIS Correspondent, the ingenious Mr. Chapman, objects to subscribing for Half a Dozen Palladiums; because (he says) "One Palladium will serve to read 6 Times over, as well as 6 Palladiums will serve to read once over." Who herein sophistically argues against himself and the Continuation of the Palladium.



Palladium. For the *Palladium-Author* (annually giving away his Copy to oblige the Correspondents, by inserting their best Productions, and to promote true Science) means no more by getting *Subscribers*, than to carry the Work on (if possible) without Loss to himself, and to repay the Bookseller for his Expence, Hazard, and Trouble, in printing and publishing that Work. Without which Encouragement, (by Subscription, Purchase of the Work off the Bookseller's Hands, or some other Contribution to the Expence,) it is impossible for the *Palladium* to be continued; as has been elsewhere observed, and is here repeated. For no Bookseller will suffer a Loss (when the End of all Trade should be Gain) to promote Science and oblige scientific Correspondents; the Science of Trade (supporting all other Sciences, and even the Dignity and Strength of this Nation) being the Science of Gain; without which Science being first promoted, all other Sciences, Accomplishments, Dignities, and Honours, in this Nation, must fall to the Ground. So that, if Mr. Chapman, Mr. Walker, and some Others we could name, (objecting to our subscribing Scheme, to oblige their own Interest and Views as much as the Author's and Bookseller's, independent of each other,) do not chuse to be *Chapmen* (at Bookseller's Price) for as many *Palladiums* as they can dispose of among their Neighbours, or can get their Friends and Neighbours to take off, (whose Names shall be honoured in a printed Catalogue of Worthies of Science, as much as those Electors, who, for the Good of their Country, vote for a Member of Parliament,) why then there is an End of the *Palladium of Fame*, and of all the Honours attending it.

☞ The Buyers of the *Palladium* at 2s. will now have no Reason to object to its Price, since every useful Science will be improved therein, for their Improvement and Satisfaction, that is contained in all the best Authors extant; so as to render it a Work of universal Science and Utility, for so small a Price as 2s.

Of some late famous AUTHORS and PHILOSOPHERS.

AN Eighteen-penny Pamphlet, (lately printed for W. Nicholl in St. Paul's Church-yard,) called, *Short Observations on the Principles and moving Powers assumed by the present System of Philosophy*, is brought to Light, by a deep Hutchinsonian Author, who pretends to overturn all Sir Isaac Newton's Philosophy and all the Laws of Nature; who is sworn Brother to the Chatham Philosopher.

But our last famous Honiton Astronomer, Rival to the renowned Kennedy, is also Rival to the famous Hamfylde, late King of the Gipsies and Beggars; and therefore no Wonder he rivals the less sagacious Sir Isaac Newton by his immortal IMPROVEMENTS IN ASTRONOMY!

The Hull Syphon-Makers, or Beverly Philosophers, (condemning the Newtonian and Emersonian Principles of Mechanics,) made a Syphon of slit Deal, and undertook to drain the Country about Hull (or the German Ocean if there had been Occasion) of its Waters; being drowned by the Floods from the heavy Rains that happened, so as to oblige the Inhabitants to quit their Houses. But these Beverly Philosophers not knowing the Nature and Force of Pressure, their slit Deal Syphon would not perform; and instead of emptying, as they proposed, the overflowing Waters about Hull into the River Humber, their Syphon was destined to float there by itself, without any Owner.

(See Eclipse-Races, Price 1s. sold by Mr. Davenhill of Leadenhall-street, and Mr. Fuller of Newgate-street, for a particular Account of the same, and of other extraordinary Affairs.) — In the said Pamphlet, P. 18, L. 8, fr. Bot. for not thin Ring Pressure, read not thinking of Pressure.

Some

Some of the famous FERGUSON's and KENNEDY's Notes compared with each Other and with Themselves.

MR. *Ferguson*, in the *Crit. Rev.* for May 1763, P. 343, believes Mr. *Kennedy* to be an ingenious Man, a Searcher for Truth and sincere Christian — Notwithstanding he had before proved him to be guilty of the grossest Errors and Absurdities in *Mosaic Astronomy*. — *Kennedy* asserts a mathematical Precession in his Year, Lunation, and sydereal Day, yet excuses himself of detected Errors by Mr. *Ferguson* in his candid Examination, by a limited Sense of *Astronomical*, &c.

The *Critic* says, (P. 342, *Crit. Rev.*) the Bible was intended for a better Use than that to which Mr. *Kennedy* has applied it. The Divine-Author says, that the Bible is the Rule of his astronomical Belief; for which the immatbematical *Ferguson* represents the inastronomical *Kennedy* to be in an Error; while Mr. F. makes 26 Hours instead of $24^h 43^m$ between Mr. *Kennedy's* and *Pound's* Creation Full Moon, O^r. 4008 before *Christ*. P. 10, L. 6, erroneous astron. Pamphlet, Mr. F. says, the Sun is nearer the Earth in our Summer than Winter; but P. 14, L. 13, contrarily saith, that the Earth is nearer to the Sun in Winter, and farthest from him in Summer. P. 343, *astr. Pamph.* for 4007 read 4008 before *Christ*.

See last Advertisement in the Daily Advertiser, Feb. 11, 1764. And see *Omnes Tabule Fergusoniæ perpetuè blunderant, à conspicuo Autore, F. R. S. non obscure quackero et bodegepodgero Astronome.*

The solar Period, of 1440 Years, called by Mr. *Rivet* the Basis of Chronology, (though the Foundation of Ignorance and Error,) comes short of the Perfection he intended. — His Attempts in Decimal Arithmetic are very innocent and worthy; if the Price of his Book had not exceeded its real intrinsic Value.

To the AUTHORS and DISTRIBUTORS of SCANDAL for WIT and HUMOUR, in Fool's-Cap Hand-bills, April 1, 1764.

Qui capis, ille facit.

LEAVE Wit and Humour to superior Parts,
And undervalue all but borrowed Arts;
Let Ben beneath Old Maps and Pages groan,
And Jack be deck'd with Fluxions not his own.
Yourself to native Billingsgate betake,
Prize Impudence, and Decency forsake;
Teach Water Language in the highest Strain,
And the GREAT SCIENCE, how to be profane!
Teach Oyster-Wench how to swear and curse,
And Play-house Link-Boys how to take a Purse!
Incendiaries like, who always love the Dark,
Go, scatter Hand bills in St. James's Park!
Libel what's SACRED, what you dare not face,
And be the Authors of your own DISGRACE;
Call Reason, Madness; Candour call Pretence,
And Reëstimate of Judgement, Want of Sense;
Abuse the Government, (conceal'd from Light,)
Call all Things Error that you know are right;
Swear and forswear — as suits your Wrath and Spight!

}
Attack

Attack Religion, Things of *Shame* defy,
 Degrade the *Truth* — and never fear to *lie*.
 Such *bappy* Talents, when unknown for Crimes,
 Shall celebrate your *Names* to future Times;
 When good 'Squire CATCH, for such great *Deeds* perhaps,
 Shall friendly fit you with your own *FOOL's* CAPS.

MEMORITER.

ARGUMENTS *against* Desperate MEN scragging* *Themselves*.

Qui fecerunt in Culpa sunt.

CONSIDER on't, and think again,
Few are the very worst of Men,
 And those who do the *worst* of all,
 Should wait for *Tyburn's* timely Call.
Forging is but a *simple* Case,
 To rob and murder's far more base.
Incend'aries may m's their Mark,
 Firing their *PISTOLS* in the Dark!
Flinging by Yards is small Offence
 To Crimes of larger Consequence.
 And Crimes still riper grow like *Fruit*,
 To gather which the *Time* should suit.
 Whether more be, or less of them,
 When thriving on a *hopeful Stem*!
 Therefore defer the *dire* Intent
 To *scrag yourselves* — live and repent;
 To all a-Row Heav'n's Will be *DONE*,
 With *Justice* to each Mother's Son.
 And when the *Fruit* is fit to fall,
Squire CATCH will better *scrag* you All!

ANTI-GALLICAN.

* A Cant Word for *hanging*.

A LADY'S DREAM.

SHE fancied herself walking with her *Guide*, till she came into a *spacious Room*, where she beheld *FOUR PERSONS*, three of whom stood on an *Eminence*; and the fourth kept walking about the *Floor*, in the *Midst* of the said *Room*, beneath the *Rest*, with a lighted *Torch* upon his *Head*! — She turned to her *Conductor*, and asked him who these *four Persons* were; who thus answered her.

The venerable looking *Old Man*, standing on an *Eminence* opposite to you, is *TIME*, and the Woman standing on *TIME's* right *Hand* is *PRUDENCE*; the Person standing on *TIME's* left *Hand*, armed with a *Shield* is *CAUTION*; and the Person you see walking in the *Midst* of the *Room* is *VANITY*.

TIME having then a *Pow and Arrows* in his *Hand*, he immediately shot a *Dart* at *VANITY*, which hitting the *Torch* on his *Head*, down it fell, and vanished; at which *TIME* then smiled, and immediately shot three several *Darts* at

CAUTION,

CAUTION, which rising on his *Buckler* and rebounded; so that PRUDENCE, standing on TIME's right Hand, caught each Dart, severally, in her Hand, and presented them to TIME. CAUTION then vanished behind his *Broad Shield*, or *Buckler*; and TIME and PRUDENCE then remaining, both smiled! When her *Conductor* retired from the Room, and the *Lady* awakened from her *Dream*, in a green Field!

N. B. R. T. H. born the 17th of January, Half past 12 at Noon, 1764, and christened at St. Sepulchre's Church, London, the 19th of February; following.

APOLOGY for our CRITICAL REMARKS.

OUR Intention is to promote Truth and abolish Error, and not to give Offence; though we find some Authors are offended at our *critical Remarks* and *Corrections of Error*, which must arise from their Desire of being thought *infallible*: And such Authors (especially *Teachers*) are never willing to own themselves in an *Error*, even while they undertake to correct the Errors of all others: Such is the *Perverseness* and *Injustice*, we find, reigning in human Nature. But we, observing a contrary Conduct, submit our own *Mistakes* (not supposing ourselves *infallible*) to the *candid* Correction of Any, since Nothing *untrue* can support itself.

Kennedy and Bamfield are insufferable Instances of Error: yet are not pleased to be corrected. And we find *few Authors* are pleased at our making them appear less considerable in the Eyes of others than they appear in their own vain *Opinions*. And some have been so weak as to threaten us with the *Law*, (who would make a Figure among *Pope's Dunces*;) under Pretence of our hurting their *Properties*, for correcting their *Errors*, at the same Time they injure the honest *Properties* and *Improvement* of those buying their *erroneous* and *absurd* Productions, and censure the *Defects* of others with the greatest Freedom, and find Fault with Books and Authors they do not understand.

But, if the Judges of our Courts of *Judicature* were to grant *Informations* for *correcting the Errors in bad Books and false Science*, "what must become of all our literary and scientific Improvements," as a certain wise and learned Judge was pleased to observe? And do not we see the most licentious and savage *Liberties* taken with Books by the mercenary *Reviewers*, who give *good* or *bad* Characters of Books according as they are fed by the Booksellers or Authors; often criticizing Books (such as Mr. *Emerson's*) on Subjects they do not understand. And what are they able to say (without his Judgement) on his *Method of Increments*, or on his Treatises of *Mechanics*, *Fluxions*, and other high Subjects? Or what would they be able to say on an *Epic Poem*, such as *Milton's*; if a *Genius* like his were again to spring up? Would not *Addison's* Judgement be wanting to shew the trifling Defects and to point out the astonishing and abounding Beauties? While we often see *spurious Science* recommended by the *Reviewers* for truly *genuine*, when the *Bribe* is not wanting; and do not we see *Merit* degraded into the *worst Stuff*, when it is criticised by *Buffoon* and *Profligate* Critics! So that an honest Author would prefer the *ill* to the *good* Word of Men of no Principles or Honour, as Applause from such Men would be *infallible Scandal*; while their *Reproaches* would be interpreted *Applause* by the worthy Part of Mankind. — Our Intent is always to do *Justice*.

A VINDICATION of CANDID CRITICISM.

SHALL Error hope to be excus'd,*

Because poor Authors are accus'd!

Because Booksellers are concern'd?

Better those Books of their's be burn'd!

Learn EMERSON'S unerring Rules,

His Books are fittest Books for SCHOOLS.†

† Academies.

At which let Hedge-Row Authors pine,

And ill-DONE say those Rules are mine.

* No Conversation or Book is privileged in Defence and Propagation of Error.

WE having been deceived, and induced to recommend *West's Mathematics and Fluxions* for a second Edition, or a first Edition corrected and freed from Errors, at a Time when it stood charged with Error in the *Lady's Diary Prize Question*, (then unknown to us,) we since corrected the same in our *Palladium-Supplement* for 1764. And having also as great a Right as the *Diary-Compiler* to correct that Error, (notwithstanding *West's* Editor is said to have taken Offence at it, as well as at the said *Diary-Compiler*, for its having before escaped his Notice, though unpaid for, when *West's* Papers were laid before him prior to their Publication, to judge of what the Editor was supposed not to understand, as if an Error once escaping must, for that Reason, never be corrected,) we asked no Leave to do it. We were led into an Error, in what we recommended as a real second Edition; for we have since discovered, that the *Errata*, printed in the first Edition, were cancelled and not corrected in what is falsely called the second Edition, to make it really appear so, though altered for the worse by the Editor. Who cancelled *West's* XXI. Prop. as untrue, though as demonstrable as any Proposition of *Euclid*. (See *Palladium-Supplement* 1764, for a full and true Account of the whole of this fallacious Affair.) The Commendation of the Error by Reviewers, (or Editor's own Commendation sent to them,) shews their Judgement on the Subject; whose Praise and Blame are of equal Authority and Honour.

So that we having been imposed on by fallacious Pretences and Assertions, (contrary to the Truth of Mathematicians, who should deal only in demonstrable, instead of false Propositions,) we therefore relinquish our Recommendation of the said *West's Mathematics and Fluxions*, (at P. 108, *Pall.* 1764,) as mutilated from its Original, with the Defects and Improperities we have discovered and noticed in the *Palladium-Supplement*. And regarding our own Veracity, (being imposed on,) we leave the Book to speak for itself, as it shall be found more or less wanting or abounding in Truth or Error.

We also relinquish (for the above Reasons) our Recommendation of a Book of *Fluxions*, at P. 108, *Pall.* 1764, going without the Name of an Author for some Time, and since allowed by the Rev. Mr. *West* to have a Name different from his subscribed for its Author. This Book of *Fluxions* we leave also to speak for itself, as it shall likewise be found more or less abounding, or wanting in Truth or Error.

Thus, if a Gentleman should happen to be deceived in the Characters of other Men, (as well as in Books) he may justly leave every Person to follow his own Opinion concerning them, when he discovers that he is imposed on, and is at Liberty to relinquish his former Sentiments of them.

We find it to be no uncommon or new Artifice, among Booksellers and Authors, to cancel an old and print a new Title of a Book, with a few additional Leaves added, to sell a new Edition of spic-and-span-new Stuff, when the old would not go off! Who thus go on to 3d, 4th, &c. Editions.

Nor is the Artifice less known of new mapping a County, on an enlarged Scale and Plan, from the best old Maps in Vogue. If the Map-Makers are idle Fellows,

Fellows, and tired of doing well, they may pretend to take an *actual* Survey of a County, (though requiring a Life Time to be actually and accurately surveyed,) and may set up for *actual* Surveyors, by *actually* driving a *Post-Chaise* fitted with a *Way-Wiser* to measure some of the Roads, and Distances between Gentlemen's *Seats*, where they usually pay due Attendance and Homage, and sometimes are regaled for Encouragement. And it is farther necessary that every *actual* Surveyor should be provided with a surveying *Chain*, to be drawn to and fro between certain *Objects* by two or three of his idle Attendants, living partly, like their Master, out of the Bounty of the Inhabitants. Which being Done, an *ECHO* should be propagated of the *Latitudes* taken of several *Eminences* in the same County; with the *exact* Levelling of several Hills loudly proclaimed, and *angular* Distances put down in a Book of the different *Windings* and *Turnings* of *Rivers*, &c. will soon establish the Credit of a most accurate *Map-Maker* and *County-Surveyor*, as well as of an Eclipse Cut Maker and *Astronomer*, if any should chuse to take upon them the Profession of all those eminent Titles!

But after all the *Sweat*, *Busle*, *Boasts*, printed *Proposals*, and *Publications*, of *circumforaneous* County-Surveyors, when they have finished their large-sized *Map*, principally from *old Surveys*, and partly by referring them to a few of their *new Observations*, as soon as the *Map-Engraver* (whoever he may be) has made the Surveyor pay handsomely for engraving his *enlarged Plan* of the County (never to be put upon the *Fool's Shelf*) a *Price* that his *Maps* are never likely to return him the Money for, he [Mr. *Engraver*] has it absolutely in his Power to reduce the *whole* of Mr. *actual* Surveyor's Labour into a small and more *useful Compass*, (such an one as he was at Liberty first to take the *actual* Survey of a County from and transfer it to his *enlarged Plan*); and then he may call it his own Survey from Persons produced to affirm they were *actually* employed to survey it for the *Engraver* after it was surveyed by the *actual* Surveyor, so as to reduce it for his own Profit only. And if the *actual* Surveyor be not a sharp and clever Fellow, it is *Ten to One* but the Engraver may find Means to transfer the *original Plates* also to his own Property, (after the Surveyor has established his *Fame* by the Sale of Part of the Im-pression,) and at a *Price* worth his Acceptance, and paying for, pretended purely to leave Mr. County-Surveyor. Which Gentleman by this Time is supposed to be pretty well tired of his new *Scheme*, and exhausted in his Pocket, if not sunk by some Hundreds in his *Finances*. So that *Repentance* sometimes waiting on a County Surveyor too late, he, in vain, wishes himself re-established in his former Occupation (sometimes that of a Country *Schoolmaster*) that has now quite turned its Back on him, for having forsaken his *Wife* *Prudence* to follow *Idleness*, *Indiscretion*, *Ambition* (ot being a *Map-Author*), *Folly*, and *Madness*!

Thus Mr. *actual* County Surveyor sometimes *out-schemes* himself, like other Authors and Schemers for the Public, through a mistaken Judgement and misguided *Ambition*!

N. B. *We shall continue to give other Remedies for Ignorance, Vanity, and Error, gratis.*

The DOCTRINES of MORALITY, or PRINCIPLES, RULES, and DEMONSTRATIONS, concerning the CONDUCT and HAPPINESS of HUMAN LIFE.

DEFINITIONS.

1. THOSE *Actions* productive of *Pain* or *Misery* to Mankind are called *Evil*; under which Name or Distinction are reckoned all the *Vices*.
2. Those *Actions* productive of *Pleasure* or *Happiness* to Mankind are called *Good*; under which Name or Distinction are reckoned all the *Virtues*.

OF HUMAN LIBERTY.

SINCE every Man from his Experience is at *Liberty* in his *Will* (which is governed by his Understanding) to act, or forbear any Action, the *Happiness* or *Misery* of his Life, depending thereon, is wholly in his own Power, according to his own right or wrong *Conduct*. For if Man's Will were under external Influence, and not entirely in his own Power or Understanding to direct it, he could neither be capable of *Vice* or *Virtue*, or culpable or laudable for any Thing he did.

It is therefore in the *Liberty* of Man's Will, to act or forbear any Action, that all Vice and Virtue consists. For a *Madman* or an *Idiot* (void of Understanding to govern his Will) is never looked on to be culpable or commendable, punishable or meritorious, for what he does, with Respect to himself or his Fellow Beings. But such a Person is considered as acting by *Chance*, or accidentally, and not with any premeditated or deliberate bad or good Design, having not the Liberty of his Will, in which the *Demerit* or *Merit* of all human Action consists.

OF FRIENDS or ENEMIES to the PUBLIC.

He that publicly points out and demonstrates any *Irregularity* or *Error* in the Conduct of Life, is a Friend to the Public, or Promoter of its Happiness.

He that publicly promotes Error or Irregularity in the Conduct of Life, by ill Precepts or Example is an *Enemy* to the public Happiness.

He that acts indifferently in his Station is like a *defective Wheel* in a noble Machine, unworthy of Benefits arising from his Connections. And though it is better not to act at all than to act hurtfully, yet it is forfeiting our Duty not to do Good when we can.

There are Truths in the *moral Conduct* of Life, respecting Man's own Happiness, as he stands related to God, Himself, his Family, Friends, and Society, (for Man was created and lives to be happy, *if he will*,) therefore he that of himself cannot attain a sufficient Knowledge of necessary Truths for the Business of his Happiness, must apply himself to an able Instructor for his Guide. As there are many useful Truths derived from unerring Principles and demonstrative Reasoning, the common People are obliged to seek the Knowledge of from the *Mathematicians*, to answer the many good Ends and Purposes of Life.

But the established *Rules of Religion*, as the *Commands* of God, are at Hand, and are not to be disputed, any more than the Commands of a Monarch or General; which to do would be subversive of all Duty, Order, and Government, by Breach of *Subordination*. The *divine Rules* are more influencing than those of Morality, or of Men, (*though never so well demonstrated*,) as they only bear the Authority of human Reason: Which Particle or Ray of the divine Nature in Man, however, resembles the Perfection of God who gave it.

In a Treatise of *Morality*, intitled *Woolaston's RELIGION OF NATURE DELINEATED*, we find, *Distinctions* of moral Good and Evil; of *Man's Happiness*; of *Reason* and the *Ways* of discovering Truth; of the *Obligations* of imperfect Beings, with Respect to their Power of acting; Truths relating to the Deity, concerning his Existence, Perfection, Providence, and other Attributes; Truths respecting Mankind in general, antecedent to all human Laws; Truths respecting particular Societies of Men, or Governments; Truths concerning Families and Relations; Truths belonging to a private Man, and respecting (*directly*) only himself: All finely reasoned and demonstrated, but not designed for the common People

People to understand, any more than mathematical Problems and Propositions, their Solutions and Demonstrations. A *Specimen* of which moral Propositions we have exhibited farther on for the Use of moral Reasoners.

The People in general must be guided by Religion, and those Precepts and Rules for the Conduct of human Life to be met with in the BIBLE; which may be denominated the divine *Principia*, or CLASSIC of HUMAN HAPPINESS. The *trifling* Objections raised against that religious *Class*, by those who might well employ their Times better, the *Wits* and *Disturbers* of Government, will never be able to overturn its *Doctrines*, so plainly intended for promoting the Welfare and Happiness of a *Community*. So that when any Man has got just as much *Wisdom*, as will serve him to raise Disputes against the established Religion, and to contradict its wholesome Precepts and established Doctrines, we are from thence assured of the Size, the Depth, and Worth, of his *Understanding*; *Enthusiasm* and *Superstition* being here out of the Question.

These Disputes concerning natural Religion have arisen among the *Moralists*, which, being of a high and important Nature, we shall, to satisfy the *Curious*, give them (with a little Improvement) from *Woolaston's Religion of Nature delineated*.

1. Whether there be really such a Thing as natural Religion, properly so called?

2. If there be, what it is?

3. How may a Man qualify himself, so as to be able to judge, for himself, of the other Religions professed in the World, to settle his own Opinion in disputable Matters? and then to enjoy Tranquility of Mind; neither disturbing others, nor being disturbed, at what passes among them.

Of Moral Good and Evil. According to Woolaston's Religion of Nature.

THE Foundation of Religion lies in that Difference between the *Acts* of Men which distinguishes them into Good, Evil, and Indifferent: For, if there be such a Difference, there must be a Religion, and the contrary. Upon which Account it is, that such a long and laborious Enquiry has been made after some general Idea, or some Rule, by which comparing the aforesaid Acts, it might appear to which Kind they respectively belong. And though Men have not yet agreed upon any one Rule, yet one there certainly is, which is here proposed.

PROP. I. That *Act* which may be denominated morally good or evil must be the *Act* of a Being capable of distinguishing, choosing, and acting, for himself, or an *Act* of an intelligent free Agent.

Because no *Act* can be ascribed to that, not endued with these Capacities. For that which cannot chuse, and has not the Opportunity or Liberty of chusing for itself, and of seeing accordingly, from an internal Principle, acts, if at all, under a Necessity, *ab extra*, from without. But that which thus acts is in Reality only an Instrument in the Hand which imposes the Necessity, and cannot properly be said to act, but to be acted upon. The *Act* must be the *Act* of an Agent; therefore not of his Instrument. A Being under the above-mentioned Inabilities is, as to the Morality of his *Act*, in the State of inert and passive Manner, and can be but a *Machine*, without Will and Freedom of Action, and therefore incapable of Morality.

DEFINITION.

Those Propositions are true expressing Things as they are: Or Truth is the Conformity of those Words or Signs to the Things themselves, by which they are denoted.

PROP.

PROP. II. *A true Proposition may be denied, or Things may be denied to be what they are by Acts or Deeds, as well as by express Words, in a Proposition.*

It is evident there is a Meaning in many *Acts and Gestures*; such as in *weeping, laughing, struggling, frowning, &c.* Applications are sometimes made, and a Kind of *Dialogue* maintained, by the Casts of the *Eye*, and Motion of the *gigantic Muscles*. We read of *Foet* that spoke; and of a Philosopher who answered an *Argument* by getting up and walking about; and of another who pretended to express the same Sentence as many Ways by *Gesticulation*, as *Cicero* could do by all his abounding Eloquence. But there are *Acts* of other Kinds, constituting the Character of a *Man's Conduct* in Life, which have in Nature, and would be understood by an indifferent Judge to have, a real Signification; and so imply some real *Proposition*, as plainly, as one that is put down or spoke in Words. Therefore, if what such *Acts* evidently declare be contradicted, it must be a Contradiction of the *Truth*, as much as any *false Proposition* or Assertion whatsoever can be.

PROP. III. *No Act (whether of Word or Deed) of any Being, to whom moral Good and Evil are attributed or imputable, interfering with any true Proposition, or denying any Thing to be as it is, can be right.*

For, if that *Proposition* which is false, be so, or wrong, that *Act* which implies such a *Proposition*, or is founded in it, cannot be right; because it is the very false *Proposition* put in Practice.

And those *Propositions* which are true, and express Things as they are, express the proper Relation between the *Subject* and the *Attribute*, as it is; either affirmed or denied thereby according to the Nature of that Relation. And this Relation (or its Nature) is determined and fixed by the Nature of the Things themselves. Therefore Nothing can interfere with any *Proposition* that is true, but it must likewise interfere with its Nature, Nature of Relation, and of Things, and consequently must be *unnatural*, or wrong in Nature. So very much do those Gentlemen mistake, who, following Nature, mean only to comply with their bodily Inclinations, though in Opposition to Truth, or without Regard to it. Truth is but a Conformity to Nature; to follow her cannot be to oppose Truth.

If there be a *Supreme Being*, upon whom the Existence of the World depends, (and that there is all Nature cries aloud!) and Nothing can be, but what he either causes or permits to be, then to own Things to be as they are, is to own what he causes or permits to be thus caused or permitted, which is to take Things as he gives them, to go into, and agree with, his Constitution of the World, and to submit to his Will revealed in the Book of Nature. To do which therefore must be agreeable to his Will. And if so, to do contrary must be disagreeable to it: And especially, as we shall quickly find there is a perfect Rectitude in his Will, to do contrary is certainly to do wrong.

This must not be understood in Respect to the Actions of wicked Men. It is not agreeable, that when *Ill* is done by them, that it should be so done, or that they should make an ill Use of their Liberty. But when they have done this, and committed Evil, it is agreeable to his Will that we should allow it to have been committed; since it would be disagreeable to his Will that we should deny the Fact.

Since the owning of Things to be as they are, in all our Conduct, is direct Obedience to God, so the contrary, or disowning Things to be, or to have been, as they are, or have been, contrary to what they are, is direct Violation of Truth and Rebellion against the Author of Nature. It would be as much as to say, 'God causes such a Thing to be, or permits it; or the Relation between this and that

' is of such a Nature, that one may be affirmed of the other, &c. which is true ; but yet some will not admit to be so ; yet act as if it were so.' They pretend the *Laws* of Nature are ill framed, not regarding them ; even *Existence*, with them, shall be *Nonexistence*, when their Pleasure asserts it. Such an impious Declaration is a voluntary Breach of Truth.

Things cannot with Propriety be denied to be as they are, in any Instance whatsoever, without Contradiction to self-evident *Axioms* and eternal Truths.

To put bitter for sweet, *Darkness* for *Light*, crooked for straight, &c. is subversive of all Science, and renouncing all Sense and *Consciousness* of Truth, and flatly denying the *Consciousness* we have of the *Existence* of any Thing.

To deny Things to be as they are is a Transgression of the great *Laws* of Nature, the Law of *Consciousness* and Reason. For Truth cannot be opposed without Violence to Reason ; and the Nature and Force of Truth is amiable.

If we were to judge by what we feel in ourselves, the least Truth in Nature cannot be contradicted without much *Reluctance* and *Offence* to the Mind ; and to see others disregard it is not only displeasing, but shocking ! — See *Woodstock's Religion of Nature* for the Rest.

COROLLARY.

Hence a *Lie*, in Prejudice of another, is one of the greatest Crimes, and a *Liar* one of the greatest Criminals ; because a *Lie* is a false Representation of God's Truth, and a *Liar* a false Representer ; whether in speaking or acting a *Lie*, or the Thing which is not.

SCHOLIUM.

All the *Vices* are *Lies*, and all the *Virtues* are *Truths* ; whether they are represented by the Words or Actions of the Representer.

PLATO'S MAXIMS.

1. Not to give one's Assent but to evident and certain Truths, and to disengage one's Mind from all Kinds of Prejudice.
2. Never to attempt to handle Questions which are impossible to be decided.
3. To distinguish well between what we know, and what we are ignorant of ; and not to believe we know what we do not understand.

OBSERVATION.

Hence, Plato knew there were certain Truths, and such Principles as might be termed *Dogmata*. For while he doubted many Things, he affirmed some to be absolutely true. He entirely followed *Socrates's* Manner of disputing, and avoided the decisive Air of *Sophists* and *Dogmatists*, who affirmed any Thing, even bare Probability for Truth.

PLATO'S DIVINE DOCTRINES.

Plato taught NATURAL PHILOSOPHY regarding *Speculation*, MORALITY regarding *Action*, and DIALECTIC regarding both, and the Distinctions of Truth ; comprehending a perfect System of Knowledge and true Happiness.

The Perfection of MORALITY he makes to consist in living conformable to Nature, or the Will of the DIVINE BEING, Author of all sovereign Good. The Scope of all human Desires being to obtain every Thing of God necessary for Soul and Body, in our present and future State.

Thus *Happiness*, or Good, he divides into *divine* and *human*.

The

The *human Good* concerns what we ought to attain for the present State of our Being; being the *Goods of Body and of Life*. The *Goods of Body* are *Health, Beauty, Good Humour, Strength, &c.* The *Goods of Life* are *Friends, Riches, and every Thing that employs and advances Virtue.*

A Man is not born for himself alone, but is united to all other Men by *Society*, that renders him a Member of *one and the same Body*; to the Advantage of which all his Thoughts and Actions ought to refer.

Divine Goods are those of the *Soul*, or every Thing which renders it capable of *knowing, improving, loving, and of embracing, that which is amiable, lovely, &c.*

Plato enumerates *Prudence, Temperance, Justice, and Valour*, among the principal Virtues.

He makes the *Happiness of Life principally* to consist in *Virtue*; which Happiness is rendered complete when the *Goods of the Body*, and those necessary for the Promotion of *Virtue*, are joined. Whence arises an indispensable *Obligation to Labour*, for filling up the *Duties of Life* imposed by Nature. Which *Obligation* engages us to avoid *Idleness and criminal Pleasures*; necessarily binding us to endure all Sorts of *Labour*, with *Pain*, to obtain that which is just and honest. Whence *Friendship, Justice, and Equity*, result, preterable to all other Pleasures and Advantages of Life.

Plato every where inculcates a disinterested Frame or Disposition of Mind, and the Contempt of *Riches*.

Teaches to *postpone* all the Gold in the World, unjustly applied, to the *least Virtue or sovereign Good*.

He prompts Men to expose themselves to Death, in the Defence of *Justice*, and in the Maintenance of *Laws, Order*, and the *public Good*: (Can *Religion* teach more?) Who would have us avoid not only all *criminal Pleasures*, but *Delicacy, Idleness, and too much Sleep*.

His *Precepts* are full of *Truth, Chastity, Temperance, Modesty, Patience, and Humility*; accompanied with *Proofs* of their *sovereign Good* to Mankind. Who utterly overthrows the Principles of *ill Morals*, after he has proposed and shewn them in their full Strength; and does it in such Reasoning as is truly worthy a great Philosopher. That almost every Thing in *Plato's Doctrine* nearly amounts to *Christianity* itself. Which divine Author speaks largely of the Duty and Honour due to Parents.

The Way of honouring Parents duty, he says, is to love them more than our Children, or even ourselves.

These Arguments of this great Philosopher in the *dark Ages of Idolatry* are great Proofs of the Rectitude of *filial Duty* here recommended, and of *Christianity's* being then near its Birth, with which *Plato's Doctrines* now so exactly correspond.

Plato maintains that no *Injury* should be offered to any Man, not so much as to him who has dealt injuriously with us. Who makes it appear, that to introduce this *Maxim* into civil Conversation, that it is *lawful for a Man to revenge himself, and render Evil for Evil*, is to pretend to lay a Foundation for *Justice* in innumerable Acts of *Injustice*; and to open an inexhaustible Source of *Crimes and Acts of Violence*: (*Exactly corresponding with the Doctrines of the divine Socrates, and agreeable to the Doctrines of Christianity.*) Who goes on to say — What *Bank* would be strong enough to stop such an Inundation of Wickedness? and where would the *Injury and Mischief of Revenge* end? He carried his Arguments against *Revenge* so far, as to maintain, that he who revenges an *Injury* is a greater

greater Criminal than he that commits it; whilst Remedies of Justice are allowed for all Sorts of Crimes.

Plato teaches the *Necessity of Prayer*. Who says, if a Man has any Degree of *Wisdom*, he will venture upon no hazardous or good Undertaking without the *Invocation of the divine Being* for his Success.

The ancient *Pythagoras* used to thus inculcate this Doctrine: 'Begin all thy Actions with Prayer, that thou mayest be able to accomplish them.'

Plato says, that Men are so blinded by their *Passions*, that they know not how to pray well, unless God instructs them; and therefore the *truest Prayer*, and that which alone can be agreeable to God, is to request of him to perform his own Will in us, and not ours.

The most considerable Thing in *Morality*, *Plato* shews, is the *political Part* of it; the true Use of which he endeavours to demonstrate, and to establish this *Part of Morality* in that *Perfection* from whence it fell by the Corruption of Men.

In the Time of this *Philosopher*, *Injustice* had overturned all the States of *Greece*, so that not one Government was left that deserved to be approved. *Plato*, against this Disorder, gave a perfect Model of a most just Form of Government, that all States might correct the *Vices* in their Government by his Pattern. For which Purpose he employs his Books of a *Commonwealth* and those of *Laws*, in which he, after a wonderful Manner, reconciles *Policy* to *Religion*; the latter being the Basis of the former.

He shews that *Princes* and *Governors* of States can never conduct the People well, but by imitating the KING of KINGS, the sovereign Lord of the Universe, and only perfect Model of all *Wisdom* and *Justice*. For (he says) as a *Sheep* is not capable of guiding the whole Flock, which ought to be under the Conduct of a *Shepherd*, so one Man is not capable of conducting others, who all ought to be subject to God.

Plato gives admirable *Precepts* for the Establishment of *Priests* and *Magistrates*. He would not have them chosen for their *Birth*, *Riches*, *Credit*, or *Power*, but for their *Piety* and *Merit* only. Those are the best (says he) who yield the greatest Obedience to the *Laws*, and excel all the Rest of their Fellow Citizens in that Respect, &c.

He shews that the *monarchical* is the most perfect Form of all Governments; because it approaches nearest to the first Model; but that the Power of it ought to be limited by the *Law*, which is to govern as the *supreme Reason*.

After having shewn the *Good* and *Evil* of all known Governments, he maintains that all political Schemes will tend to render the *Ruler* powerful to the Detriment of the *Subject*, and which makes all the *Virtue* of the Sovereign to consist in confirming and augmenting his Power, leaving *Justice*, *Patience*, *Goodness*, *Fidelity*, and *Humanity*, as *Virtues* only becoming *Slaves*; this is no better than open Tyranny. That the End of all true *Policy* is to make all the Members of a Community live together in Society like so many Brothers after the most happy Manner that can be, without either Poverty or very great Riches, according to the Rules of *Piety* and *Justice*; and to engage *Princes* to employ Men according to the different Talents they discern them fit for. — Now and then introducing *satyrical Fables* on Government, not necessary here to be quoted.

His Treatise of *Policy* is full of admirable *Maxims*, and such as are worthy to be engraved on the Hearts of Mankind. There is only one considerable Defect in his *Politics*, in taking away *Meum* and *Tuum* from the Government which he forms; instituting a *Community*, not only of *Estates*, but also of *Women* and

Children. Which Notion was not entirely *chimerical*, but had been partly put in Practice among the *Lacedemonians* and some other Nations; but does not excuse it from being a *vicious Usage*; since no Authority of Custom can render that *good*, which is in its own Nature *evil*. This Community of Things and Persons cannot conduct this *Lawgiver* to the End he proposes; but, on the contrary, sets him at a greater Distance from it, and makes him lose the Advantage of all he had before established. For instead of uniting his Citizens, this Community divides them, by breaking asunder all Relations, and all the most sacred Ties of Nature, and trampling on Laws and Religion, Honour and Decency. Before the *Christians* shewed their Indignation against a *Maxim* so full of *Wickedness* and *Error*, the *Pagans* discerned the Falseness of it: For *Aristotle* attacks it in the 2d Book of his *Politics*. Nay, *Plato* himself abandons it in his 6th Book of *Laws*, where he restores all that Honour to Marriage of which he had before divested it.

Plato goes on, and forms his *wise Man* after the Model of *Moses*, giving an amazingly great *Idea* of his *Philosopher*. He founds his Religion on Revelation, established by Tradition and antient Oracles.

He teaches the Belief of *one God*, who is infinitely good, loves Mankind, and is willing to render them happy; and who, as he is also infinitely just, makes none happy but those who resemble him, and punishes such as dishonour the sacred Character he has imprinted on them.

He forbids domestic Chapels and Altars. Then he describes *what God is*, in this wonderful Manner.

GOD (says he) is *one eternal, immutable, incomprehensible Being*. He created and disposed all Things by his Wisdom; he maintains and preserves all Things by his Providence; he is in all Places, and no Place can contain him. He is all Things; and yet he is none of those Things which are by him, and have received their Being from him. For he is greater than Essence itself. He sees all Things, knows all Things, and penetrates the most secret Thoughts; he fills the Capacity of the Deep, and the Immenity of the Heavens; all Knowledge, Good, Virtue, Light, Life, are only in him, and are himself. He is at the same Time infinitely good and infinitely just. He loves Man with a singular Affection, and created them only to render them happy: But as he is Holiness and Justice itself, he makes none happy but those who resemble him in Righteousness and Holiness; and punishes those who had corrupted the sacred Character he had impressed on them, by creating them after his own Image.

He shews of what Importance it is to regulate Plays, and what the Pleasures of the People ought to be; describing the pernicious Consequence of corrupt Plays.

He would have Judges established to judge of Plays; and appointed, in the same Book of *Laws*, Judges to judge of *Fables*, to hinder Corruption. He judges proper *Comedies* necessary. Who treats the Business of Plays and Shews thoroughly, as a Matter of great Importance to a State. — For other curious Matters we refer the Reader to his Works.

Farther RULES of the true OECONOMY in the CONDUCT and HAPPINESS of HUMAN LIFE.

Extracted from the best Authors, who extracted them from Others.

INTRODUCTION.

I. ALL Things, their Order and Beauty, proceed from GOD. Whose Power, Wisdom, and Goodness, are unbounded. His Mind is the Fountain of Truth.

2. He created Man, whose Station on Earth is by his Appointment, and the Powers of whose Mind are his Gifts, and the Wonders of whose Frame are his Works.

I. *The DUTIES of MAN considered as an INDIVIDUAL.*

CONSIDERATION 1. Man must contemplate his Powers, Wants, and Connections, to discover his Duty. Who is not to speak or act without weighing his Words and considering the Tendency of his Actions: Otherwise Repentance may follow.

2. As one, that hastily and without Precaution leaps over a Fence, may fall into a Pit, yet *unperceived*; so is he that plunges suddenly into Action without considering the Consequence.

3. Hearken therefore to the *Voice of Consideration*.

MODESTY. 1. The first Step to Wisdom is for Man to consider himself ignorant, and never to seem to be wise in his own Conceit.

2. As a *plain Dress* best adorns a beautiful *Woman*, so Decency in Behaviour is a great Ornament.

3. The Speech of *Modesty* adds Lustre to Truth; and *Diffidence* of Speech is an Excuse for *Error*.

4. Rely not on your own *Wisdom*, but take the Counsel of Friends.

5. Be not fond of your own Applause; but endeavour to excel others, and to discover your own Imperfections.

6. *Modesty* sets off *Virtue*, as a Veil sets off *Beauty*.

7. The Vain and Arrogant court Observation, assuming Superiority with *Insolence*; while the Wise and Worthy look down on their Pride and Conceit with Derision.

8. The Vain greedily swallow their own Praise, while the Flatterers eat them up.

APPLICATION. 1. As the Days that are passed are gone, and those which are to come may never arrive, the *present Time* is only ours; to make the best Use of which, without Delay, is human Prudence and Wisdom.

2. *Idleness* is the Parent of Want and Pain; but *Labour* is the Parent of *Virtue* and Pleasure.

3. *Diligence* defeats Want; and Success and Prosperity commonly attend the industrious.

4. To exercise the Mind with Contemplation, and the Body with Action, is to preserve the Health of both.

5. The Man of Sloth and Idleness is burthen some to himself; he leaves no Mark of Remembrance behind him.

6. He is diseased for Want of Action; and his Mind is overrun with *Ignorance* and *Vice*, as a Piece of Ground is overrun with *Weeds* for Want of Cultivation.

7. In the idle Man's House dwell *Riot* and *Disorder*; and *Ruin*, *Shame*, and *Repentance*, are his *Attendants*.

EMULATION 1. Exalt thyself to Something that is *praise-worthy*, if thou wouldst be esteemed.

2. The Oak now spreading its Branches to the Heavens, was once but a small *Acorn*.

3. Let None go before you in *well-doing*; envy not the Merit of others, but improve yourself.

4. Raise yourself above another by excelling him; and thy Superiority and Success shall be crowned with *Honour*.

5. A *virtuous Emulation* rises, like the *Palm-Tree*, above the *Power of Oppression*; as Eagles soar aloft with their Eyes fixed upon the *Sun*.

6. The *Examples* of eminent Men are a Pattern for Others.

7. Envy is a Bitterness and Scourge to the Possessor.

8. The envious Man feels no Benevolence in his own Breast, and therefore he believes no Kindness to be in the Breasts of others.

9. He is crushed like a *Spider* in his own *Web*, whilst he is setting Traps for his Neighbours.

PRUDENCE. 1. Is the Guide to human Happiness.

2. Take Heed lest your own Words destroy your Peace.

3. Whoever speaks ill of another *personally*, is liable to hear of his own Faults with *Shame*.

4. In *Silence* is Safety, but in much speaking Repentance.

5. A talkative Person is a *Nuisance* to Society; the Ear is tired of his Prating; the *Chatter* of his Words confounds Improvement.

6. *Boasting* produces Contempt, and the personal Derision of others, *Hatred*.

7. A bitter *Jest* is a Poison to Friendship.

8. *Frugality* is the Parent of Prudence and Happiness.

9. Extravagance, Avarice, or Folly, is the Parent of *Misfortune* and *Evil*.

10. Assiduously engage in your own Affairs, and leave the *State* to its proper Governors.

11. *Expensive* Pleasures exceed the Worth of their Enjoyment.

12. *Indulgence* in Superfluities of Life leads to the Want of its Necessaries.

13. *Prosperity* should not reject *Caution*, nor *Abundance* disdain *Frugality*.

14. Trust no Man till you have tried and proved him. Mistrust no Man without Reason; it is uncharitable.

15. An *honest* Man, when *proved*, is a *Jewel* of inestimable Value.

16. Accept not the Favours of the *Mercenary*; and make no Friendship with the Profligate, or Men of *ill Principles*; they are dangerous to your Happiness.

17. Leave not any Thing to *Hazard* which Foresight can provide for or Caution prevent.

18. Learn *Wisdom* from Experience: By the Mistakes of Others let your own Errors be corrected.

19. Success generally, but not always, attends on *Prudence*.

FORTITUDE. 1. Perils, Misfortune, Want, Pain, and Injury, are the Lot of all Men; against which fortify your Mind with *Patience* and *Courage*.

2. A *noble Spirit* is not captivated with the Smiles, or depressed with the Frowns, of Fortune.

3. The Man of *Fortitude* is as unshaken as a Rock when the Waves of Fortune beat against him.

4. His Head is lifted like a *Watch-Tower*, his Heart sustains him in Time of Danger, and the Arrows of Fortune fall at his Feet.

5. He meets the Evils of Life undaunted, and returns with Victory.

6. Calmness alleviates the Weight of Misfortune, and Constancy surmounts them.

7. A dastardly Spirit betrays to Shame.

8. Shrinking under Poverty is stooping to *Meanness*.

9. Tamely suffering Insults is inviting Injuries.

10. As a Reed is shaken, so the Shadow of Evil makes some afraid.

11. In *Danger* some are embarrassed, and sink in Misfortune with Despair.

CONTENTMENT. 1. The Wisdom of God denies the unprofitable Requests of Man; yet for all reasonable Desires and honest Endeavours has established a Prospect of Success.

2. From *Folly, Pride, and a distemper'd Fancy*, proceed many Misfortunes complained of.

3. *Wealth, Power, and Leisure*, bring their peculiar and respective Inconveniences.

4. The *poor Man* sees not the Anxieties of the *Rich*, and feels not the Difficulties of Power, nor knows the Fatigues of Leisure; and therefore he repines at his Lot.

5. Appearance of Happiness is sometimes great Grief.

6. Cares increase with Riches, but Contentment is a continual Feast.

7. Riches cannot make you unhappy, if Justice, Temperance, Charity, and Modesty, are not on your side.

9. The Cup of *Felicity*, pure and unmixed, is not a Draught for mortal Men.

10. Virtue is the Race, and Happiness the Goal.

TEMPERANCE. 1. Health, Wisdom, and Peace of Mind, are the Fruits of Temperance and Exercise.

2. Shun Idleness, the Allurements of voluptuous Pleasures.

3. Diseases, Disquiet, and Death, wait upon Luxury, Laziness, and Intemperance.

4. Short Hours of Jollity and Riot are followed with long Intervals of Dejection and Pain; a just and natural Consequence to those who abuse the Gifts of God.

5. The Rose blushes on the Cheek of *Health*, the Sweetness of the Morn breathes from her Lips; Joy, tempered with Innocence and Modesty, sparkles in her Eyes; she sings as she walks, from the Chearfulness of her Heart.

6. *Health* is the Daughter of *Exercise*, who begot her on *Temperance*. Their Sons inhabit the Northern Regions.

7. They are brave, active, strong, and lively, and partake of their Sister's Virtues.

8. Their Father's Employments excite their Appetites, and their Mother's Repasts refresh them.

9. To combat the *Passions*, and conquer evil Habits, is the Delight of these wise Children.

10. Their Pleasures are moderate, and therefore long; and their Repose is short and undisturbed.

11. Their Blood is pure, and their Minds are serene.

12. But their Health, Strength, Beauty, and Activity, are expos'd to the Temptations and Dangers of *lascivious Love*! — From whose Snares and Allurements spread abroad they should fly with all possible Endeavours, as Danger that is followed with *Diseases, Sorrow, Want, Care, Shame, and Repentance*.

II. Of the PASSIONS.

HOPE and FEAR. 1. The Promises of *Hope* are sweeter than *Roses* in the Bud; but the Threatenings of *Fear* are a Terror to the Mind.

2. Let not *Hope* or *Fear* deter you from doing what is right; but meet all Events with an equal Mind.

3. In all reasonable Undertakings let thy Endeavours be animated with Hopes of Success.

4. Be not terrified with vain Fears, nor sink your Spirits with the Phantom of Imagination.

5. From false *Fear* proceeds Misfortune; but by *Hope* comes Help.

6. As the *Ostrich* pursued hides his Head, forgetting his Body, so *Fear* and *Cowardice* expose to Danger.

7. *Perseverance* overcomes all Difficulties; but Doubt of Success brings Disappointment.

8. *Vain Hope* flatters the *Weak*; but the *Wife* will not pursue it.

9. Let *Reason* preside over your *Hopes*, that they exceed not the Bounds of *Probability*; and Disappointment shall be kept afar off.

JOY and GRIEF. 1. Let not your *Mirth* intoxicate, nor your *Grief* depress your Mind. No present Good is so transporting, nor Evil so dejecting, as to require us to rise or sink far above or below Moderation.

2. The *House of Joy* (painted gay on the outside) is a House of Noise and Exultation, wherein dwell the Sons and Daughters of *Madness* and *Folly*!

3. The *House of Grief* (overshadowed with Trees and hid from the Sight) is a House of Misery and Despair, wherein dwell the Sons and Daughters of *Sadness* and imaginary *Affliction*!

4. *Riot* and *Excess*, *Dangers*, *Mischief*, and *Evils*, meet in the *House of Joy*.

5. *Sighs*, *Lamentations*, *Complaints*, *Weepings*, *Weakness*, and *Melancholy*, meet in the *House of Grief*.

6. Avoid the Habitation of *Grief*; her Breath is contagious, blasts and withers the Fruits and Flowers that adorn and sweeten the Garden of Life.

7. Equally avoid the House of *Joy* and of *Grief*; and pursue the *middle Way*, leading by a gentle Ascent to the Bower of *Contentment*, wherein dwell *Peace*, *Safety*, and *Tranquility*.

8. *Contentment* is always chearful, but not gay; serious, but not dull; and sees the Joys and Sorrows of Life with Steadiness and Serenity of Mind.

9. Thus conducted to the Bower of *Contentment*, you may, as from an *Eminence*, look down with Pity on the riotous Follies and melancholy Miseries of Life!

10. These are the Attendants of those who pursue *Jollities* and *Excesses*; and of those who spend their Days in complaining of the Woes and Calamities of Life: By whose *Errors* you are admonished to keep from going astray.

ANGER. 1. As the *Whirlwind*, tearing up Trees, and deforming the Face of Nature in its Fury, or as an *Earthquake*, shaking or overturning Cities in its Convulsions, so the Rage of *Anger* deals *Mischief* and *Destruction* around it.

2. Indulge not your Passion of *Anger*: It is like making keener a Sword to wound your own Breast, or with which to murder your Friend.

3. *Alexander the Great* destroyed his Friend *Clytus* in his Rage of *Anger*, who had before in Battle preserved his Life.

4. By considering your own *Weakness*, you will find Pardon for the Frailties and Failings of Others.

5. To bear slight Provocations with *Patience*, will be imputed to Wisdom.

6. And to wipe off Provocations from *Remembrance* will give Peace in your Mind, and banish Reproaches from Others.

7. Let the *Madness* of *Anger* be a Lesson to avoid it; and never put to Sea in the Violence of a Storm.

8. Guard against all the Occasions of unruly *Anger*.

9. A wife Man laughs at insolent Speeches and Derision.

10. Entertain not Revenge, to torment the Revenger, and discompose your natural and good Inclinations.

11. More readily forgive than revenge an Injury; which often draws down Mischief on the Revenger.

12. Soft Answers to an angry Man abate and extinguish his Heat; so as sometimes to compose Differences, and to conciliate Friendship.

13. Few Things are worthy of Anger; which commonly begin in *Folly* or *Weakness*.

14. On *Folly* waiteth Shame, and on *Anger* Repentance and Remorse!

PITY. 1. As the Hand of *Spring* strews the Earth with her Blossoms and Flowers, and as the *Summer* distributes her Bounties in the Fruits and Harvest, so the Hand of *Pity* distributes *Blessings* on the Children of Misfortune.

2. The *Pitier* of another commends himself; but the Incompassionate deserve no Pity.

3. The *Butcher* feels no *Pity* for the *Lamb*, nor the *Cruel* for those in Distress; But the *compassionate Man* melts with *Pity* at the Sufferings of his Fellow-Beings; who listens to the Cries of the *Poor*, and to the Calamities of those in Distress.

4. The Fatherless and Widow, sunk with Sorrow, call aloud for *Pity* and Relief!

5. The naked Wanderer in the Streets, shivering with Cold and Hunger, and without Habitation, call aloud for Compassion and Assistance!

6. Whilst the *poor Man* groans in the Bed of Sickness, the *Unfortunate* languish in the Horrors of a *Dungeon*, or the *Aged* lift up a feeble Eye, imploring your *Pity*! who among you can riot in *superfluous Enjoyments*, unfeeling of their Wants, and regardless of their Woes!

DESIRE and LOVE. 1. Let Youth avoid the Allurements of *Wantonness* and *Harlots*, attended with Madness and Blindness of Pursuit, and with Disease, Repentance, and Destruction.

2. The *Fountain* of Health, supplying the *Stream* of Pleasure, will quickly be dried up; and every Spring of Joy will soon be exhausted by unwarrantable Pursuits.

3. *Old Age* will overtake the Prime of your Life, and your Morning Sun shall decline before it be Noon.

4. But when *Virtue* and *Modesty* enlighten the Charms of a beautiful Woman, her Lustre is brighter than the Stars of Heaven, and the Power of her Influence it is in vain to resist!

5. The Whiteness of her Bosom transcendeth the *Lilly*, and her Smiles are more delicious than a Garden of Roses!

6. The *Innocence* of her Eye is like that of the Turtle, and Simplicity and Truth dwell within her.

7. Her *Kisses* give a Taste of celestial Enjoyment and are as *Nectar* and *Ambrosia*, and the Perfumes of *Arabia* breathe from her Lips.

8. Shut not out the *Tenderness* and *Duty* of Love, the Purity of its Flame shall enoble your Conceptions, and exalt your Mind to receive the fairest and richest Impressions!

III. OF WOMAN.

WOMAN. 1. Listen, fair Woman, to the Instructions of Prudence and Precepts of Truth; and the Charms of your Mind shall give Lustre to your Form; and your Beauty, like the Rose it resembles, shall retain its Sweetness when the Blossom is withered.

2. In the Morning of your Days, when Men gaze on you with Delight, be cautious of their alluring Speeches; guard well your Heart against their enticing Arts.

3. You are made Man's reasonable Companion, not the Slave of his Passion; but to assist him in his Toils, and to soothe him in his Cares, with your Tenderness and soft Endearments.

4. She that winneth Man's Love, and reigns in his Breast, walks in her maiden Sweetness; with Innocence in her Ways and Modesty in her Looks.

5. Her Hand finds Employment without Gadding; she is attired with *Modesty*, and subsists on *Temperance*; Humility and Meekness adorn her Behaviour, and Harmony dwells within her.

6. She is attended with Decency; and her Answers are Mildness and Truth.

7. Submission and Obedience are her Lessons that she puts in daily Practice; and Peace and Happiness are her continual Reward.

8. Prudence and Virtue are her constant Companions.

9. Her Eye speaks Kindness; and *Discretion*, with a Sceptre, sits on her Brow.

10. The Awe of her Virtue and Presence strikes dumb the Tongue of the *licentious*.

11. Her Charity and good Nature appear when *Scandal* and *Reproach* intrude into her Company; or Silence then rests on her Lips.

12. From the Consciousness of her own Innocence she suspects neither Evil or Guile in Others.

13. Happy is the Man who shall make her his Wife, and happy the Child that calls her Mother.

14. She presides and commands at Home with Judgement, and is obeyed.

15. The Care of her Family is her Delight, and Elegance and Frugality are seen in her House.

16. Her Conduct is an Honour to her Husband; who hears her Praise with a secret Delight.

17. She forms the Minds of her Children to *Manners*, *Wisdom*, and *Goodness*, by her own bright Example.

18. Her Word is their *Law*, and her Motions command Obedience.

19. She speaks, and her Servants obey; or points, and the Thing is done.

20. Their Respect gives *Willingness* to their Hearts, and *Wings* to their Feet.

21. She is neither elevated in Prosperity, nor depressed in Adversity.

22. Her Husband's Troubles are lightened by her Counsels, and softened by her Endearments. She puts his Heart in her Bosom, and he receives Rest.

IV. Of CONSANGUINITY or NATURAL RELATIONS.

HUSBAND. 1. Take a faithful Wife (if you can find her) to be a useful Member of Society.

2. Examine with Care, and fix with Caution, and not on a sudden; since on this present Choice depends your future Happiness, and that of your Posterity.

3. If her Time is wasted in Dress and costly Ornaments, if she is fond of her Beauty and of Praise, laughs and talks much and loud, and roves abroad with her Eyes on the Faces of Men — if her Beauty were as the Sun or Stars in the Firmament of Heaven, and her Fortune as rich as both the Indies, turn from her pernicious Charms and Allurements, as Snares of Destruction to the Peace and Happiness of your Soul!

4. But when you find her accomplished with a Mind and Form, such as have been described, take her Home to your House, as worthy of being your Bosom Friend and faithful Companion for Life.

5. Cherish her as a Blessing sent you from Heaven, and let your Kindness endear you to her.

6. Treat the Mistress of your House with Respect, that your Servants may obey her.

7. Make her the Companion of your Pleasures, and oppose not her Inclinations without Cause.

8. Reprove her Faults with *Gentleness* and *Kindness*, and exact not Obedience with Rigour.

9. Trust your Secrets in the Bosom of her Sincerity, and you will not be deceived.

10. Be faithful to her Bed, for the Sake of hers, your own, and your Childrens Happiness.

11. Sooth her *Affliction* with *Tenderness* in Pain or Sickness; a Look of your Pity and Love will mitigate her Sorrows, and avail her more than the Aid of Physicians.

12. Remember your own *Imperfections*, and be not severe to her *Weakness*: Consider the Delicacy of her Frame and Sex.

FATHER. 1. Your Duty, as a Parent, is to support and make happy what you have produced.

2. It depends on the *Parent*, whether the *Child* shall be a *Blessing* or *Curse* to himself; or an useful or unworthy Member of Society.

3. Season him early with *Maxims* of Instruction and Truth.

4. Guide him right in the Bent of his Inclinations; and suffer not evil Habits to gain Strength with his Years.

5. So shall he rise like a *Cedar* on the Mountain's Top, and his Head shall be seen above the Trees of the Forest.

6. A wicked Son is a Reproach to his Father; but a worthy one an Honour to his Age.

7. The *Soil* of the Son is the Parent's own to cultivate, which he should not neglect to do, if he expects a Crop of Reputation.

8. Teach him *Obedience*, *Gratitude*, *Modesty*, and *Charity*, and he will return you the Obligation, and gain universal Esteem.

9. Teach him *Temperance* to gain *Health*; *Prudence* that *Fortune* may attend him; *Justice* that he may be honoured; *Sincerity* that his own Heart may not reproach him; *Diligence* that his *Wealth* may increase; *Benevolence* that his *Mind* may be exalted; *Science* that his *Life* may be useful; and *Religion* that he may be happy.

SON. 1. Learn, from the Creatures of God, Instruction and Duty.

2. The young *Stork* in the Wilderness beareth his aged Sire on his Wings, lodges him in Safety, and provides him with necessary Food.

3. Be grateful therefore to the Man who was the Cause of your Life; and dutiful to your Mother who sustained your Burthen.

4. Harken to your Father's *Counsel* for your own Advantage, proceeding from his Love; who wishes your Welfare and toils for your Ease: Honour and Reverence are therefore due to your Benefactor.

5. Give Assistance and Support to your aged and infirm Parents in the Decline of Life, and remember your helpless Infancy and Frowardness of Youth, when you were assisted and supported by them.

6. Your own Children shall repay your *Reverence* and *Duty*, in the *Example* you set them of filial Love and Obedience.

BROTHERS. 1. Children of one Father and Mother, and provided for by their Care, should be united by the same Bonds of Affection; that Peace and Happiness may reign in one and the same Family.

2. Let the Remembrance of the *Ties* of Blood unite your Hearts, when you are separated in the World by divided Interests, and opposed by Strangers.

3. Forsake not a Brother or Sister in Adversity; but let the Parent's Fortune and Benevolence contribute to the Support of the whole Race; and let his Care for the whole Family appear in the Love for each other.

V. Of PROVIDENCE : Or the Accidental Differences of MEN.

WISE and IGNORANT. 1. The Gifts of *Understanding* are from God, who allots to each his Portion of Good.

2. His Benefits of all Kinds, whether of *Knowledge, Wisdom, Power, or Riches*, bestowed on Individuals, were intended to contribute to the Good of Others, or of the whole, in all his wise Dispensations; and therefore we should be assisting to those who need our Help, in Imitation of God's divine Example, conferring his Benefits on Men.

3. The Pride of Ignorance, and Conceit in much Talking, are insufferable; yet it is Wisdom to hear Impertinence and Absurdities with Patience, and to pity Obstinacy and Weakness.

4. The Wise perceive their own *Imperfections*, without receiving their own Approbation. But the *Weak and Ignorant* see and admire the Pebbles in the shallow Stream of their own Minds; who produce them for *Pearls*, and delight themselves with the Applause of those who believe them.

5. Some Men are given to boasting in the Knowledge of Things of no Worth, but are without *Understanding* in many Things where it is a Shame to be ignorant.

6. In the Paths of *Wisdom* they labour to find out *Folly*, but meet Shame for their Reward.

7. The Wise cultivate their Minds with useful Knowledge and Arts, the Benefit of which to the Public rewards them with Honour.

8. The Attainment of *Virtue* is the highest Learning; and the *Science of human Happiness* the truest Study of Life.

RICH and POOR. 1. The Man of Riches, with a Mind rightly disposed to use them, is *peculiarly favoured* of God. He looks on his Wealth with Pleasure, because it enables him to do Good.

2. He protects the Poor and Injured; and curbs the Oppressions of the *Mighty*.

3. He seeks for Objects of Compassion, by enquiring into their Wants; who judiciously relieves them without Ostentation.

4. He encourages and rewards Merit and Ingenuity, and every useful Art and Design.

5. His Country is enriched by his noble Plans and Designs; and the Sciences receive Improvement.

6. He distributes the *Superfluities* of his Table to the Poor.

7. But he who heaps up an *Abundance*, and rejoiceth alone in the Possession of it, defrauds himself of that true *Happiness* arising from the general Good intended by God to Mankind; who considers not the Poor, nor their Labour, that supports the Dignity and Grandeur of a whole Nation.

8. He lives and thrives by Oppression and the Ruin of his Fellow Subjects and Beings.

9. He drinks the Tears of *Orphans*, and the Cries of the *Widow* are as Music to his Ear!

10. His Heart is hardened with the Love of Wealth, and incapable of tender Impressions from Grief or Distress.

11. But the Anxiety of his Mind and his rapacious Desires take Vengeance upon him for the Calamities he brought on Others. And the Miseries of Poverty are Nothing when compared with the Cries of his Conscience.

12. The poor Man's Table is not crowded with Flatterers and Devourers. He sits down in Peace, and is not harrassed with Dependents, nor teized with the Clamours of Solicitation.

13. Though he is debarred from the *Luxuries* of the Rich, he is not troubled with their attending Dileases. His Bread and Water are more pleasant tasted, than the Draughts of the *Luxurious* are to them.

14. His Labour preserves his Health and produces him Repose.

15. His Desires are humble and moderate, and his *Contentment* greater than that of Grandeur, Wealth, and Ambition.

16. The *Providence* of God therefore dispenfeth Happiness to all; and the Distribution thereof is not so unequally made, as the vain, the rich, or ambitious Man commonly conceives.

MASTERS and SERVANTS. 1. Let Man repine not at Servitude, which is but Subordination, and by God's Appointment, for the Good of a whole People.

2. The Servant's Honour is his Fidelity, and his Virtues are Submission and Obedience. In the same Manner all the Officers of an Army are the Servants of their KING, their MASTER, every one of whom are subordinate in their Duty and Obedience one to another, from the KING, who is supreme, down to the lowest common Soldier.

3. Every Servant therefore must obey his Master, in Subordination; must do his Duty, and be diligent and faithful in his Trust; whose Time and Labour are his Master's that rewards him.

4. Masters should be just and kind to their Servants, if they expect Fidelity from them; and be reasonable in their Commands if they expect Obedience.

5. The Severity and Rigour of Masters creating Fear in Servants, will not command their Esteem.

6. Duty shall become a Pleasure, when *Kindness* is mixed with *Reproof*, and *Reason* with *Authority*.

7. Fidelity and Diligence will follow Gratitude, in Servants; and therefore the Reward of Masters should follow their Fidelity and Diligence.

MAGISTRATES and SUBJECTS. 1. The Glory of a KING, as CHIEF MAGISTRATE, is in the Welfare and Happiness of his People; and his *Power* and *Dominion* in the Hearts of his Subjects.

2. The Mind of a *great Prince* is exalted with the Grandeur of his Trust and Power; who considers and searches out great Things worthy of his high Station.

3. He assembles together and hears the Counsel of all the wise Men of his Kingdom; and determines the Result by his own Judgement.

4. He searches into great Men's Abilities, and employs them according to their Merits.

5. His Ministers and Magistrates are wise and just; and he is not deceived by any.

6. The Arts flourish by his Smiles; and Science is improved by his Example, Patronage, and Encouragement.

7. He excites Emulation among the Learned and Ingenious; and the Glory of his Kingdom is exalted by their Labours.

8. The Merchant who extends his Commerce, the Farmer who enriches his Lands, the Artift and Scholar who improve his People, are all honoured and rewarded with his Favour and Bounty.

9. New Colonies are planted, strong Ships are built, Rivers are opened for Convenience; Harbours, for Safety, formed and fortified; whereby his People abound in Riches, and his Kingdom increases in Strength.

10. His *Statute Laws* are framed by Wisdom and Equity: The Fruits of his Subjects Labour are enjoyed in Security; and in their due Observation of his Laws their Happiness consists.

11. On the Principles of Mercy his Judgements are founded; but his Justice is erected on the strict and impartial Punishment of Offenders.

12. He is ready to hear the Complaints of his Subjects, to restrain Oppression, and deliver them from the Hand of Tyranny.

13. His People look up to him with Awe, Reverence, and Love, as a Father, and consider him as the Guardian of their Happiness.

14. Their Affection produces in him a reciprocal Love of the Public; the Security of whose Happiness is the Object of his Care.

15. The *Machinations* of his Enemies endanger not his State; the Hearts of his People are full of Love, and no Murmurs can arise against him.

16. His Subjects are firm and faithful, and are like a *Wall of Brass* to his Dominions. The Army of his Enemy flies before him.

17. Security and Peace blest the Habitations of his People; and Glory and Strength irresistible encircle his Throne!

BENEVOLENCE. 1. Acknowledge his *Benevolence* who honoured you with Reason, endued you with Speech, and placed you in Society for Protection, and to give as well as receive Helps and Obligations.

2. Your *Food, Cloathing, Conveniences of Dwelling, Protection from Injuries, and Enjoyments of Life*, you owe to the Help of God and Men, and could not be benefited in but from Society; therefore to Mankind Friendship and Benevolence are due for the Interest and Benefits you receive from them, as Men are bound in mutual Obligations to one another by their Connection in one Community.

3. As the Rose breathes Sweetness from its own Nature, so the benevolent is agreeable to Others.

4. He approves his own Thoughts with Tranquility of Mind, and wishes the Prosperity of his Neighbour.

5. He delights not in *Slander*, but pities the Faults of the Unhappy.

6. He searches out Occasion to do *Good*, in removing Evil from other Men.

7. He wishes Happiness to Others, and endeavours to promote it.

JUSTICE. 1. The Safety and Peace, Interest and Honour, of Society depend on *Justice*; and the Happiness of *Individuals* on the separate and right Use and Enjoyment of their Properties, Privileges, and Possessions.

2. Therefore let not immoderate Desires break through the Bounds of Equity and Justice.

3. Let no Temptation or Provocation excite you to invade your Neighbour's Right, nor lift up your Hands to the Danger of his Life: Defame him not personally in his honest Character, nor bear false Witness against him.

4. Corrupt not his Wife or his Servants to wrong or forsake him.

5. Do no Injury to him you cannot repair.

6. Be impartial and just in your Dealings, *as you would that Men should do unto you.*

7. Deceive not those who rely on your Trust. It is less Evil to steal than to betray.

8. Defraud no Man of his Hire, nor hinder the poor Man of his Right.

9. Be satisfied with moderate Gain in Trade, and take not Advantage of Ignorance.

10. Pay what you owe, as your *Creditor* relied on your Honour, who is obliged to pay his Obligations to Others; and because *Honesty* is the Bond of Happiness, connecting Society.

CHARITY. 1. Happy is the Man who has sown in his Breast the Seeds of Benevolence; the Produce thereof shall be *Charity*.

2. He helps the Poor in Trouble, and aids the Prosperity of Men.

3. He deals not in *Calumny*, Talks of Envy, *Malevolence*, and Slander; and Revenge and Spite in him have no Possession.

4. He returns not Evil for Evil; hates not his Enemies; but repays their Injustice with friendly Reproof.

5. Human Grievances and Anxieties excite his Compassion; who endeavours to lighten the Weight of their Misfortunes, and the Pleasure of his Success is his only Reward.

6. He reconciles the Differences and Disputes of angry Men, and prevents, as far as he can, the Mischiefs of *Strife* and *Animosity*.

7. He promotes Peace and Good-will among his Neighbours; and he is spoken of with Praise and Benediction.

GRATITUDE. 1. As the Branches of a Tree return the Sap to the Root whence it arose, and as a River returns its Stream to the Sea whence its Spring was supplied, so a grateful Man returns a Benefit to his Benefactor.

2. He acknowledges his Obligation with Cheerfulness, and looks on his Benefactor with Love and Esteem.

3. If he is not able to return it, he keeps it in a kind Remembrance.

4. The Heart of a generous Man is like a fruitful Soil; but the Heart of the ungrateful like a rocky Soil, or Desert of barren Sand.

5. Though to oblige is more honourable than to be obliged, and though the Act of Generosity commands Esteem, yet Gratitude touching the Heart is amiable in the Sight of God and Man; therefore envy no Benefactor, nor conceal a Benefit that he confers.

6. Receive no Favour from the Haughty, the Selfish, and Avaricious: The Vanity of the one will expose you, and the Avarice of the other will never be satisfied.

SINCERITY. 1. Let those who are enamoured with the Beauties of Truth, and the Simplicity of her Charms, never forsake Sincerity attended with Honour, to wait upon Guile attended with Shame.

2. In the sincere Man, Hypocrisy and Deceit have no Place; who blushes at Falshood, and is confounded; but speaks of Truth with a steady Eye.

3. He supports the Dignity of Character, in Opposition to the mean Arts of Dissimulation and Deceit.

4. Being consistent with himself, he is never at a Loss, nor afraid to assert Truth.

5. With Prudence, Caution, and Judgement, he speaks.

6. He admonishes with Friendship, reproves with Freedom, and performs as he promises.

7. The Hypocrite hides his own Heart, masks his Words, and studies to deceive; laughs in Sorrow, weeps in Joy, without Words or Actions of Interpretation.

8. He works in the Dark like a Mole, and fancies himself safe; but blunders into Light, and exposes himself to open View and Contempt, with the Dirt upon his Head.

9. He passes his Days in perpetual Constraint, with his Tongue and his Heart for ever at Variance.

10. He labours for the Character of *just*, and would fain be thought *cunning*. The Pains he takes to conceal what he is, are more than would really make him what he would seem. His Cunning therefore will be held in Derision, when the *Ass* is stripped of his *Lion's Skin*.

VI. OF RELIGION.

1. There is but **ONE GOD**, the Author, Creator, and Governor, of the World, almighty, eternal, and incomprehensible; who is *supreme*, most wise and beneficent; and to whom belong Worship, Adoration, Thanksgiving, and Praise!

2. He has stretched forth the Heavens, and fixed the Courses of the celestial Bodies by his Power.

6. His Providence is over all his Works, which he governs by instituted Laws, and infinite Wisdom.

7. With Respect to his *Prescience* there is Nothing contingent, with Respect to his *Providence* there is Nothing accidental.

8. His Ways are inscrutable, and his Knowledge transcendeth all Conception.

9. He is the Fountain of Excellence and Center of Perfection.

10. His Creatures declare his Goodness, and all their Enjoyments loudly speak his Praise.

11. He cloaths them with Beauty, and feeds them, and preserves their Species from Generation to Generation.

12. If we lift up our Eyes to the Heavens, his Glory shines forth; if we look down to the Earth, the Fields and Woods, Fountains, Hills, and Vallies, speak his Praise!

13. He has exalted Man above his other Creatures, endowed him with Reason for Dominion; fitted him with Language for Society; endowed his Mind with the Powers of Meditation and Contemplation, that he might contemplate and adore his inimitable Perfections.


14. As he has ordained the Laws for the Rule of Man's Life, so has he as kindly suited Man's Duty to his Nature, that Obedience to his Precepts might be productive of his own Happiness.

15. He respects not the Persons and Stations of Men: The High and the Low, the Rich and the Poor, the Wise and the Ignorant, when the Shackles of Mortality are removed from the *immortal* Part of their Beings, to him will appear equal; except in the Preference of their good Acts and Deeds, when every Man shall be rewarded according to his Merit.

16. Let Praise and Adoration be given to the **GREAT CREATOR** of all Things, by all Things that are capable to adore him!

17. Let Man be administered by Prudence, restrained by Temperance, guided by Justice, warmed in his Heart by Benevolence, and inspired with Devotion by Gratitude to Heaven, that he may enjoy present Happiness, and future Felicity!

Political RULES and MAXIMS.

 1. Never to go to *Law*, if you can prudently avoid it.

2. Never to take dangerous *Physic*, if gentle Means and Remedies will answer the End.

3. The Contests in *Law* are simular to desperate Remedies in *Physic*; often as bad or worse than the Disease they are applied to cure.

4. Desperate Remedies should never be applied but in great *Extremity*; after gentle Means and safe Remedies have been tried without the desired Effect.

5. The Contest of *Law* should never be used, if the *Mediation* of Friends and Neighbours can settle *Right* and *Justice* between the Parties at Variance.

6. The *Doctors* (as they call them) in general recommend the Use of their Medicines (*however pernicious they may prove in their Effect*) for the Sake of Profit; who take their own *Prescriptions* as seldom as possible.

7. The *Lawyers*, in general, recommend *Law-suits*, because they expect Profit from their *Clients*. They as seldom as possible go to Law themselves, *because it is a Thing they hold not very good to do*.

8. Take the Profit away from the *Professors* of *Physic* and of the *Law*, and you will quickly find that your *Lives* and *Properties* will be left to shift for themselves; and will oftener do better without than with the Assistance of interested Helpers!

9. Yet there are daily accidental Hurts, and *casual* Diseases, requiring immediate Assistance from the honest and skilful *Surgeon* or *Physician*; as much as a House or Machine, damaged by *Wind*, *Violence*, or when on *Fire*, requires immediate Help from the able *Carpenter*, or *Fire-Extinguisher*, to repair, or save the Fabric from Destruction.

10. So likewise there are *common Cases* daily occurring about accidental *Right* and *Property*, or usual *Infringement*, requiring honest and skilful *Lawyers* to *ascertain*, *establish*, and *restrain*, between the *Parties* concerned, or in Dispute; as being the only *proper Judges*, *Determiners*, and *Establishers*, of such *legal Matters*.

11. Never to go to *Law*, or *War*, but on a just, necessary, and honourable, Occasion.

12. Never to begin a *Law-suit*, fight a *Battle* in *War*, or undertake any other hazardous or dangerous Enterprize, if it can be avoided, but as it shall correspond with proper *Time* and *Place*.

13. Never to enter into the *Familiarities* of Friendship with any Man, till you have proved his *Principles*, *Sincerity*, and *Fidelity*; because false, deceitful, and bad Men will expose your *Freedoms*, dishonour your *Confidence* reposed, and sometimes involve you in *Danger* or *Difficulties*.

14. No Man of *ill Morals*, or *Irreligion*, is fit for a Friend; because he is a dangerous Companion.

15. A Man of Honour, Honesty, and Integrity, is *precious*; but when he has *Temperance*, *Charity*, *Discretion*, *Prudence*, *Generosity*, *Valour*, *Wisdom*, *Nobility*, and *High Station*, joined, he is a *Jewel* of inestimable Value! — L. L. — D. C. — A. T. — &c.

16. The more you endeavour to hide your own Applause, the more your just Fame will be published.

(To be continued.)

MR. Thomas Sadler sent us Answers to some Questions, and proposed Others, but they came too late to be inserted. His analytical Solutions to the 16th and 19th Questions (and all other analytical Solutions) are of no Use, and therefore Time thrown away, when the Numbers are not wrought out to compare with the independent Results of Solutions by Others. — Which we mention as a Caution to all our mathematical Correspondents in general: For, were such Methods

thods of Solution allowed, our *Palladium* might be filled with *Error*; when the independent *Proofs* are not proved by the same *Result*, in Numbers.

This humorous Story of the *Unfortunate Bachelor* and *Wife's Repentment*, he must contract, and new polish, before it will answer the Expence of printing — or we would have obliged him.

A D V E R T I S E M E N T.

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ALL our satyrical Reflections are levelled at *Error in Science*, and at *Vice and Folly*, and not at the Persons who are guilty of them, against which *Error and Vice* they are intended merely as Remedies; we neither designing to injure any Man's Property in our Case, by what we say, nor Character in the other. Though it is difficult to speak of *Error*, without mentioning the Names of Authors, or alluding to them; by which the *Error* is distinguished, and intruded upon the Public for Truth or useful Science. And, if at any Time we shall be found in the wrong, we shall justly own and retract it, to take Shame and Blame to ourselves! The best of Books, the Bible, may be turned into a Libel, if Names were, in general, plainly printed against Men's Vices; though we find some Villanies are recorded in Scripture, and in other good Books, by the Names of the Authors, for Example to Others to beware of the like Crimes! as some Men are hung up on Gibbets to distinguish and publish their Crimes for the Good of the Rest of the Community! — We hate all *Error and Vice* whatsoever, and love the contrary, (even in ourselves,) and therefore profess ourselves Champions in the Cause of Truth, Justice, Virtue, and useful Science, and avowed Enemies to Falshood, Injustice, Vice, and Error, wherever we find them, and by whomsoever they are promoted, or to whomsoever they belong.

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A New Geographical and Alphabetical TABLE of the LONGITUDES of PLACES, (on Coasts or in Provinces,) determined by astronomical OBSERVATIONS from the Meridian of the Royal Observatory at Greenwich; with their Latitudes and also Tides. According to the latest Improvements. For the Use of Seamen.

PLACES Names.	Countries on Coasts or in Provinces.	Latitude.	Longitude.			High Water at New and Full D.
			Degrees.		Time.	
		° ' "	° ' "		h m s	h m
ABBEVILLE	France	50 7 1 N	1 49 45 E	0 7 19		
Abo	Finland	60 27 10 N	22 13 30 E	1 28 54		
Achem	N. W. Part Ill. Sumatra	5 22 0 N	95 34 0 E	6 22 16		
Agra	India	26 43 0 N	76 44 0 E	5 6 56		
Aix	France	43 31 35 N	5 26 15 E	0 21 45		
Alby	France	43 55 44 N	2 31 15 E	0 10 5		
Alexandretta	Syria	36 35 10 N	36 20 0 E	2 25 20		
Alexandria	Ægypt	31 11 20 N	30 16 30 E	2 1 6		
Amiens	France	49 53 38 N	2 18 0 E	0 9 12		
Ancona	Italy	43 37 54 N	13 30 30 E	0 54 2		
Angers	France	47 28 8 N	0 33 45 W	0 2 15		
Angouleme	France	45 39 3 N	0 8 45 E	0 0 35		
Antibes	France	43 34 50 N	7 8 30 E	0 28 34		
Antwerp	Flanders	51 13 15 N	4 24 15 E	0 17 37	6 0	
Archangel	Russia	64 34 0 N	38 5 50 E	2 35 40	6 0	
Arica	Peru	18 26 38 S	71 11 0 W	4 44 44		
Arles	France	43 40 33 N	4 38 0 E	0 18 32		
Ascension Ill.	Angola	7 57 0 S	13 59 0 W	0 55 56		
Athens	Turkey	38 5 0 N	23 52 30 E	1 35 30		
Auch	France	43 38 46 N	0 30 0 E	0 2 0		
Aurillac	France	44 55 10 N	2 27 0 E	0 9 48		
Auxerre	France	47 47 54 N	3 34 15 E	0 14 17		
Avignon	France	43 57 25 N	4 48 30 E	0 19 14		
Auranches	France	48 41 18 N	1 22 45 W	0 5 31		
Ant. Babylon	Mesopotamia	33 0 0 N	42 46 30 E	2 51 6		
Bagdad	Mesopotamia	33 21 0 N	43 46 30 E	2 55 6		
Balafore	India	21 20 0 N	86 0 0 E	5 44 0		
Bayeux	France	49 16 30 N	0 42 45 W	0 2 51		
Bayonne	France	43 29 21 N	1 30 0 W	0 6 0	3 30	
Great Bear Ill	54 34 0 N	79 56 0 W	5 19 44		
Beauvais	France	49 26 2 N	2 4 45 E	0 8 19		
Berlin	Germany	52 32 30 N	13 26 15 E	0 53 45		
Befançon	France	47 13 45 N	6 2 30 E	0 24 10		
Beziers	France	43 20 41 N	3 12 30 E	0 12 50		
Blanco Cape	Patagonia	47 20 0 S	70 5 0 W	4 40 20	9 45	
Bologna S. Petr.	Italy	44 29 36 N	11 21 15 E	0 45 23		
Boston	New England	42 25 0 N	70 37 15 W	4 42 29		
Boulogne	France	50 43 31 N	1 36 45 E	0 6 27		
Bourbon Ill. St.	Madagascar	20 51 43 S	55 30 0 E	3 42 0		
Dennis						
Rordeaux	France	44 30 18 N	0 34 45 W	0 2 19		

A New Geographical TABLE of *Latitudes and Longitudes*, and also *Tides*, continued *alphabetically*. For the Use of *Seamen*.

PLACES Names.	Countries on Coasts or in Provinces.	Latitude.	Longitude.		High Water at New and Full ☾.
			Degrees.	Time.	
<i>Breslaw</i>	<i>Silesia</i>	51° 3' 0 N	17° 8' 45 E	1h 3m 35	h m
<i>Brest</i>	<i>France</i>	48 23 0 N	4 30 45 W	0 18 3	3 15
<i>Briex St.</i>	<i>France</i>	48 31 21 N	2 43 15 W	0 10 53	
<i>Brussels</i>	<i>Netherlands</i>	50 51 0 N	4 21 45 E	0 17 27	
<i>Buenos Ayres</i>	<i>Brazil</i>	34 35 26 S	58 31 15 W	3 54 5	
<i>Cabell Porto</i>	<i>Terra Firma</i>	10 30 50 N	67 32 0 W	4 30 8	
<i>Cadix</i>	<i>Spain</i>	36 31 7 N	6 1 15 W	0 24 5	4 30
<i>Caen</i>	<i>France</i>	49 11 10 N	0 21 45 W	0 1 27	9 0
<i>Cairo</i>	<i>Egypt</i>	30 2 30 N	31 26 15 E	2 5 45	
<i>Cajaneburg</i>	<i>Sweden</i>	64 13 30 N	27 43 15 E	1 50 53	
<i>Calais</i>	<i>France</i>	50 57 31 N	1 51 0 E	0 7 24	11 30
<i>Calcutta, F. Wi.</i>	<i>India</i>	22 36 0 N	88 25 45 E	5 53 43	
<i>Callao</i>	<i>Peru</i>	12 1 53 S	76 58 0 W	5 7 52	
<i>Calmar</i>	<i>Sweden</i>	56 40 30 N	16 21 45 E	1 5 27	
<i>Cambray</i>	<i>Netherlands</i>	50 10 30 N	3 13 45 E	0 12 55	
<i>Cambridge</i>	<i>England</i>	52 17 0 N	0 5 45 E	0 0 23	
<i>Candia Is.</i>	<i>Turkey</i>	35 18 35 N	25 18 0 E	1 41 12	
<i>Canton</i>	<i>China</i>	23 7 30 N	113 2 0 E	7 32 8	
<i>Carlskroon</i>	<i>Sweden</i>	56 20 0 N	15 26 15 E	1 1 45	
<i>Carthagena</i>	<i>Terra Firma</i>	10 26 35 N	75 26 15 W	5 1 45	
<i>Casán</i>	<i>Russia</i>	55 44 0 N	49 30 0 E	3 18 0	
<i>Castres</i>	<i>France</i>	43 37 10 N	2 14 45 E	0 8 59	
<i>St. Catherine Is.</i>	<i>Phata</i>	27 35 0 S	49 17 0 W	3 17 8	
<i>Cayenne</i>	<i>Is. Cayenne</i>	4 56 0 N	52 15 0 W	3 29 0	
<i>Challons</i>	<i>France</i>	48 57 12 N	4 22 15 E	0 17 29	
<i>Challon</i>	<i>France</i>	46 46 50 N	4 51 30 E	0 19 26	
<i>Chandernagore</i>	<i>India</i>	22 51 26 N	88 29 15 E	5 53 57	
<i>Charlton Is.</i>	<i>New Wales</i>	52 3 0 N	80 10 0 W	5 20 40	
<i>Chartres</i>	<i>France</i>	48 26 49 N	1 29 0 E	0 5 56	
<i>Cherburg</i>	<i>France</i>	49 38 26 N	1 38 15 W	0 6 33	7 30
<i>Churchill R.</i>	<i>New Wales</i>	58 56 0 N	94 55 0 W	6 19 40	
<i>Pr. W. Fort</i>					
<i>Civita Vecchia</i>	<i>Italy</i>	42 5 24 N	11 46 15 E	0 47 5	
<i>Cape Clear</i>	<i>Ireland</i>	51 18 0 N	11 15 0 W	0 45 0	4 30
<i>Clermont</i>	<i>France</i>	45 46 45 N	3 5 0 E	0 12 20	
<i>Cape Comorin</i>	<i>India</i>	7 56 0 N	78 5 0 E	5 12 20	
<i>Conception</i>	<i>Chili</i>	36 42 53 S	72 40 0 W	4 50 40	3 0
<i>Condor Pulo M.</i>	<i>Gulf Siam</i>	8 40 0 N	107 20 0 E	7 9 20	
<i>Constantinople</i>	<i>Turkey</i>	41 0 0 N	28 53 30 E	1 55 34	
<i>COPENHAGEN</i>	<i>Denmark</i>	55 40 45 N	12 45 15 E	0 51 1	
<i>Coquimbo</i>	<i>Chili</i>	29 54 26 S	71 15 45 W	4 45 3	
<i>Coutances</i>	<i>France</i>	49 2 50 N	1 27 30 W	0 5 50	
<i>Cummin Is.</i>	<i>China</i>	31 40 0 N	121 4 0 E	8 4 16	
<i>Dantzic</i>	<i>Poland</i>	54 22 0 N	18 31 0 E	1 14 4	
<i>Dax</i>	<i>France</i>	43 42 23 N	1 4 0 W	0 4 16	
<i>Dieppe</i>	<i>France</i>	49 55 37 N	1 4 15 E	0 4 17	10 30

A New Geographical TABLE of *Latitudes, Longitudes, and Tides, of Places* continued *alphabetically, For the Use of Seamen.*

PLACES Names.	Countries on Coasts or in Provinces.	Latitude.	Longitude.		High Water at New and Full D.
			Degrees.	Time.	
Dijon	France	47° 19' 22 N	5° 2' 30 E	0 h 20 m 10	h m
Dol	France	48 33 9 N	1 46 15 W	0 7 5	
Drontheim	Norway	63 26 10 N	11 3 45 E	0 44 15	
Dunkirk	France	51 2 4 N	2 22 30 E	0 9 30	12 0
EDINBURGH	Scotland	55 57 57 N	3 18 16 W	0 13 13	4 30
Embrun	France	44 34 0 N	6 29 0 E	0 25 56	
Erzerom	Armenia	39 56 35 N	48 35 45 E	3 14 23	
Evereux	France	49 1 24 N	1 8 45 E	0 4 35	
Exeter	England	50 44 0 N	3 34 30 W	0 14 18	
Falmouth	England	50 8 0 N	5 28 20 W	0 21 53	
Ferrara	Italy	44 54 0 N	11 36 15 E	0 46 25	
FERROL Town	Canaries	27 47 20 N	17 33 45 W	1 10 15	
Florence	Italy	43 46 30 N	11 2 0 E	0 44 8	
St. Flour	France	45 1 55 N	3 7 30 E	0 12 22	
François Cape	Hispaniola	19 40 0 N	71 40 0 W	4 46 40	
Frawenburgh	Prussia	54 21 15 N	20 7 30 E	1 20 30	
Frejus	France	43 26 3 N	6 44 45 E	0 26 59	
Fronfac Straits, narrow Part, op. a Mountn near Contin	<i>Nova Scotia</i>	45 39 0 N	61 20 0 W	4 5 20	
Geneva	Savoy	46 12 0 N	6 35 0 E	0 26 20	
Genoa	Italy	44 25 0 N	8 35 45 E	0 34 23	
George, Fort St.	India	13 13 0 N	80 2 15 E	5 20 9	
Ghent	Netherlands	51 3 0 N	3 43 45 E	0 14 55	
Goa	India	15 31 0 N	73 45 0 E	4 55 0	
Good Hope Cape	Caffers	33 55 42 S	18 23 15 E	1 13 33	3 0
GOTTENBUR.	Sweden	57 42 0 N	12 38 45 E	0 46 35	
GOTTING. Ob.	Germany	51 31 54 N	9 54 0 E	0 39 36	
Granville	France	48 50 11 N	1 37 0 W	0 6 28	
Graffe	France	43 39 25 N	6 56 0 E	0 27 44	
GREENW. Obf.	England	51 28 40 N	0 0 0	0 0 0	
Grenoble	France	45 11 49 N	5 43 0 E	0 22 52	
Guaquil	Peru	2 11 21 S	81 11 30 W	5 24 46	
Hague	Netherlands	52 4 10 N	4 17 30 E	0 17 10	8 15
Havanna	Island of Cuba	23 11 52 N	82 18 30 W	5 29 14	
St. Helena Id.					
James Fort	Benguela	15 55 0 S	5 49 0 W	0 23 16	
Hernofand	Sweden	62 38 0 N	17 53 0 E	1 11 32	
Hosi-Nghan	China	33 34 40 N	118 49 30 E	7 55 18	
Jamaica, Part					
Royal Island	West Indies	18 0 0 N	76 45 30 W	5 7 2	
Janerio Rio	Brazil	22 54 10 S	42 45 0 W	2 51 0	
Jerusalem	Palestine	31 55 0 N	35 20 0 E	2 21 20	
Ingolstadt	Germany	48 46 0 N	11 22 30 E	0 45 30	
St. John's Fort	Newfoundland	47 32 0 N	52 48 15 W	3 31. 13	
Islamabad	India	22 20 0 N	91 45 0 E	6 7 0	
St. Julian Port	Patagonia	49 10 0 N	68 44 0 W	4 34 56	
Juthia	India	14 18 0 N	100 50 0 E	6 43 20	

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PLACES Names.	Countries on Coaſts or in Provinces.	Latitude.	Longitude.		High Water at New and Full ☽
			Degrees.	Time.	
		° ' "	° ' "	h m s	h m
Landau	Germany	49 11 40 N	8 7 30 E	0 32 30	
Landſcroon	Sweden	55 52 0 N	12 46 45 E	0 51 7	
Laufance	Switzerland	46 31 5 N	6 45 15 E	0 27 1	
Lectoure	France	43 56 2 N	0 37 0 E	0 2 28	
Leipſic	Germany	51 19 14 N	12 20 0 E	0 49 20	
Leſtkard	England	50 26 55 N	4 41 45 W	0 18 47	
Leyden	Netherlands	52 10 0 N	4 27 30 E	0 17 50	
Liſſe	Netherlands	50 37 50 N	3 4 15 E	0 12 17	
Lima	Peru	12 1 15 S	76 49 30 W	5 7 18	
Lisbon Congr. Orator	Portugal	38 42 20 N	9 7 30 W	0 36 30	
LIZARD	England	49 57 0 N	5 43 0 W	0 22 52	7 30
LOND. St. Paul's	England	51 30 40 N	0 5 37 W	0 0 22½	2 30
Lorenzo Cape	Peru	1 2 0 S	80 17 0 W	5 21 8	
St. Louis Port	Hiſpaniola	18 19 0 N	73 6 0 W	4 52 24	
Louiſbourg	Cape Breton	45 53 45 N	59 55 0 W	3 59 40	
Louveau	India	12 42 3 N	101 1 30 E	6 44 6	
Lucon	France	46 27 14 N	1 10 30 W	0 4 42	
Lunden	Sweden	55 41 36 N	13 21 15 E	0 53 25	
Lyons	France	45 45 51 N	4 49 45 E	0 19 19	
Macao	China	22 12 44 N	113 46 15 E	7 35 5	
MADRID	Spain	40 25 0 N	3 44 30 W	0 14 58	
Mabon Port, Fr.					
St. Philip	Iſl. Minorca	39 50 46 N	3 48 30 E	0 15 14	
Malacca	India	2 12 6 N	102 5 0 E	6 48 20	
Malines	Netherlands	51 1 50 N	4 28 45 E	0 17 55	
Malo St.	France	48 38 59 N	2 2 15 W	0 8 9	6 0
Malta Iſl.	Italy	35 54 0 N	14 28 30 E	0 57 54	
Manila City	Iſl. Manila	14 30 0 N	120 20 0 E	8 1 20	
Marſeilles	France	43 17 45 N	5 22 15 E	0 21 29	
Martha St.	Terra Firma	11 26 40 N	74 4 30 W	4 56 18	
Martinico, St. Peter's Fort	West Indies	14 44 0 N	61 21 16 W	4 5 25	
Mauritius Iſl. Port Louis	Madagaſcar	20 9 45 S	57 28 0 E	3 49 52	
Meaux	France	48 57 37 N	2 52 30 E	0 11 30	
Mergui	India		98 8 45 E	6 32 45	
Metz	France	49 7 5 N	6 11 0 E	0 24 44	
Mexico City	Mexico	20 0 0 N	103 40 0 W	6 54 40	
Modena	Italy	44 34 0 N	11 12 30 E	0 44 50	
Mons	Netherlands	50 27 10 N	3 57 15 E	0 15 49	
Montpellier	France	43 36 33 N	3 52 45 E	0 15 31	
Moscow	Ruſſia	55 45 20 N	37 46 15 E	2 31 5	

A *New Geographical TABLE* of *Latitudes, Longitudes, and also Tides, of Places,*
continued *alphabetically.* For the *Use of Seamen.*

PLACES <i>Names.</i>	Countries on <i>Coasts or in Provinces.</i>	Latitude.	Longitude.		High Water at New and Full D.
			Degrees.	Time.	
		° ' "	° ' "	h m s	h m
Moulins	France	46 34 4 N	3 20 0 E	0 13 20	
Nancy	France	48 41 28 N	6 11 30 E	0 24 46	
Nangafachi	Capital of Japan	32 32 0 N	128 46 15 E	8 35 5	
Nantz	France	47 13 17 N	1 33 45 W	0 6 15	3 0
Naples Royal College	Italy	40 50 45 N	14 13 45 E	0 56 55	
Narbonne	France	43 11 13 N	3 0 15 E	0 12 1	
Nice	France	43 41 54 N	7 17 15 E	0 29 9	
Nieuport	Flanders	51 7 41 N	2 45 0 E	0 11 0	
Ningpo	China	29 57 45 N	120 18 0 E	8 1 12	
Nismes	France	43 50 35 N	4 21 15 E	0 17 25	
Noyon	France	49 34 37 N	3 0 45 E	0 12 3	
Nuremberg	Germany	49 26 55 N	11 4 0 E	0 44 16	
Olinde	Brazil	8 13 0 N	35 1 0 W	2 20 4	
St. Omer's	Netherlands	50 44 46 N	2 15 0 E	0 9 0	
Orleans Old	France	47 54 4 N	1 54 15 W	0 7 37	
Orleans New	Louisiana	29 57 45 N	89 58 45 W	5 59 55	
Ostend	Flanders	51 13 55 N	2 55 0 E	0 11 40	
Oxford	England	51 45 0 N	1 16 0 W	0 5 4	
Padua	Italy	45 22 26 N	11 55 30 E	0 47 42	
Panama	Mexico	8 57 48 N	80 21 0 W	5 21 24	
PARIS Observ.	France	48 50 14 N	2 20 0 E	0 9 20	
Pau	Switzerland	43 15 0 N	0 9 0 W	0 0 36	
Paul St. de Leon	France	48 40 55 N	4 0 15 W	0 16 1	
PEKIN City	China	39 54 0 N	116 22 30 E	7 45 30	
Perinaldi	Italy	43 53 20 N	7 40 0 E	0 30 40	
Perpignan	France	42 41 55 N	2 54 0 E	0 11 36	
PETERSBURG	Russia	59 56 0 N	30 20 0 E	2 1 20	
Petit-Coave	Isl. Hispaniola	18 27 0 N	72 33 45 W	4 50 15	
Plymouth Town	England	50 26 0 N	4 18 51 W	0 17 15	6 0
— Ram Head		50 23 0 N	4 22 25 W	0 17 30	
— Edystone		50 12 0 N	4 25 58 W	0 17 44	
Pondicherry	India	11 56 30 N	75 7 30 E	5 0 30	
Porto Bello	New Spain	9 33 5 N	79 50 0 W	5 19 20	
PORTSMOUTH	England	50 49 0 N	1 5 0 W	0 4 20	12 30
Prague	Bohemia	50 4 30 N	14 45 0 E	0 59 0	
Pulincondo Is.	Gulf Siam	8 40 0 N	107 20 0 E	7 9 20	
QUEBEC	Canada	46 55 0 N	69 53 0 W	4 39 32	6 0
Quito	Peru	0 13 17 S	77 55 0 W	5 11 40	
Rakah Antient	Mesopotamia	36 1 0 N	38 50 0 E	2 35 20	
Reims	France	49 14 36 N	4 3 0 E	0 16 12	
Rennes	France	48 6 45 N	1 42 0 W	0 6 48	
Rimini	Italy	44 3 43 N	12 34 15 E	0 50 17	
Rhodes	France	44 21 0 N	2 34 15 E	0 10 17	11 15
Rochelle	France	46 9 43 N	1 15 45 W	0 5 3	3 45
Rodrigues	Madagascar	19 40 40 S	63 10 0 E	4 12 40	
ROME, St. Pet.	Italy	41 53 54 N	12 29 15 E	0 49 57	

A New Geographical TABLE of Latitudes, Longitudes, and also Tides, of Places, continued alphabetically. For the Use of Seamen.

PLACES Names.	Countries on Coasts or in Provinces.	Latitude.	Longitude.		High Water at New and Full D.
			Degrees.	Time.	
		° ' "	° ' "	h m s.	h m
Rotterdam	Holland	51 56 0 N	4 28 15 E	0 17 53	3 0
Rouen	France	49 26 43 N	1 5 15 E	0 4 21	1 15
Sable Cape	New Scotland	43 24 0 N	65 30 0 W	4 22 0	
Salonique	Turkey	40 41 10 N	23 8 0 E	1 32 32	
Silly If. St. Ag- nes Lights-bou.	England	49 56 0 N	7 14 0 W	0 28 56	3 45
Seez	France	48 36 21 N	0 9 45 E	0 0 39	
Sens	France	48 11 56 N	3 17 0 E	0 13 8	
SHERBURN Ca.	England	51 39 25 N	1 0 0 W	0 4 0	
Si-nghan-fu	China	34 16 30 N	108 43 45 E	7 14 55	
Smyrna	Natolia	38 28 7 N	27 19 45 E	1 49 19	
Solfons	France	49 22 32 N	3 19 30 E	0 13 18	
Stalbridge	England	50 57 0 N	2 23 30 W	0 9 34	
Start Point	England	50 9 0 N	3 51 15 W	0 15 25	
STOCKHOLM	Sweden	59 20 31 N	18 2 45 E	1 12 11	
Strasbourg	Germany	48 34 35 N	7 46 15 E	0 31 5	
Tarbes	France	43 14 2 N	0 3 30 E	0 0 14	
Tenerif Pike	Canaries	28 12 54 N	16 32 0 W	1 6 8	3 0
St. Thomas Isl.	Virgin Isles	18 21 55 N	64 33 0 W	4 18 22	
Timon Pulo Isl.	Gulf Siam	3 0 0 N	104 25 0 E	6 57 40	
Tobolski	Russia	58 12 18 N	68 12 45 E	4 32 51	
Tornea	Sweden	65 50 50 N	24 12 0 E	1 36 48	
Toulon	France	43 7 24 N	5 56 30 E	0 23 46	
Toulouse	France	43 35 54 N	1 26 15 E	0 5 45	
Tours	France	47 23 44 N	0 41 15 E	0 2 45	
Tripoli	Barbary	32 53 40 N	13 5 15 E	0 52 21	
Turin	Italy	45 5 20 N	7 40 0 E	0 30 40	
Upsal	Sweden	59 51 50 N	17 41 15 E	1 10 49	
URANIBERG	Denmark	55 54 15 N	12 52 30 E	0 51 30	
Valparais	Chili	53 2 36 S	72 19 15 W	4 49 17	
Venice	Italy	45 25 0 N	12 4 30 E	0 48 18	
Vera Cruz	New Spain	19 12 0 N	97 30 0 E	6 30 0	
Verdun	France	49 9 18 N	5 22 45 E	0 21 31	
Verona	Italy	45 26 26 N	11 18 30 E	0 45 14	
VERSAILLES	France	48 48 18 N	2 7 15 E	0 8 29	
Gape Verd	Negroeland	14 43 0 N	17 10 0 W	1 8 40	
VIENNA Imp. Observatory	Germany	48 12 48 N	16 22 30 E	1 5 30	
Vintimiglia	Italy	43 51 20 N	7 37 30 E	0 30 30	
Virgin Gorda Ft.	West Indies	18 18 0 N	64 0 0 W	4 16 0	
Virgin's Cape	Patagonia	52 26 0 N	71 5 0 W	4 44 20	
Wakefield	England	53 41 0 N	1 33 30 W	0 6 14	
Wanslead	England	51 34 0 N	0 2 30 E	0 0 10	
Wittenberg	Germany	51 43 10 N	12 33 30 E	0 50 14	
Ylo	Peru	17 36 15 S	71 13 0 W	4 44 52	
York	England	53 59 0 N	1 6 40 W	0 4 27	
New York	New England	40 43 0 N	74 9 0 W	4 56 36	

A large and general alphabetical TIDE-TABLE, (for the USE of SEAMEN :)
Shewing the Time of HIGH-WATER at several Sea Ports and Places, at New
and Full Moon, Whence the Time of High Water is found on any Day of the
Month, or Age of the Moon, from her Southing.

Places Names.	T. H. Water	Places Names.	T. H. Water	Places Names.	T. H. Water	Places Names.	T. H. Water
	h m		h m		h m		h m
ABERDEEN	0 45	Bristol Key	6 45	Dunnoft	9 45	Hamborough	6 0
Abermorith	6 0	Brovage witt	3 45	Dunwich	9 45	Hampton Key	0 0
Aberwark	4 30	Buchanels	3 0	Edam	1 30	Harborough	6 0
Abroth	3 15	Boulghe	10 30	Edinburgb	4 30	Harfleur	8 0
Africa W.Co.	3 0	Buoy of Nore	1 0	Egmoa	4 30	Haerlem	9 0
Aldborough	9 45	Caen, Norm.	9 0	Eider	0 0	Hartlepool	3 0
Amazon's R.	6 0	Caldy	5 15	Elbe	0 0	Harwich	11 0
Ambleteufe	11 0	Calais	11 30	Embsen	0 0	Hastings	10 30
Amer W.Co.	3 0	Calshot	11 15	Emes	9 0	Havre de Gr.	9 0
— E.Coast	4 30	Camverre	1 30	Emes Entr.	7 30	St. Helen's	10 30
Amsterdam	3 0	Canary Isles	3 0	Enchusen	0 0	Hein	0 0
Andrew, St.	2 15	Cancale	6 0	Engomonts	9 0	Hever	0 0
Antwerp	6 0	Cape Blanco	9 45	Eftaple	11 0	Holms	6 0
Apenars	12 45	— Cantin	0 0	Exmouth	6 20	Holy Head	1 30
Apenmark	2 15	— Clear	4 30	Exwater	7 30	Home Head	9 0
Archangel	6 0	— De Four	2 45	Fair Isle	0 0	Honfleur	9 0
Armeniers	3 0	— Good Hope	3 0	F. Isle Roads	11 15	Horn	1 10
Army	1 30	Sierre de Lion	8 15	Falmouth	5 30	Hull	6 0
Audiern, Fr.	2 15	Carmarth B.	5 15	Fen, in E. Ch.	1 30	Humber Mo.	5 15
Auray, Fr.	3 45	Caskets witht	8 15	Fefcan	9 45	Huncliff Foot	3 45
Bajador, Bar.	0 0	— within	9 45	Finkmark C.	1 30	John de Luce	10 30
Baltimore, Ir.	4 30	Catneds	9 0	Flamborou' H.	4 0	Ireland, S.Co.	5 15
Barfleur, Fr.	8 0	Chambernells	9 45	Flanders Bks.	1 0	— W. Co.	3 0
Bals without	3 45	Cherburgh	7 30	Florida	7 30	Jutland Isle	0 0
Bayonne, Fr.	3 30	Cibiti Coast	3 0	Flushing	1 0	Kent. Knock	0 0
Beachy	0 0	Concarneau	3 0	The Fly	7 30	Kildive	9 0
Beauvoir, Fr.	3 15	Condado	0 0	Fohtenoy Ra.	2 15	Kilduyn	7 30
Bell Isle	3 30	Conquet, Fr.	2 15	Foreland N&S	9 45	Kildare	3 0
Berguer	1 30	Cott	6 30	Forn	5 15	Kinsale	5 15
Bermudas	7 0	Corp. Chris. Pt	1 30	Fouldefs	6 45	Lambag	8 15
Berwick	1 39	Cowes	10 30	Fowby	5 30	Landend	7 30
Biscay Coast	3 0	Croyl	11 15	Fran. W.Co.	3 0	Lanion	6 45
Blacknefs	1 30	Cromer	7 0	Firth	11 0	Lawrenels	4 30
Blackney	6 0	Dartmouth	6 30	Friesland Co.	7 30	Leitb	4 0
Blacktail Ba.	0 15	David's Head	6 0	Gallcia	3 0	Lenow	9 45
Blanket Race	0 0	Deal	10 30	Garande	3 0	Leoffoff	9 45
Blavet	3 0	Denbigh	2 15	Garonne Mo.	3 0	— Road	10 30
Bloy	4 30	Deſire Port	0 0	Gascoigne Co.	3 0	Lime	7 0
Bluet without	2 15	Dieppe	10 30	Gibraltar Ro.	0 0	Lifbon	2 15
Bordeaux	6 0	Dort	3 0	Gouries Gut	2 30	Lizard	7 30
Brail Coast	4 30	Dover	11 30	Goree	1 30	London	2 30
Bremen	6 0	Downs	1 15	Gorend	11 15	Longſand H.	10 30
Bree Sound	4 30	Dublin Bar	9 15	Granville	6 45	Loe	6 0
Brest	3 45	— Cuſt. houſe	11 0	Gravelling	0 0	Loir Mouth	3 0
Britain S.Co.	3 0	Dunbar	2 0	Graveſend	1 30	Lundey	5 15
Bridgewater	7 40	Dundee	2 15	Groyne	3 0	Lynn, Norfolk	6 0
Bridlington P.	4 0	Dungarven	4 30	Guernſey	1 30	Lynn witht	5 15
Brill	1 30	Dunkennefs	9 45	Gunfleet	10 30	Mackwel Ca.	8 15
Bristol	6 30	Dunkirk	12 0	Hague	8 15	Marx	3 0

A large and general alphabetical TIDE-TABLE, (for the Use of SAAMEN,) continued.

Places Names.	T. H. Water	Places Names.	T. H. Water	Places Names.	T. H. Water	of high Water or full Sea, on the Day of Full or Change of the Moon, for the Place given; then add to which the Time of the Moon's Southing, on the given Day of the Month, and the Sum will be the Time of High Water, required.
MagnesSoun.	8 15	Rhodes	11 15	Staples	3 45	EXAMPLE. To find the Time of High Water at London-Bridge, on April 13 1765.
Malden	12 45	Robin Hood's B.	3 0	Start	6 45	
St. Maloes	6 0	Rochel	3 45	Stockton	5 15	T. of H.W. h m at N.&F. D 2 30 By Tab. P. 107, Apr. 13, 1765, D's Sou. 6 52
Man Isle	9 0	Rochford	4 15	Swin	0 0	
Margaret Ro.	11 15	Rochester	0 45	Tees Mouth	3 0	H.W. Lon. 9 m22
St. Mark	2 15	Rohan	3 45	Tenerif Pike	3 0	
St. Math.'s Pt.	3 45	Rofs	5 15	Tenet	1 30	To find the near Time of D's South- ing arithmetically.
Memiffan	3 30	Rotterdam	3 0	Terveer win.	0 45	
Milford and Moonlefs	5 15	Rouen	1 15	— without	1 30	Rule. Multiply her Age by 8 Tenths, for the Hours and Decimals of South- ing.
Milford Hav.	7 30	Romney	1 30	Tergon	9 45	
Morhtham	3 0	Rye	11 15	Texel	7 0	Exam. April 13, 1765, the Moon's Age 24 Days. 19,2
Mount's Bay	4 30	St. Andrew's	2 15	Texel Cliffs	5 0	
Monsheole	4 30	— Augustine Florida	7 30	Tbames Mo.	1 30	To find the Time of High Water at a given Time and Place.
Nantz River	3 0	— David's H.	6 0	Tinnmouth	6 0	
Naze	11 15	— Helens	10 30	Topfham	6 0	RULE. By the foregoing Tide-Table, find the Time
Needles	10 0	— John de Lutz	3 30	Torbay	10 30	
Newcastle	3 15	— Lucas	2 15	Treport	3 45	To find the Time of High Water at a given Time and Place.
Newport, Isle of Wight	0 0	— Maloes	5 30	Vannes	3 45	
St. Nich. Ruff.	6 45	— Mark	2 15	Voard	4 30	To find the Time of High Water at a given Time and Place.
Nore, W. End	0 0	— Matth Pt.	3 45	Vreck	0 0	
Not mandy Co.	10 30	— Michael	5 30	Use	3 0	To find the Time of High Water at a given Time and Place.
North Cape	3 0	— Nich. (Ru)	6 45	Ushant witha	4 30	
Magero	3 0	— Pol de Leon	4 0	Wales	5 15	To find the Time of High Water at a given Time and Place.
Ollone	3 15	— Powls	6 0	Walsh, Linc.	6 30	
Orfordnefs	10 30	— Valleri	9 45	Waterford	6 30	To find the Time of High Water at a given Time and Place.
Orkneys	6 0	— Salcomb	6 0	Weilands	1 30	
Orwell	9 0	Sandwich	11 30	Wells	6 0	To find the Time of High Water at a given Time and Place.
Ostend	0 30	Scarborough	3 45	Weymouth	7 0	
Pennes, Fr.	3 45	Scilly Islands	3 45	— Key	6 45	To find the Time of High Water at a given Time and Place.
Peru Coast	3 0	Sedmouth	6 45	Whitby	3 0	
Peter Port	8 15	Senigal	10 30	Wieringham	7 0	To find the Time of High Water at a given Time and Place.
Picardy Coast	10 30	Seven Cliffs	9 0	Wigbt, Isle	0 0	
Plymouth	6 0	Seven Isles	4 30	Winchelsea	12 45	To find the Time of High Water at a given Time and Place.
Podefemth	6 45	Severn's Mo.	6 0	Winterton	8 0	
Poitou, S. Co.	3 0	Seine's Mo.	9 0	Yarm	6 45	To find the Time of High Water at a given Time and Place.
Port Blank	4 15	Sbeernefs	9 0	Yarmouth	10 0	
Porthus	3 0	Shelbergh	9 0	— Roads	10 30	To find the Time of High Water at a given Time and Place.
Portland	8 30	Sbetland	3 0	Youghall, Ir.	4 30	
Portugal Co.	3 45	Sboe Bacon	0 30	Zeland Coast	1 30	To find the Time of High Water at a given Time and Place.
Portsmouth	12 30	Shoreham	10 30	Zerick Sea	3 0	
Quebec	6 0	Sleeve	0 0			To find the Time of High Water at a given Time and Place.
Queenborough	0 0	Somme Mo.	11 0			
Ramekins	1 30	Sound	3 45			To find the Time of High Water at a given Time and Place.
Ramfey	5 15	Southampton	0 0			
Rebdan	12 45	Spain, W. Co.	3 0			To find the Time of High Water at a given Time and Place.
Redland	0 30	Spithead	11 30			
Rhee Island	3 0	Spurn	5 15			To find the Time of High Water at a given Time and Place.

N. B. High Water is at the Time of the Moon's Southing, where it happens at 0, or 12, New and Full Moon.

TABLE of the MOON's *Southing*, or when she passes the Meridian of *Greenwich* Observatory, 1765. For the Use of SEAMEN:

D.	Jan.	Feb.	Mar.	April.	May.	June.	July.	Aug.	Sept.	Oct.	Nov.	Dec.
	h m	h m	h m	h m	h m	h m	h m	h m	h m	h m	h m	h m
1	7 42	8 40	7 24	8 44	8 59	10 8	10 53	Morn.	1 m 3	1 m 20	2 m 35	2 m 55
2	8 27	9 33	8 17	9 31	9 46	11 9	11 59	0 44	1 49	2 7	3 27	3 43
3	9 15	10 25	9 8	10 17	10 36	Morn.	Morn.	1 35	2 33	2 56	4 18	4 28
4	10 6	11 16	9 58	11 3	11 29	0 16	1 10	2 22	3 19	3 46	5 7	5 9
5	10 56	Morn.	10 46	11 53	Morn.	1 28	2 9	3 7	4 7	4 38	5 54	5 52
6	11 48	0 5	11 34	Morn.	0 29	2 33	2 59	3 51	4 56	5 30	6 39	6 32
7	Morn.	0 54	Morn.	0 45	1 35	3 33	3 48	4 35	5 47	6 21	7 23	7 15
8	0 42	1 38	0 20	1 40	2 42	4 26	4 32	5 19	6 38	7 10	8 5	8 1
9	1 32	2 24	1 7	2 42	3 48	5 17	5 15	6 8	7 30	7 58	8 49	8 52
10	2 18	3 8	1 54	3 45	4 49	5 59	5 59	6 57	8 21	8 43	9 33	9 43
11	3 3	3 57	2 46	4 51	5 45	6 41	6 41	7 48	9 10	9 27	10 23	10 45
12	3 46	4 47	3 44	5 53	6 35	7 23	7 26	8 39	9 56	10 11	11 14	11 50
13	4 30	5 42	4 43	6 52	7 22	8 6	8 14	9 30	10 42	10 57	0 14	0 56
14	5 15	6 45	5 48	7 44	8 5	8 49	9 3	10 21	11 27	11 45	1 17	2 1
15	6 3	7 47	6 48	8 33	8 47	9 34	9 53	11 12	0 10	0 33	2 22	3 3
16	6 56	8 49	7 50	9 18	9 29	10 21	10 44	11 55	0 56	1 29	3 26	3 57
17	7 55	9 52	8 47	10 1	10 11	11 11	11 35	0 38	1 42	2 29	4 28	4 47
18	8 57	10 48	9 36	10 41	10 54	0 2	0 23	1 23	2 34	3 33	5 27	5 34
19	10 3	11 40	10 26	11 26	11 40	0 53	1 10	2 6	3 30	4 36	6 15	6 17
20	11 7	0 2	11 11	0 2	0 28	1 43	1 56	2 51	4 30	5 38	7 2	7 0
21	0 8	1 11	11 56	0 55	1 19	2 30	2 39	3 38	5 32	6 36	7 46	7 44
22	1 2	1 55	0 27	1 41	2 10	3 16	3 20	4 30	6 35	7 30	8 30	8 29
23	1 53	2 38	1 21	2 31	3 1	4 0	4 4	5 25	7 36	8 19	9 13	9 17
24	2 37	3 21	2 5	3 22	3 50	4 42	4 49	6 26	8 33	9 5	9 58	10 6
25	3 20	4 5	2 51	4 13	4 38	5 26	5 38	7 29	9 26	9 50	10 44	10 56
26	4 1	4 51	3 40	5 5	5 23	6 10	6 31	8 32	10 16	10 34	11 32	11 47
27	4 44	5 41	4 31	5 54	6 8	6 56	7 28	9 34	11 2	11 19	Morn.	Morn.
28	5 28	6 32	5 22	6 42	6 52	7 47	8 32	10 32	11 49	Morn.	0 23	0 39
29	6 12		6 14	7 28	7 38	8 45	9 49	11 25	Morn.	0 3	1 15	1 26
30	6 58		7 5	8 13	8 21	9 43	10 43	Morn.	0 33	0 53	2 6	2 13
31	7 49		7 55		9 13		11 44	0 16		1 43		2 54

To find the Time of High Water, at any Place, on any Day of the Month.

RULE. To the Time of the Moon's *Southing*, from the above Table, for that Day, add the Time of *High Water* at *New and Full*, in that Place, (from *Tab. P. 105, 106.*) and the Sum (abating 12 when above 12 Hours) will be the Time of *High Water*, required.

EXAMPLE. To find the Time of High Water at *Dover*, on April 16, 1765.

From above, the Moon souths on that Day, 9^h 18^m Morn.
To which add Time H. W. at *Dover*, at *New and Full*, fr. *P. 105*, 11 30

Sum (abating 12) the Time of High Water required 8 48

N. B. Where Morn is printed in the Columns, the Moon souths not for that Day, according to the *Paradox* answered *P. 25*, *Pal. 1764*.

And when there is an Hour Difference in the Moon's *Southing* in a Day, it gives but 10 Seconds Diff. *Southing* for 1 Deg. Diff. Long. or 1^m Diff. for 60^s Diff. Long. — Shewing that the Difference of Longitude cannot be truly determined from the Time of the Moon's *Southing*, observed at a Place far East or West of *Greenwich*.

Time of the MOON's Southing.							Our redundant Materials obliged us to exclude the Solution to Qu. XV. till next <i>Pal.</i> or <i>Sup.</i> But ☉ in $\triangle 4^m$ bef. Noon, bef. <i>Cbr.</i> is in $\triangle 6^s 00' 10''$ at Noon. — Whence, by Method, P. 64, 65, <i>Pal.</i> 1764, the Answer is easily found. And ☉ in $\triangle 1^m$ bef. Midnight since <i>Cbr.</i> is in $\triangle 6^s 00' 2''\frac{1}{2}$ at Midnight. Or, ☉ in $\triangle 2^m$ before Midnight, before <i>Cbrist</i> , is in $\triangle 6^s 00' 5''$ at Midnight. — Whence several Answers easily follow.
H.	0 ^m	10 ^m	20 ^m	30 ^m	40 ^m	50 ^m	
High Water at London, by Sir I. Newton.							<i>Errata.</i> P. 70, L. ^o 29, for \circ as to, r. so as to. P. 71. L. 7, for Precession, r. Precision.
12	3 ^h 0 ^m	3 ^h 9 ^m	3 ^h 18 ^m	3 ^h 27 ^m	3 ^h 36 ^m	3 ^h 40 ^m	
1	3 54	4 2	4 9	4 16	4 23	4 36	
2	4 37	4 44	4 50	4 57	5 3	5 9	
3	5 15	5 21	5 27	5 33	5 40	5 46	
4	5 52	5 59	6 6	6 13	6 20	6 28	
5	6 36	6 44	6 53	7 2	7 11	7 20	
6	7 30	7 40	7 52	8 4	8 15	8 25	
7	8 36	8 48	9 0	9 13	8 26	9 39	
8	9 52	10 6	10 20	10 33	10 47	11 1	
9	11 15	11 29	11 43	11 57	12 10	12 24	
10	12 37	12 50	1 3	1 16	1 29	1 42	
11	1 54	2 3	2 16	2 27	2 38	2 49	

Example. When the ☉ souths at 9^h 30^m, against 9^h on the Side and under 30^m at Top, stands 11^h 57^m, High Water.

To the MOON-PEEPERS and Longitude TIME-KEEPERS.

Two Minutes in Degree if you mis-spy,

(And who can peep out Latitude so nigh?)

Two miscompute; twice two, in Time, be crost,

Then all your Credit, Time, and Gain, are lost!

BOOKS lately published by Mr. EMERSON, and sold by Mr. Nourse, in the Strand.

1. *NAVIGATION.* Real second Edition, with Additions and Corrections, improved in many Respects.

2. *Trigonometry.* Real second Edition, with several Additions and Improvements, and Tables of *Logarithms* and *natural Sines and Tangents* added, to render the Work complete.

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LIST of the LUNAR PROFESSORS of SCIENCE. By Academicus.

Noms et Caracteres des MESSIEURS de l'Academie Lunaire des Sciences.

Creations en l'Année Professeurs.

1763. *M. de Kende*, Lecteur, Docteur, et Professeur, au College Lunaire; Membre de la Societé dogmatique de Londres; et de l'Academie chronologique, des Instituts de la Dégradation des bons Professeurs, des Chevaliers *Newton*, *Halley*, *Keil*, &c. Premier Professeur d'Astronomie en l'Academie Lunaire, et Professeur premier des Absurdités. *Star bon. Cbristiano.*

1764. *M. de Bamfyde*, Chevalier de l'Ordre de la Societé Lunaire, et Professeur et Impositeur en Ordinaire d'Astronomie; Membre de la Societé dogmatique et pédantique de Londres; et inferieur Professeur des Absurdités.

M. de Reverie, Avocat, et Professeur des Perodes solaires.

M. de Furgon, Docteur et Professeur rationel de la Societé lunaire, et Lecteur Itinerant de la Philosophie naturelle.

M. de la Riffon, Professeur grammatical, et Docteur des Cathartiques, Emetiques, Botaniques; aussi de Chimie, des Critiques, des Satellites, des Stellaires, des Astronomes, des Potatoes, des Staeratoes, &c.

Pour la Mechanique.

M. d'Ardin, Professeur des Syphons.

M. Vilfon de Nouveau Castel, Docteur et Professeur des Absurdités.

M. le Clerc, Professeur des Nouveautés.

Pour

Pour l'Hydrostatique.

M. de Beverly, Professeur des Impossibilités.

Pour la Mathématique et la grande Science des Fluxions.

M. de Roe, Docteur et Professeur des Extraordinaires.

Pour la Geometrie.

M. d'Undone, Docteur et Professeur des Merveilles.

M. du Palladium, Inspecteur et Correcteur general des Arts, Sciences, Ex-
reurs, Absurdités, et Blondres: (To be continued.)

WE hope that our Correspondents will excuse us for omitting to insert their several Productions concerning their *Hand-bill Packets*, received by the Post from their unknown Town Correspondents, *without Names*. As their Letters will make about two middle-sized Volumes in 12mo, they will serve for a *Novel*, and may be called *The Hornet's Nest*, or *JUSTICE provoked*: Wherein all such *Town Artificers* are laid open, as have hitherto escaped the Hands of *Justice*.

We acknowledge the Receipt of a *threatening Letter*, signed *J. R.* to acquaint a Person of Honour of our interrupting a *Set of Fellows*, getting their Livelihood by as *bonest* Endeavours as they could, (*who waited for an Opportunity to send them to a Place fittest for them*,) telling us to beware! — insisting on our meeting them: Though *Knights of the Post* are more dangerous than using Weapons of *Justice*!

The *Farce* in 3 Acts (intitl'd *The Charms of MOLL ROE, and BALLANCE the BEAU*) by *Candidus Criticus*, we have not Room for at Length; but refer our Readers to the Stage, where they may expect to see it acted in all its proper Characters! *humorous, satyrical, polite, and moral.*

In this *Farce*, Signor *Don Lorenzo Magistro Flagellatorio Champaignienzo*, universal Professor, lately arrived à *Paris*, teaches all human Accomplishments in three distinct Lessons, for 5 *Guineas* each Lesson, in 24 Hours, at his Academy in *Buxard's Buildings*; or at Gentlemen and Ladies own Houses, if required; without the Trouble to Master or Scholar of teaching their *Essentials*.

Docteur de Baboon, Professor of inferior Arts, assists Signor *Don Champaignienzo* in teaching *French, Spanish, Portuguese, Italian, Barbarian, Hottentot, and Caffres*; *Dancing, Music, Fencing, Horsemanship, &c.* to complete the other academeical Accomplishments. Who (*his ownself*) teaches his *Short-hand*, without Method, *gratis*.

Monsieur de Jacko Hypercritico professes to teach all the same human Accomplishments without *Ideas*, in one Hour, for one *Guinea* each Lesson, that Signor *Champaignienzo* takes 24 to perform; who is but a mere Pretender to Science. — He also teaches *Buffoonery* and *Taking off* (as it is vulgarly called) *gratis*. He has taken off an eminent *Mathematician*, and the *Palladium-Author*, *gratis*; and will take off his Friend *Mr. Foote* before a numerous and splendid Audience, at his Academy in *Magpie-square*, near *Beddesford-Row*.

The other extraordinary Persons of the *Drama* (*Sir Jaffer, Ballance the Beau, Lady Roe, Mrs. Budget, Mr. Whipper-snapper, Bidde, Brim, Tim, Trim, Trip, Filch, Trapes, Trot, Tatter, little Trinculo, Servants, and Attendants*,) perform Wonders!

The same Correspondent informs us, that *le Docteur Hypercritic* is of Opinion, that *fashionable Amusement* (at P. ii. L. 25, *Pall. Preface* 1764) is an *insufferable Impropriety*; because the Great are original Patterns and not Followers of Fashion. L. 11. *fr. Bot.* same P. 'Science have' should be 'Sciences have'; because no Nominative Case singular can agree with an auxiliary, or any other, Verb plural. — Who (*le meme Docteur*) has with *Lincean Sight* discovered 7 false *Punctuations* in *Pal.* 1764. — for which candid Correction we are under infinite Obligation. — Who has likewise lately discovered that the greatest Merit in the *Royal Astronomer and Navigator* is in the *Elegance* of its Printing: On which Account *le fameux Docteur de la Raison* has given it a Place on his own Shelf, next to *Stellagraphia Britannica* of immortal Memory!

REMARKS

REMARKS on Mr. HARRISON'S PROCEEDINGS with his WATCH, for determining the Longitude, in his late Voyage to Barbadoes.

(See P. 23, Palladium Supplement, 1764.)

HE went abroad February 13, 1764, from Surry Stairs in the Strand, to Barbadoes, on the Trial of his *Time piece*, who (according to *Owen's Magazine* for July 1764) found it had gained 54 Seconds of Time, at his Return to Surry Stairs, July 18, 1764, during his Absence of 156 Days. But in all this Time it does not appear that he proved the Equality of his Watch's Motion, nor does it appear any where that he proved the same Equality before his going Abroad.—*What then can be depended on from this Voyage?* — His Trial of his Watch by his own *Regulator*, (not so good as by the *Transit Instrument* and uniform Revolution of the fixed Stars, the *Regulator of Regulators*,) when it is said to have gained 9 Seconds 6 Tenths in 8 Days, is no Proof of the Equality of its Motion, (or Merit of a *Time-piece*,) the principal Thing to be proved; supposing the different Effects of Heat and Cold, Wet and Dry, Gravity, and Shocks of the Ship's Motion, to be provided for; which we find are not. For after Mr. Harrison had examined the Going of his Watch, and adjusted it by his own *Regulator*, it seems he re-adjusted it by Mr. Short's more infallible one, and found it $2\frac{1}{2}$ Seconds slow of mean Time. Who arriving at Portsmouth, he found (and not before) it gained 0, 1, 2, 3, Seconds a Day, according as *Fahrenheit's* Thermometer stood at 72, 62, 52, and 42, respectively; and lost 1 Second a Day when it stood at 82; though it had before been all along pretended that the Effects of Heat and Cold, or different Constitutions of the Air, were provided for by the same Principles as in the *Gridiron Pendulum*, of a Clock.

Mr. Harrison's several Predictions of making *Porto Santo*, *Barbadoes*, and the *Scilly Islands* at his Return, are thus supported. — The Difference of Longitude of *Porto Santo*, *Barbadoes*, and of *Scilly Islands*, from any known Place, is uncertain, or in Darkness, and therefore his Predictions of their Distances from the Ship, whose Difference of Longitude is given by the Watch, must be uncertain, or in Darkness. And the Distance of Places from the Ship (supposing its Difference of Longitude from a given Place to be correctly known by the Watch) depends on 3 more Articles, viz, the Ship's Latitude, and the Latitude and Longitude of the Place bound to; being the *Navigator's* Province to resolve, as a Problem, and not Mr. Harrison's. When (in one of my three Voyages to the *West Indies*) we made Land in the Day-Time in our Voyage to *Barbadoes*, we did it by this Method. We got into its Latitude, and then ran down our Distance (steering due West, as is the usual Custom) till we saw it, and running in with the Island at about 3 Leagues or 9 Miles Distance, that Evening, we lay till Day-break, and then we ran into *Carlisle Bay* and came to an Anchor. And if the *Tartar* did so, (without any Help required from a *Time-piece*,) she avoided the Risk of running by that small Island, as Ships have frequently done, steering directly to it out of the Ocean by an uncertain Longitude. And the same Method is used in Places having East Longitude of the Ship, steering due East in the Place's Latitude (being always sure of the Difference of Longitude of the Ship being less than that of the Place) till you find it; where no Rocks, Shoals, or Land, lie between to intercept the Ship's Passage.

N. B. Mayer's genuine Equation Tables in our *Royal Astronomer* are to be used with our mean Motions for *Greenwich*. His Tables (fold) are made for *Paris Meridian*, in the *Radixes* or mean Places, and therefore are of no Use to us till altered as above. Hence the Mistakes of Many, using Mayer's Tables.

✎ We shall publish our accurate Improvements in astronomical Tables; notwithstanding Mr. *Witchell's* Tables coming out, Price 5s. (comprisable, like *Morris's*, in a few *Palladium Pages*;) we having by superior Interest acquired Corrections in astronomical Computation which no Authority can exceed. — There are 3 Sorts of Astronomers: The observing or peeping, theoretical or prating, and computing, practical, or real.—Mr. *Witchell*, as one of the best, we wish to see astronomical Professor at *Greenwich*, when Occasion offers. A

▲ **TABLE** for finding the Difference of **LONGITUDE** from *Greenwich Roy Observatory*, by the Difference of Time between any Eclipse of the first *Satell* of *Jupiter* at *Greenwich*, happening there at Times as beneath, and the Time t same *Eclipse* is observed to happen under a distant Meridian: The Differen of which Times being turned into *Degrees*, will be the *Difference of Longitude* betw *Greenwich* and the *Place of Observation*.

Times of the ECLIPSES of the first SATELLITE of JUPITER, for 1765, N. at Greenwich Observatory.

January.			February.			March.			April.			May.			June.		
Immerfion.			Emerfion.			Emerfion.			Emerfion.			Emerfion.			Emerfion.		
D.	h	m s	D.	h	m s	D.	h	m s	D.	h	m s	D.	h	m s	D.	h	m
2	16	49 8	1	20	59 51	2	4	40 41	1	6	57 44	1	9	13 3	2	5	59
	Emerfion.		3	15	28 18	3	23	9 46	3	1	26 58	3	3	42 5	4	0	17
6	7	58 24	5	9	56 47	5	17	38 53	4	19	56 14	4	22	11 2	5	18	46
8	2	26 13	7	4	25 20	7	12	8 1	6	14	25 29	6	16	39 56	7	13	14
9	20	54 4	8	22	53 54	9	6	37 11	8	8	54 44	8	11	8 47	9	7	42
11	15	21 57	10	17	22 34	11	1	6 23	10	3	23 57	10	5	37 34	11	2	11
13	21	49 52	12	11	51 18	12	19	35 46	11	21	53 10	12	0	6 21	12	20	39
15	4	17 48	14	6	20 7	14	14	4 51	13	16	22 21	13	18	35 6	14	15	7
16	22	45 47	16	0	48 56	16	8	34 6	15	10	51 31	15	13	3 49			
18	17	13 45	17	19	17 47	18	3	3 17	17	5	20 40	17	7	32 31			
20	11	41 53	19	13	46 40	19	21	32 30	18	23	49 48	19	2	1 10			
22	6	10 0	21	8	15 36	21	16	1 43	20	18	18 53	21	8	29 46			
24	0	38 10	23	2	44 34	23	10	30 59	21	12	47 57	22	14	58 21			
25	19	6 23	24	21	13 33	25	5	0 19	24	7	17 0	24	9	26 53			
27	13	34 40	26	15	42 34	26	23	29 40	26	1	46 22	26	3	55 24			
29	8	3 1	28	10	11 36	28	17	59 2	27	20	15 4	28	10	23 54			
31	2	31 28				30	12	28 18	29	14	44 6	31	11	20 53			
July.			August.			September.			October.			November.			Decemb.		
						Immerfion.			Immerfion.			Immerfion.			Immerfion.		
						D.	h	m s	D.	h	m s	D.	h	m s	D.	h	m
						2	4	20 2	0	12	5 32	1	8	43 23	1	10	40
						3	22	49 9	2	6	34 30	3	3	11 48	3	5	8
						5	17	18 16	4	1	3 29	4	21	40 9	4	23	35
						7	11	47 23	5	19	32 27	6	16	8 29	6	18	3
						9	6	16 30	7	14	1 25	8	10	36 47	8	12	31
						11	0	45 37	9	8	30 22	10	5	5 4	10	6	58
						12	19	14 44	11	2	59 18	11	23	32 18	12	1	26
						14	13	43 42	12	21	28 12	13	18	1 25	13	19	53
						16	8	12 59	14	15	57 3	15	12	29 29	15	14	21
						18	2	42 5	16	10	25 50	17	6	57 28	17	8	48
						19	21	11 11	18	4	54 33	19	1	25 28	19	3	14
						21	15	40 17	19	23	23 16	20	19	53 25	20	21	43
						23	10	9 22	21	17	51 55	22	14	21 20	22	16	11
						25	4	38 26	23	12	20 33	24	8	49 14	24	10	38
						26	23	7 29	25	6	49 11	26	3	17 6	26	5	6
						28	17	36 32	27	1	17 48	27	21	44 54	27	23	33
									28	19	46 23	29	16	12 39	29	18	1
									30	12	14 54						

Example. An *Eclipse* of the first *Satellite* of *Jupiter* was observed to happen on *January 27^d* at *11^h 24^m 19^s* at *Night*, at *Sea*.
The same happened at *Greenwich* *27* *13* *34* *40*

The *Diff.* is the *Diff. Long.* in Time *2* *10* *21* or *32° 35' 15"* the *Sh* was to the *Westward* of *Greenwich*; because the Time of *Observation* was *soon* than the Time at *Greenwich* — when it is later, the *Longitude* of the *Ship*, Place of *Observation*, is *Eastward* of *Greenwich*.

1765.	Month and Week Days.							Add to Month-ly day for the D's Age.		New Full	Sun rises.			
	1	2	3	4	5	6	7		D.	D.	1st	11th	21st	
Use. Agt the Mth. above	1	2	3	4	5	6	7	Jan.	9 ^d	21	7	8 ^h 5 ^m	7 ^h 56 ^m	7 ^h 45
he Wk.-d. stand all the	8	9	10	11	12	13	14	Feb.	10	19	5	7 22	7 6	6 50
Mth-ds. anfwg thereto.	15	16	17	18	19	20	21	Mar.	9	21	7	6 32	6 12	5 52
Also, under the Mth-day	22	23	24	25	26	27	28	Apr.	10	20	6	5 31	5 11	4 53
of the Mth. stands the	29	30	31					May.	10	19	5	4 35	4 20	4 4
Week-day correspond.								June.	12	18	3	3 51	3 45	4 43
January. October.	t	w	th	f	f	S	m	July.	12	18	3	3 40	3 54	4 4
Feb. Mar. April.	f	f	S	m	t	w	th	Aug.	13	16	1	30	4 20	4 36
April. July.	m	th	w	th	f	S		Sept.	15	15	29	5 15	5 32	5 54
May.	w	th	f	f	S	m	t	Oct.	15	14	28	6 13	6 33	6 53
June.	f	S	m	t	w	th	f	Nov.	17	13	27	7 12	7 30	7 45
Auguft.	th	f	f	S	m	t	w	Dec.	17	12	27	7 58	8 6	8 8
Septem. Decem.	S	m	t	w	th	f	f							

Example I. To find the Day of the Month of the 1st Sunday in June.

Against June, and above m, stand 3, 10, 17, 24, (31 being not in June.) So the 3d of June is the 1st Monday.

Example II. To find the Week-day to the 19th of September.

Under 29, and against September, stands S, or Sunday, for Answer.

So for the Rest.

Ex. 1. June 10

Add 12

D's Age 22

Days.

Ex 2. Nov. 24

Add 17

41

Sub. 30

D's Age 11

Sub. 30 or 29^d, as

1st and 2d Col

make 30 or 29.

Examples.

Against Jan. the Sun

rises under

h m

1st 8 5

11th 7 56

21st 7 45

respectively.

12 is ☉

Setting.

Whence, the Rising

and Setting for inter-

mediate Days are

known.

Sun enters		Sub. or add fr. or to D South for her Rif. or Setts.		Reqd. Moon's Rifing and Setting, Nov. 24.		Dom. Let. N. S. F		Jul. Per. Yr. 6478	
th	o	D's Pl.	Arc	D's Pl.	Arc	O. S. B	Olympiads	2540	
Jan. 19	10 2	3 0	3 1/2	D's Pl. 0 ^s 160		Golden No. 18	Found. Rome	2517	
Feb. 19	11 1	4 2	8 1/2	Arc ± 6 ^h 45 ^m		Epaft 7	Nabonnassar	2511	
Mar. 20	0 1	5 1	7 1/4	D's Sou. 9 58		Sun's Cycle 10	Hegira	1143	
Apr. 20	1 1	6 0	6 1/4			Indiction 13	Gregorian	183	
May 20	1 29	7 11	5 1/4	D's Rif. 3 13		Feb. 3. Septuages.	June 6. Corp. Chr.		
June 21	2 27	8 10	4 1/4	D's Set. 4 43		Feb. 20. Ash-W.	Dec. 1. Advent.		
July 22	3 26	9 0	4	nearly.		Apr. 7. Easter.	Feb. 27. Mar. 1, 2.		
Aug. 22	4 24	9 20	4 1/4	N. B. Take		May 13, 14, & 15.	May 29, 31. Jun. 1.		
Sep. 22	5 23	10 19	5 1/4	the Arc ± near		Rogation-Days.	Sep. 18, 20, 21.		
Oct. 23	6 22	0 0	6 1/4	est the Moon's		May 16. Ascen.	Dec. 18, 20, 21.		
Nov. 22	7 21	0 29	7 1/4	Place.		May 26. Whitf.	Ember-days.		
Dec. 21	8 21	1 28	8 1/4			June 2. Trinity.			
Req. ☉'s Place April 26.		Reqd. D's Pl. Nov. 24.		Subtract or add Degrees for Days before or after the Sun in a Sign, for his Place.		VI. ECLIPSES, 4 Sun. 2 Moon.			
6 Ds. + 6		D's Pl. at New D 7 21				Sun, Partial.	1. Feb. 19 ^d 11 ^h 3 ^m	Moon, Total.	1. Mar. 7 ^d 1 ^h 18 ^m
6 ☉ in 16		D's mean Place Ap. 24, Noon 0 26				2. Mar. 21 1 12	2. Au. 30 3 57		
						3. Au. 16 3 35			
						4. Sep. 15 4 51			
						in Europe visible.			
						Year of Nabonnassar and Found. Rome			
						are less 1 than by the French.			

